UNIVERSITY OF PIRAEUS DEPARTMENT OF BANKING AND FINANCIAL MANAGEMENT



'Master of Science (MSc) in Financial Analysis for Executives'

Evaluation of mutual funds performance using multiple measures

Dissertation submitted in fulfillment of the requirements for the degree of MSc in Financial Analysis for Executives

by

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Abstract

The present work dealt with the study of evaluation of mutual funds performance using multiple performance measures. The measures employed were the classic Sharpe ratio, the Treynor ratio, the Information ratio, the Modigliani-Modigliani measure (RAP), the Jensen's alpha and the Treynor-Mazuy model coefficients. The markets under examination were Germany, Austria and France, on account of the big impact these markets have on the European Union economy as an entity. 204 open-end equity mutual funds were examined for every country for the period from 01/01/2002 to 31/12/2012. The examinations were repeated for two subperiods, from 01/01/2002 to 01/06/2007 and from 01/06/2007 to 31/12/2012 to obtain useful information about the robustness of the results. The two subperiods were chosen to characterize two phases of European Continent economies, the prior-crisis and after-crisis periods. After the mutual funds performance measures were calculated, rankings of the mutual funds based on these measures were formatted and the correlation of the measures was studied.

Keywords: Ranking, Sharpe ratio, Treynor ratio, Modigliani-Modigliani measure, Jensen's alpha, Treynor-Mazuy model, correlation.

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PORTOFOLIO THEORY

1. PORTFOLIO THEORY

1.1. SECURITIES AND THE PORTFOLIO THEORY

1.1.1. SECURITIES (ASSETS), RETURN AND RISK

In financially developed countries, big investors used to call the shares of the companies they owned their houses, literally meaning they were growing with them and the companies behind, respectively. In modern portfolio theory, securities have been widely and internationally traded and numerous new types of them exist nowadays. Some examples are: mutual funds, hedge funds, ETFs, CDSs etc. An investor depends on the expected return of a security and on the calculated risk, in order to take an investment decision.

The return is disciplined in three different ways or categories:

- a) The expected return, which is the predicted return of a security, calculated by probabilistic methods or on historical data;
- b) The realized return, which is the real return after a defined time frame;
- c) The required return represents the minimum return investors are willing to receive to purchase the asset.

The expected return is measured by the mean of the sample returns and the risk, usually by the standard deviation of the return's sample. The return of a security is given by the following equation:

$$R_{it} = \frac{P_{it} - P_{it-1}}{P_{it-1}} + \frac{D_t}{D_{t-1}} \approx \log\left(\frac{P_{it}}{P_{it-1}}\right)$$
(1.1)

where R_{it} represents the return of the i security in time t,

 P_{it} is the value of security i at time t and

 P_{it-1} the value of security *i* at time t-1.

 D_t is the dividend in time t.

The expected return of the security i, under return normal distribution hypothesis, is calculated as the mean of its returns, $E(R_i)$, and is the profit an investor

expects to realize in a future period, based on historical data. Nonetheless, this return is not granted, but a rough estimation.

$$E(R_i) = \frac{1}{T} \sum_{t=1}^{T} R_{it}$$
 (1.2)

The risk of a security, on the other hand, is calculated as mentioned by the standard deviation of the security returns. It is considered, generally, to be the deviation between the realized and the expected return. It bears the endogenous characteristics of time and volatility. The risk increases with time and volatility and is the measure of how large the potential losses can be, also increasing with time. The risk is described by:

$$\sigma(R_i) = \frac{1}{T - 1} \sqrt{\sum_{t=1}^{T} (R_{it} - E(R_{it}))^{2}}$$
 (1.3)

based on historical data or by variance which is represented as:

$$Var(R_i) = \sigma(R_i)^2 \tag{1.4}$$

where $\sigma(R_i)$ denotes the standard deviation of returns of asset i,

T is the number of observations of returns and

 $Var(R_i)$ is the variance of returns of asset i.

The variance measures the risk for an investor to realize a return different from the expected one, guiding him to ask for the appropriate return for the specific asset. Comparing two different assets with the same expected return, a rational investor or a risk adverse one should choose the asset with the lowest risk, and between two similar risk assets, he should choose the more profitable one. The standard deviation is more applicable because it is expressed in the same units with the return of the asset.

Moreover, they are widely used two more coefficients on evaluating securities, coefficient of variance, CV and the covariance between two different securities i and k, both given in the following equations:

$$CV(R_i) = \frac{\sigma(R_i)}{E(R_i)} \tag{1.5}$$

$$Cov(R_i, R_k) = E[(R_i - E(R_i))(R_k - E(R_k))]$$

$$= Corr(R_i, R_k) \times \sqrt{(Var(R_i) \times Var(R_k))}$$
(1.6)

where $Corr(R_i, R_k)$ is the correlation coefficient ρ between i and k securities.

The coefficient of variance measures at what degree the distribution of the returns of the security is dispersed, and it is useful if different securities are under examination. It indicates the risk per unit of expected return of the asset.

The covariance of two securities is the measure of common behavior between the securities, with positive covariance meaning that the securities have the same directional behavior, negative covariance that they move in opposite directions. It is not an indicator of the strength of the relationship, such as the correlation coefficient. The correlation coefficient shows not only the behavior between two securities, but the degree of this behavior, ranging from -1 to 1, 1 for strong positive correlation r is -1, for strong negative one, and zero for neutral relationship.

Finally, a last characteristic of an asset, hard to be evaluated, is its liquidity, the ability of the investor to retrieve all or part of the present value of his investment immediately. Few assets are liquid, such as deposits, term deposits, stocks and many of them are not, such as bonds. Liquidity is somehow underestimated, yet it could be sometimes hidden behind big expected returns and investment period, but if not properly estimated, it can cause the investor to suffer big losses in the process to sell the asset.

1.1.2. PORTFOLIO CHARACTERISTICS

A portfolio is the basket where an investor keeps his assets and it can contain from one asset to a huge number of them. The purpose of portfolio is the opportunity it gives to the investor to deal with different assets, returns and risks. Despite a first thought that the outcome of a portfolio would be the outcome of each element inside, it offers a very famous property, diversification, a holy grail of economic science. The diversification, which will be analyzed later on in this study, offers the opportunity to

put theoretical boundaries to stochastic phenomena like the securities' returns and risks.

Again, the same characteristics that refer to simple assets can now be expanded for the portfolio. The portfolio return is the value-weighted average of its elements' returns or the average of the portfolio's returns, if we base the calculation on historic data:

$$R_{Pt} = \frac{P_{Pt} - P_{Pt-1}}{P_{Pt-1}} \approx \log\left(\frac{P_{Pt}}{P_{Pt-1}}\right)$$
 (1.7)

or

$$R_P = \sum_{i=1}^{N} w_i \times R_i \tag{1.8}$$

where P_{Pt} represents the price of portfolio at time t,

 R_{Pt} the return of portfolio at time t,

 w_i is the weight the asset i contributes to the portfolio (usually value-weighted or probability-weighted) and

 R_i the return of asset i.

In the process to construct a portfolio, we need to know or to assume the probabilities of each asset's returns in the portfolio. The probabilities formulate their own distribution. Under normal distribution hypothesis, as before, the mean is a measure of the portfolio expected return and the standard deviation a measure of risk:

$$E(R_P) = \sum_{i=1}^{N} w_i \times E(R_i)$$
(1.9)

the equation for expected return of the portfolio and:

$$\sigma(R_p) = \sqrt{\sum_{i=1}^{N} W_i^2 \sigma(R_i)^2 + \sum_{i=1}^{N} \sum_{k=1}^{N} W_i W_k Cov(R_i, R_k)}$$
(1.10)

the equation for the standard deviation or in terms of variance:

$$Var(R_p) = \sum_{i=1}^{N} W_i^2 \sigma(R_i)^2 + \sum_{i=1}^{N} \sum_{k=1}^{N} W_i W_k Cov(R_i, R_k)$$
 (1.11)

where W_i denotes the weight of asset i in the portfolio,

 $\sigma(R_i)$ the standard deviation of returns i asset,

 $\sigma(R_p)$ the portfolio risk,

 $i \neq k$ portfolio assets,

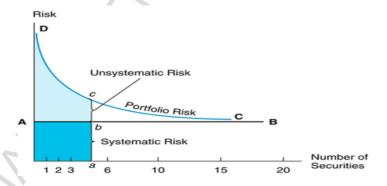
 $Cov(R_i, R_k)$ the covariance between i and k assets' returns and

N the number of assets.

The variance is further analyzed into two factors (Figure 1.1):

- a) $\sum_{i=1}^{N} W_i^2 \sigma(R_i)^2$ that describes the unsystematic risk attributed to a specific asset or sector and can be eliminated for a well-diversified portfolio;
- b) $\sum_{i=1}^{N} \sum_{k=1}^{N} W_i W_k Cov(R_i, R_k)$ that describes the systematic risk attributed to the market and influencing all assets of the market. This risk can be reduced but not entirely eliminated (it can be hedged by participating in another market oppositively correlated with the one above) by selecting assets with low or negative correlation coefficient ρ and it is measured by the beta coefficient mentioned later.

Figure 1.1. The representative picture of the systematic and unsystematic risk.



Similarly, the coefficient of variance can be calculated for the whole portfolio in case of comparison with other portfolios, measuring the degree of dispersion of the distribution of portfolio's returns:

$$CV(R_P) = \frac{\sigma(R_P)}{E(R_P)} \tag{1.12}$$

where $\sigma(R_p)$ stands for the portfolio risk and $E(R_p)$ the expected return of the portfolio.

However, one of the most important evaluation characteristic, as mentioned earlier, is the correlation coefficient ρ that helps to the diversification of a portfolio and is produced by the following equation:

$$Corr(R_i, R_k) = \frac{Cov(R_i, R_k)}{\sqrt{(Var(R_i) \times Var(R_k))}} = \frac{E[(R_i - E(R_i))(R_k - (R_k))]}{\sqrt{(Var(R_i) \times Var(R_k))}} = \rho, i \neq k$$

$$(1.13)$$

The correlation coefficient is the normalized to unity correlation strength degree between two assets and it is an arbitrary unit value. It varies from -1 to 1, with -1 meaning perfect negative relationship, 1 perfect positive one and zero neutral correlation. For a portfolio, in order to obtain a clear image of the intraportfolio relationships, matrixes of variance-covariance coefficients and correlation coefficients are formatted and examined amongst all assets (Tables 1.1 and 1.2).

1 2 3 4 5 1 Var(1,1) Cov(2,1) Var(2,2) 3 Cov(3,1) Cov(3,2) Var(3,3) Cov(4,1) Cov(4,2) Var(4,4) 4 Cov(4,3) 5 Cov(5,1)Cov(5,2)Cov(5,3) Cov(5,4) Var(5,5)

Table 1.1. Matrix of variance-covariance coefficients of 5 assets.

Table 1.2. Correlation coefficient matrix of 5 assets.

	,	,			
	1	2	3	4	5
1	Corr(1,1)=1				
2	Corr(2,1)	Corr(2,2)=1			
3	Corr(3,1)	Corr(3,2)	Corr(3,3)=1		
4	Corr(4,1)	Corr(4,2)	Corr(4,3)	Corr(4,4)=1	
5	Corr(5,1)	Corr(5,2)	Corr(5,3)	Corr(5,4)	Corr(5,5)=1

In the process of constructing a portfolio by minimizing the portfolio risk, the most common practice is to find assets that have negative ρ between them. If all assets possess positive correlation coefficients then the risk is accumulative, while if some of them are driven by negative correlation the overall portfolio risk is reduced. However, the level of unsystematic risk can be reduced, by adding assets (as shown in

Figure 1.1), with a big ratio in the beginning, however, as securities are added it stabilizes and approaches the systematic risk level asymptotically if number of assets is driven to infinite. A general accepted notion is that with the addition of more than 20 different assets the above can happen.

The standard deviation of the portfolio returns is a measure of absolute risk. If someone wants to study the risk emerging from individual assets in comparison to the whole portfolio, then the most appropriate and known evaluation coefficient is the beta coefficient. Beta is the most widely used coefficient for stock markets and portfolio theory bibliography. It shows the risk of asset i in the portfolio p relatively to the risk of the whole portfolio and is given by the following equation:

$$\beta_{i} = \frac{\text{cov}(R_{i,}R_{p})}{\sigma(R_{p})^{2}}$$
(1.14)

As mentioned above, beta is a relative risk measure. Three cases rise here:

- a) Beta = 1. The asset follows the volatility of the portfolio and its behavior is neutral.
- b) Beta > 1 the asset is aggressive and is more volatile than the portfolio. In case of portfolio overperformance, the asset will overperform with a higher rate, and vice-versa.
- c) Beta < 1 the asset is defensive relatively to the portfolio. It will underperform the portfolio whichever direction the later takes, meaning fewer asset profits in case of portfolio gains, but fewer asset losses in case of portfolio devaluation.

Risk adverse investors tend to prefer assets with asset or portfolio beta lower than unity and risk driven investors prefer more aggressive assets and portfolios.

To measure the asset risk in comparison with the market portfolio, then it can be proved that variance of the market portfolio is just the weighted average of the covariance of all assets in the portfolio with the market itself:

$$\sigma_{\rm M}^2 = \sum_{i=1}^{\rm N} W_i {\rm cov}(i, M)$$
 (1.15)

$$cov(i,M) = \frac{\partial \sigma_{M}^{2}}{\partial W_{i}}$$
 (1.16)

From the above equation it is obvious that the covariances of N assets add up to the market risk (systematic risk), and that the risk of an asset towards the market portfolio is the covariance of the asset with the market.

Finally, a portfolio's beta coefficient can be calculated as the sum of all assets weighted beta coefficients in the portfolio:

$$\beta_{p} = \sum_{i=1}^{n} W_{i} \beta_{t} \tag{1.17}$$

where β_p denotes the portfolio beta, β_t the asset *i* beta coefficient and W_i the weight of asset *i*.

1.1.3. MODERN PORTFOLIO THEORY

There are four steps in order to invest in a portfolio:

- a) Analyze the underlying assets in terms of return and risk.
- b) Analyze the possible assets combinations and formulate portfolios.
- c) Construct the efficient portfolio frontier.
- d) Combine the efficient portfolio frontier with the investor's utility curve and choose the best portfolio.

In March 1952, Harry Markowitz¹ introduced the modern portfolio selection published in Journal of Finance and 7 years later, the efficient diversification of investments theory, a process to help investors evaluate portfolios according to the relationship of return versus risk. Markowitz assumed that all investors are rational or risk averse so they need to receive excess return to suffer a specific amount of investment risk. Investors should focus on the relationship between assets and the market (sum of portfolios, as shown in the equation (1.16), rather than just on a specific asset. An investor in the Markowitz world will choose among different portfolios with the following two rules:

- a) Between two portfolios with the same risk level, he or she will choose the one with the highest expected return and
- b) Between two portfolios with the same expected return, he or she will choose the one with the smallest level of risk.

The line or frontier that depicts the best possible portfolio combinations is called mean-variance efficient frontier. Specifically, the efficient frontier represents that sets of portfolios with the highest rate of return for the given risk level, and lowest risk for given return level (Figure 1.2). In Figure 1.2, randomly produced by Matlab, at point A there is the portfolio with the minimum risk, also named global minimum variance portfolio. Above A and on the mean variance line, portfolios offer higher returns, but with higher risk level formatting the efficient frontier with risky assets line. Below efficient line, the red area in Figure 1.2, all portfolios cannot be chosen by a rational investor. To calculate the frontier the minimum variance has to be calculated under some restrictions:

- a) Portfolio expected return is given and it is E(Rp);
- b) All portfolio assets' weights sum up to 1, meaning that there is no leverage;
- c) Portfolio asset weights are positive, implying that there is no short-selling.

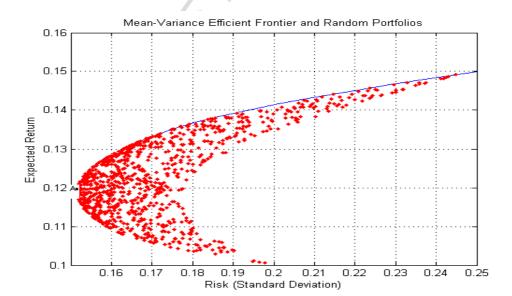


Figure 1.2. Matlab produced 1000 portfolios efficient frontier.

The shape of the frontier strongly depends on the extent of correlation between assets making up the portfolio. Usually, it has a concave shape. Assuming that we have two assets (1 and 2), and the extreme cases of perfect positive correlation ρ =1 and perfect negative correlation ρ =-1 between the two assets of the portfolio (Figure 1.3). As shown in Figure 1.3:

- A: $\rho = 1$. This indicates a perfect linear relationship between the two assets. Diversification has no potential benefits.
- B: $\rho = 0.5$. Portfolio diversification can be achieved. The lower the correlation, the greater the diversification benefits.
- C: $\rho = 0$. This indicates there is no linear relationship between the two assets. More diversification can be achieved then B.
- D: ρ = -1. This indicates a perfect inverse linear relationship. Notice the minimum-variance frontier has two linear segments: XZ and ZY. XZ (line D) is the efficient frontier. The risk of the portfolio can be reduced to zero if desired.

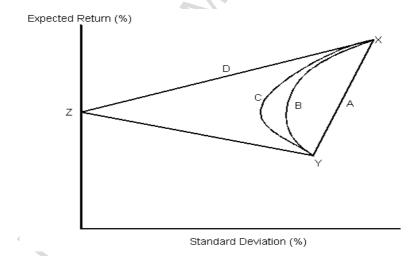


Figure 1.3. Different frontier shape due to asset correlation.

To find the most efficient portfolio for an investor, the point that the investor's best utility curve touches the efficient frontier must be found (Figure 1.4). As shown, the indifference curves are C1, C2 and C3 for the investor and PRW the efficient frontier with risky assets. Portfolio R is the most efficient and possible for this investor.

Return C3 C2 C1

Figure 1.4. Efficient frontier-utility curves.

An indifference curve stated above is the presentation of an investor's preferences (John von Neumann and Oskar Morgenstern, 1947)². It shows the disposition of the investor to suffer higher or lower risk for a given expected return level and the opposite. The indifference curves bear also some characteristics:

- All portfolios on an indifference curve mean the same for the investor, thus, he
 is indifferent which one he will choose, but portfolios below these curves shall
 be excluded.
- The indifference curves are parallel between them.
- Every investor can be characterized by numerous curves, which also show the consumption needs of the investor, if the consumption good is a portfolio.
- The indifference curve can be shifted upwards and left and show a more preferable condition for the investor.
- They specify the trade-off an investor is willing to do, in terms of risk-return, when a portfolio selection is concerned.

This Markowitz world expects investors to follow the rule of lowest risk level and highest expected return always. For this world to exist some assumptions had to be made³:

a. A portfolio of assets can be sufficiently described by the expected return and the variance of return of the portfolio, so investors' indifference curves are only function of return and risk as well.

- b. Investors consider each investment alternative as being represented by a probability distribution of expected returns over a period.
- c. Investors care about maximizing their wealth and not about the condition of their portfolio's assets.
- d. Investors maximize one-period expected utility, and their utility curves (indifference curves) demonstrate diminishing marginal utility of wealth
- e. Investors are rational, thus they choose portfolios with highest return for given risk level and lower risk for given return level.

1.2. PORTFOLIO MODELLING THEORY

Economic science after the introduction of Markowitz portfolio selection theory made strides of progress trying to describe the behavior of financial portfolios, assets and markets with new models, which used the efficient frontier as their elementary theory. Famous amongst them were the single index model, the CAPM model, the Fama-French three factor model, the APT model etch.

1.2.1. SINGLE INDEX MODEL (SIM)

The single index model is a return production model. It is the simplest of the models and it was used because, given a big number of assets in a portfolio, the consequent number of parameters needed to be calculated was enormous. An example, for N assets it was needed to find N expected returns, N variances and $(N^2-N)/2$ covariances, a total of $(N^2+3N)/2$ parameters. The simple idea behind the single index model is that many factors that influence the asset returns can be summarized in a major factor, that (a market index) having impact on the prices of assets in markets. Furthermore, there are microeconomic factors that affect every different asset without affecting the market. Thus, the single index model:

$$R_i = \alpha_i + \beta_i R_M + u_i \tag{1.18}$$

where R_i the return of asset i,

 α_i constant,

 β_i the beta coefficient of the asset i (the market's influence on the asset i),

 R_M the return of the market portfolio and

 u_i an error term (influence on the R_i from unterritoried factors).

Asset return is split in two parts:

- o systematic return: $\beta_i R_M$ which depends on macroeconomic factors, the market
- o unsystematic return: $\alpha_i + u_i$ which depends on microeconomic factors not affecting the rest of the market

The expected return of the asset is given by:

$$E(R_i) = \alpha_i + \beta_i E(R_M) \tag{1.19}$$

where $E(R_M)$ is the market portfolio expected return. (1.19) is split in $\beta_i E(R_M)$ which is the systematic expected return and α_i which is the unsystematic expected return of asset *i*. The variance of the asset return is:

$$Var(R_i) = \beta_i^2 Var(R_M) + Var(u_i)$$
(1.20)

where $Var(R_M)$ is the variance of market portfolio, $Var(u_i)$ is the variance of the error term.

Again equation (1.20) is split in $\beta_i^2 Var(R_M)$ which is the systematic risk of asset i and $Var(u_i)$ which is the unsystematic risk of the asset. Finally, the covariance of the asset with the market is:

$$Cov(R_i, R_M) = \beta_i Var(R_M)$$
 (1.21)

or

$$\beta_{i} = \frac{\text{Cov}(R_{i}, R_{M})}{\text{Var}(R_{M})}$$
 (1.22)

where β_i is beta coefficient, a relative risk measure of the asset in market M towards the whole market risk.

- ✓ If β_i <0 then the asset returns move opposite with the market portfolio return;
- \checkmark If $0 < \beta_i < 1$ then the asset moves defensively but with the market portfolio;

- ✓ If $\beta_i = 1$ the asset moves exactly as the market portfolio;
- ✓ If $\beta_i > 1$ the asset moves aggressively but with the market portfolio.

The single index model indicates that when an investor anticipates an upward movement in the market return, he increases the beta above 1 to beat the market and when he anticipates negative market performance, he chooses beta smaller than 1 to limit losses.

Two more equations of particular interest can be extracted:

$$\alpha_{i} = E(R_{i}) - \beta_{i}E(R_{M}) \tag{1.23}$$

for the (alpha) α coefficient and

$$R^{2} = \rho_{i,M}^{2} = \left[\frac{\text{Cov}(R_{i}, R_{M})}{\sigma(R_{i})\sigma(R_{M})} \right]$$
(1.24)

where R^2 is called the coefficient of determination and gives the percentage of R_i 's volatility that can be explained by the volatility of the R_M .

The number of parameters needed to be calculated to construct the efficient frontier using the single factor index model is 3N+ 2. For the single index model to be valid there are made some assumptions that need to be followed:

- $E(u_i) = 0$ the expected value of error term is zero;
- $Cov(R_i, u_i) = 0$ there is no correlation between the error term and the market return;
- Coefficients α, β are constants.

Many times these assumptions are violated but still the single index model is a very useful return generator model.

1.2.2. CAPITAL MARKET THEORY (CMT)

Capital market theory is the theory that attempts to explain the pricing of an asset or a portfolio by combining not only risky assets to formulate the efficient

frontier but also risk-free assets, assets of zero risk. CMT is based on Markowitz theoretical approach. The CMT is based on the following assumptions³:

- ➤ All investors follow Markowitz theory and purchase portfolios from the efficient frontier.
- > There is a risk-free asset that all investors can borrow and lend infinitely on its rate of return, meaning there is accessible leverage.
- > There is a unique and common investment horizon.
- The assets have to be linearly dependent, restriction implicit from the use of covariance that shows only linear dependence.
- ➤ The market is perfect, thus:
 - No taxes and no transaction costs exist:
 - No inflation exists:
 - Investors can't individually affect the market prices, they are price takers not market makers:
 - The assets are perfectly divided and an investor can invest in any quantity;
 - The assets are instantly liquid, can be sold and bought instantly;
 - Information is the same and available for everyone.

The above mentioned market is almost a perfect market and it is always in equilibrium.

1.2.3. CAPITAL MARKET LINE (CML)

Since the CMT is valid and there is a risk-free asset, this can be depicted by a line touching the efficient frontier in a specific point. The portfolio that represents that point is the tangent market portfolio and it is considered the most acceptable for an investor.³

The CML shows the expected return-risk relationship for efficient portfolios of minimum risk and maximum return. It **transforms** the Markowitz efficient frontier to a straight line (Figure 1.5). If the investor chooses a portfolio S between the r_f rate and M point he is lending money at the risk-free rate. The lending is equal to the area

below CML and above the efficient frontier until point M. By choosing a portfolio on the CML after M point towards A point is like he is borrowing to the risk free rate. Again, his borrowings equal the area below the CML and above the efficient frontier. All portfolios below CML are inefficient and all portfolios above the CML are violating the Markowitz world rules. The optimal is the M portfolio or tangent market portfolio. At point r_f all the investment is on the risk-free asset. As mentioned above, the new efficient frontier is the CML and the investor chooses either if he will just invest on his own money or he will borrow and lend while doing it. The CML is a more realistic approach.

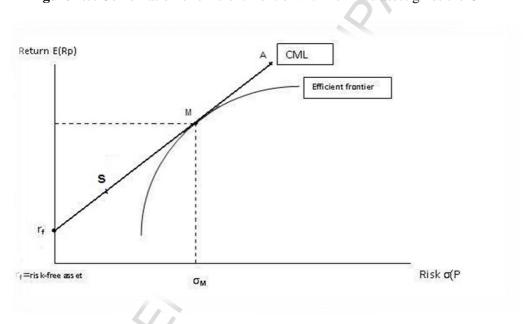


Figure 1.5. Combination of efficient frontier with risk-free asset gives the CML

The following equation is the CML equation for a portfolio S:

$$E(R_S) = r_f + \left(\frac{(E(R_M) - r_f) \times \sigma_S}{\sigma_M}\right)$$
 (1.25)

where $E(R_S)$ denotes the expected return of S portfolio,

 r_f is the risk-free asset return,

 $E(R_M)$ is the expected return of the efficient market portfolio,

 σ_M and σ_S are the standard deviations of portfolios M and S respectively.

The term $\left(\frac{(E(R_M)-r_f)\times\sigma_S}{\sigma_M}\right)$ is also called risk premium and is the excess return from r_f that the investor will require to invest in portfolio S.

1.2.4. SML (SECURITY MARKET LINE) AND CAPM (CAPITAL ASSET PRICING MODEL)

The security market line is the depiction of the relationship between the return and the risk when risk is expressed by beta, the relative risk and is the expression of the CAPM. The security market line is a useful tool in determining whether an asset being considered for a portfolio offers a reasonable expected return for risk. Individual assets and portfolios are plotted on the SML graph. If the security's risk versus expected return is plotted above the SML, it is undervalued because the investor can expect a greater return for the inherent risk. A security plotted below the SML is overvalued because the investor would be accepting less return for the amount of risk assumed. The market risk premium is determined from the slope of the SML.

A movement along the SML exhibits a change in the risk properties of a specific investment, a change in its systematic risk (its beta). This change affects only the individual investment. A change in the steepness of the SML slope incorporates a change in the preferences of the investor towards risk. The investor wants either higher or lower rates of return for the same risk; it is a change in the market risk premium. A change in the market risk premium will affect all investments. Finally, a shift in the SML reflects a change in market conditions, such as change of inflation levels. Again, such a change will affect all investments. The market portfolio beta is equal to unity (Figure 1.6).

The equation expressing the SML is the following:

$$E(R_i) = r_f + \left[\frac{\left(E(R_M) - r_f \right) \times \sigma_{i,M}}{\sigma_M^2} \right] = r_f + \left[\left(E(R_M) - r_f \right) \times \beta_i \right]$$
(1.26)

where $E(R_i)$ is the security i (asset or portfolio) expected return,

 r_f is the risk-free asset return,

 $E(R_M)$ the expected return of the market portfolio,

 $\sigma_{i,M}$ is the covariance between asset i and the market,

 σ_M the standard deviation of returns of the market portfolio and

 β_i the security *i* relative systematic risk coefficient beta in comparison with the market.

The CAPM (capital asset pricing model) was developed by Jack Treynor (1962)⁴, William Sharpe (1964)⁵, John Lintner (1965)⁶ and Jan Mossin (1966)⁷. The assumptions valid in the CMT also apply here. The CAPM shows the relationship between the expected return and risk of an individual asset or a portfolio. For CAPM to be valid, the market portfolio M must be efficient. The equation that expresses this relationship is the SML equation (1.26). As mentioned above, the beta of the efficient market portfolio is 1 and the investor just decides how much he will invest on the efficient market portfolio and how much on the risk-free asset return. CAPM is used to price efficient or inefficient assets or portfolios by their relative risk. Both CML and CAPM consider the market portfolio to be efficient,

The differences between CML and CAPM are the following:

- 1) CAPM measures relative risk with the beta coefficient, while CML measures risk with the standard deviation of returns
- 2) CAPM (SML) is used to price efficient or inefficient portfolios or assets, while CML prices only efficient ones respectively.
- 3) The risk premium for CAPM is $\left[\left(E(R_M) r_f\right) \times \beta_i\right]$, while for CML is $\left(\frac{(E(R_M) r_f) \times \sigma_S}{\sigma_M}\right)$
- 4) The CAPM (the single factor model) is the base for many later developments just by expanding the number of factors.

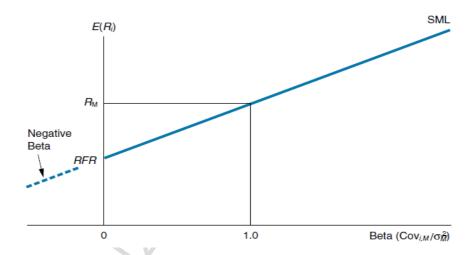
However there is much critique on the CAPM since many of its assumptions are invalid:

- ➤ It doesn't incorporate information on investments;
- ➤ It is a single-period model, after which it needs to be rebalanced;
- ➤ New assets having nonlinear dependence among them can't be priced, such as derivatives;

- > Shortselling is not allowed;
- ➤ Risk and return measures are unconditional, investors cannot formulate their own;
- ➤ It explains the returns only by a single factor, while more can be used to increase creditability of a model;
- > It assumes that all assets are tradable;
- > Transaction costs and taxes are not included.

Many different models were proposed on the process to cover the blanks but still CAPM remains the base of them, disputable and studied enough.

Figure 1.6. SML (security market line) of CAPM



1.2.5. CAPM DERIVATIVE MODELS

To overcome the conditionality of moments used in CAPM for returns and risks, the **conditional CAPM** was proposed by Jagannathan and Wang in 1996⁸. The equations of the conditional CAPM are the following:

$$E(R_{it+1}|Z_t) = \gamma_0(Z_t) + \beta_{imt}\gamma_m(Z_t)$$
 (1.27)

$$\gamma_0(Z_t) = E(r_f|Z_t) \tag{1.28}$$

$$\gamma_m(Z_t) = E(R_{mt+1}|Z_t) - \gamma_0(Z_t)$$
 (1.29)

and the market beta is:

$$\beta_{imt} = \frac{cov(R_{it+1}, R_{mt+1}|Z_t)}{var(R_{mt+1}|Z_t)}$$
(1.30)

where $E(R_{it+1}|Z_t)$ is the return rate of asset *i* between time t and t+1 given the public information Z_t available at time t,

 $\gamma_0(Z_t)$ is the expected return for all portfolios with zero market betas or risk free asset rate of return at time t+1,

 β_{imt} is the market beta at time t

 $\gamma_m(Z_t)$ is the risk premium for market beta at time t+1

 R_{it+1} is the return it time t+1

 Z_t is the available information in time t and

 R_{mt+1} is the market portfolio return in time t+1.

The expected return depends linearly on the market risk and the changes in the market risk over time, so it depends on two different uncertainties. The Conditional CAPM is a generalization of the unconditional form and not a generalization to include other risk factors. The conditional CAPM tried to trace the effects of varying betas and risks premix, but it didn't incorporate still other factors influencing returns like firm size, book-to-market value and momentum.

To investigate the preferences of investors due to consumption and wealth needs, Merton in 1973⁹ proposed his **intertemporal CAPM or ICAPM** which bears the following assumptions:

- 1. All assets have limited liability;
- 2. No transaction costs and no taxes;
- 3. Capital market is always in equilibrium;
- 4. Trading is continual in time;
- 5. Shortselling is allowed;
- 6. There are many investors that can lend or borrow at risk-free asset rate.

The equation for the intertemporal CAPM is:

$$\alpha_{i} - r = \frac{\sigma_{i} \left[\rho_{iM} - \rho_{in}\rho_{n,M}\right]}{\left[\sigma_{M}(1 - \rho_{nM}^{2})\right]} (\alpha_{m} - r) + \frac{\sigma_{i} \left[\rho_{in} - \rho_{iM}\rho_{n,M}\right]}{\left[\sigma_{n}(1 - \rho_{Mn}^{2})\right]} (\alpha_{n} - r)$$
(1.31)

where I = 1,2,3,...,n-1 number of assets

 α_i , α_m , α_n , return of asset *i*, market M and asset *n* respectively,

r = risk free asset return,

 σ_i , σ_n , σ_M standard deviation of asset i, asset n and market M respectively, and $\rho_{a,b}$ correlation coefficient between a,b.

To overcome the problem of unlimited lending and borrowing at the risk-free asset rate, Black in 1972 introduced the zero-beta CAPM or **Black CAPM**.¹⁰ Risk free asset may not exist due to inflation uncertainty and credit rationality. Even if there is not a risk free asset, if the tangent to the market portfolio is extended we have another portfolio *g*. Thus, the CAPM becomes:

$$E(R_i) - E(R_G) = \beta_i (E(R_M) - E(R_G))$$
 (1.32)

where $E(R_i)$ is the expected return of asset i,

 $E(R_G)$ is the expected return of asset G,

 $E(R_M)$ is the expected return of the market portfolio and

 β_i is the beta coefficient of asset *i*.

G is a portfolio to which the return is uncorrelated with the return of the market portfolio and it is called zero-beta portfolio. All frontier portfolios have companion portfolios that are uncorrelated. The zero-beta portfolio is the inefficient portfolio mirror of the efficient one, situated on the lower part of the efficient frontier. It assumes shortselling existence. If no shortselling takes place, the Black CAPM is invalid.

Douglas Breeden and Robert Lucas, presented in 1979 the consumption based CAPM or **CCAPM**. ¹¹ The equation behind CCAPM is the following:

$$E(R_{i}) = r_{f} + \beta_{c}(E(R_{M}) - r_{f})$$
(1.33)

where $E(R_i)$ denotes the asset i expected return

 r_f the risk free asset rate of return

 β_c the consumption beta coefficient and

 $E(R_M)$ the market portfolio expected return.

The β_c coefficient is the fraction of the covariance of i asset returns and the consumption growth towards the covariance of the market return and the consumption growth.

In the CCAPM, an asset is more risky if it pays less when consumption is low (savings are high). The consumption beta is 1, if the risky assets move perfectly with

the consumption growth. The CCAPM, like the CAPM, has been criticized because it relies on only one parameter. The CCAPM remedies some of the weaknesses of the CAPM. Moreover, it directly bridges macro-economy and financial markets, provides understanding of investors' risk aversion, and links the investment decision with wealth and consumption.

To overcome the restriction of no taxes and no dividends, Brennan (1970)¹² and Lally (1992)¹³ proposed two different models given by the following equations:

$$E(R_j) = r_f + \beta_j (E(R_M) - r_f - T(\delta_M - r_f)) + T(\delta_j - r_f)$$
(1.34)

$$E(R_i) = r_f(1 - t_i) + \beta_i(E(R_M) - r_f(1 - t_i))$$
(1.35)

where δ_j denotes the dividend yield on asset j

 δ_{M} is the dividend yield on the market portfolio

T is the aggregate tax factor, a complex weighted average of tax rates

t_i is the investor's tax rate

 $E(R_j)$, $E(R_M)$, r_f are the expected return of asset j, market m and the risk-free asset return respectively and

 β_i Beta coefficient of asset j

The only applicable situation of these models was the Australian and New Zealand economies.

Finally, to incorporate the international market portfolio the **International CAPM** was expressed as follows (Adler and Dumas, 1983)¹⁴:

$$E(R_{j}) = r_{fd} + (E(R_{Mi}) - r_{fi})\beta_{j} + (c_{i}FCRP_{i})$$
(1.36)

where $E(R_i)$ denotes the expected return of asset j

r_{fd} the domestic-currency expressed risk-free return

r_{fi} the international currency risk-free return

 $E(R_{Mi})$ is the world market portfolio expected return

 β_j is the beta coefficient of asset j in comparison with the world market portfolio c_i is the sensitivity of the domestic currency returns to changes in foreign currencies FCRP_i is the difference between the expected future spot exchange rate and the forward rate, divided by today's spot rate.

All returns are expressed in domestic currency of the asset j country. The assumptions needed for the International CAPM to be valid is the global market to be integrated and no deviations to exist from PPP (purchasing power parity) hypothesis.

1.2.6. MULTI-FACTOR MODELS

Multi-factor models were introduced to fill the gaps of the one factor models. Multi-factor models proved that they can explain the return volatility of an asset or a portfolio with a largest percentage than single factor models. First, to conduct major work on this field was Stephen Ross, in his article in the Journal of Economic Theory in 1976, introducing his **APT** model or Arbitrage Pricing Theory¹⁵. It is a model of generating returns, as the previously mentioned ones in an equilibrium market. The model's equations are the following:

$$R_{j} = a_{j} + \beta_{j1}F_{1} + \beta_{j2}F_{2} + \dots + \beta_{jk}F_{k} + e_{j}$$
 (1.37)

where R_i the return of asset j

 a_i is a constant for asset j

 β_{jk} is the sensitivity of asset j to the k macroeconomic factor

 F_k is a systematic factor and

$$E(R_{j}) = r_{f} + \beta_{j1}RP_{1} + \beta_{j2}RP_{2} + \dots + \beta_{jk}RP_{k}$$
(1.38)

where $E(R_j)$ the expected return of asset j

r_f risk free asset return

 β_{ik} is the sensitivity of j asset to the k macroeconomic factor

 RP_k is the risk premium of the k factor

Assumptions of APT:

- Investors are risk averse;
- No transaction costs or taxes exist;
- No restrictions on short sales for any asset;
- In equilibrium no arbitrage possibilities exist;

- Every asset wants to be held by investors, the total demand for every asset is positive;
- All investors have homogeneous expectations.

At a first glance, we could interpret the APT as a generalization of the CAPM single factor model to a multibeta (multifactor) model. The CAPM is concerned to find equilibrium of the market by holding optimal portfolios as implied by portfolio theory, whereas the APT finds this equilibrium by ruling out arbitrage possibilities. Arbitrage is the investor's opportunity to buy (get long on) the undervalued and sell (get short on) the same overvalued asset and make a sure profit with no risk undermining the process. The factors mostly identified in the APT are related to macroeconomic factors. Chen, Roll and Ross¹⁶ in 1986 described the main macroeconomic factors to be:

- inflation and rate surprises;
- gross national product surprises;
- government and corporate bonds yield curves changes;
- bond default premium surprises.

Most investigations show that three to five factors are sufficient to explain the observed returns, adding more factors does not improve the result substantially. The number of factors cannot be larger than the number of assets. The investigations give evidence that the APT can explain the observed returns quite good for long and medium time horizons. For time horizons below one year, the factors are not able to explain the data adequately.

The assumption of a linear relation between the assets in the CAPM is replaced by the assumption of a linear relationship with risk factors. As in the CAPM this assumption limits the theory as nonlinear assets, financial derivatives, can't be modeled adequately. The advantage of the APT is that, it is not necessary to form a market portfolio to include these assets. It enables to restrict the analysis to a certain group of assets, provided that the number of assets is sufficiently large.

The more assets are included the more precise the findings should be, with restricting to only a few assets the pricing relation does not break down as in the CAPM, it only becomes less precise. In practice, indexes, diversified portfolios, oil prices, commodities and other can be used as factors instead of macroeconomical

ones due to the exclusive dependence of some assets on the above 'tailor-made' factors. Different factors apply in different economies, examining periods and group of assets. The APT and the CAPM still remain the two fundamental theories in asset pricing and asset management owns a lot to them.

In 1993, Eugene Fama and Kenneth French published their three factor model in asset pricing.¹⁷ The model is mainly applicable on equities and on equity portfolios. The equation of the three-factor model is:

$$R_{jt} - r_f = a_j + b_j (R_{Mt} - r_f) + b_{SMB}SMB_t + b_{HML}HML_t + e_{jt}$$
(1.39)

where $R_{jt} - r_f$ denotes the excess return of asset j from r_f which is the risk-free rate return

 a_i is a constant for asset j indicating management performance

 b_j is the sensitivity coefficient of asset j towards the $R_{Mt} - r_f$ parameter

 $R_{Mt} - r_f$ the excess market portfolio return from r_f

b_{SMB} is the sensitivity coefficient towards the SMB_t factor

SMB_t is the small-minus-big size factor

b_{HML}is the sensitivity coefficient towards the HML_t factor

HML_t is the high-minus-low factor and

 e_{it} is the error term of the regression for asset j

SMB represents the factor that is constructed by sorting the portfolios, in terms of containing assets with small market capitalization minus portfolios containing big market capitalization (small minus big, SMB, the size proxy).

HML represents the factor that is constructed by sorting the portfolios in terms of containing assets with high book-to-market value minus portfolios containing low book-to-market value (high minus low, HML, the BE/ME proxy).

The sensitivity factors of the SMB and HML are evaluated by linear regressions and they can take positive and negative value. The above mentioned three factor model can explain more than 90% of the returns while the CAPM could explain about 60%-70% of the returns based on historical data. However, more factors have been identified that did not participate in the asset pricing, but explain a large percentage of the returns, called anomalies. Some of them are market equity ME, earnings to price ratios P/E, leverage, BE/ME and cash flow to price ratio CF/P. All

these factors, about five of them, fit well in the three factor model, depending on the examined market and country, but cannot be explained by the CAPM. The factors are arguably locally-centered to each country and transform the macroeconomic APT factors to microeconomic Fama French factors.

Finally, constant alpha, regression evaluated, shows the management performance in comparison with the market. If alpha is positive, the portfolio overperformes the market, if alpha is negative it underperforms the market, if alpha is zero it marches with the market.

Mark Carhart in his "On Persistence in Mutual Fund Performance" article published in 1997, ¹⁸ presented an extension of the Fama-French three factor model:

$$(R_{jt} - r_f) = a_j + b_j(R_{Mt} - r_f) + b_{SMB}SMB_t + b_{HML}HML_t + b_{MOM}MOM_t + e_{jt}$$
 (1.40)

where $R_{jt} - r_f$ denotes the excess return of asset j from r_f which is the risk-free rate return

 a_i is a constant for asset j indicating management performance

 b_i is the sensitivity coefficient of asset j towards the $R_{Mt} - r_f$ parameter

 $R_{\text{Mt}} - r_f$ the excess market portfolio return from r_f

b_{SMB} is the sensitivity coefficient towards the SMB_t factor

SMB_t is the small-minus-big parameter

b_{HML}is the sensitivity coefficient towards the HML_t factor

HML_t is the high-minus-low parameter and

 e_{it} is the error term of the regression for asset j

b_{MOM} is the sensitivity coefficient towards the MOM_t factor

MOM_t the momentum factor

He added the momentum factor (MOM), described as the tendency of an asset to follow a short term memory, meaning follow the recent return direction. The momentum portfolios can be obtained by sorting them in high performance and low performance during a past lagged period and subtracting the low 30% of them from the high 30% (winners to losers proxy). The examining period is usually one month, 6 months and one year. It is a fine strategy interpreter of mutual funds and other funds management efficiency.

1.3. PERFORMANCE MEASURES

In the financial industry and, especially, in the mutual fund industry, performance measurement is a very important decision making parameter. If hedge funds are excluded, which are absolute return oriented financial instruments, the majority of financial vehicles need to be compared and categorized according to performance. Performance is not only return but also risk, while sometimes risk is more important, e.g. derivative products. As mentioned earlier, an investor if rational wants to find the most profitable investment among investments with the same level of risk and the safest among the ones with the same level of return.

Moreover, measuring risk and return can help an investor hedge the risk emerging from his choices and sometimes speculating if he encounters mispricing. In modern portfolio theory, the choice of a portfolio derives from the appropriate measure of return risk relationship, thus, making the performance measures vital for the financial sector.

There are numerous performance measures in the bibliography, especially because each one fits best to a different class of financial assets or to a different return distribution of the assets. Performance measures can be based on standard deviation, beta coefficient, lower partial moments, the drawdown of a fund and the value-at-risk to measure risk as a denominator. In order to measure the return nominator, they use the excess return and the higher partial moments. By combining return and risk we have a range of measures analyzed below. Of course, someone can measure fund performance only by using net asset value changes, which is an absolute return measure but it is not advised since it omits the risk parameter.

1.3.1. SHARPE RATIO

Sharpe ratio is the most used performance measure by economists, analysts, authors and others. Introduced by Sharpe in 1966,¹⁹ Sharpe ratio or reward to variability is expressed as the fraction of excess return of a portfolio or fund divided with the standard deviation of returns:

Sharpe Ratio =
$$\frac{r_P - r_f}{\sigma_p}$$
 (1.41)

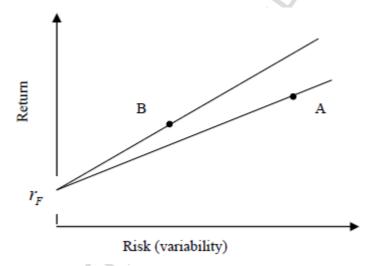
where r_P is the return of the portfolio or fund;

r_f is the risk-free asset return;

 σ_p is the standard deviation of the portfolio

It is based on the capital market line and indicates the slope of the CML. The returns and deviation usually are annualized. Risk averse investors according to Sharpe ratio should look for higher excess return and lower risk in the same time, so the biggest the ratio the best the portfolio.

Figure 1.7. Graphic description of Share ratio for portfolios A and B.



As shown in Figure 1.7 the ratio measures the effectiveness between different portfolios. The steeper the line that connects the risk-free asset return with the portfolio, the largest the Sharpe ratio (which is the gradient of this line). Sharpe is not a risk-adjusted performance measure but a comparing ratio, used in ranking and sorting different portfolios and funds. It may also be used to compare portfolios with the market portfolio, usually a well-known index portfolio.

Positive Sharpe ratio indicates portfolio overperformance in comparison with the market, while negative Sharpe ratio indicates that investing on this portfolio is less profitable than investing on the market. Finally, a negative Sharpe ratio shows that investing only on the risk-free asset is better than the under examination portfolio. Basic assumption is that the return distribution is normal but when returns are not normally expressed, it gives misleading results. However, recent studies²⁰ show that comparing rankings generated by Sharpe ratio and other performance measures are statistically and practically identical, even for abnormal return products like hedge funds. This lack of abnormality drove the need to incorporate skewness and curtosis of return distribution to modern performance measures.

1.3.2. MODIGLIANI-MODIGLIANI RAP OR M² MEASURE

This measure was proposed by Leah Modigliani and her grandfather Franco Modigliani (Nobel Prize) in 1997.²¹ M² is a risk-adjusted performance (RAP) measure that bears the market portfolio return and is used to compare portfolios with different levels of risk.

$$M^{2} = (r_{P} - r_{f}) \frac{\sigma_{M}}{\sigma_{P}} + r_{f}$$
 (1.42)

where r_P is the return of the portfolio or fund;

r_f is the risk-free asset return;

 σ_p is the standard deviation of the portfolio;

 σ_M is the standard deviation of the market portfolio return.

The M² measure is derived from the CML by adding the market portfolio as shown in Figure 1.8 below. It shows that, there is a return penalty for a portfolio with risk level higher than the benchmark risk level (market) and a return reward for a portfolio with lower risk level than the benchmark. This notion originated from the idea that, especially in corporate asset portfolios, a portfolio can transit to higher or lower risk level by borrowing/lending to the risk-free rate, thus, by increasing/reducing leverage (levering/unlevering terminology also used).

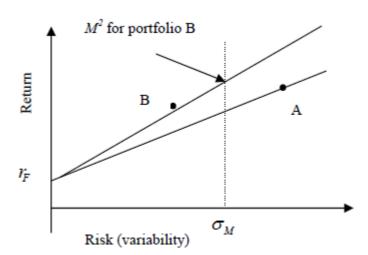


Figure 1.8. Two portfolios compared with the M² measure.

Levering for an investor means borrowing at the risk-free rate and making the portfolio larger, both in terms of risk and return and vice-versa. The bigger the measure, the higher the performance of the portfolio or fund evaluated.

1.3.3. TREYNOR RATIO

The Treynor ratio (also called reward-to-volatility ratio) was introduced by Jack Treynor.²² The equation of the Treynor ratio is as follows:

Treynor ratio =
$$\frac{(r_P - r_f)}{\beta_p}$$
 (1.43)

where r_P is the return of the portfolio or fund;

r_f is the risk-free asset return;

 β_p is the standard deviation of the portfolio.

The measure is similar to the Sharpe ratio with the only difference that instead of the standard deviation of returns of portfolio or fund it uses as a denominator the relative risk of portfolio. This relative risk is expressed through the beta coefficient of the portfolio. This ratio is based on the realization of the CAPM description of the market returns and incorporates all the assumptions made for this model.

The beta coefficient measures the systematic (market) risk and not the absolute risk of the portfolio. In that sense, it excludes unsystematic risk assuming that all investors manage well-diversified risk, which is not accounted in the ratio. In case of unsystematic risk existence the ratio is invalid (Figure 1.9).

Similarly to the Sharpe ratio, it is used to rank portfolios and compare them with the return of the market, but only portfolios with the same level of market risk. Alternatively stated, it measures the portfolio or fund's sensitivity to market (benchmark) return variation.

Positive and negative Treynor ratios have a two-way explanation and, specifically, the negative value can be explained as follows: either by a negative sensitivity of the portfolio to the market, meaning a great management, or by an underperformance of the portfolio towards the risk-free asset, meaning a bad management. Respectively, a positive value indicates either overperformance of the fund or a combination of fund underperformance with negative fund correlation with the market.

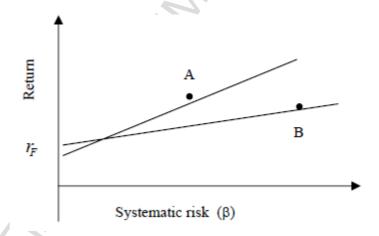


Figure 1.9. Treynor ratio graphic depict for two portfolios.

1.3.4. APPRAISAL RATIO AND INFORMATION RATIO

Appraisal ratio was introduced by Jack Treynor and Fischer Black in 1973.²³ Appraisal ratio is described by the following equation:

appraisal ratio =
$$\frac{\alpha}{\sigma_{\epsilon}}$$
 (1.44)

where α is the Jensen's alpha and σ_{ϵ} is the specific risk.

It compares Jensen's alpha that measures the excess return adjusted for systematic risk at the nominator, and the specific risk or standard deviation of residuals at the denominator. It is a ratio used to measure a fund's manager selection ability. The appraisal ratio measures the managers' performance, by comparing the return of their chosen assets to the specific risk of those selections. The higher the ratio, the better the asset chosen.

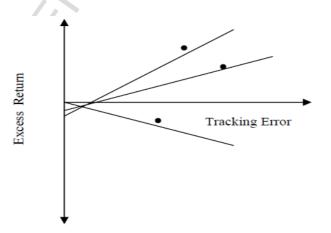
Another way to express the above is the information ratio developed by Grinold in 1989.²⁴ The equation is as follows:

Information ratio =
$$IR = \frac{E(R_P - R_B)}{\sigma(R_P - R_B)}$$
 (1.45)

where R_P is the return of the portfolio and R_B is the return of the benchmark.

The nominator of the fraction is the expected excess return of the portfolio from the benchmark and the denominator is the standard deviation of the excess return or else called 'tracking error'. The ratio is the similar to the Sharpe ratio, with the difference of use of excess return and the use of a benchmark instead of a risk-free asset.

Figure 10. Information ratios for three portfolios.



A negative IR is indications of fund's underperformance towards the benchmark (usually an index), while a positive one is an indicator of overperformance. The ratio also proposes the maximization of excess return and for the same period minimization of the undertaken risk. Finally, it can't be used to compare portfolios of different risk levels since it doesn't take into account systematic risk.

1.3.5. JENSEN'S ALPHA

Jensen's Alpha was introduced by Michael Jensen in 1968. It is historically the first benchmark-based measure to be used. It measures the excess return produced by management of a fund over the expected return due to better market timing and security selection. The Jensen's alpha is a relative risk-adjusted performance measure, that is used to compare portfolio with the benchmark portfolio. It is yet again another measure based on the CAPM and is given by the following equation:

$$\alpha_{\rm P} = [E(R_{\rm P}) - r_{\rm f}] + \beta_{\rm p}[E(R_{\rm M}) - r_{\rm f}]$$
 (1.46.)

where α_P is the Jensen's alpha;

 $E(R_P)$ is the portfolio's expected return;

r_f is the risk-free asset return;

 β_p is the sensitivity or beta coefficient of the portfolio towards the market or benchmark portfolio;

 $E(R_M)$ is the expected return of the benchmark.

The Jensen's alpha is produced by regression as described in equation (1.46). If alpha is positive, it indicates that the fund management or portfolio p overperforms the benchmark, while a negative alpha indicates a portfolio underperformace. The benchmark portfolio alpha is zero. This excess return produced can be attributed to market timing, the ability to predict the movement of the market portfolio and higher security selection ability.

The Jensen's alpha can be transformed into other alphas, like the Fama-French three factor model alpha and the Carhart's four factor model alpha, each time produced by regression. The difference in each case is the change of the market benchmark and the addition of factors characterizing it, in the place of the classic CAPM.

1.3.6. THE TREYNOR AND MAZUY MEASURE

A similar with Jensen's alpha performance measure is the Treynor and Mazuy measure. It was introduced by 1966 by Jack Treynor and Kay Mazuy. This measure is also a relative risk-adjusted performance measure as in the case of Jensen's alpha. It is given by regression of the following equation:

$$R_{P} - r_{f} = \alpha_{P} + \beta_{p}[(R_{M}) - r_{f}] + c_{p}[(R_{M}) - r_{f}]^{2}$$
(1.47)

where α_P is the Jensen's alpha;

(R_P) is the portfolio's return;

r_f is the risk-free asset return;

 β_p is the sensitivity or beta coefficient of the portfolio towards the market or benchmark portfolio;

(R_M) is the expected return of the benchmark and

c_p is the market timing coefficient.

Coefficient of market timing indicates if the fund management has market timing ability or not. If the coefficient is positive, the manager can predict the movement of the market, while if it is negative it shows that the management is acting without predicting.

1.3.7. ADJUSTED SHARPE RATIO

Adjusted Sharpe ratio was introduced by Pezier in 2006 and it incorporates the abnormal return distribution. Adjusted Sharpe Ratio (ASR) explicitly adjusts for skewness and kurtosis by incorporating a penalty factor for negative skewness and excess kurtosis. It is given by the following equations:

ASR = SR[1 +
$$\left(\frac{S}{6}\right)$$
 SR - $\frac{(K-3)}{24}$ SR²] (1.48)

$$S = \frac{1}{N} \sum_{i=1}^{N} \left[\frac{(R_i - E(R_i))}{\sigma_{Ri}} \right]^3$$
 (1.49)

$$K = \frac{1}{N} \sum_{i=1}^{N} \left[\frac{\left(R_i - E(R_i) \right)}{\sigma_{Ri}} \right]^4$$
 (1.50)

where ASR is the adjusted Sharpe ratio measure

SR is the Sharpe ratio given by equation (1.41),

S is the skewness of a distribution given by equation (1.49),

K is the kurtosis of a distribution given by the equation (1.50),

 R_i is the return of i,

 σ_{Ri} is the standard deviation of returns of i,

 $E(R_i)$ is the average return of i,

N is the number of observations of returns of the distribution.

The mean is known as the first moment of the return distribution, variance or standard deviation the second moment, skewness the third moment and kurtosis the fourth moment. Kurtosis provides additional information about the shape of a return distribution. It measures the weight of returns in the tails of the distribution relative to standard deviation and is more a measure of flatness of the distribution. The kurtosis of a normal distribution is 3. If kurtosis is greater than 3 it indicates a distribution with fat tails and if it is less than 3 it indicates a less peaked distribution with thin tails. Since the 4th power is used, both negative and positive extremes add positive contributions.

Skewness of a normal distribution is zero and indicates in which direction the distribution is skewed. If there are more returns extending to the right tail of a distribution, it is positively skewed and if they are more returns extending to the left, it is negatively skewed due the 3th power that is used.

Equity markets tend to have fat tails thus there is a higher probability of extreme events than the normal distribution suggests. Therefore, statistics calculated using normal assumptions underestimate risk. Investors should prefer high average returns, lower variance or standard deviation, positive skewness and lower kurtosis.

1.3.8. MARKET RISK-ADJUSTED PERFORMANCE MEASURE (MRAP)

In 2005 Scholz and Willkens²⁵ introduced the market risk-adjusted performance measure. It derives from the Treynor ratio by adding the risk-free asset return and is given by the following equation:

MRAP =
$$\frac{(E(R_i) - r_f)}{\beta_i} + r_f$$
 (1.51)

where E(R_i) is the expected portfolio i return,

r_f is the risk-free asset return and

 β_i the sensitivity of the portfolio i towards the market.

MRAP allows for a comparison of portfolio returns with those of the market, and it is easy to interpret. As it measures returns relative to market risk instead of total risk, it is suitable for investors that invest in many different assets.

1.3.9. UPSIDE-DOWNSIDE RISK ADJUSTED MEASURES

New financial products and funds such as derivatives and hedge funds, respectively, are designed to be asymmetric in their return distributions. Investors are less concerned with variability on the upside, but are more concerned about variability on the downside. This lead to an extended family of risk-adjusted measures reflecting the downside risk tolerances of investors.

Semi-standard deviation measures the variability of underperformance below a minimum target rate. The minimum target rate could be the risk free rate, the benchmark or any other fixed return required by the investor. All positive returns are included as zero in the calculation of semi-standard deviation or downside risk. Downside risk is expressed as:

downside risk =
$$\sigma_D = \sqrt{\sum_{i=1}^{T} \frac{(\min(R_i - R_T, 0))^2}{T}}$$
 (1.52)

Downside potential is the average sum of returns below the accepted one:

downside potential =
$$\sum_{i=1}^{T} \frac{(\min(R_i - R_T, 0))}{T}$$
 (1.53)

Similarly for the upside risk and potential we have the following expressions:

upside risk =
$$\sigma_{\text{U}} = \sqrt{\sum_{i=1}^{T} \frac{(\max(R_i - R_T, 0))^2}{T}}$$
 (1.54)

and

upside potential =
$$\sum_{i=1}^{T} \frac{(\max(R_i - R_T, 0))}{T}$$
 (1.55)

where R_i is the return of the fund or portfolio,

 R_T is the minimum accepted return and

T is the number of periods calculated.

From the combination of the above equations (1.52)-(1.55) we have the following measures:

1) **Omega** (Ω) ratio introduced by Shadwick and Keating²⁶ in 2002 given by the following equation:

$$\Omega = \frac{\text{upside potential}}{\text{downside potential}} = \frac{\sum_{i=1}^{T} \frac{(\max(R_i - R_T, 0))}{T}}{\sum_{i=1}^{T} \frac{(\min(R_i - R_T, 0))}{T}}$$
(1.56)

Omega ratio can be used as a ranking statistic, the higher the better, it equals 1 when R_T is the mean return, it implicitly adjusts for both skewness and kurtosis in the return distribution.

2) **Omega-Sharpe ratio** similar to omega ratio in ranking portfolios and funds:

omegaSharpe ratio =
$$(\Omega SR) = \Omega - 1$$
 (1.57)

3) **Bernardo-Ledoit**²⁷ **gain-loss ratio** which is the omega ratio for $R_T = 0$:

$$gain - loss ratio = \frac{\sum_{i=1}^{T} \frac{(max(R_i, 0))}{T}}{\sum_{i=1}^{T} \frac{(max(0 - R_i, 0))}{T}}$$
(1.58)

4) **Sortino ratio**²⁸ introduced in 1991 by Sortino, Van Der Meer and Platinga:

sortino ratio =
$$\frac{R_P - R_T}{\sigma_D}$$
 (1.59)

which is the Sharpe ratio by replacing the risk free asset return with the minimum accepted one and the standard deviation with the downside risk. It focuses on returns below the mean return of a portfolio or fund and it appeals to risk averse investors.

5) **Upside potential ratio**²⁹ again introduced by Sortino, Van Der Meer and Platinga in 1999. It is expressed as the ratio of upside potential to downside risk:

upside potential ratio =
$$\frac{\sum_{i=1}^{T} \frac{(\max(R_i - R_T, 0))}{T}}{\sqrt{\sum_{i=1}^{T} \frac{(\min(R_i - R_T, 0))^2}{T}}}$$
 (1.60)

It is used to rank funds or portfolios. The denominator is downside risk as calculated in the Sortino ratio. UPR uses the same reference rate for evaluating both profits and losses. Moreover, the UPR increases with its numerator, which measures the expected return above minimum acceptable return ,and decreases as its denominator increases helping investors to measure rise potential while protecting against losses.

6) **Prospect ratio** introduced by Watanabe³⁰ in 2006 is based on the prospect theory. Prospect theory is a theory proposed by Khaneman and Tversky³¹ in 1979, in response to the expected utility theory. Under prospect theory, a value is assigned to gains and losses rather than to final assets and probabilities are replaced by decision weights. The equation is as follows:

prospect ratio =
$$\frac{\frac{1}{N} \sum_{i=1}^{T} (\max(R_i, 0) + 2.25 \min(R_i, 0) - R_T)}{\sigma_D}$$
 (1.61)

1.3.10. VAR ADJUSTED PERFORMANCE MEASURES

The VaR (value-at-risk) stands for the maximum potential losses of a portfolio during a specific period under a specific confidence level of the return distribution. In simple words, the losses in all cases of extreme events at the confidence level percentage. VaR is a parameter used by investors to measure risk of their investment in plain amounts and it gives the limits of the return distribution. Nevertheless VaR can't really promise no extreme negative returns will appear. Based on VaR derived the following different performance measures for funds:

1) **Standard VaR risk measure or Sharpe ratio based on VaR**, introduced by Dowd³² in 2000 and is given by the following equation:

standard VaR measure =
$$\frac{(R_i - r_f)}{VaR_i}$$
 (1.62)

where R_i the expected return of fund i,

r_f the risk-free asset return and

 VaR_i the value-at-risk of fund *i*.

VaR does not provide any information about the shape of the tail or the expected size of loss beyond the confidence level. The measure deals with classic measure drawbacks like their inability to distinguish between upside and downside risks but it is applicable to compare funds at the same level of confidence.

2) **Reward to VaR** which is the standard VaR measure if VaR_i is divided by the portfolio or fund value and is described by the following equation:

$$reward - to - VaR = \frac{(R_i - r_f)}{\frac{VaR_i}{V_i}}$$
 (1.63)

$$VaR_{i} = -[E(R_{i}) + Z_{a}\sigma_{R_{i}}]$$
 (1.64)

where R_i the expected return of fund i,

r_f the risk-free asset return,

 VaR_i is the value-at-risk of fund i,

V_i is the initial value of the fund,

Z_a is the number attributed to the specific confidence level for the standard normal distribution and

 σ_{R_i} is the standard deviation of the return of fund *i*.

The denominator expresses potential losses as a percentage of the initial portfolio value and not as an amount of losses.

3) **Sharpe ratio based on the conditional VaR** introduced by Agarwal and Naik³³ in 2004. It derives from the conditional VaR which is otherwise known as expected shortfall, meaning expected loss, tail VaR or tail loss and takes into account the shape of the return distribution tail. Historical simulation (Monte Carlo) method is used for calculating conditional VaR. It describes the

magnitude of the losses in case of a negative extreme event while not using the confidence level below which disaster may happen. It is described as follows:

conditional Sharpe ratio =
$$\frac{(R_i - r_f)}{\text{conditionalVaR}_i}$$
 (1.65)

and

conditional VaR =
$$E(-R_i|R_i < -VaR_i)$$
 (1.66)

where R_i the expected return of fund i,

r_f the risk-free asset return,

VaR_i is the value-at-risk of fund i.

4) **Modified Sharpe ratio** introduced by Gregoriou and Gueyie³⁴ in 2003. It is described by the following equation:

modified Sharpe ratio =
$$\frac{(R_i - r_f)}{MVAR}$$
 (1.67)

and

$$MVaR = \left[-R_i + \sigma_{R_i} \left\{ Z_a + \frac{(Z_a^2 - 1)}{6} S + \frac{(Z_a^3 - 3Z_a)}{24} K - \frac{(2Z_a^3 - 5Z_a)}{36} S^2 \right\} \right]$$
 (1.68)

where R_i the expected return of fund i,

 σ_{R_i} the standard deviation of returns of fund i,

Z_a is a number depending on the confidence level,

S is the excess skewness given by equation (1.49) and

K is the excess kurtosis given by equation (1.50).

1.3.11. DRAWDOWN BASED MEASURES

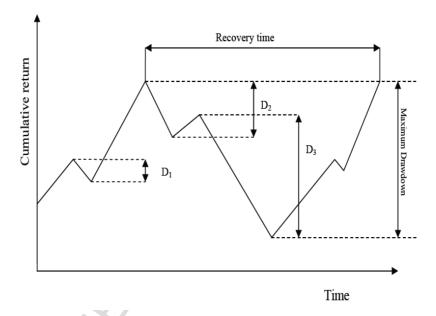
Drawdown is the potential losses for an investor during a specific period. As risk measures are used the maximum drawdown, an average of a certain number of drawdowns and a type of standard deviation of a number of the largest drawdowns. The maximum drawdown D_{Max} , must not to be confused with the largest individual drawdown, **is the maximum potential loss over a specific time period**, typically three years. Maximum drawdown represents the maximum loss an investor can suffer in the fund, buying at the highest point and selling at lowest. It is essential to compare

performance over the same time frame. The average drawdown is the average continuous negative return over an investment period.

$$D_{AVER} = average drawdown = \sum_{i=1}^{i=d} \frac{D_i}{d}$$
 (1.69)

where D_i is the drawdown over the overall period and d is the number of individual drawdowns during the overall period as shown in Figure 1.11.

Figure 1.11. Drawdown (maximum and individual) during a period



By using the drawdown as a measure of performance numerous ratios and indexes derived with the most important to be the following:

1) Calmar ratio (California Managed Accounts Reports) introduced by Young³⁵ in 1991 which incorporates the maximum drawdown and it is a Sharpe type ratio:

$$Calmar ratio = \frac{R_i - r_f}{D_{MAX}}$$
 (1.70)

where R_i the expected return of the fund,

r_f the risk-free asset return and

D_{MAX} the maximum drawdown for the given period.

2) **Sterling ratio** introduced by Kestner³⁶ in 1996 which incorporates the average drawdown, it is also a Sharpe type ratio and is given as follows:

Sterling ratio =
$$\frac{R_i - r_f}{D_{AVER}}$$
 (1.71)

3) **Burke ratio** introduced by Burke³⁷ in 1994, it uses the concept of the square root of the sum of squares of the main drawdowns or standard deviation of the drawdowns, it is again a Sharpe type ratio and it is shaped in the following equation:

Burke ratio =
$$\frac{R_i - r_f}{\sqrt{\sum_{i=1}^k D_k^2}}$$
 (1.72)

4) Finally there is an extended bibliography on numerous other drawdown based measures such as the **Ulcer index**, **Pain index**, **Pain ratio**, **Martin ratio** etch in an attempt to cover all possible investors needs for tailor-made performance measures and minimization of the risk emerging from new and traditional financial products.

1.4. MUTUAL FUNDS THEORY

A mutual fund is a diversified investment vehicle, managed by financial professionals or financial companies, responsible for the gathered funds of the individual investors. These funds are invested in many asset classes for a given purpose and under the capital market regulations. The mutual fund management issues shares and sell them to investors. The number of shares an investor holds amounts the percentage he owns in the mutual fund. Net asset value of a share of a mutual fund is the total value of the fund the end of the day divided with the number of shares circulating. Many times shares are hold from the mutual fund company as well as from big financial institutes.

1.4.1. MUTUAL FUNDS CHARACTERISTICS

Basic characteristics of mutual funds are:

- group of professionals or expertise companies are behind the management of the mutual funds, called the management;
- specific period, usually daily, within net asset value clearing happens;
- specific investment purpose and strategy;
- specific participation terms;
- specific fees and expenses;
- specific net asset value calculating method;
- specific law frame, usually approved by the capital market.

Benefits of investing in mutual funds are the following:

- > mutual funds are obliged to disclosure details periodically;
- > mutual funds provide usually a good diversification to investors by nature;
- > mutual funds are managed by professionals who incur the cost of capital and time of analyzing the market on behalf of the investors;
- > mutual funds provide to investors the service of investing in the same assets with lower costs (transaction costs);
- > mutual funds are obliged to buy the shares back offering immediate liquidity to investors;
- > mutual funds, especially in developed countries are regulated usually from the national capital market.

Disadvantages of investing in mutual funds:

- Fees
- Less control over investment
- Less predictable income

The origin of mutual funds is disputed by financial historians, with ancient Athenians of the classic era and Hollandese of the 18th century attributed the idea. Nonetheless, mutual funds are historically proven to pace with the financial sector. During the periods of crisis, like the one in 2008, the total amount investments in mutual funds decreases while in periods of economic growth the industry blooms.

Recent statistics from ICI (Investment Company Institute) show that worldwide there were at the end of 2012 around 73000 mutual funds. The total amount managed

from mutual funds worldwide was for the same period about \$26, 8 trillion, 50% of which were managed by US mutual funds. In Greece, currently the mutual funds industry numbers 177 running mutual funds with the total amount managed reaching about 6 billion Euros.

1.4.2. MUTUAL FUNDS DISCIPLINATION

There are four main disciplines based on the structure of the mutual fund:

- ✓ Open-end funds: funds that issue and redeem shares at the net asset value after the daily clearing. The above transaction is done independently on the mutual fund management. It is the majority of the mutual funds industry. There is a management company and the investors are numerous. The investors cash out by selling their shares to the management company at the net asset value.
- ✓ Closed-end funds: they issue a specific number of shares at the creation. Investors that need to cash out have to sell their shares to another investor but not to the fund manager. The trading price is at premium or at discount due to demand and supply equilibrium. The investors are usually big players like financial institutes and hedge funds.
- ✓ Unit investment trusts (UIT): these funds issue shares at the creation. Investors can cash out their shares in the market but also to the fund management. They have limited lifespan and no rebalancing in the fund during this life. Combination of open-type and closed-type funds.
- ✓ ETFs (exchange traded funds): these funds are traded on the stock exchanges and their price depends on demand supply equilibrium. They also issue and redeem their shares. They are mainly 'tailor-made' and can invest on other mutual funds. The management buys and issues large blocks of shares to keep the value close to the net asset value.

Another criterion on which mutual funds can be categorized, is their prior creation manifested strategy and investment objectives. The investment policy determines the way the management will deal with the three main problematics.

- ❖ Security selection, the security choices during the overall investment period;
- ❖ Asset allocation, the proportion of portfolio invested on every asset;
- ❖ Market timing, rebalancing of the portfolio due to predictions.

The investment policy is specified as mentioned in the fund's prospectus. The categorization due to different policies is a bit complicated since new products emerge in the financial markets. Four basic categories are:

- ✓ Money market funds
- ✓ Bond funds
- ✓ Equity funds
- ✓ Specialty funds

1.4.2.1. MONEY MARKET FUNDS

Money market funds invest primarily in money market products like foreign currency deposits, term deposits, certificates of deposits, commercial papers, repos and secondly in short-term government bonds. The investment is short-term offering few risk and steady capital gains. The portfolios of these funds are well diversified and invest in many different assets with high creditability. Pension funds and risk averse investors are the main clients, because they usually offer a better investment opportunity than commercial banks rates. The costs of participating in money market mutual funds are relatively low making them very attractive to individual investors.

Moreover, money market funds can be subcategorized in two further ways: the first one been taxable funds versus tax-free ones and the second one been domestic, international and global funds. Taxable funds are the majority of funds which investors are taxed for their capital gains and tax-free are the funds that invest their portfolio's majority on tax-evading assets. Domestic are the funds that invest only on domestic securities, global are the funds that invest both on domestic and foreign securities and international are the funds that invest only on foreign securities, depending on the issuer's country of domain.

According to ICI, the money market mutual funds hold about the 20% of global mutual fund industry.

1.4.2.2. BOND FUNDS

The bond funds capture about 26% of the mutual fund industry. These funds invest mainly on government bonds and other debt securities. The maturity of the invested bonds varies from short-term, medium-term and long-term periods. They offer better returns than the money market funds, but with a higher risk. The risk emerges from the endogenous bond risks like interest rate fluctuations, bond par value changes, reinvestment risk, credit risk and sovereign risk. They offer payments in the shape of dividends generated by the bonds coupon payments and capital appreciation through bond rate compounding. They can be classified according to the type of bonds they invest on:

- Government bond funds, the ones that invest mainly on government bonds and they bear the least risk of all.
- Municipality or state bond funds, the ones that invest on bonds issued by state organizations, especially municipalities. Higher risk and return than government bond funds.
- Corporate bond funds, the ones that invest on bonds issued by large corporations, domestic or international. Higher risk and return relative to the corporate credit rating.
- High-yield bond funds, the ones that invest mainly on junk-bonds, government and corporate bonds with lower creditability. They offer more risk and more return respectively.

The bond funds can be further separated in domestic, international and global ones, as happens for the money market bonds.

1.4.2.3. EQUITY FUNDS

As their name indicates equity mutual funds invest mainly in domestic equities, global and international ones. The managers of these funds have to deal with the high volatility of the stock returns, so they offer biggest returns to the investors. This class of mutual funds is the most volatile. The minimization of the portfolios

managed is crucial for most of them, so managers of the funds need to be active to keep the investors. Market timing and security selection are important indicators of funds performance in order to make these funds attractive. They capture the majority of the mutual fund industry. They can be split in the four following disciplines:

- Aggressive growth funds, seeking for capital growth maximization. These mutual funds usually invest in emerging companies, or recovery financial periods. They use some speculation techniques, such as leverage and shortselling and fully apply market timing and security selection. The expected returns are much higher than normal ones so are the risks.
- ➤ **Growth funds** are similar to the aggressive growth ones, with the difference that they invest to well-rated companies or financial sectors.
- Equity income funds are funds that invest in stocks, with high level of earnings and ones that usually pay dividends.
- ➤ Growth and income funds or blend funds are funds that combine steady capital growth and dividends paying stocks.

Finally, the segregation can be made by the size of the firms that the funds invest on. So there are the micro-cap equity funds (micro-capitalization, below \$300 mil) small-cap funds (small capitalization, below \$2 billion), the mid-cap funds (middle capitalization, below \$10 billion) and the large-cap equity funds (large capitalization, above \$10 billion).

1.4.2.4. SPECIALTY MUTUAL FUNDS

Specialty mutual funds are funds that focus on particular strategies and cannot therefore be disciplined in the previously mentioned three large categories. Specialty funds invest in particular sectors or regions and are categorized in:

- Index funds
- Funds of funds or hybrid funds
- Utilities funds
- Technology funds

Index mutual funds are funds that truck an equity index or a bond index by applying the rules of the index. The strategy is passive and rebalancing is required only when there is a deviation from the index structure, usually a 2%, called the trucking error. They charge for these passive strategy relatively very low fees.

Funds of funds are the ones that invest on a basket of other mutual funds affiliated (managed from the same investment company) or not. Hybrid funds invest in both bonds and stocks. Asset allocation funds, balanced funds, target date or target risk funds and lifecycle or lifestyle funds are all types of hybrid funds. They offer high diversification but at the same time they have high management fees. In reality the returns of funds of funds are not beating the market.

Utilities funds are the one that invest in gas, water and energy companies and in companies supplying the later. Utilities funds pay high dividends and are of low risk. Technology funds are funds investing on the technology sector which appears to be a lot volatile and unpredictable. Main sectors of investing are computer technology, biogenetics, and biotechnology.

1.4.2.5. ETF (EXCHANGE TRADED FUNDS)

Special reference must be done for ETFs, the most rapidly growing investment vehicle in mutual fund industry. ETFs are funds-securities that are traded in an exchange as common stocks. They usually truck indexes, commodities, basket of assets, inflation fluctuations, sectors, and others. The difference between ETFs and index funds is that the first are traded like an autonomous security. Moreover, financial derivatives can be written on ETFs making them very appealing to investors who don't have to own the asset or participate in the fund. They additionally offer better tax efficiency than mutual funds and sometimes lower transaction costs.

ETF industry is rapidly growing due to its adjustability to many markets. There are all kinds of ETFs like inverse, hybrid, leveraged, active strategy ones etc. Gathering all the advantages of ETFs:

- Lower transaction costs
- Low management costs
- Taxation benefits

- o Flexibility
- Liquidity
- Transparency
- o Can be tailor-made, underlying assets for derivatives, allow shortselling etc.

1.4.3. MUTUAL FUNDS FEES

Mutual fund expenses are categorized as follows:

- Distribution charges
- Management fees
- > Securities transaction fees
- > Shareholder transaction fees
- > Other fund fees

Distribution fees are charged for distribution of the fund's shares as well as for services to investors. They are separated in:

- Front-end load fee or sales charge fee;
- Back-end load fee;
- 12b-1 fees;
- No-load funds fee.

A **front-end load fee** is a fee paid to a broker by a mutual fund when shares are purchased. It is calculated as a percentage of the total amount invested which equals the net asset value plus the front-end load per share. The front-end load declines when the amount invested increases. The front-end load is paid by the shareholder and it is deducted from the amount invested.

A **back-end load fee** is a fee which is paid by the investor when shares are redeemed. Like in the front-end load case, the back-end load is paid by the shareholder and it is deducted from the redemption proceeds.

There is an annual fee paid to the distributor of fund to compensate for providing ongoing services to fund shareholders. This fee is called a **12b-1 fee**. The 12b-1 fee is paid by the fund and reduces net asset value.

A **no-load** fund doesn't charge neither a front-end load nor a back-end load to the shareholders and doesn't charge a high 12b-1 fee.

The **management fee** is paid directly to the fund manager who manages the fund portfolio and provides investment advisory services. The fund manager may also provide other administrative services. The management fee often has breakpoints, thus it declines as assets increase. The management fee is paid by the fund and is included in the expense ratio. The fund's board of directors reviews the management fee annually. Fund shareholders must vote on any proposed increase in the management. The fund manager may agree to remove a portion of the management fee in order to lower the fund's expense ratio.

A mutual fund pays expenses related to buying or selling the securities in its portfolio, the **securities transaction fees**. These fees include brokerage commissions. Securities transaction fees increase the cost of investments purchased and reduce the proceeds from their sale. The amount of securities transaction fees paid by a fund is normally positively correlated with its trading volume.

Shareholders may be required to pay fees for certain transactions, shareholders transaction fees. Some funds charge redemption fees when an investor sells fund shares shortly after buying them. Redemption fees are calculated as a percentage of the sale amount. Shareholder transaction fees are not part of the expense ratio.

A mutual fund pays **other fees** for services including:

- Board of directors expenses.
- Custody fee, paid to a custodian bank for holding the fund's portfolio.
- Fund administration fee, for overseeing all administrative affairs of the fund such as preparing financial statements, monitoring compliance with investment restrictions, computing total returns and other fund performance information, preparing tax returns.
- Fund accounting fee, for performing investment accounting services and computing the net asset value.
- Legal and auditing fees.
- Registration fees.
- Catalogue expenses: printing and mailing required prospectuses to shareholders prospectuses.

• Transfer agent service fees, for keeping shareholder records.

Mutual funds are disciplined in classes according to the fees their shares bear, named share classes:

- Class A shares charge a front-end load together with a small 12b-1 fee.
- Class B shares don't charge a front-end sales load. Class B shares usually convert automatically to Class A shares after a certain period.
- Class C shares usually have a high 12b-1 fee. Class C shares do not convert to another class.
- Class I funds are known as "institutional" shares. They are no-load shares.
- Class R are shares usually for use in retirement plans. They do not charge loads, but do charge a small 12b-1 fee.

No-load funds often have two classes of shares:

- Class I shares do not charge a 12b-1 fee.
- Class N shares charge a 12b-1 fee of no more than 0.25% of fund assets.

Here, it has to be mentioned that expenses and fees is a subject of examination and controversy, especially amongst scientists since many studies have indicated that after fee deduction the realized fund return doesn't overperform the market index.

Literature Review

2. LITERATURE REVIEW

2.1. MUTUAL FUND PERFORMANCE

Mutual fund performance¹⁹

William F. Sharpe

In his article published in 1966, January, William Sharpe brought a breakthrough in the measuring of return relatively to risk. The reward-to-variability ratio was the name given by the author himself. The purpose of his study was to use the newly introduced Treynor ratio in examining mutual funds and to propose alternative models of measuring performance. All of these on the basis of capital theory.

Sharpe analyzed the characteristics of a successful investment, which are the choice of the efficient portfolio among possible ones, the selection of undervalued stocks or assets and the investor's selection of personal utility level. In the case of mutual funds, since the manager of the funds could not have knowledge of the individual investor's preferences, they could just attract investors on a specific investing strategy, the mutual fund strategy for a specific level of risk.

Yet, predicting the exact move of stocks was and is impossible, so the manager of the fund has shifted his tries towards examining the correlations between stocks, so as to form diversified portfolios and choose the one for the desired level risk. He went on presenting briefly the capital market model and the ratio of excess return towards the standard deviation of the returns. The study of the model can be done only on historical data and predictions can't be obtained.

To examine this case he obtained data for 34 open-end mutual funds, annual rates of returns, during the period from 1954 to 1963. For the sample of the 34 mutual funds he observed that for higher return the funds exhibited also larger risk, validating the capital market theory, since the relationship was linear. Exceptions of the rule existed, so he proposed the use of his measure in order to have another perspective on the relationship of return and risk.

The numerator of the new measure showed the difference between a mutual fund's annual return and the rate of risk-free asset, usually a US treasury bill. The denominator showed the standard deviation of the returns of the mutual fund describing the total risk of it. By ranking the funds according to the performance ratio the results of effective funds were different. To compare the results the 34 mutual funds performance was calculated also for the decade 1944-1953, using again the Sharpe ratio.

The comparison gave out an increasing trend scatter, sign that low and high ranked funds in the first decade tend to be ranked low and high respectively in the second decade under examination.

Additionally, he presented the Treynor index, the ratio of excess return of the mutual fund towards the specific fund risk or volatility of the mutual fund. He ranked the 34 for the second decade according to the Treynor index and compared them with his measure produced rankings. He concluded that the Treynor index was an inferior past performance measure, but a superior predicting performance one.

By calculating the rankings for the two decades and plotting them on the basis of Treynor index a thiner trend was produced, with the point scatter to be much thinner and the statistical significance higher than the first one.

Further investigating the properties of mutual funds he plotted the rankings of the mutual funds for the two different decades when rankings are derived from the expense ratios and size. Good performance was correlated with low expense ratios and in the case of examined size the results were insignificant. Ranking the funds again only by risk the output was that the fund managers tend to keep funds in the desired risk level.

Finally, a histogram of reward-to-variability ratios versus number of funds was generated, plotting also the ratio for the benchmark which was the Dow Jones portfolio, during the second decade. The average ratio for the funds was lower than the index or market ratio indicating that only 11 out of the 34 mutual funds outperformed the index. If gross performance is compared with the index 19 out of the 34 mutual funds did better than the market in terms of return and risk.

The results were focused only on 34 mutual funds which is a very small sample, but studies after the appearance of this ratio, the Sharpe ratio, ranked the ratio itself among the classic one and specifically the most used one, even today for ranking abnormally performing financial instruments, like hedge funds.

2.2. CAN MUTUAL FUNDS OUTGUESS THE MARKET?

Can mutual funds outguess the market?³⁸

Jack Treynor and Kay Mazuy

In their renowned paper published in august 1966, Treynor and Mazuy tried to answer the question: whether the predicting ability of mutual funds is something real and if it can be actually measured?

Treynor and Mazuy discussed the fund manager-investor relationship, since investors frequently expected then, and still expect nowadays, managers to be able to predict market tendencies, plus the dilemma of whether or not managers should try to market time.

Stocks since then were known to move with the market they participated in, but with different volatility, different sensitivity to the market fluctuations. That is, if they thought that the market would move downwards they make their portfolios more defensive so as the portfolio to decrease in return terms less than the market. In case of predicting an upward movement of the market, they increase the volatility to make the portfolio more aggressive and, thus, realizing more profits than the market. To test the prediction ability of the funds or their managers specifically, Mazuy and Treynor examined the volatility of the funds in ''good'' and ''bad'' market years.

Data for the above mentioned study were collected from Investment Companies 1963, by Arthur Wiesenberg Company. The formula employed by Wiesenberg company for the open-end funds was the following: annual rate of return of the fund equaled the end of the year asset value per share plus dividend distributions throughout the year per share, all divided by the initial asset value per share of the fund. The rate of return produced this way did not take into account the timing abilities during the dividend distribution periods and the effect of taxes in returns.

Moving on, they plotted the annual fund rate of return versus the annual market rate of return like S&P 500 or Dow Jones index as market. The line that fitted the different produced points was named characteristic line of the fund and had the following properties: a) the sensitivity of the fund is described by the slope of the characteristic line. The characteristic line is a straight line, if the slope is constant in

good and bad years; b) the degree of scatter around the characteristic line is the measure of diversification of a fund. Specifically, the less scatter the more diversified the fund is.

As far as the manager's prediction abilities are concerned, when a manager outguesses the market, the slope of the fund is steeper than the slope of the market in the upward movement. The opposite happens when the market moves downwards, realizing fewer losses for the fund relatively to the losses of the market. However, since no perfect predicting abilities were assumed by the two authors, the behavior of a fund manager doing well most of the times should be depicted as a curved line. That is because the fund managers in the occasion of predicting a positive market move, he will try to change the fund's volatility to the maximum available at that time and viceversa. The result is an upwards concaved line in the fund-market rate of returns diagram.

The most important and influential argument the above process lead them to was the fitting of this line. The scatter can be fitted by the least square method but this time a third quadratic factor needed to be added, formulating the Treynor-Mazuy return generating model. The change of volatility in each fund can be done in two ways, either by changing the leverage level of the fund or equity to debt ratio of the fund, or by changing the volatility of the equity part of the fund. This strategy appeals more to the category of the balanced funds that anyway have to frequently change their portfolios and less to the growth equity funds that are high return oriented ones. For this reason they divided the 57 funds under examination in equal parts of growth and balanced funds.

The size of the 57 funds was selected by all size categories varying from 20mil\$ to more than 7500mil\$. Finally, the period under examination was from 1953 to 1962. The choice of the time frame was based explicitly, because during that period were many upwards and downwards in the market movements. The length was not larger to avoid future changes of managers' strategies or market fundamentals. The data collected as earlier mentioned were annual so as to exclude the effect of more frequent volatility or portfolios changes that may have taken place during the examined years.

The study lead the authors to manifest that there was no evidence of curvature in characteristic lines for any of the funds, only one fund out of 57 reacted in a curved return diagram. From this, they conclude that none of the managers outguess the

market and that these managers should not be held responsible for failing to foresee changes in market direction. Nonetheless they estimated that these results do not indicate that high returns cannot be achieved, but these returns have to be attributed to better selection abilities, such as choosing underperformers.

2.3. THE PERFORMANCE OF MUTUAL FUNDS IN THE PERIOD 1945-1964

The performance of Mutual Funds in the period 1945-1964³⁹

Michael C. Jensen

In the paper published in 1967, Jensen presented for the first time the famous measure named after him, Jensen's alpha, a performance measure which had the purpose to demonstrate the contribution of a manager's forecasting ability in mutual fund returns. In a first discussion, the author suggested that the two main problems a portfolio manager is facing is the diversification of the portfolio's risk and the effort of the manager to increase the fund return.

He used the theory of pricing assets model (CAPM) derived independently by Sharpe (1964)⁴, Lintner (1965)⁵ and Treynor⁶. The requirements for the model to be valid are: 1) all investors are risk averse; 2) all investors have identical decision horizons and subjective expectations for investments; 3) all investors choose portfolios on the basis of expected return and given risk; 4) there are no transaction costs and 5) assets can be as small as the investors want in order to buy them.

The equation expressing the model is:

$$E(\overline{R}_{j}) = R_{F} + \beta_{j}[E(\overline{R}_{M}) - R_{F}]$$
(2.1.)

where R_F is the one period risk-free rate, β_j the measure of risk calculated with the benchmark, also called systematic risk, and $E(\overline{R_M})$ the expected return of the market portfolio which is an asset-value-weighted portfolio.

Based on this equation, Jensen proposed a more generalized one:

$$E(\overline{R}_{it}) = R_{Ft} + \beta_{it}[E(\overline{R}_{Mt}) - R_{Ft}]$$
 (2.2.)

Combining the above time equation with the Fama market model¹⁷:

$$\overline{R}_{it} = E(\overline{R}_{it}) + \beta_i \overline{\pi} i + \overline{e}_{it}, \quad j = 1, 2, ..., N$$
 (2.3.)

he ended up with the measure of performance Jensen's alpha which is given by the following equation:

$$\overline{R}_{it} - R_{Ft} = a_i + \beta_i [\overline{R}_{Mt} - R_{Ft}] + \overline{u}_{it}, \qquad (2.4.)$$

that allows the existence of a non-zero constant, a. The a_j constant will be positive if the fund manager has the ability to predict security prices since it represents the average rate of return per unit time which is dependent only to the abilities of the fund manager. On the contrary, if the manager is underperforming comparing with a random asset selection and hold policy, the Jensen's alpha should be negative. For the above equations to be valid, the author assumed that the risk level of the portfolio was stationary through time. This is not totally accurate since a fund manager can change the risk level of a portfolio by acquiring more or less risky assets or by changing the distribution of assets amongst bonds, equities and other assets.

An additional forecasting uncertainty emerged from the fact that is not known if a manager has the ability to forecast individual asset pricing changes or the average asset behavioral changes, in simple words, if he can predict the stock or the market movements (market factor π). To deal with the case above mentioned, Jensen added another equation for the risk:

$$\bar{\beta}_{j} = \beta_{j} + \bar{\epsilon}_{jt,} \qquad (2.5.)$$

where β_j is a target risk level a manager wants to keep through time and $\bar{\epsilon}_{jt}$, is a normally distributed random variable. The latter variable is the mean for the manager to realize profit from subjective expectations on the market behavior without changing the target level of risk. By combining the last two equations, he presented a more general model expressed by the following equation:

$$\overline{R}_{jt} - R_{Ft} = a_j + (\beta_j + \overline{\epsilon}_{jt})[\overline{R}_{Mt} - R_{Ft}] + \overline{u}_{jt}, \qquad (2.6.)$$

The two cases were that if the manager would have predicting abilities, a parameter, would be positive and if not it would be zero. The negative scenario (a<0) was conflicting with the rationality of the manager and was excluded. It can be shown that if

$$E(\widehat{\beta}_{l}) = \beta_{j} - a_{j}E(R_{M})$$
 (2.7.)

the risk estimator is decreased by a parameter $a_j E(R_M)$, so the risk estimation can be negative if the manager has the ability to predict market prices (a>0). The performance measure a_j will be positive for two reasons: a) the manager has the prediction abilities and b) a positive bias of estimated performance measure resulting from negative bias in risk estimation.

The sample under examination consisted of 115 open end mutual funds, where the annual data were taken from Wiesenberger's Investment Companies database for the period 1955-1964. For the period 1945-1954, data were obtained only for the 56 out of the 115 original funds. The estimates of a were in the range of -0.0805 to +0.0582. To obtain further information on managers predicting abilities, the regressions were run twice, before and after deduction of fund expenses. The net of expenses estimated a was -0.011, translated in a underperforming of a 1.1% annually, given the systematic risk. Moreover 76 funds were found to have a<0 and only 39 a>0, indicating a swift from distributional normality. The average estimated a, from gross return data, was within the range of -0.004 to -0.4% annually, with 67 funds showing a<0 and 48 having negative estimated alphas. It appeared that during the overall 20 year period really did not exceed by their returns not ever their fees.

In terms of statistical significance, only the positive alpha estimations were examined, at the 5% confidence level and the results showed that there was little evidence that funds had significant predictable abilities. M. Jensen based on the above evidence, concluded that these 115 mutual funds for the overall period did not show on average any predicting abilities as far as market prices were concerned, but also no individual fund could be statistically proved to beat the market. Measures were repeated before and after fee and expenses deduction, indicating the same results. Finally, he reported that a major contribution of mutual funds is the minimization of the risk and the diversification of the portfolios.

2.4. DO LOCALS PERFORM BETTER THAN FOREIGNERS? AN ANALYSIS OF UK AND US MUTUAL FUND MANAGERS

Do locals perform better than foreigners? An analysis of UK and US mutual fund managers 40

Ravi K Shukla and Gregory B van Inwegen

In their work, Shukla and van Inwegen published in 1995, tried to give an answer to the question: "can local fund managers perform better than foreigners?". As database they selected 108 US mutual funds and 18 UK mutual funds that met the following three criteria:

- a) the selected mutual funds had continual monthly returns from June 1981 to May 1993;
- b) managers of the mutual funds had invested more than 85% of their assets in the US:
- c) they were classifying themselves as "growth" funds.

The above mentioned data were extracted as far as US mutual funds were concerned from Morningstar, whilst the UK ones were obtained from Micropal. Additional data were obtained from the 1989 and the 1993 Unit Trust Year Book.

In this work, they referred to the commonly known factors that could explain the superiority of local fund managers such as transaction costs, information costs, lack of knowledge about foreign markets, legal and institutional constraints and currency risks, with particular interest on information and relationship asymmetries. They showed with solid examples that UK fund managers had several disadvantages relatively to US managers, onto accessing local information, creating strong relationships with investment brokers and institutions, accessing IPOs and onto trading because of time difference and execution process.

They concluded that fund size was a factor to be taken into account since US funds that period in their database were averagely tenfold bigger than the UK ones. The only potential advantage UK managers could have relied on was the ability to trade US securities in London, before the NYSE had opened.

For the experimental methodology, they chose to use pre-taxed returns denominated in US dollars and gross of fund expenses. They used as a performance

benchmark the S&P 500 index to evaluate both US and UK funds. To incorporate the changes in the economy during the 12 years of the sample, the authors separated the period into two subperiods, from June 1981 to May 1987 and from June 1987 to May 1993, in order to obtain more concrete results. In the first series of results, they demonstrated that, in both subperiods and over the full sample period, US funds have lower risk and higher returns than UK funds investing in USA, giving them the comparative advantage. Moreover, over the full period, the S&P 500 index has higher return and lower risk than both sets of funds, with about 39% of US funds and 5.5% of UK funds showing higher return than the benchmark. The S&P 500 appeared to be less risky than UK and US funds, since only 26% of US funds and none of UK funds had lower standard deviation than the benchmark index.

Further on, they used three classical measures of performance: the Sharpe index, the Treynor index and the Jensen's alpha. Again, for the full sample period, average Sharpe index (SI) and Treynor index (TI) are higher for US relatively to UK funds, both being lower than the S&P 500 average SI and TI. Specifically, none of the UK and about 27% of the US funds have greater SI than S&P 500 and 5.5% of UK and 43% of US funds have greater TI relatively to S&P 500. They also indicated that the differences between UK and US average SI and TI, respectively, are statistically significant. These results were confirmed for both subperiods, with the exception of many UK funds overperforming S&P 500 in the second subperiod, fact showing that foreigners could gradually learn the game.

Furthermore, they moved on presenting results with the Jensen's alpha and found that only 5.5% of UK and 43% of US funds had positive alphas, but only 4.63% of US have positive and significant alphas, whilst only 5.56% of both UK and US funds have negative and significant alphas. In this case, by examining the subperiods, they received the same results, with fewer UK funds underperforming the second subperiod.

To examine the timing ability of the two sets of managers-funds, they used Treynor and Mazuy quadratic regression and they concluded that UK managers exhibit significantly worse timing ability than the US managers, factor that contributes to their poor performance.

Finally, they studied the impact of fund size to its performance, since US funds were ten times larger in average than the UK ones and they could benefit from economies of scale, reduce their costs and have better access to information resources.

To examine the impact of fund size, they regressed Jensen alphas for US and UK funds on a US/UK country dummy and fund asset size as from 31 December, 1992. In the first subperiod, the coefficient of size variable was positive and significant and the country dummy coefficient as well, showing that UK fund size did play a significant role in performance. In the second subperiod, the size coefficient remained significant, but not the country dummy one. For the full sample, both coefficients were found statistically significant. From all the above, they concluded that UK managers underperform in comparison to US, after taking into account the size of the fund but during the second subperiod, they gained experience and they improved their performance.

Concluding the authors stated that indeed, locals perform better than foreigners, under this particular case, as a result of information/relationship disadvantage of the UK managers, but acknowledged that further studies had to be conducted, examining the reverse relationship (UK based funds) and even including other major countries.

2.5. RISK-ADJUSTED PERFORMANCE

Risk-adjusted performance²¹
Franco Modigliani and Leah Modigliani

In their article in 1997, Franco Modigliani and grandchild of his Leah Modigliani presented a new performance measure, the RAP or risk-adjusted performance measure. The concept of this measure derived from the corporation financial universe, where a firm can change the level of leverage or debt to equity to become less or more aggressive. The basic idea they claimed behind the measure was the matching of a portfolio's risk with that of the market's portfolio risk and then measuring the return of the portfolio of the investor or the fund. That is the risk-adjusted term of the measure. The comparison between the portfolio and the market is given as a percentage.

For the process of risk-adjusting portfolios, he used the notation earlier mentioned, the levering and unlevering of the portfolio. The unlevering is done by lending (usually the governments) at the risk free rate the amount gained from selling a portion of the portfolio or fund and the levering is being achieved by borrowing money to increase the portfolio investment. Unlevering reduces the risk level of the overall portfolio and decreases the expected return, if the portfolio is well performing. Levering increases the level of risk, but ideally increases in the same manner the expected return of the portfolio.

Risk-adjusting a portfolio to the level of risk of the market portfolio gave the formula for the RAP measure which is equal to the excess return of the portfolio over the risk free rate, multiplied by the ratio of market volatility to portfolio volatility, plus the risk free rate of return. Alternatively, RAPA is RAP minus the risk free asset rate.

$$RAP_{mfi} = \frac{\sigma_{M}}{\sigma_{mfi}} (R_{mfi} - R_{f}) + R_{f}$$
 (2.8.)

According to the authors RAP can be used firstly as a tool for choosing the optimal portfolio, by selecting for a specific level of risk the highest value of the RAP measure. After the portfolio selection, the fund can be transformed by changing the levering and unlevering levels.

Comparing the RAP measure with the Sharpe ratio it is obvious that the relationship between the two measures is perfect and the rankings generated by both of them are identical. The difference is that the RAP measure is an absolute measure given on basis points or percentages and can be interpreted by a wide range of people, not only experts. By comparing the RAP with the Treynor ratio, the authors saw the defects of incorporating only the relative risk of the portfolio towards the market, beta coefficient, and not the total risk.

In the application part of their study, the authors calculated the RAP measure values for 7 selected mutual funds versus the market index, S&P 500 on a quarterly risk-adjusted return, to exhibit the difference between total and risk-adjusted return. The evaluation showed that very famous funds had lower return on the risk-adjusted level. One of the seven funds, while having the lower return, it had the highest risk-adjusted return and with the appropriate handling it could have given the highest return for any risk class.

Finally, the authors presented five qualifications of the measure: a) The measure uses historical data; b) it is an alternative measure of adjusted-risk performance of funds; c) it can be calculated with arithmetic returns which are simpler than the geometric returns; d) by using the RAP ranking new combinations of portfolios can be created with enhanced characteristics of return and risk and e) RAP can be used parallel with the Information ratio for most robust results.

The RAP measure was a combination of the high influential Sharpe ratio and the modern financial theory that incorporates changing the leverage level of an investment in order to create new optimal portfolios and not only to rank existed ones. It was one of the tools that helped fund managers reallocate investment opportunities and escape from the classic measures.

2.6. THE PERFORMANCE OF JAPANESE MUTUAL FUNDS

The Performance of Japanese Mutual Funds⁴¹ *Jun Cai. K. C. Chan and Takeshi Yamada*

In the article published in 1997 by Yamada et al., the group analyzed the performance of Japanese mutual funds for the period 1981 to 1992. Their sample covered the open-type stock mutual funds managed by nine investment management companies and it was the first comprehensive study of Japanese mutual funds. They employed the Jensen's measure (alpha), as well as, the positive period weighting measure developed by Grinblatt and Titman.

Moreover, they incorporated conditional information directly into the performance measures to take into account the biases of the managers handling those mutual funds. They used two different reference benchmarks to compare the results, the first one having been a value-weighted single index benchmark that was covering Japanese stock market (Tokyo Stock Exchange, TSE) government bonds, corporate bonds and convertible bonds. The second consisted of three factors: a) the value-weighted model factor; b) the size effect related mimicking factor; and c) the book-to-

market related factor, adding that the multifactor benchmark was more appropriate than the single index one.

At that period in Japan, there were nine management companies, sixteen of them domestic, five of them foreign affiliated and finally, five bank affiliated investment companies. In their work, the authors explained in details the function of the Japanese mutual fund industry that consisted of: management companies, brokerage houses and investors, domestic or foreign. They demonstrated that the method they employed to deduct the fees of the mutual funds in order to determine the NAV of them. The fees had two parts; the first was a management fee paid to the management company and the second was the security transfer tax plus the brokerage commission paid totally to the brokerage company. In general they estimated that the total transaction cost ranged between 1.27% and 1.87%.

The study data were obtained from Kinyuu Deta Sisutemu (Financial Data Systems Incorporated) in Tokyo for the period of January 1978 to April 1994, dataset consisting of 1151 mutual funds managed by 26 companies. The final outcome was the continuous compounded monthly returns of the mutual funds with dividend payments. To observe better results they chose 800 mutual funds with more than 97 observations in that period plus 64 managed by the nine big investment companies. They split the 864 mutual funds dataset in four portfolios, containing all mutual funds, and in four portfolios containing the well-diversified ones. They found 190 well diversified funds in the 800 and 13 in the basket of 64.

In a primary analysis, the well diversified funds showed up to be less profitable and more risky than the entity of all mutual funds, in terms of performance, with a particular poor performance for the period January 1990 to December 1992. Management companies, with the exception of three, underperformed any comparing benchmark, making the Japanese mutual funds less attractive for the whole under examination period.

The authors employed the positive period weighting measure (PPW), developed by Grinblatt and Titman, to fix the problem of a manager having timing information and the conditional Jensen measure to incorporate dynamic economic conditions in the mutual funds performance evaluation. They concluded that open type Japanese mutual funds underperformed the market index, the portfolio alphas were negative and statistically significant and the well diversified portfolios performed even worst. Furthermore, well diversified funds had betas higher than

unity, while the mutual funds industry had a beta close to that of the market. The results also showed that both aggregate and individual mutual funds managers responded well to dividend yield information, but not very well to interest rate information.

In this work, the authors, investigated managers' strategies by constructing portfolios ranked by size and book-to-market (25 portfolios), by earnings price ratio (6 portfolios) and book market to market equity ratio (5 portfolios). They regressed these 36 portfolios with the market portfolio. To investigate further they used a three factor model to replicate a trustful benchmark that explained about 81.1% of the mutual funds performance. They concluded that most Japanese mutual funds tended to trust stock with large market capitalization and low book-to-market ratios or famous stocks. These strategies employed by Japanese managers were not the main underperformance reason.

They went on to examine these 36 passive portfolios, as far as timing and selectivity was concerned. They found that most of the timing coefficients were negative, but they were not significant enough to explain the underperformance of Japanese mutual funds.

Finally, they took into account the dilution effect of fund inflows, which reduces the value of a stock to the tax value. This happens because a new investor in the mutual fund pays only the after tax NAV of a share, so inflows dilute mutual funds NAV per share. Based on a set of assumptions, the dilution effect explained about 3% of the underperformance of the mutual funds per annum, with a probability of 50%, fixed management fee explained about 1%, the brokerage commissions and transfer tax fees about 1.3%, totaling a 5% contribution to these factors. They added that further studies should be done to examine the Japanese mutual fund industry underperformance and its special characteristics.

2.7. EUROPEAN MUTUAL FUND PERFORMANCE

European mutual fund performance⁴² *Roger Otten and Dennis Bams*

In their article published in 2000, Otten and Bams, investigated the not so fully studied territory of European mutual fund industry. To proceed with this study, they used data from the five biggest European economies with regard to mutual funds, Germany, Italy, France, UK and Netherlands. They examined a database of 506 mutual funds from these 5 countries, which covered more than 85% of the total assets in European equities.

They applied the 4-factor model of Carhart and investigated in parallel the ''hot hands effect'', whether these mutual funds' past performance was a signal of future performance. The European mutual fund industry, according to the authors, while not with the same impact as the US respective one, still growing in a fast pace and needed to be given attention. This difference in the two areas mutual funds industry magnitude was attributed to the different equity culture, fact that seemed to faint in time.

The sample of mutual funds used was restricted to pure domestic equity funds with at least 24 months of data. The data obtained were monthly logarithmic returns from January 1991 to December 1998, and were in local currency and the databases used for the fund characteristics were Standard & Poor's Micropal for France and Italy, Hoppenstedt Fondsfuhrer 1998 for Germany, ABN-AMRO Belegginginstellingen for Netherlands and the Unit Trust Yearbook 1998 for the UK. Within a country they disciplined the funds in stated strategies investment styles to measure the effect on performances. Finally, returns were collected from Datastream (Germany, Italy, Netherlands and the UK) and Standard & Poor's Micropal for France, returns were inclusive of distributions, net of annual management fees and in local currency.

To construct the 4-factor model, they took all equities that were in the Worldscope, as a benchmark, for each country larger than \$25 million minus one month interbank rate to formulate R_M - R_F . For the HML factor, stocks were ranked on book-to-market ratio. The top 30% (high book-to-market portfolio) minus the bottom

30% (low book-to-market portfolio) made the HML. Respectively, the SMB factor was the return difference between the 20% bottom size-ranked portfolio and the rest 80% size-ranked portfolio. Finally, to obtain the Pr6m factor (prior 6-month return) they took the return difference between the top 30% of the Pr6m-ranked portfolio and the bottom 30% of the Pr6m-ranked portfolio.

Carhart's four factor model (Fama's three-factor model extension by Pr6m factor) was used to capture the momentum anomally and is given as follows:

$$R_{it} - R_{ft} = a_i + \beta_{0i} (R_{mt} - R_{ft}) + \beta_{1\iota} (SMB_i) + \beta_{2t} (HML_t) + \beta_{3t} (PR6m_t) + \varepsilon_{it}$$

$$(2.9)$$

To deal with the survivorship bias problem they used Datastream which contained data from dissolved mutual funds whose percentages were 5%, 6%, 11% and 25% for Germany, Italy, the Netherlands and the UK respectively. This bias would overestimate average returns in all countries.

The results of the regression, (equally weighted strategy-based portfolios and individual funds) showed that SMB factor was negative for all countries, resulting in a small-stock suffering during the overall period. Additionally momentum strategies added value in three out of the five countries, especially in Italy and the UK. The low cross-correlations showed that multicollinearity did not significantly contribute in the estimated factors. European mutual funds seemed to prefer smaller stocks and ones with high book-to-market values.

The HML factor added few to the explanation of returns, and the fourth factor showed up significantly in half cases, indicating contrarian strategies. As far as alphas are concerned, Germany demonstrates negative average alpha, whilst the highest positive alphas are obtained for Netherlands and the UK. Moreover, as stated earlier, small companies in all countries, with the exception of Germany, seemed to add significant value.

To examine the effect of return and risk time dependence, the authors produced conditional alphas with a 4-factor Carhart model with time varying betas. The conditional and unconditional alphas did not seem to derive much among them, fact that the unconditional model was trustful enough and that beta variation did not affect significantly their results. Furthermore, they examine the effect of management

fees to performance before and after deduction. When management fees were added almost all countries (again Germany was the exception) demonstrated positive alphas. Using the unconditional model, Italy and Netherlands funds outperformed at the 5% and 10% significance level, respectively, while using the conditional one 4out of 5 countries outperformed at the 5% significance level. The European fund managers demonstrated enough abilities to incorporate new pieces of information and increase returns.

To investigate the "hot hands effect", persistence in performance, they ranked all funds in each country based on the past twelve month return, and the top performing funds formatted a portfolio, kept for one year (examining period) at the end of which it was rebalanced based again on the last twelve month return.

The results from this continuous annual rebalancing showed that for all funds there was a decrease in the excess return between the high and the low (12-month return based) portfolio, providing weak evidence of the hot hands effect, except for the UK. When the influence of funds characteristics related to risk-adjusted performance entered the discussion, the authors proved that the majority of European mutual funds was able to incorporate new information to overcome their expenses, and therefore added value to their investors, phenomenon attributed to the small size of the European equity mutual fund industry relatively to the market (11%).

2.8. EQUITY MUTUAL FUNDS MANAGERS PERFORMANCE IN GREECE

Equity mutual funds managers performance in Greece⁴³

N.D. Philippas and C. Psoma

In their article published in Managerial finance in 2001, N Philippas and Christine Psoma tried to find evidence of market timing abilities and asset selection abilities of greek mutual funds managers. To evaluate the above they employed the model of Treynor-Mazuy.

In the Jensen's approach of the market description the model used was characterized mainly from the abilities of fund managers to alternate investments between expected and risk-free rate return, selecting undervalued assets but was excluding the evaluation of potential market timing abilities. Treynor and Mazuy by adding a quadratic term to this model they gave a concave form to the fitting of the return scatter, adding the third term characteristic of this market timing.

Significant positive alpha and c terms of the model exhibit strong selectivity and market timing ability, giving them the ability to change the portfolio proportions in terms of beta coefficients manipulation.

Data used for the study were obtained from Datastream online and were daily returns of Greek mutual funds operating for the overall period from 01/01/1995 to 31/12/1998, thus for a three year period. For this period 33 mutual funds were in total, but only 17 were screened out. Additionally the General Index of Athens stock exchange was used for the same period as benchmark and the three-month Treasury bill as the risk-free asset rate of return.

After regressing the returns for the Treynor-Mazuy model the appropriate corrections were made in the case of existence of heteroskedasticity in the residuals of the regressions. The beta coefficients as expected were statistically significant and positive. The 14 out of 17 alpha coefficients were positive, 4 of which statistically significant. All negative alphas were statistically insignificant. As far as the c coefficients are concerned, 12 were negative out of which 6 were significant and 5 were statistically insignificantly positive. The level of significance was defined at the 5%.

The significant 6 negative c coefficients were attributed to either wrong manager forecasting or to changes in betas due to inflows or outflows independent to the managers will. The funds with significant positive alphas, selection ability on the part of the manager, were the only for to outperform the general index in general. The trend for the three year period was an upward with a steep slope due to the burst of the Greek stock market, with the result to be mutual funds and index returns to range from 83% to 163%.

The results showed that as far as market timing and undervalued stock selection was concerned, Greek mutual funds managers showed no evidence of these two characteristics in their investment policies in general. Only for mutual funds managers showed traces of market timing ability and none of them selection abilities. This

inability to demonstrate these managerial and investing properties is attributed to the infancy of the mutual fund industry in Greece during that period. Moreover these extreme returns are mainly a result of the trend of that era and not a result of managerial contribution to the mutual funds returns.

2.9. EVALUATING MUTUAL FUND PERFORMANCE

Evaluating Mutual Fund Performance⁴⁴

S.P. Kothari and J. B. Warner

In their work, published in October 2001, Kothari and Warner studied the evaluating strength of mutual fund standard performance measures, by using combined samples of data from NYSE and AMEX securities. Their main result was, as an introductory comment in the first part of the work, that the usual performance measures are misspecified, mainly because they are based on the CAPM (capital asset pricing model) and demonstrated that using different models gives better results. Moreover, they examined whether the misspecification of classical performance measures depended on returns' and return distributions' departures from normality, in particular, skewness. Finally, they showed that Fama-French three factor model based performance measures are significantly related to information variables, while CAPM based ones are not.

In the second part of their work, they presented some key issues in performance evaluation, focusing mainly on the ones affecting the properties of the benchmarks in the absence of any abnormal performance. These issues were security market lines, market timing and reward-risk ratios. On security market lines, they described the way that both CAPM and Fama-French three factor model are used to regress excess returns and extract results.

They investigated the properties of the regression intercepts, commonly known as alphas, they found that these are non-zero and sensitive to the selection of index. On the issue of market timing, the ability to predict the direction of the market faster

than others, they employed tests on both single-factor and multifactor models and found market timing ability which was a paradox, since by construction, their portfolios did not include any timing ability. Finally, on the issue of reward-risk ratios, they demonstrated how CAPM departures can give higher Sharpe ratio than the value-weighted index and criticized the use of the value-weighted index to construct an efficient mutual fund benchmark.

In their baseline simulation procedure part, they discussed sample construction, mutual fund performance measures deriving from alternative pricing models and test statistics under null hypothesis of performance under normality. They constructed one 50-stock mutual fund portfolio for every month over the period from January 1964 to December 1991. They went on tracking the performance of these 336 constructed portfolios, for a period of three years using multiple measures.

The stocks they selected to form these portfolios were chosen randomly from NYSE and AMEX, fulfilling the criteria of having annual returns report on CRSP (Center for Research in Security Prices). They excluded NASDAQ market to avoid domination of NASDAQ stocks in their portfolios and they were changing the portfolio composition, at the start of each of the three years, to mimic mutual funds operation. For every individual portfolio, from the 336, they constructed a time series of 36 monthly returns, the first one been equal-weighted. After recomposing them at the starts of years two and three, again the portfolios formed were equally-weighted. Dividends were considered to be reinvested in the portfolio.

To measure the performance of the constructed portfolios they used the following performance measures: Sharpe measure, Jensen alpha (based on the CAPM), Treynor measure, Appraisal ratio, Fama-French three-factor model's alpha, CAPM market-timing alpha and gamma and the Fama-French three-factor model market-timing alpha and gamma.

In order to present their results better they disciplined the performance measures in subcategories as follows: regression-based performance measures (CRSP value-weighted index used as benchmark) with and without market-timing variables (two subcategories), regression-based performance measures (CRSP equal-weighted index used as benchmark) with and without market-timing variables accompanied by their test statistics and rejection frequencies. The third discipline of measures was reward-risk ratios. Moreover in their study, they included results for the subperiods from 1964 to 1971, from 1972 to 1981 and from 1982 to 1991 and discussed results

referring to the investing style of portfolios, size-based and book-to-market-based style.

In more details, using the value-weighted index as benchmark and regressing with no market-timing variables, they found average alphas for CAPM and Fama-French model to be significantly positive and negative, respectively. The paradox, as mentioned earlier, was that this abnormal performance should not appear in randomly formatted portfolios. They also reported skewness and "kurtosis" properties (i.e. departures from normality) mainly in the distribution of Jensen alphas, which showed large standard deviation and wide range of prices, fact that lead them to the opinion that Jensen alpha is becoming weaker when abnormal performance appears. As far as regressions with market-timing variables are concerned, the authors stated that they found significant market-timing alphas and gammas, using both CAPM and Fama-French three-factor model.

After studying regression-based performance measures by using equal-weighted CRSP index as benchmark, concluded that not only CAPM based, but also Fama-French based measures, had size-related misspecifications. With no market-timing variables and equal-weighted index used, Jensen alpha is close to zero which is logic. Including market-timing variables and regressing to an equal-weighted benchmark, the alphas are averagely positive and significant and the gammas the exact opposite but still significant. They went on presenting distributional properties of the 336 portfolios in any regression employed, in the test statistics section. The mean and the standard deviation of t-statistics distribution are greater than zero and unity for both alphas, Jensen and Fama-French respectively. The CAPM timing gamma using both equal- and value-weighted index and the three factor timing gamma using the the equal-weighted index, all exhibit too many rejections in favor of negative market-timing.

As long as reward-risk ratios are concerned, the authors estimated that contrary to the CAPM prediction, equal-weighted index and randomly selected stock portfolios have Sharpe ratio bigger than the value-weighted index Sharpe ratio. On Treynor measure, one should expect that the portfolios used the value-weighted index would have bigger Treynor measure than the ones using equal-weighted index, but the opposite was observed, fact that is the same in the Sharpe ratio case. Moving on, the appraisal ratio did not give any concrete or consistent results.

Studying the subperiods, they found that the results of the subperiods were supporting their initial opinion of serious measures misspecifications. Average Jensen alphas were positive for the period of seventies and significantly negative during the eighties. Fama-French timing alphas were financially and statistically significant in all three subperiods, mainly positive in the first subperiod. With the use of equal-weighted index, the misspecification of both alphas was eliminated as shown earlier in their work, but both models gave timing alphas consistently positive in all subperiods and timing gammas negative in all three subperiods, making the total effect unobservable.

Summarizing, the authors concluded that typical performance measures were unreliable, especially since they showed the existence of market-timing and abnormal behavior, where none was, attributing this malfunctionality to misspecification rather than to abnormality. Fama-French based measures were better than the CAPM-based ones, still appearing to be some misspecifications. One possible reason was the incapability of size and book-to-market factors to fully describe the returns and another reason according to the writers was the process followed in the estimation part, for example expected returns change over the whole period. They closed their work suggesting further research on this market-timing appearance in simulated portfolios, when none exists.

2.10. EVALUATION OF BALANCED MUTUAL FUNDS: THE CASE OF THE GREEK FINANCIAL MARKET

Evaluation of balanced mutual funds: the case of the Greek financial market⁴⁵

George Artikis

In his article published in 2001 George Artikis aimed to evaluate the performance of ten Greek balanced mutual funds functioning in the Greek market

over the period from 01/01/1995 to 31/12/1998, thus for a three year period. The mutual funds characteristics under examination were their return, their standard deviation, their coefficient of variation, their systematic risk, their Sharpe, Treynor and Jensen's alpha measures.

All three above mentioned measures use or derive from the CAPM (capital asset pricing model). Daily returns were calculated for the mutual funds using the daily net asset value per share of every mutual fund plus the dividend per share for every period when it was distributed. The standard deviation of daily returns for every mutual fund gave their total risk. By dividing the standard deviation with the return of each of the ten mutual funds, the coefficient of variation was produced.

The systematic risk of each mutual fund was calculated by regressing the return of the fund with the return of the market benchmark on the basis of a single index CAPM model. The benchmark used was the Greek index ASE (ATHENS STOCK EXCHANGE). The results were tested in their residuals for the existence of serial correlation and heteroskedasticity. The result of the regression as a parameter was beta which is the systematic risk or the sensitivity of the fund towards the market.

Using the CAPM the author calculated for all ten mutual funds the Sharpe ratio which is the excess return over the risk-free asset rate of the fund divided by the standard deviation of the market portfolio. Additionally Treynor's ratios were calculated by dividing the excess return over the risk-free rate of the fund with its beta coefficient. Finally Jensen's alpha for each mutual fund was produced by regressing the CAPM equation for excess from the risk-free rate of the fund and market.

After calculating each characteristic for the ten mutual funds, rankings were formatted for each one of them and were compared among them. The daily average return of the ASE was for the three year period higher than the respective one of the mutual funds. After the risk ranking the result was that the total risk of the market was bigger than the individual total risk of all the mutual funds. As far as the coefficient of variation was concerned, only two mutual funds had bigger coefficient of variation than the ASE. The coefficient of variation the higher it is the riskier the investment in return and risk terms combined.

The rankings of the beta coefficient showed that the mutual funds were quite defensive towards the market and the coefficient of determination (a parameter) was statistically significant in all ten cases.

Ranking the mutual funds by the Sharpe, Treynor ratios and Jensen's alpha gave different rankings with some mutual funds taking the same ranking in the case of Treynor ratio and Jensen's alpha, 4 out of the ten.

As a conclusion, these Greek mutual funds for the period under examination were as expected defensive, since they claimed to be balanced ones, their risk was analogue to the return achieved but in some cases they achieved higher returns for the undertaken level of risk. Generally their risk level was lower than the market's, both in terms of total and systematic risk.

2.11. A UNIVERSAL PERFORMANCE MEASURE

A Universal Performance Measure²⁶

Con Keating and William F. Shadwick

In their article published in 2002, Keating and Shadwick presented for the first time the known OMEGA function. They tried to tackle with the main two problems of classic performance measures used in evaluating portfolios. The first problem arises from the simplification that mean and variance of the return distribution of a portfolio can fully describe the performance of it. The second and most common in new financial products is that returns do not always follow the normal distribution.

To deal with these issues higher moments of a distribution must be incorporated in performance measures such as kurtosis and skewness. Omega function according to the authors is a performance that includes all the above and presents the reward-risk relationship in an easy to understand for the investors manner. Omega is a function that can be evaluated for any threshold an investor may put on a distribution of returns. It is a ranking measure for portfolios like traditional measures bearing many more details.

To demonstrate the flaws of classic mean-variance relationships they presented three examples of pairs of assets with the following construction:

a) Two normally distributed assets with the same mean but different variances. Flaw: if only mean and variance are used the ranking produced is biased since potential big losses and gains are considered equally undesirable which is not true.

b) Two assets distributed with the same mean and variance, higher odd moments the same and equal even moments but with opposite in sign.

Flaw: mean and variance exhibit the two assets as identical but a newer measure like omega would show different investing decisions.

c) Two assets distributed with the same mean and variance but different tails. Flaw: large losses and gains are not estimated by Sharpe ratio.

In all three cases higher moments should be included because their impact is known to be significant in the performance measure construction. As stated earlier new financial products like hedge funds, derivatives and traditional ones such as bonds tend to show abnormal return distributions. These products when used in portfolios make the ranking of these portfolios difficult.

The authors presented the omega function as a function of return level. Available information from the returns distribution, including the higher moments, is enclosed in omega. Moving to its characteristics, omega function is a smooth monotone decreasing function and it is differentiable at least twice for comparison with other functions to be allowed. To apply the function they used indices related to two hedge fund style, MSCI and SWGBI. The data obtained were monthly from January 1993 to April 2001 (100 data points for each series). The distribution s of the data appeared to be typically non normal but nevertheless a Sharpe ratio with a risk-free arte of zero was calculated so as ranking of portfolios to be comparable with that of omega.

They ranked the portfolios (indices) by Sharpe ratio with risk-free rate zero and omega ratio and created a dummy indicator column parallel to the rankings. When the ranking from Sharpe agrees with the ranking from omega the indicator is valued 1 and when not is valued 0. Only in five cases the two ratios agreed in rank order, projecting the importance of using higher moments and the difference in results one can have by not using them. Of course the same was done for a range of returns for the omega function and not only for the zero return. The outcome was a decreasing function as expected, with the steepness of the line to measure the risk. The steeper the line, the less risky for an investor. The majority of then hedge funds indices were found to be less risky than the used two indices here.

Furthermore, they plotted the indifference points generated by Sharpe bratio and by omega function for the UK market in three different disciplines, real-estate, bonds and equity. The plots again indicated that the indifference points never

coincided, illustrating that the use of higher moments gives other results that mean-variance only. In another application, using as risk threshold the MSCI index returns they ranked again the portfolios by Sharpe and omega ratios. The above mentioned indicator was again created and used. The results showed that once more the two rankings differed substantially due to the use of higher moments in the omega case.

Additionally, they used to rank these MSCI related portfolios another performance measure, the tracking error. No agreement in the rankings except for the cases of the two poorest performing portfolios. By correlating the three measures, the coefficients appeared to be very low, especially by comparing the tracking error with the other two.

The measure the two authors presented includes the higher moments of a return distribution, it is kind of simple to be interpreted by the financial industry and it is focused in two more financial disciplines. The downside related literature and the endogenous characteristic of decision literature. The results of applying this measure to hedge funds with abnormal returns showed that even for the simplest decision, how much we suffer to lose or gain, classic measures and omega give totally different explanations and tools.

2.12. PERFORMANCE EVALUATION OF INDIAN MUTUAL FUNDS

Performance evaluation of Indian mutual funds⁴⁶

S. Narayan Rao and M. Ravindran

In their publication, S Narayan Rao and M Ravidran in October 2003 evaluated the performance of Indian mutual funds using different performance measures such as relative performance index, risk-return analysis, Treynor ratio, Sharpe ratio, Sharpe's measure, Jensen's measure and Fama's measure.

For the purposes of the examination 269 mutual funds were screened out from a total of 433 active at 31/03/2002. These 269 mutual funds were open-end, at least one year in life and were examined for the period from September 1998 to April 2002.

The logarithmic returns were calculated on a monthly basis for NAVs (net asset values). The data were obtained from AMFI website (association of mutual funds in India).

To screen out more mutual funds the relative performance index was initially calculated. The calculations of RPI were multiplied with the market return and were excluded the ones out of 269 that had RPI larger than 5. The RPI criteria passed only 58 open-end mutual funds.

The next step was the calculation of the standard deviation as a total risk measure. Additionally individual mutual fund risk or beta coefficient was calculated using the single index model, regressing the returns of the funds with the market returns. High betas are preferred during an expanding market period and low betas during a shrinking market. To estimate the diversification of mutual funds, they calculated the coefficient of determination which is the r² value of the individual regressions. The coefficient of determination if low shows an aim from the part of the mutual fund for diversification.

For the 58 remaining mutual funds the Treynor measure was calculated as the risk premium towards the individual mutual fund risk or beta coefficient. The risk premium was the excess return of the mutual fund return over the risk free rate of return. Treynor measure was calculated for the Indian market and compared with the Treynor ratios earlier estimated. If the ratio of a mutual fund is larger than the respective of the market then the fund is said to have outperformed the market for this period.

The Sharpe ratios for mutual funds were calculated in the next step as a ratio of risk premium towards the total risk born by the fund in this market. These ratios were compared with the one of the market, in the case of been higher than the market's ratio the mutual fund is considered again an outperformer of the market. Limitations exist for both Treynor and Sharpe ratios, the first been unreliable in a bear market and the second assuming only normal distribution of returns.

To examine special properties of mutual funds like selection ability of their managers, Jensen's alphas were calculated through regression og the CAPM model for all the mutual funds. Positive alpha shows stock or asset selection ability and viceversa. Finally the Fama's measure was calculated using the multi-factor model of Fama. A positive Fama measure exhibits for the mutual fund higher than the expected returns.

The RPI analysis gave away 49 funds as underperformers, 118 par performers and 118 outperformers of the Indian market for that period. The statistical risk-return analysis showed that averagely the funds incorporated low unsystematic and high total risk. The Treynor ratio analysis gave out 32 positive performers and 4 negatively valued ones. The Sharpe ratio analysis demonstrated slightly different results with 30 overperformers and only 2 with negative evaluation. The Jensen's alpha estimation resulted in 35 positively valued mutual funds and the Fama's measure estimations found 46 mutual funds with positive Fama measure. In conclusion, 58 out of 269 mutual funds performed better than the market for that period in India, in both terms of systematic and total risk.

2.13. TESTING FOR PERSISTENCE IN MUTUAL FUND PERFORMANCE AND THE EX POST VERIFICATION PROBLEM: EVIDENCE FROM THE GREEK MARKET

Testing for persistence in mutual fund performance and the ex post verification problem: Evidence from the Greek market⁴⁷

V. Babalos, G. M. Caporale, A. Kostakis and N. Philippas

In their article published in 2008, the authors attempted to examine the ex post verification problem. In order to do that they employed a number of performance measures in the Greek mutual fund market for the period of 1998-2004.

Their study focused in Greece because the Greek mutual fund industry had the characteristics they were looking for. It contained few major participants and the stock market was relatively small in capitalization terms and illiquid. Moreover the fund market under the globalization of the financial systems and the EU observation was transforming into a developed market from an emerging one, fact that is validated from the increased participation of foreign players also.

The Greek financial system was mainly based and fueled on three big banks that dominated the information channels and increased the information asymmetry to the whole fund industry. Additionally these major players were price makers sometimes mainly through the signaling effect to other participants. In general the market can be for these reasons characterized as a biased one.

Data used were obtained from all mutual funds that had available data during a continuous two year period from 01/01/1998 to 31/12/2004. ASE (Athens stock exchange) was used as benchmark and the 3-month government zero-coupon bond as the risk-free rate of return. Data were collected from the AGII (Association of Greek institutional investors) and Datastream database. The funds were domestic equity funds whose returns were weekly and were calculated through their net asset values. Information on foreign participants was collected by the Central Depository of ASE.

To construct mimicking portfolios they followed the methodology of Otten and Bams (2002). For the HML factor, stocks were ranked on book-to-market ratio. The top 30% (high book-to-market portfolio) minus the bottom 30% (low book-to-market portfolio) made the HML. Respectively, the SMB factor was the return difference between these two portfolios. Finally to obtain the MOM (momentum) portfolio they took the difference between the top 30% winners based on market capitalization and the bottom 30% losers.

In the next step they calculated the following performance measures:

- Sharpe ratio measuring the excess return of mutual funds toward the total risk they bear
- b) Jensen's alpha which is an indicator of selection ability of the part of the mutual fund manager
- c) Fama-French three-factor model coefficient a which is a performance measure
- d) Carhart's four factor model coefficient a which is a performance measure based only on market risk

Furthermore, after calculating the performance measures they ranked the mutual funds according to these measures. The rankings were formatted first according to raw returns, Sharpe ratio, Jensen's alpha, Fama-French's alpha and Carhart's alpha.

The raw returns analysis showed that evidence of persistence in performance attributed mainly to the investment strategies of the funds and is not a reliable analysis. The Sharpe ratio analysis demonstrated significant persistence in performance of funds explained mainly from the fact that a number of funds achieved higher returns without increasing their level of risk. The Jensen's alpha and the augmented model's regression analysis exhibited contradictory results. Jensen showed significant persistence for the 2000-2001 and 2003-2004 periods, while the augmented model showed that this persistence was not statistically significant. The

Fama-French and Carhart measures analysis through regressions resulted in significant evidence of persistence in the 2000-2001 period and weak evidence in the 1998-1999 period for the Fama-French case. Carhart's regression exhibited significant persistence only in the period of 2000-2001 (hot hands effect).

Evidence of persistence was found only for the period 1998-2001 and not for the second. This persistence was attributed to the failure of adjusting to performance important risk factors. Lack of persistence in the second half of the period was due to big outflows from past losers toward past winners, as a result of the increased number of new funds and foreign players entering the market, fact that eliminated the noise investments. Additionally domestic players had to add value and adjust their strategies to the fluctuations of cash flows, contributing to the volatility of performance these years. Finally no asymmetry in performance persistence was observed, thus low performing managers did not outnumbered high performing ones.

The authors in conclusion implied that performance persistence can be observed in an international or domestic market under equilibrium and this persistence will be due to reallocation of cashflows to past winners and elimination of the low performing mutual funds. The best performance measure was according to them the Carhart's model coefficient which included information on the persistence after adjusting for important risk factors for the specific Greek market that period.

2.14. DOES THE MEASURE MATTER IN THE MUTUAL FUND INDUSTRY?

Does the Measure Matter in the Mutual Fund Industry?²⁰

Martin Eling

In his article published in 2008, M. Eling tried to answer to the question if alternative investments performance need alternative performance measures or the job can be done with classic measures like the Sharpe ratio. In order to obtain substantial and robust results he experimented not only in hedge funds but also in funds investing

in stocks, bonds, commodity pool operators, commodity trading advisers, funds of hedge funds and real estate covering the majority of asset classes of the fund industry.

On the concept that hedge fund return deviate enough from normality, there has been much criticism on whether the Sharpe ratio should be used, since it demands the presence of normality in the return distributions. For this reason, mainly during the last decade researchers have proposed numerous new performance measures, amongst them: the Omega ratio, the Sortino ratio, the upside potential ratio, the Kappa 3 ratio, and the modified Sharpe ratio. Their difference with the Sharpe ratio is the replacement of the standard deviation from an alternative risk measure, like the lower partial moments of the first three orders, from three alternatives based on the drawdown and three VaR-based approaches. In some of them, there is another interpretation of the return (e.g. the higher partial moments) replacing the excess Sharpe return. In his paper, Eling compared the Sharpe ratio results with the ones from ten different performance ratios:

- Four lower partial moments ratios: Omega, Sortino, Upside Potential and Kappa3;
- 2) Three drawdown measures: Calmar, Sterling and Burke Ratios;
- 3) Three VaR-based measures: Excess Return on VaR, Conditional VaR and Modified VaR ratios.

Lower partial moments (LPM) consider only negative deviations of return, while the Sharpe ratio standard deviation includes both positive and negative deviations of return from the expected value. High partial moments (HPM) are used as a return indicator as in the upside potential ratio case. The drawdown of a fund measures the losses realized over a given period and it is used in the Calmar, Sterling and Burke ratios. Finally VaR is the minimum potential losses a fund can suffer, given a certain confidence level in a given period, and it is used in the last three VaR-based measures.

Eling used data from a total of 38 954 investment funds for his empirical research. He gathered data for 17 817 stock funds, 12 279 bond funds and 751 real estate funds from the Thomson Datastream Database. He also took data for 4 048 hedge funds, 1 949 funds of hedge funds, 1 076 commodity trading advisers funds and 1 034 commodity pool operators funds from the CISDM Database. The overall

examined period for which data were taken was from January 1996 to December 2005. He constructed from these data the return distributions of all asset classes with time-series analysis and cross-sectional one. He presented the mean, median, standard deviation, maximum and minimum of the first four moments of the funds' returns (mean(%), standard deviation(%), skewness and excess kurtosis.

The results incorporate also the Jaqcue-Bera test, which shows the percentage of funds for which the normality assumption is rejected at 1% and 5% significance levels and the average correlation amongst funds in each class. Using the mean value as a measure of return and the standard deviation as a risk measure, he found some interesting results. When risk and return are compared this rule does not stand entirely. Hedge funds offer the highest return without having the highest risk and funds of hedge funds have a very low risk for the return they offer, signal of a bigger diversification.

Another observation was that the rejection rate for Jacque-Bera test was high for hedge funds and other classes. At the 1% significance level the rejection ranged from 19.84% for stock funds to 45.54% for real estate funds, fact that would obviously make the use of the Sharpe ratio inappropriate to measure performance in many asset classes, according to the criticism. Additionally, the correlation amongst the elements of the classes is average high, ranging from 0.57 for stock funds to 0.16 for the sample of the more diverse hedge funds. Finally, the author calculated the survivorship bias and the attrition rate from the two databases data, and found them to be lower for traditional investment vehicles than for alternative ones as expected, ranging from 0.01% for stock funds to 0.10% for commodities pool operators funds.

In the performance measure section, Eling calculated all eleven different performance measures in each specific asset class and then ranked the class funds according to each measure. After the ranking took place he examined the results between the different rankings. To smooth the process, he assumed that the minimum required return in the LPM-based measures was the monthly risk-free US 10 year treasury bond rate as of December 2005. He also assumed that the five largest drawdowns for the Sterling and Burke ratios and that the accepted significance level for VaR calculations would be 5%.

As far as the correlation between the alternative performance measures and the Sharpe ratio are concerned, the results showed that due to the ranking there is a high degree of correlation. The minimum correlation for hedge funds was between Sharpe

and Sterling ratio (0.94) and the maximum was between Sharpe and excess return on VaR (1). The Sharpe ratio has averagely a high (almost unit) correlation with Omega, Sortino, Kappa3 and modified Sharpe ratio for all asset classes. Furthermore, averagely with all the set of ten measures, Sharpe ratio is highly correlated, for the stock fund (0.99) and commodities pool operators funds (0.99) with the minimum graded class to be real estate (0.96) and funds of hedge funds (0.96).

In this point he mentioned that he found a negative relationship between Jacque-Bera test rejection and ranking correlation, thus the asset discipline with the lowest rejection rate had the highest rank correlation and vice-versa, stock funds and real estate funds respectively. Even when returns deviated largely from normality, the ranking correlation did not significantly changed as in the case of real estate category. The correlation was only referring to the relationship between the Sharpe ratio and the other ten measures, since similar results were found for all the interactive experiments for all the measures amongst them, so the rule could be generalized.

Eling attempted also to prove the robustness of his results by carrying out numerous tests. In order to achieve that, firstly he separated the overall period in five periods of two years each and reconducted the measurements. Secondly he repeated the experiments by changing the sample in surviving and dissolved funds to incorporate potential survivorship bias in the results. Moreover he changed the range of the initial parameters for the LPM measures from 0% to 1%, for the drawdown measures he varied the number of drawdowns from 1 to 10, and the significance level of VaR measures from 1% to 20%. He repeated the experiments by eliminating the first to tenth extreme (highest and lowest) returns from the time series. Finally he split the groups of stock funds, bond funds and hedge funds in groups according to the strategy the funds claimed to follow at that period. The results showed for all the above mentioned robust tests a high correlation with the results initially obtained.

To explain this high correlation between performance measures, Eling used the fitting software BestFit to examine the distribution kind of every fund based on historical returns, and the best fit was done by a logistic or a Weibull or a normal distribution, fund returns usually been elliptically distributed. To confirm the result he simulated 1000 artificial funds with the Monte Carlo method with 120 monthly returns (10 years) with five different distributions (logistic, weibull, normal, lognormal and generalized beta) and the outcome was that the reason for the high rank

correlation amongst measures was that the performance measures and the fund returns were relatively similar.

To the question why Sharpe ratio is right, Eling named a number of reasons that make this performance measure so popular the last 50 years:

- 1) it is widely used in databases and from the overall financial industry
- 2) it is the most understood summary of two important aspects of investments, risk and return, and it is very convenient in the same time
- 3) a wide range of statistical tests are Sharpe-based which does not happen for many other measures
- 4) there is a huge research on the Sharpe ratio and as shown there is no significant difference when using it for alternative investments

Concluding, the author stated that the choice of performance measure did not really affect the ranking of hedge funds and mutual funds. There was found a negative relationship between the Jacque-Bera test rejection and the rank correlation as stated before. The results were based on a huge database (38954 funds) and the robustness tests made the results concrete. From practical and theoretical point of view, the Sharpe ratio, according to Eling, is superior to the rest and by far the simplest and more studied one.

2.15. COMPARING AND SELECTING PERFORMANCE MEASURES USING RANK CORRELATIONS

Comparing and Selecting Performance Measures Using Rank Correlations⁴⁸

Massimiliano Caporin and Francesco Lisi

In their article published in 2011, Caporin and Lisi tried to study the possibility of using numerous different performance measures in order to rank financial assets. The study is based on comparing results with the most recent works

on this area from Eling and Schumacher (2007), Eling (2008) and Eling (2011). It should be noted that Eling's studies propose that using different classic and modern performance measures in big fund databases, there is a high correlation in the produced rankings.

Caporin and Lisi use the same methodology with earlier studies of Gemmill, Eling and Schumacher. They used multiple measures and, in case of identical ranking results, they reduce the number of appropriate measures to a minimum. They tried to trace the measures that incorporate different information on the risk-reward relationship. They contributed to the earlier studies in three ways: a) they increased the initial number of performance measures used, in order to extract a well-specified group; b) they tried to study the dynamics of rankings and their correlations. This time variation and size variation were not examined in the past and may well have a big impact on the outcome of asset performing; and c) they proposed a different method to reduce the number of performance measures from the large group.

The following performance measure groups were formatted: a) traditional performance measures group containing the Sharpe ratio, the Treynor index, the appraisal ratio, the mean absolute deviation ratio of Konno and Yamazaki, the Minimax ratio of Young the expected return over the range ratio and the Modigliani risk adjusted performance measure; b) drawdown based measures group containing the Calmar ratio, the Sterling ratio and the Burke ratio; c) partial moments based measures group containing the Sortino ratio, the Kappa 3 measure and the Farinelli and Tibiletti ratio; d) quantiles based measures group containing the expected return over absolute VaR, the VaR ratio, the expected return over absolute expected shortfall and the generalized Rachev ratios; and e) utility functions derived measures group containing the Morningstar risk-adjusted return and two alternative measures to the one introduced by Gemmill et al.(2006).

The data used in this study were collected from Datastream and referred to all stocks of S&P 500 for the period from January 1990 to October 2008. The benchmark used was the S&P 500 index and the US treasury-bill of 1month index as the risk free asset rate, taken by Citigroup. The returns were calculated to be logarithmic and there was a clear deviation from normality. An issue rose since not all 1500 assets were data-available for the overall period, so the authors tackled with this problem by following two different strategies. They formatted three different subperiods for the time frame from November 1998 to October 2008. The first was from November

1998-October 2008 with 120 observations, the second was November 2003-October 2008 with 60 observations and the last was November 2005-October 2008 with 30 observations. The second strategy was to examine the whole initial period from January 1990 to October 2008, with a rolling time window of 60 for all available observations in each window.

One big difference with Eling's studies was that the former was examining managed funds and not stocks, as well as the high rank correlations he was attributing to most performance measures. Caporin and Lisi estimate low rank correlation to be below 0.8 so as to define a novel comparing level. The first reduction in the number of performance measures used came after applying an analysis within the groups. Despite finding similar results with Eling in terms of similar performance measures, especially with the Sharpe ratio, their correlations were lower than the almost identical ones proposed by Eling.

They ended up in the use of Sharpe ratio, the Calmar ratio, the Sterling ratio, the Burke ratio, the VR index, the STARR, the VaR ratio, the generalized Rachev ratio, the FT index, the MRAR index and the LAP measures. Their next step was to examine only the selected measures. They found some interesting results in these conditions.

Specifically, partial moments and loss-aversion based performance measures give different rankings from the traditional measures, fact that is opposite to Eling's studies. So they conclusion was that different rankings are based on the fact that different measures fit different pieces of information and time intervals. Finally, they proposed that further studies should be carried out on the process of selecting specific baskets of performance measures, according to the specific needs and time frame under examination.

TABLE 2.1. SUMMARY OF RESEARCH REVIEW

	Authors	# Funds	Article title	Period and place of exam.	Perf.measure	Conclusion
1	William F Sharpe	34 open- end	Mutual fund performance	1944-1953 & 1954-1963 USA	Sharpe ratio, Treynor ratio	11 out of 34 outperformed the market
2	Jack Treynor and Kay Mazuy	57 open- end	Can mutual funds outguess the market?	1953-1962 USA	Treynor-mazuy model coefficients	No fund managerial market timing and selection abilities
3	Michael Jensen	115 open- end	The performance of Mutual Funds in the period 1945-1964	1945-1962 USA	Jensen alpha	Little evidence of predicting abilities in mutual funds before and after fees
4	Ravi K Shukla and Gregory B van Inwegen	108 US &18 UK Growth funds	Do locals perform better than foreigners? An analysis of UK and US mutual fund managers	1981-1993 USA & UK	Sharpe ratio, Treynor ratio, Jensen alpha	Locals perform better than foreighners
5	Franc o Modigliani and Leah Modigliani	7 selected famous mutual funds	Risk-adjusted performance	USA Quarterly returns	RAP, Sharpe ratio, Treynor ratio	RAP is an improved risk-adjusted performance measure
6	Jun Cai , K. C.Chan and Takeshi Yamada	800 funds In 36 portfolios	The Performance of Japanese Mutual Funds	1981-1992 Japan	Positive partial weighted measure and Jensen's conditional measure	Most Japanese funds underperformed the market. No signs of market timing
7	Roger Otten and Dennis Bams	506 mutual funds	European mutual fund performance	1991-1998 Germany, Italy, France, UK, Netherlands	Carhart's four factor model coefficients	No evidence of the 'hot hands effect' or persistence performance effect
8	N.D.Philippas and Christine Psoma	17 Greek mutual funds	Equity mutual funds managers performance in Greece	1995-1998 Greece	Treynor- Mazuy model coefficients	No evidence of market timing and undervalued stock selection abilities
9	S.P.Kothari and Jerold B. Warner	336 artificial portfolios of equity mutual funds	Evaluating Mutual Fund Performance	1964-1991 USA	Sharpe ratio, Treynor ratio, Jensen alpha, Appraisal ratio, Fama-French 3 factor model coefficients	No evidence of market timing abilities even in constructed portfolios
10	George Artikis	10 balanced mutual funds	Evaluation of balanced mutual funds: the case of the Greek financial market.	1995-1998 Greece	Sharpe ratio, Treynor ratio, Jensen alpha, Standard deviation, Coefficient of variation and systematic risk	Funds were found to be defensive, with risk level lower than the market, after ranking them.

11	Con Keating and William F. Shadwick	Two hedge funds styles, MSCI & SWGBI with abnormal returns	A Universal Performance Measure	1993-2001 UK	Sharpe ratio, Tracking error, Omega measure	Classic measures and omega measure give different results and tools
12	S Narayan Rao and M Ravidran	269 mutual funds	Performance evaluation of Indian mutual funds	1998-2002 India	Sharpe ratio, Treynor ratio, Jensen alpha, Fama measure, RPI, Risk-return analysis	58 out of 269 mutual funds performed better than the market for that period in India, in both terms of systematic and total risk.
13	Vassilios Babalos, Guglielmo Maria Caporale, Alexandros Kostakis and Nikolaos Philippas	All equity mutual funds in Greek market	Testing for persistence in mutual fund performance and the ex post verification problem: Evidence from the Greek market	1998-2004 Greece	Sharpe ratio, Jensen alpha, Fama-French alpha, Carhart's alpha Jensen's augmented model alpha	Performance persistence was observed in 1998-2001.The best performance measure the Carhart's model coefficient which included information on the persistence after adjusting for important risk factors.
14	Martin Eling	38954 Investment funds	Does the Measure Matter in the Mutual Fund Industry?	1996-2005 Global	Sharpe ratio, Treynor ratio, Omega, Sortino, Kappa3, Calmar ratio, Sterling ratio, Burke ratio, 3 VaR-based measures, Upside potential	The Sharpe ratio is identical to the rest and by far the simplest and more studied one. High measure correlations.
15	Massimiliano Caporin and Francesco Lisi	Stocks of S&P 500, not managed funds	Comparing and Selecting Performance Measures Using Rank Correlations	1990-2008 USA	Sharpe ratio, Calmar ratio, Sterling ratio, Burke ratio, VR index, STARR, VaR ratio, generalized Rachev ratio, FT index, MRAR index and LAP measures	Their conclusion was that different performance measure rankings are based on the fact that different measures fit different pieces of information and time intervals. Not so high correlations

EXPERIMENTAL PART

3. EXPERIMENTAL PART

3.1. DATA SELECTION

3.1.1. MUTUAL FUND SELECTION

The financial health around the world after 2009 is under examination and many claim that it will take many years for some countries to escape the absurd results of past bad financial decisions. The continent influenced more during the crisis was indisputably Europe and, especially, the 'builded-on sand south countries' economies. Still in the year this dissertation is written, the European economy shows again signs of recovery after prolonged austerity and fiscal bailouts that removed many of the degrees of freedom of the local markets and economies.

The European sovereign crisis was a result of many sequential bubbles in the US and European economy like the estate bubble, the stock market bubble and the bubble of financial derivatives. During this period, huge funds shifted towards new economies and more safe ones, resulting in drainage of capital in European countries and already developed economies as well. Nowadays, the sense of safety seems to return and the funds returning to their 'base' will be missing from the blooming until recently economies like Brazil, Russia, India and China.

The purpose of this study is to examine the use of multiple performance measures in the asset class of mutual funds. It is focused on Europe and especially on three economies that didn't collapse during the crisis and are considered amongst the ones formatting the backbone of the European financial organism. These are Germany, Austria and France. The selection of countries didn't include south European countries like Greece, Italy, Spain and Portugal because the effects of bailouts in these countries after 2008 are obvious, though they are not market-driven, but pure political decisions. These four countries for a long period are not part of the markets since state funding and private sector funding was conducted with internal European state borrowing.

On the other hand, countries like Germany, France and Austria that depend their economies on domestic industrial production and parental industrial production, passed the years of crisis with minor financial injuries, strengthening their position in the markets and becoming lenders of the weak economies. Their answer to crisis was a mixture of large exports, high technology products and a prior-crisis strict fiscal policy. The monetary policy of European Union, which depends primarily from the decisions of France and Germany, is a low inflation oriented policy and is predicted not to change towards an expansion.

The crisis is thought to have started about the end of 2007 in the USA, with people witnessing averagely lower wages in purchasing ability than in 1990, large financial organizations being rescued by the USA government, an increase rate of unemployment and a collapsed real-estate sector. The first signs came in Europe early 2008 and in the south European countries in 2009. For this reason the time frame under examination was chosen to be eleven years, from 01/01/2002 to 31/12/2012. This overall period was divided in two sub periods, the first from 01/01/2002 to 01/06/2007 and the second from 01/06/2007 to 31/12/2012. So, roughly it can be estimated that the two subperiods characterize the prior-crisis and after-crisis periods of the European economies.

The mutual funds screened out for this study were meeting the below criteria for each country:

- a) Open-end funds;
- b) Country of domicile: the country under examination;
- c) Equity focus: domestic equity;
- d) Asset class: equity;
- e) Mutual fund status: survivor mutual funds;
- f) Fund size: any.

By meeting the above criteria there is, of course, survivorship bias. Moreover, the asset class of equity funds doesn't exclusively include domestic equity, since it is allowed for a small percentage of the mutual fund capital to be invested on bonds and foreign equity. Nonetheless, this small percentage is considered to have no substantial effect on the returns of the funds and the different sources of return, as shown later slightly change the parameters of the market. The choice of mutual funds resulted in a random selection of fund sizes.

After meeting the above criteria, weekly data for numerous mutual funds were collected, from which 204 mutual funds from each country were screened for which funds data were available for the overall period. Totally, they were chosen 612 mutual

funds for all three countries in the sense of producing statistically more substantial

results. All mutual funds in Germany, Austria and France are traded in euro for the

overall period, so no conversion had to be done with currency exchange rates

throughout the sample.

Data were obtained by the Bloomberg database with the subscription of

University of Piraeus. In the appendix, in Tables 1-3 are presented amongst other

things the tickers of the mutual funds (name) per country as they are registered in the

Bloomberg database and the number associated to them for this study for

methodology purposes.

As far as the risk free rate is concerned, we used the data available for the 3M

Euribor rate common for all three countries and not one of the domestic 1Y, 3Y, 5Y

and 10Y Treasury bill, because the rates in the domestic treasury bills especially in

Germany are not representative of the domestic equity market. Moreover, they were

chosen bond indexes additional to the main equity index from each country. The

entire above mentioned are described below:

a) Germany

Main equity index: Deutsche Borse AG German Stock Index DAX

It is the main equity index used in the German economy as a market reference. The

German Stock Index is a total return index of selected German stocks traded on the

Frankfurt Stock Exchange.

b) France

Main equity index: SBF250 French stock index

The CAC SBF250 contains stocks of the Euronext Paris market that have an annual

Free Float Velocity over 20%.

It is the main equity index used in the French economy as a market reference.

c) Austria

Main equity index: ATX INDEX

The Austrian Traded Index is a capitalization-weighted index of the most heavily

traded stocks on the Vienna Stock Exchange.

Chapter 3

Experimental Part

Totally, we collected 574 observations for each country for the overall period, 283 observations for the first subperiod and 294 observations for the second subperiod. The data were based on weekly rates to avoid the fluctuations generated from daily data and to overpass the issue of few observations in the case of monthly data. The data were prices per share of the individual mutual fund at the closing of every week, weekly closing prices for the 3M Euribor, weekly closing prices of all main stock.

3.1.2. RETURN CALCULATIONS

In order to use the data we needed first to transform them in logarithmic returns, so we used the following equation for all different assets:

$$Rln_{asseti,t} = ln \frac{P_{asseti,t}}{P_{asseti,t-1}}$$
 (3.1)

where $Rln_{asseti,t}$ is the logarithmic return of asset i in time t, $P_{asseti,t}$ is the price of asset i in time t. The logarithmic returns are quite identical with the first-difference returns but the distribution of logarithmic returns is more continuous.

We produced the main descriptive statistics for every mutual fund for all countries and all time frames. These were: the mean of the mutual fund returns, the standard deviation, the kurtosis and the skewness. Appendix Tables 4-6 include the mean and standard deviation of returns of all mutual funds for every time period under examination. The mean return shows the average value of returns, the standard deviation is the deviation of returns from the mean value, kurtosis is the indicator of how sharp is the return distribution and the skewness measures the asymmetry of the distributions. A normal return distribution has a kurtosis of 3 and a skewness of 0. If the kurtosis is higher than 3, then the distribution is smoother and has thinner tails, called platykurtotic and in the opposite case the distribution is peaker, the tails fatter and is called leptokurtotic. If the skewness is negative, the left tail of the distribution is fatter than the right tail and vice versa if the skewness is positive. Skewness equal to zero means perfect distribution symmetry or perfectly evened out tails asymmetries (one tail short-fat, the other long-thin).

Furthermore, we calculated the mean return and standard deviations of the main indices. As a first step, we converted the 3M Euribor data from annual to weekly by using the following formula:

$$3M_W = (1 + EUR3M)^{\frac{1}{52}} - 1 \tag{3.2}$$

Where $3M_W$ the real weekly 3M euribor rate and EUR3M is is the annualized data as collected from Bloomberg database.

3.2. PERFORMANCE MEASURES

3.2.1. BETA

The first calculation using the returns of the mutual funds was the calculation of the beta coefficient for every mutual fund. The beta coefficient will be later used to calculate the Treynor ratio. The first model is the single index model:

$$R_{mfi} = a_i + b_i R_m + u_i \tag{3.3}$$

where R_{mfi} is the mutual fund return, R_m the return of the country's market-index, a_i the intercept, b_i the beta coefficient for the mutual fund I and u_i the error term. To calculate the beta coefficients, we run regressions of the above equations with the least square method using the Eviews 6 program and the results and their t-tests are presented in Tables 7-9.

Residuals tests were contacted for heteroskedasticity and autocorrelation existence using the ARCH-LM test and the LM test, respectively. In the case of existence of autocorrelation in the residuals of the regressions, it is a sign of incomplete model used since more information is hidden in the residuals. The same effect is also valid in the case of heteroskedasticity. The estimated parameters are right (unbiased estimators), but the classic tests can't work because the estimated standard errors of the parameters are wrong and are used in the tests. A solution is to restimate the equation with the least square method by correcting the standard errors, with the White consistent coefficient covariance, if only heteroskedasticity exists in

the residuals. Newey-West heteroskedasticity consistent coefficient covariance can be used so as the t-statistics to be valid, in the case of existence of autocorrelation with or without heteroskedasticity in the residuals. The single index model is known to be very simplifying, but it is not in the purpose of this study to propose a new model for the mutual funds of these three countries.

Finally, the beta of the market used in calculations in later steps was unit.

3.2.2. SHARPE RATIO

Sharpe ratio was calculated for each mutual fund for every country for every period. Additionally, we calculated the Sharpe ratios for the market benchmark for every period and country using the following equations:

$$SR_{mfi} = \frac{ER_{mfi} - ER_f}{SDP_{mfi}}$$
 (3.4)

$$SR_{mfi} = \frac{ER_{mfi} - ER_{f}}{SDP_{mfi}}$$

$$SR_{M} = \frac{ER_{M} - ER_{f}}{SDP_{M}}$$
(3.4)

Where SR_{mfi} is the Sharpe ratio of the mutual fund i, SR_{M} denotes the Sharpe ratio of the market benchmark, ER_{mfi} the average return of the mutual fund, SDP_{mfi} the standard deviation population of the mutual fund, ER_f the average return of the riskfree rate, ER_M the average return of the market benchmark and SDP_M the standard deviation of population of the market benchmark.

Positive Sharpe ratio indicates portfolio overperformance in comparison with the market, while negative Sharpe ratio indicates that investing on this portfolio is less profitable than investing on the market. Finally, a negative Sharpe ratio shows that investing only on the risk-free asset is better than the under examination portfolio. Basic assumption is that the return distribution is normal, but when returns are not normally expressed it gives misleading results. However, it is widely used for ranking purposes.

3.2.3. TREYNOR RATIO

Having calculated the beta coefficient with the single index model (in part 3.2.1.), we used them to calculate the Treynor ratios for the the market benchmark and the individual mutual funds in every country and every time frame. (Appendix Tables 7-9) Using the equations below:

$$TR_{mfi} = \frac{ER_{mfi} - ER_f}{b_{mfi}}$$
 (3.6)

$$TR_{M} = \frac{ER_{M} - ER_{f}}{b_{M}}$$
 (3.7)

Where TR_{mfi} is the Treynor ratio of the mutual fund i, TR_{M} represents the Treynor ratio of the market benchmark, ER_{mfi} the average return of the mutual fund, b_{mfi} is the beta coefficient of the mutual fund i, ER_{f} the average return of the risk-free rate, ER_{M} is the average return of the market benchmark and b_{M} the beta coefficient of the market benchmark.

The measure is similar to the Sharpe ratio, with the only difference that instead of the standard deviation of returns of fund, it uses as a denominator the relative risk of portfolio. This relative risk is expressed through the beta coefficient of the portfolio.

The beta coefficient measures the systematic (market) risk and not the absolute risk of the portfolio. In that sense, it excludes unsystematic risk, assuming that all investors manage well-diversified risk, which is not accounted in the ratio. In case of unsystematic risk existence, the ratio is invalid.

It is used to rank portfolios and compare them or compare them with the return of the market. Positive and negative Treynor ratios have a two-way explanation and specifically the negative value can be explained as follows: either by a negative sensitivity of the portfolio to the market, meaning a great management or by an underperformance of the portfolio towards the risk-free asset, meaning a bad management. Respectively, a positive value indicates either overperformance of the

fund or a combination of fund underperformance, with negative fund correlation with the market.

3.2.4. JENSEN'S ALPHA

We calculated Jensen's alpha for each mutual fund, for all countries, for all examined periods by regressing the equation (3.8) with the Eviews 6 program and presented in Appendix Table 10-12. The estimated intercepts are the Jensen's alphas and the beta coefficients. The residuals of the regressions were tested for the existence of autocorrelation and heteroskedastisity and the estimated standard errors were recalculated with the White and Newey-West methods. Jensen's Alpha was the first benchmark-based measure to be used. It measures the excess return produced by management of a fund over the expected return due to better market timing and security selection. The Jensen's alpha is a relative risk-adjusted performance measure used to compare portfolio with the benchmark portfolio. It is based on the CAPM and given by the following equation:

$$\alpha_{\rm mfi} = [(R_{\rm mfi}) - r_{\rm f}] + \beta_{\rm mfi}[(R_{\rm M}) - r_{\rm f}]$$
 (3.8.)

where α_{mfi} is the Jensen's alpha for the mutual fund;

(R_{mfi}) is the mutual fund i return;

r_f is the risk-free asset return;

 β_{mfi} is the sensitivity or beta coefficient of the mutual fund towards the market or benchmark;

 (R_M) is the return of the benchmark.

The CAPM model, although a breakthrough in financial theory, has many disadvantages one of which is that as a model is not very accurate and statistically significant in many cases. However, as mentioned earlier for the single index model, these two models are to be used without proposing an alternative one in this study.

If alpha is positive, it indicates that the fund management or portfolio p overperforms the benchmark, while a negative alpha indicates a portfolio

underperformace. The benchmark portfolio alpha is zero. This excess return produced can be attributed to market timing, the ability to predict the movement of the market portfolio and higher security selection ability.

3.2.5. MODIGLIANI-MODIGLIANI MEASURE

We calculated the MM measure for all mutual funds, for every country and for every period under examination with the help of equation:

$$MM = (ER_{mfi} - ER_f) \frac{SDP_M}{SDP_{mfi}} + ER_f$$
 (3.9)

where ER_{mfi} is the return of the fund;

ER_f is the risk-free asset return;

SDP_{mfi} is the standard deviation of population of the mutual fund I returns;

SDP_M is the standard deviation of the market portfolio returns,

MM is the Modigliani-Modigliani measure.

Equation (3.9) shows that there is a return penalty for a portfolio with risk level higher than the benchmark risk level (market) and a return reward for a portfolio with lower risk level than the benchmark. This notion originated from corporate asset portfolios, a portfolio can transit to higher or lower risk level by borrowing/lending to the risk-free rate.

Levering for an investor means borrowing at the risk-free rate and making the portfolio larger, both in terms of risk and return and vice-versa. The bigger the measure, the higher the performance of the portfolio or fund evaluated.

3.2.6. INFORMATION RATIO

We calculated the measure named Information Ratio for every mutual fund, for all three countries and for every period under examination. The equation for calculating the measure is as follows:

Information ratio =
$$IR = \frac{E(R_{mfi} - R_M)}{SDP(R_{mfi} - R_M)}$$
 (3.10)

where R_{mfi} is the return of the mutual fund I, R_{M} is the return of the market and SDP is the standard deviation of population of the returns.

The nominator of the fraction is the expected excess return of the portfolio from the benchmark and the denominator is the standard deviation of the excess return or else called 'tracking error'. The ratio is the similar to the Sharpe ratio with the difference of use of excess return and the use of a benchmark instead of a risk-free asset.

A negative IR is indications of fund's underperformance towards the benchmark, while a positive one is an indicator of overperformance. The ratio also proposes the maximization of excess return and for the same period minimization of the undertaken risk.

3.2.7. TREYNOR-MAZUY MEASURE

Finally, we calculated the parameters of the Treynor-Mazuy equation for every mutual fund, all three countries and every period under examination. We regressed equation (3.11) using the Eviews 6 statistical program.(Appendix Table 10-12)

$$R_{mfi} - r_f = a_{mfi} + b_{mfi}[(R_M) - r_f] + c_{mfi}[(R_M) - r_f]^2$$
(3.11)

where $a_{\rm mfi}$, b_{mfi} , $c_{\rm mfi}$ are the Treynor-Mazuy alpha, beta and c parameters, respectively;

 (R_{mfi}) is the mutual fund *i* return;

r_f is the risk-free asset return;

 $(R_{\rm M})$ is the return of the market.

We tested the residuals of the regressions for the existence of autocorrelation and heteroskedasticity and dependant on the case we corrected the estimated standard errors of the parameters with the White and Newey-West methods. The coefficient c of market timing indicates if the fund management has market timing ability or not. If the coefficient is positive, the manager can predict the movement of the market, while if it is negative, it shows that the management is acting without predicting. Alpha coefficient measures the abnormal return of the mutual fund over the expected rate of return and beta coefficient measures the degree of co-movement between the mutual fund i and the market.

3.3. RANKING PERFORMANCE MEASURES

After we calculated the six different performance measures (Appendix Tables 1-3), we formatted rankings using the number associated to each mutual fund for each country which are presented in the appendix (Tables 13-15). Furthermore to have a more robust image of the rankings we structured the correlation matrixes for the six performance measures with their statistical significance.

RESULTS ANALYSIS

4. RESULTS ANALYSIS

4.1. INTRODUCTION

In the previous chapter, it is described the calculation of 6 different performance measures of 204 mutual funds for three countries over a period of 11 years (01/01/2002 to 31/12/2012). The countries under examination were Germany, France and Austria and the calculations were repeated for two subperiods of 11 years. The measures calculated were Sharpe ratio, Treynor ratio, the Modigliani-Modigliani (MM) measure, the Jensen's alpha, the information ratio (IR) and the alpha of Treynor-Mazuy model. Additionally, the beta coefficients for the calculation of Treynor ratio were estimated using the single index model and correlation matrixes of the rankings were produced in each case, to demonstrate the relationship amongst the measures.

4.2. DESCRIPTIVE STATISTICS OF MUTUAL FUNDS AND MARKETS

After calculating the descriptive statics for all mutual funds for the three countries and for the three periods under examination, we present them here conclusively and compare them with the market respective ones to demonstrate the relationship between the individual mutual fund and the market benchmark.

In the case of Austria, for the overall period the average kurtosis and average skewness were 6.51 and -0.98 respectively, characterizing the distributions leptokurtotic and negatively skewed, with the data gathered to the right side of the median. The majority of the mutual funds had a lower return than the market (172 out of 204), but also the majority of them had lower risk than the market risk (186 of the 204). The analysis in the two subperiods, before and during the crisis the results were mixed. Both subperiods showed consistent positive kurtosis and negative skewness as for the overall period. During the first subperiod, almost all mutual funds (202 of the 204) demonstrated lower returns than the market and more than half of them (113 of the 204) larger risk level than the market; whilst during the subperiod two,

corresponding to the crisis, almost all overperformed the market (195 of the 204) and took fewer risks, (195 of the 204). It is obvious that, after the arrival of the crisis, the funds became more careful and overperformed the falling market.

French mutual funds reacted differently than the Austrian ones in the same periods of examination. For all three periods under examination, the average kurtosis and skewness were positive and negative, respectively, showing that the distributions of returns were leptokurtotic and negatively skewed. As far as return and risk are concerned, the entire French funds examined beat the downwards moving market in return terms and the majority of them (156 of the 204) had lower risk than the market risk. In the period before the crisis, the French funds were less efficient and less risky than the market index. During the crisis, these funds had better returns (175) and lower risk (174) than the falling market. The better returns of the funds are due to the bad performance of the market.

In a market that during the 11 years of examination, the return was positive the mutual funds studied exhibited again averagely positive kurtosis and averagely negative skewness. For the overall period, all German mutual funds performed better than the market in return terms and most of them (156) had lower risk than the market. Before the crisis, the funds were less efficient than the market (139), but also less risky (187). After the burst of the crisis, the funds went on to have averagely less return (168) and less risk (150) than the market. This defensive behavior of the German funds can be attributed to strategy purposes of the funds and to the expectation on behalf of the German managers of a diminishing market. In Table 4.1 below we present corroborated the above results.

TABLE 4.1. CONCLUSIVE RETURN DESCRIPTIVE STATISTICS FOR 3 COUNTRIES, 3 PERIODS OF EXAMINATION, EQUITY MARKET BENCHMARK

COUNTRY	AUSTRIA	FRANCE	GERMANY
OVERALL PERIOD			
Market mean	0,00133	-0,00015	0,00066
Market stdev	0,03674	0,03077	0,03420
# MF with mean > market mean	32	204	47
# MF with mean < market mean	172	0	157
# MF with stdev > market stdev	18	48	34

# MF with stdev <	107	156	170
market stdev	186	156	170
SUBPERIOD ONE			
Market mean	0,00525	0,00140	0,00152
Market stdev	0,02166	0,02292	0,02999
# MF with mean > market mean	2	76	65
# MF with mean < market mean	202	128	139
# MF with stdev > market stdev	113	94	17
# MF with stdev < market stdev	91	110	187
SUBPERIOD TWO			
Market mean	-0,00238	-0,00158	-0,00006
Market stdev	0,04647	0,03665	0,03774
# MF with mean > market mean	195	175	36
# MF with mean < market mean	9	29	168
# MF with stdev > market stdev	9	30	54
# MF with stdev < market stdev	195	174	150

4.2.1. BETA COEFFICIENT RESULT ANALYSIS

We calculated the individual beta coefficients for the mutual funds in all countries for the 3 periods of examination, by regressing the single index model equation. After correcting the standards errors in the case of existence of heteroskedasticity and serial correlation in the residuals of the regressions, we present the results in disciplines of statistically significant and not in Table 4.2. T-tests were calculated for a confidence level of 95%.

In the Austrian case, for all periods under examination the beta coefficients were lower than the market's beta, with the majority of them to be statistically significant and the funds resolving to a defensive strategy.

In the French case, the mutual fund industry in terms of beta showed a contradictory behavior. For all three periods all funds betas were smaller than unity showing a defensive approach. Yet, in all three periods the statistically significant calculated betas were the minority (21, 85 and 89). This can be attributed to the inconsistencies of the single index model to incorporate all the available information of the French market in the calculated beta and the differences of time frames examined.

Finally in the German market, again, almost all of the beta coefficients for all three periods under examination were smaller than the index beta, except for 4 of them that were more aggressive than the market in the second subperiod. However, in this case all betas calculated were statistically significant. The German managers demonstrated a defensive strategy towards the market anticipating worsening of the market conditions in both subperiods.

TABLE 4.2. CONCLUSIVE BETA COEFFICIENTS, 3 COUNTRIES, 3 PERIODS OF EXAMINATION

	SIM (SINGLE INDEX MODEL)					
COUNTRY	AUS'	TRIA	FRA	FRANCE		MANY
OVERALL PERIOD	Stat. sign.	Stat. insig.	Stat. sign.	Stat. insig.	Stat. sign.	Stat. insig.
# MF with BETA > 1	0	0	0	0	0	0
# MF with BETA< 1	202	2	21	183	203	1
SUBPERIOD ONE	Stat. sign.	Stat. insig.	Stat. sign.	Stat. insig.	Stat. sign.	Stat. insig.
# MF with BETA > 1	0	-0,	0	0	0	1
# MF with BETA< 1	201	3	85	119	202	1
SUBPERIOD TWO	Stat. sign.	Stat. insig.	Stat. sign.	Stat. insig.	Stat. sign.	Stat. insig.
# MF with BETA > 1	0	0	0	0	4	0
# MF with BETA< 1	198	6	89	115	199	1

4.2.2. SHARPE RATIO RESULT ANALYSIS

Positive Sharpe ratio indicates mutual fund overperformance in comparison with the market, while negative Sharpe ratio indicates that investing on this portfolio is less profitable than investing on the market. As a comparing measure between the mutual fund and the market, the Sharpe ratio showed consistent results for all three

countries. Firstly, the evolution of the market Sharpe ratio in France and Germany seems identical.

In Austrian mutual fund industry, for the overall period, 158 funds overperformed the market, this ranging from 74 for the first subperiod to an absolute 204 for the crisis period. The results for France were 161, 80 and 177 respectively. Finally, for Germany, 137 funds overperformed the market the overall period, 68 during the period before crisis and 110 during the crisis. All three countries demonstrated identical Sharpe adjusted behavior. It seems that, in terms of reward-to-total risk, most of the mutual funds in the three countries overperformed the market. Yet, the Sharpe ratio is based on normal distributions of returns assumption, not the case here. It is widely used for ranking funds and in these rankings the information incorporated is more reliable. In Table 4.3 the conclusive Sharpe ratios of the mutual funds and the comparison with the market Sharpe ratio are exhibited.

TABLE 4.3. CONCLUSIVE SHARPE RATIOS COMPARATIVE STATISTICS, 3 COUNTRIES, 3 PERIODS OF EXAMINATION, EQUITY MARKET BENCHMARK

COUNTRY	AUSTRIA	FRANCE	GERMANY				
OVERALL PERIOD							
Market Sharpe	0,20911	0,20138	0,20503				
# MF with Sharpe > market Sharpe	158	161	137				
# MF with Sharpe < market Sharpe	46	43	67				
SUBPERIOD ONE							
Market Sharpe	0,20654	0,02728	0,02479				
# MF with Sharpe > market Sharpe	74	80	68				
# MF with Sharpe < market Sharpe	130	124	136				
SUBPERIOD TWO							
Market Sharpe	0,23138	0,31531	0,34662				
# MF with Sharpe > market Sharpe	204	177	110				
# MF with Sharpe < market Sharpe	0	27	94				

4.2.3. TREYNOR RATIO RESULT ANALYSIS

Treynor ratio is used to rank portfolios or to compare them with the return of the market. Positive and negative Treynor ratios have a two-way explanation and, specifically, the negative value can be explained as follows: either by a negative sensitivity of the portfolio to the market, meaning a great management, or by an underperformance of the portfolio towards the risk-free asset, meaning a bad management. Respectively, a positive value indicates either overperformance of the fund or a combination of fund underperformance, with negative fund correlation with the market.

The Treynor ratios were calculated with the help of the beta coefficients, calculated earlier in the 4.1.3 part of this study by regressing the SIM. Relatively to the Treynor ratio of a mutual fund, the Treynor ratio of the market index is a measure of overperformance or underperformance of the fund. In this case, the average fund results are different than the ones obtained in the Sharpe ratio part.

Austria and Germany are highly correlated in the number of mutual funds over or under performing the market, while France gives totally opposite results. More accuratelly, in Austria for the overall period, 201 funds overperformed the market, for subperiod one, 165 underperformed the market and the period of crisis, 201 overperformed it. Similar results were found in German mutual fund industry, with 194 overperforming the overall period, 126 underperforming the first subperiod and 178 overperforming during the crisis period.

In the case of French mutual funds, 146 of them were underperformers in the overall period, 132 overperformers the first subperiod and 183 overperformed the market the crisis period. All the above mentioned results are concentrated in Table 4.4.

During the periods where the majority of mutual funds underperformed the market, it is also observed that the values of the Treynor ratio were negative, indicating either underperformance of the fund and a positive beta of the fund, or a negative sensitivity of the fund and a good fund performance. Similarly, a positive value during positive Treynor ratio periods indicates either overperformance of the fund, or a combination of fund underperformance and negative fund sensitivity with the market. As shown in the rankings part, the Treynor ratios are calculated by using

the beta coefficients through the single index model, in which case betas sometimes are not statistically significant and can give unreliable Treynor ratios as a consequence.

TABLE 4.4. CONCLUSIVE TREYNOR RATIOS COMPARATIVE STATISTICS, 3 COUNTRIES, 3 PERIODS OF EXAMINATION, EQUITY MARKET BENCHMARK

		SINGLE INDEX MODEL (SIM)		
COUNTRY	AUSTRIA	FRANCE	GERMANY	
OVERALL PERIOD			4,	
Market Treynor	0,00768	0,00620	0,00701	
# MF with Treynor >	201	58	194	
Market Treynor	201		12.1	
# MF with Treynor <	3	146	10	
Market Treynor	C	110		
SUBPERIOD ONE		4/7		
Market Treynor	0,00447	0,00063	0,00074	
# MF with Treynor >	39	132	78	
Market Treynor	39	132	78	
# MF with Treynor <	165	72	126	
Market Treynor	103	12	120	
SUBPERIOD TWO				
Market Treynor	0,01075	0,01156	0,01308	
# MF with Treynor >	201	21	178	
Market Treynor	201		170	
# MF with Treynor <	3	183	26	
Market Treynor		100	20	

4.2.4. JENSEN ALPHA RESULT ANALYSIS

Jensen's alpha measures the excess return produced by management of a fund over the expected return due to better security selection. The Jensen's alpha is a relative risk-adjusted performance measure that is used to compare portfolios with the benchmark portfolio. Alpha measures produced by regression were checked for their statistical significance, to exam whether a positive contribution from the management of the fund was reliable. T-tests were again calculated for a confidence level of 95%.

Studying Austria, for the overall period almost all alphas were statistically insignificant and more than half of them were positive, indicating no contribution from the managers to excess returns.

TABLE 4.5. CONCLUSIVE JENSEN ALPHA STATISTICS, 3 COUNTRIES, 3 PERIODS OF EXAMINATION

COUNTRY	AUSTRIA		FRANCE		GERMANY	
OVERALL PERIOD						
T -test	Stat signif	Stat insign	Stat signif	Stat insign	Stat signif	Stat insign
# MF with a > 0	2	113	74	134	2	83
# MF with a < 0	0	89	0	0	6	113
SUBPERIOD ONE						1
T -test	Stat signif	Stat insign	Stat signif	Stat insign	Stat signif	Stat insign
# MF with a > 0	3	29	14	121	13	67
# MF with a < 0	114	58	0	69	4	120
SUBPERIOD TWO				17	1	1
T -test	Stat signif	Stat insign	Stat signif	Stat insign	Stat signif	Stat insign
# MF WITH a > 0	79	124	55	149	0	84
# MF WITH a < 0	0	1	0	0	15	105

In the first subperiod, 114 funds were statistically significant, but negative, while in the crisis subperiod the Austrian mutual funds in majority showed positive manager's contribution. Yet, from 203 of them only 79 were statistically significant, but their values were close to zero, showing weak decision abilities. In Austria, fund managers showed weak evidence of selection abilities to generate higher than expected returns only in the crisis period.

In the case of France, for the overall period, the majority of mutual funds alphas were positive but statistically insignificant, and the ones that were significant were close to zero. In the first subperiod, almost 70 funds had alphas negative and only 14 positive alphas were significantly positive, but close to zero. Finally, in the crisis subperiod, the majority of alphas (149) were insignificantly positive. Relatively few French mutual funds managers exhibited weak evidence of undervalued stocks selecting ability, in all three periods of examination.

Finally, in the German mutual fund industry the situation seemed different from the other two industries. In all three periods under examination, the alphas calculated were in majority (113, 120 and 105) negative and the very few ones that

were significantly positive were almost zero valued. German mutual funds managers showed no evidence of selection abilities. The results are corroborated in Table 4.5.

4.2.5. TREYNOR-MAZUY RESULT ANALYSIS

After regressing the Treynor-Mazuy model equation, we obtained calculations for coefficients *alpha*, *beta* and *c*. *Alpha* is a performance measure, *beta* is the sensitivity of the fund towards the market and c the market-timing ability coefficient. The alpha is an indicator of stock selection abilities on the fund manager's part and c coefficient is the indicator of a manager's abilities to predict the market movement and act respectively. All three coefficients were tested for their statistical significance for a confidence level of 95% and results are reported in Table 4.6.

TABLE 4.6. TREYNOR-MAZUY COEFFICIENTS STATISTICS, 3 COUNTRIES, 3 PERIODS OF EXAMINATION

COUNTRY	AUSTRIA		FRANCE		GERMANY	
OVERALL PERIOD		.5	7.			
T -test	Stat signif	Stat insign	Stat signif	Stat insign	Stat signif	Stat insign
# MF with a > 0	0	22	1	102	0	53
# MF with a < 0	42	140	0	101	28	123
# MF with b > 1	0	0	0	0	0	0
# MF with b < 1	204	0	204	0	203	1
# MF with $c > 0$	203	1	204	0	131	72
# MF with c< 0	0	0	0	0	0	1
SUBPERIOD ONE				l		
T -test	Stat signif	Stat insign	Stat signif	Stat insign	Stat signif	Stat insign
# MF with a > 0	1	38	0	39	17	82
# MF with a < 0	117	48	21	144	5	100
# MF with b > 1	0	0	0	0	0	1
# MF with b < 1	204	0	203	1	203	0
# MF with $c > 0$	48	82	98	106	0	70
# MF with c< 0	11	63	0	0	2	132
SUBPERIOD TWO				ı	1	1
T -test	Stat signif	Stat insign	Stat signif	Stat insign	Stat signif	Stat insign
# MF with $a > 0$	0	167	0	145	0	48
# MF with a < 0	0	37	0	59	16	140
# MF with b > 1	1	0	0	0	21	0

# MF with b < 1	203	0	204	0	182	1
# MF with c > 0	196	8	204	0	121	62
# MF with c< 0	0	0	0	0	0	21

Alpha coefficient analysis: In Austrian mutual funds case, for the overall period the majority of alphas were negative and statistically insignificant (140). For the first subperiod, the majority of alphas were significantly negative (117) and for the crisis subperiod, the majority of alphas (167) were insignificantly positive. In the French case, for the overall period and for the crisis period the majority of alphas were statistically insignificant, while in the first subperiod the 21 significant alphas were negative. In the German case, for all three periods the majority of alphas were insignificant, except for 17 significantly positive ones in the first subperiod where the values were close to zero. The results exhibited that there was no evidence of selection abilities of the fund managers contributing to excess returns, except for 17 funds in the first subperiod in Germany where the evidence was weak. Additionally, the alphas calculated here are similar in trends with the Jensen's alphas calculated in 4.1.6 part, with the exception of the first subperiod in France.

Beta coefficient analysis: beta coefficients in all nine periods under investigation were smaller than unity and statistically significant. However, there were in the first subperiod of Germany 21 mutual funds with beta larger than unity, statistically important result that showed the different strategy these funds took this period in contrast with the common defensive fund policy in the three countries.

Market-timing coefficient analysis: during the overall period all three countries showed c coefficients significantly positive (203, 204 and 131), while there was only one unreliable negative c. During the first subperiod, statistically important positive c coefficients were found only in the case of Austria and France. Finally, during the crisis subperiod, the majority of the c coefficients were significantly positive (196, 204 and 121). In all three countries, strong evidence of market-timing abilities of the managers was found for the overall and the second subperiod. Weak evidence was found during the first subperiod only in Austria and France.

4.2.6. MODIGLIANI-MODIGLIANI MEASURE RESULT ANALYSIS

The RAP measure or M² measure is a risk-adjusted performance (RAP) measure that bears the market portfolio return and is used to compare portfolios with different levels of risk. It shows that, there is a return penalty for a portfolio with risk level higher than the benchmark risk level (market) and a return reward for a portfolio with lower risk level than the benchmark. The bigger the measure, the higher the performance of the portfolio or fund evaluated. The conclusive calculated MM measures (expressed in basis units or percentages) are corroborated in Table 4.7 below.

TABLE 4.7. CONCLUSIVE MM MEASURE STATISTICS, 3 COUNTRIES, 3 PERIODS OF EXAMINATION

COUNTRY	AUSTRIA	FRANCE	GERMANY
OVERALL PERIOD			
Average MM	0,00439	0,00105	0,00113
# MF with MM> 0	190	147	178
# MF with MM < 0	14	57	26
SUBPERIOD ONE			•
Average MM	0,00116	0,00153	0,001406
# MF with MM> 0	157	188	181
# MF with MM < 0	47	16	23
SUBPERIOD TWO			•
Average MM	0,01171	0,00096	0,00071
# MF with MM> 0	177	112	107
# MF with MM < 0	27	92	97

The RAP analysis showed that, for Austria, the funds performed averagely well for all three periods under investigation with the majority of them to be positive (190, 157 and 177), especially well during the crisis subperiod. In the French case, the average performances were positive, the individual funds performances were mainly positive (147,188 and 112), but during the crisis period their average performance was marginal positive. Finally, in Germany, we obtained the same results as for France. As a conclusion as far as average performance is concerned, all three countries' funds industries exhibited good performance and the majority of their funds showed positive

outcome, even during crisis. Austrian funds in the last subperiod seemed way more efficient than the respective French and German ones in terms of adjusted–risk returns achieved.

4.2.7. INFORMATION RATIO RESULT ANALYSIS

The nominator of the IR measure is the expected excess return of the portfolio from the benchmark and the denominator is the standard deviation of the excess return or else called 'tracking error'. The ratio is the similar to the Sharpe ratio with the difference of use of excess return and the use of a benchmark instead of a risk-free asset. A negative IR is the indication of fund underperformance towards the index, while a positive one is an indicator of overperformance and stock picking ability. Results of the IR calculations are gathered in Table 4.8.

TABLE 4.8. CONCLUSIVE INFORMATION RATIO STATISTICS, 3 COUNTRIES, 3 PERIODS OF EXAMINATION

COUNTRY	AUSTRIA	FRANCE	GERMANY
OVERALL PERIOD			1
Average IR	-0,03726	0,00845	-0,02621
# MF with IR> 0	31	137	46
# MF with IR< 0	173	67	158
SUBPERIOD ONE			•
Average IR	-0,16576	0,00096	-0,01576
# MF with IR> 0	3	76	65
# MF with IR< 0	201	128	139
SUBPERIOD TWO			•
Average IR	0,04286	0,01183	-0,03772
# MF with IR> 0	195	175	36
# MF with IR< 0	9	29	168

The IR analysis showed for Austria that for the overall period, the funds did not have averagely stock picking abilities and the 173 of the 204 funds underperformed the market. The same trend was observed during the first subperiod. The opposite

behavior was found during crisis subperiod, with mutual funds averagely overperforming the market.

In French case, during the overall and the second period, funds showed evidence of stock selection ability, whilst during the first subperiod, the majority underperformed the market. In all three periods, French mutual funds demonstrated averagely positive performance.

The German mutual fund industry underperformed averagely the market in all three periods of examination and the majority of funds (158, 139 and 168) individually showed no selection abilities during the three periods.

4.3. RANKING RESULT ANALYSIS

After calculating the performance measures for each case of examination, we sorted them from the smallest to the highest value, creating rankings of performance (Appendix). Moreover, we correlated these rankings with the use of Eviews6 program and we obtained the following matrixes for each period and country under examination. The matrixes contain the correlation coefficients and the t-test of the correlation between the measures (Matrices 4.1- 4.9).

Austrian mutual funds performance measures, ranking correlation analysis:

The results in Matrix 4.1 show that correlations among the measures range from 0.003 for Treynor ratio *vs* Treynor-Mazuy alpha to 1 for Sharpe *vs* MM. It can be observed that the Treynor ratio has statistically insignificant low correlation with IR, Jensen and Treynor-Mazuy measure and statistically significant low correlation with Sharpe and MM measure. Jensen has high correlation with the other regression-based measure, Treynor-Mazuy and the IR. Correlations below 0.1 are statistically unreliable.

Matrix 4.1. CORRELATION MATRIX FOR AUSTRIA, OVERALL PERIOD

Included observations:	204					
	Correlation					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZUY	TREYNOR
IR	1					
JENSEN	0.916347	1				
	32.52803					
M2	0.072250	0.374247	1			
	1.029552	5.735889				
SHARPE	0.072250	0.374247	1	1	4.	
	1.029552	5.735889	2.13E+08			
TR_MAZUY	0.975449	0.889634	0.034910	0.034910	1	
	62.95243	27.68730	0.496463	0.496463		
TREYNOR	0.005601	0.054423	0.180101	0.180101	0.003091	1
	0.079607	0.774650	2.602271	2.602271	0.043932	

During the first subperiod in Austria, the coefficients of correlation become statistically important for all measures intra-relationships, the correlations ranging from 0.19 to 1. This period was a homogeneous one and was before the crisis. In this period using the six measures produced similar rankings with the exception of the Treynor ratio (Matrix 4.2).

Matrix 4.2. CORRELATION MATRIX FOR AUSTRIA, SUBPERIOD ONE

Included observati	ons: 204					
	Correlation	7/				
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZUY	TREYNOR
IR	1					
JENSEN	0.897929	1				
	28.99521					
M2	0.926756	0.909920	1			
	35.06252	31.17862				
SHARPE	0.926756	0.909920	1	1		
	35.06252	31.17862	2.88E+08			
TR_MAZUY	0.936076	0.911944	0.905936	0.905936	1	
	37.81767	31.58829	30.40938	30.40938		
TREYNOR	0.218932	0.191957	0.257800	0.257800	0.221928	1
	3.188973	2.779921	3.792212	3.792212	3.234860	

During the crisis subperiod, the measures lost their correlation at a big grade, resulting in insignificant results (Matrix 4.3). Nonetheless, it is worthy to refer to the correlation among the Jensen, the Sharpe and the MM measures which is close to 0.9.

Matrix 4.3. CORRELATION MATRIX FOR AUSTRIA, SUBPERIOD TWO

Included observations: 20	4					
	Correlation					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZUY	TREYNOR
IR	1					
JENSEN	0.837367	1				
	21.77153					
M2	0.256901	0.624436	1			
	3.778051	11.36242				
SHARPE	0.256901	0.624436	1	1		
	3.778051	11.36242	2.55E+08			
TR_MAZUY	0.054550	0.010991	-0.019199	-0.019199	1	
	0.776460	0.156222	-0.272918	-0.272918		
TREYNOR	0.047309	0.162111	0.325764	0.325764	-0.006693	1
	0.673137	2.334920	4.897116	4.897116	-0.095126	

French mutual funds performance measures, ranking correlation analysis:

Matrix 4.4 shows the correlation coefficients of French mutual funds for the overall period. All measures are positively and well correlated except for the Treynor ratio that has no correlation at all. The significant correlations range from 0.67 for the correlation of Jensen vs Sharpe measure, to 1 in the case of linearly related Sharpe and MM measures.

Matrix 4.4. CORRELATION MATRIX FOR FRANCE, OVERALL PERIOD

Inclu	ded observations: 204					
	Correlation					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZUY	TREYNOR
IR	1					
		>				
JENSEN	0.985412	1				
	82.29532					
M2	0.728982	0.675710	1			
	15.13556	13.02777				
SHARPE	0.728989	0.675714	1	1		
	15.13585	13.02791	29965.36			
TR_MAZUY	0.993003	0.983129	0.715185	0.715185	1	
	119.5132	76.38960	14.54312	14.54311		
TREYNOR	0.001298	-0.025991	-0.012915	-0.012959	0.001458	1
	0.018450	-0.369522	-0.183577	-0.184191	0.020723	

For the first subperiod in France, the correlations are high, statistically important with the exception of the Treynor ratio that shows no correlation with other measures, results presented in Matrix 4.5.

Matrix 4.5. CORRELATION MATRIX FOR FRANCE, SUBPERIOD ONE

Includ	ded observations: 204					
Correlat	ion					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZUY	TREYNOR
IR	1					
JENSEN	0.992301	1				
	113.8748					
M2	0.977702	0.961049	1			
	66.17161	49.42193				
SHARPE	0.977713	0.961077	0.999996	1		
	66.18815	49.44085	4879.884			
TR_MAZUY	0.945956	0.945842	0.908409	0.908416	1	
	41.45800	41.41038	30.88122	30.88271	/	
TREYNOR	-0.062273	-0.056077	-0.060582	-0.060593	-0.042896	1
	-0.886785	-0.798255	-0.862623	-0.862777	-0.610223	

Finally, for the crisis subperiod under investigation, in a precautious market the correlations are positive and significant, but lower than the first subperiod. Treynor ratio continues its bad correlation relationship with all the other measures, while Treynor-Mazuy, Jensen and IR increase their intercoefficients. These results are presented in Matrix 4.6 below.

Matrix 4.6. CORRELATION MATRIX FOR FRANCE, SUBPERIOD TWO

Includ	ed observations: 204					
	Correlation					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZUY	TREYNOR
IR	1	,				
		7 /				
JENSEN	0.964560	1				
	51.95440					
M2	0.698693	0.584072	1			
	13.88033	10.22693				
SHARPE	0.698693	0.584072	1	1		
	13.88033	10.22693	80324127			
TR_MAZUY	0.982109	0.950146	0.684101	0.684101	1	
	74.12337	43.30960	13.33025	13.33025		
TREYNOR	0.099747	0.112311	0.066030	0.066030	0.093096	1
	1.424771	1.606404	0.940512	0.940512	1.328910	

German mutual funds performance measures, ranking correlation analysis:

Matrix 4.7 presents the correlation among performance measures for the overall period for German mutual funds. Sharpe and MM had low correlations with the other measures, while high correlations were observed within the Jensen, Treynor-Mazuy and IR group. Treynor ratio gave low and sometimes insignificant rankings in all cases, with the exception of a 0.43 correlation with the IR.

Matrix 4.7. CORRELATION MATRIX FOR GERMANY, OVERALL PERIOD

Included observations: 20	04					
	Correlation					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZ	TREYNOR
IR	1					
JENSEN	0.746635	1				
	15.95180					
M2	0.180756	0.359725	1			
	2.612052	5.479452				
SHARPE	0.180756	0.359725	1	1		
	2.612052	5.479452	1.13E+08			
TR_MAZ	0.725796	0.968638	0.211179	0.211179	/ 1	
	14.99540	55.40555	3.070672	3.070672		
TREYNOR	0.434140	0.054084	0.244594	0.244594	-0.116909	1
	6.849436	0.769811	3.585235	3.585235	-1.673058	

During the first period in Germany, where there was no crisis yet, the correlations were significant and high in all cases, even for the Treynor ratio, as shown in Matrix 4.8.

Matrix 4.8. CORRELATION MATRIX FOR GERMANY, SUBPERIOD ONE

Included observations: 2	204					
	Correlation					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZ	TREYNOR
IR	1					
JENSEN	0.678586	1				
	13.13035					
M2	0.970921	0.695763	1			
	57.64150	13.76729				
SHARPE	0.970921	0.695763	1	1		
	57.64150	13.76729	2.19E+08			
TR_MAZ	0.776890	0.937063	0.766195	0.766195	1	
	17.53661	38.14327	16.94606	16.94606		
TREYNOR	0.827184	0.807406	0.867378	0.867378	0.870974	1
	20.92161	19.44992	24.77199	24.77199	25.19470	

Finally, during the crisis period in Germany the measures were positively and high correlated with the exception of the Sharpe and the MM measures, whose correlations with the other measures ranged from 0,33 to 0,77. Again the Treynor ratio was significantly correlated with all of the other measures, as shown in Matrix 4.9.

Matrix 4.9. CORRELATION MATRIX FOR GERMANY, SUBPERIOD TWO

Included observations: 20	4					
	Correlation					
t-Statistic	IR	JENSEN	M2	SHARPE	TR_MAZ	TREYNOR
IR	1					
JENSEN	0.864846	1				
	24.48380					
M2	0.332184	0.554488	1			
	5.005465	9.469889				
SHARPE	0.332184	0.554488	1	1		
	5.005465	9.469889	1.02E+08			
TR_MAZ	0.922040	0.933256	0.414855	0.414855	1	
	33.85395	36.92559	6.480145	6.480145		
TREYNOR	0.450399	0.604925	0.776101	0.776101	0.451278	1
	7.169767	10.79718	17.49179	17.49179	7.187334	

In conclusion, for the three markets we have gathered the following results:

- a) MM (RAP) measure was perfectly correlated with the Sharpe measure, as expected.
- b) The Jensen's alpha and the Treynor-Mazuy's alpha were highly correlated in 8 out of the 9 cases under examination, both derived from regressions.
- c) The IR was well correlated (over 0.7) with the Jensen's alpha in all cases and with the Treynor-Mazuy's alpha in 8 of the 9 cases.
- d) The Sharpe and the MM measures correlations versus the Jensen and Treynor-Mazuy measure ranged from 0.3 to 0.96 in 8 out of 9 cases of investigation.
- e) The Treynor ratio was unreliable in 6 out of 7 cases under examination and it is obvious that it cannot be used to rank funds through different market phases.

These inconsistencies can be attributed to the following factors:

- 1) The benchmark used in each country is sometimes inefficient to describe the mutual fund industry. In this case, the regression parameters and the measures calculated based on this benchmark are unreliable.
- 2) The coefficient of sensitivity, beta calculated by the single index model or by regressions, doesn't bear the whole information of risk since it is a relative risk indicator, i.e. see Diacogiannis-Feldman,⁴⁹ and can be used an alternative beta to incorporate inefficient benchmarks. Each market needs a specialized model to describe the local industry and the three models used in this study have limited potentials.

- 3) The classic measures like Sharpe ratio, the RAP and the Treynor ratio are based on the symmetrical normal world which for sure is not the case for the three markets where the distributions were leptokurtotic and negatively skewed.
- 4) Results depend on the kind of stocks funds invested on, the strategy they followed in the specific market and the time interval examined. In all these categories, there were many qualitative and quantitative changes, especially during the crisis subperiod.
- 5) Finally, the ranking correlation of funds as examined from Eling (2008),²⁰ gave identical rankings, but the database used was enormous. Here the database was referring to 204 mutual funds per country for an eleven years period.

Different rankings are the outcome of incorporation of different pieces of information in the various performance measures.

4.4. CONCLUSIONS

As far as the descriptive statistic analysis is concerned, it can be concluded that for all three market all funds return distributions in average were leptokurtotic and negatively skewed. Specifically, in Austria for the overall period 172 out of 204 mutual funds had a lower return than the market and 186 of the 204 had lower risk. During the first subperiod 202 of the 204 funds demonstrated lower returns than the market and 113 of the 204 larger risk level, whilst during the crisis subperiod, 195 of the 204 funds over performed the market and took fewer risks. It is obvious that after the arrival of the crisis, the funds became more careful and overperformed the falling market.

French mutual funds reacted differently than the Austrian ones in the same periods of examination. French funds examined beat the downwards moving market for the overall period and 156 of the 204 had lower risk. In the period before the crisis, the French funds were less efficient and less risky than the market index. During the crisis, these funds had better returns (175) and lower risk (174) than the

falling market. The better returns of the funds are mainly due to the bad performance of the market.

For the overall period, all German mutual funds did better than the market and most 156 of them had lower risk. Before the crisis, the funds were less efficient than the market (139), but also less risky (187). After the burst of the crisis, the funds went on to have averagely less return (168) and less risk (150) than the market. This defensive behavior of the German funds can be attributed to strategy purposes of the funds.

As far as the performance measures are concerned the results were mixed. In the case of the Sharpe measure, the Austrian mutual funds for the overall period overperformed the market, 74 overperformed the market for the first subperiod and an absolute 204 overperformed the market during the crisis period. The results for France were 161, 80 and 177, respectively. Finally, for Germany, 137 funds overperformed the market the overall period, 68 during the period before crisis and 110 during the crisis. All three countries demonstrated identical Sharpe-adjusted behavior.

In the case of the Treynor ratio, Austria and Germany were highly correlated in the number of mutual funds over or under performing the market, while France gave totally opposite results. In Austria, for the overall period, 201 funds overperformed the market, for subperiod one, 165 underperformed the market and the period of crisis, 201 overperformed it. Similar results were found in German mutual fund industry, with 194 overperforming the overall period, 126 underperforming the first subperiod and 178 overperforming during the crisis period.

In the case of Jensen's alpha Austria, fund managers showed weak evidence of selection abilities to generate higher than expected returns only in the crisis period. Relatively few French mutual funds managers exhibited weak evidence of undervalued stocks selecting ability, in all three periods of examination. German mutual funds managers showed no evidence of selection abilities.

In the Treynor-Mazuy coefficients case we observed the following results. The results of alpha coefficients exhibited that there was no evidence of selection abilities of the fund managers contributing to excess returns, except for 17 funds in the first subperiod in Germany where the evidence was weak. Beta coefficients in all nine periods under investigation were smaller than unity and statistically significant. However there were in the first subperiod of Germany 21 mutual funds with betas larger than unity, statistically important result, that showed the different strategy these

funds followed this period in contrast with the common defensive fund policy in the three countries. In the c coefficient case, all three countries showed strong evidence of market-timing abilities of the managers for the overall and the second subperiod. Weak evidence was found during the first subperiod only, in Austria and France.

As far as the MM measure is concerned all three countries' funds industries exhibited good performance and the majority of their funds showed positive outcome, even during crisis. Austrian funds in the last subperiod seemed way more efficient than the respective French and German ones, in terms of adjusted–risk returns achieved.

As far as the IR is concerned for the overall period, Austrian funds averagely did not have stock picking abilities and the 173 of the 204 funds underperformed the market. The same trend was observed during the first subperiod. The opposite behavior was found during crisis subperiod, with mutual funds averagely overperforming the market. In French case, during the overall and the second period, funds showed evidence of stock selection ability, whilst during the first subperiod the majority underperformed the market. In all three periods French mutual funds demonstrated averagely positive performance. The German mutual fund industry underperformed averagely the market in all three periods of examination and the majority of funds (158, 139 and 168) individually showed no selection abilities during the three periods

Finally, the ranking correlation analysis showed that MM (RAP) measure was perfectly correlated with the Sharpe measure as expected, The Jensen's alpha and the Treynor-Mazuy's alpha were highly correlated in 8 out of the 9 cases under examination. Moreover the IR was well correlated (over 0.7) with the Jensen's alpha in all cases and with the Treynor-Mazuy's alpha in 8 of the 9 cases. Additionally, the Sharpe and the MM measures correlations versus the Jensen and Treynor-Mazuy measure ranged from 0.3 to 0.96 in 8 out of 9 cases of investigation. Finally, the Treynor ratio was found to be unreliable in 6 out of 7 cases under examination and it was obvious that it cannot be used to rank funds through different market phases.

Further study on the mutual fund performance could involve a bigger sample of countries, strong and weak ones. The time interval could include more periods in which the market behavior would be alternating, such as the 3 last years that we observe a blooming of stock markets. Finally, more complex performance measures could be used, based on more descriptive and modern benchmarks simulating models.

TABLE 1. AUSTRIAN MUTUAL FUNDS PERFORMANCE MEASURES

22 ЗВКОВК4	21 GU	20	19	18	17							ᅩ		!		_ !							
3KOBK4	C	ω	31	31		16 S	15 RE	14 EK	13 P1	12 C	11 CI	10 P,	9	8 E	7 BA	6 P2	5 A	4 S	3 A	2 B/	1 =	#	
	GUTEUPO	звквту1	3BOBK14	3BV1FND	RENGAKT	SIRIU37	RENGAKA	EKAKM14	P1FUNDS	CIENGST	CIENGSV	PACTRST	EKAKO13	EKAKO17	BAWGSPC	P2FUNDS	AIBCGEF	SIRIU29	AIBCGVA	BAWSPAK	INTRGLD	NAME	
0,98103	0,23500	1,29278	0,89304	1,07117	0,21123	1,08728	0,20750	0,91993	0,75007	0,22555	0,22569	0,24854	0,78234	0,84388	0,86276	0,76944	0,24528	0,43158	0,24685	0,24707	0,15514	SHARPE	
0,00087	-0,00047	0,00126	0,00078	0,00099	0,00025	0,00082	0,00012	0,00100	0,00092	-0,00011	-0,00009	0,00000	0,00064	0,00063	0,00073	0,00066	-0,00087	0,00022	-0,00084	-0,00091	0,00144	JENSEN	
0,10089	0,01323	0,12641	0,11289	0,55747	0,01190	0,11288	0,01168	-0,38987	-0,29356	0,01406	0,01406	0,02394	0,27145	0,18091	-0,73531	0,34262	0,01566	0,04976	0,01576	0,02217	0,01691	TREYNOR	OVERAL
0,02969	0,00228	0,04114	0,02646	0,03300	0,00141	0,03359	0,00127	0,02744	0,02120	0,00194	0,00194	0,00278	0,02239	0,02465	0,02534	0,02192	0,00266	0,00950	0,00272	0,00273	-0,00065	MM	OVERALL PERIOD
-0,03395	-0,06223	-0,02272	-0,03640	-0,03181	-0,02084	-0,03553	-0,02512	-0,03186	-0,03328	-0,03872	-0,03838	-0,04660	-0,04068	-0,03996	-0,03866	-0,04049	-0,07796	-0,04847	-0,07679	-0,07760	0,00581	īR	
-0,00121	-0,00190	-0,00083	-0,00134	-0,00118	-0,00074	-0,00128	-0,00087	-0,00125	-0,00136	-0,00130	-0,00128	-0,00174	-0,00153	-0,00160	-0,00152	-0,00156	-0,00229	-0,00185	-0,00225	-0,00264	-0,00016	TR-MAZ	
-0,10110	0,01619	-0,03870	-0,10830	-0,08939	0,08044	-0,10927	0,07547	-0,13335	-0,12252	0,03014	0,03022	-0,01008	-0,10066	-0,07559	-0,11129	-0,10343	-0,03084	-0,04610	-0,03084	-0,06298	0,04865	SHARPE	
-0,00237	-0,00215	-0,00185	-0,00245	-0,00212	-0,00117	-0,00212	-0,00129	-0,00243	-0,00267	-0,00232	-0,00232	-0,00239	-0,00260	-0,00227	-0,00236	-0,00271	-0,00281	-0,00280	-0,00281	-0,00379	-0,00148	JENSEN	
-0,00646	0,00072	-0,00214	-0,00928	-0,01584	0,00339	-0,01346	0,00318	0,03568	-0,27244	0,00119	0,00119	-0,00062	-0,00829	-0,00559	0,06677	-0,01565	-0,00166	-0,00285	-0,00166	-0,00330	0,00268	TREYNOR	SUBPER
-0,00142	0,00112	-0,00007	-0,00157	-0,00116	0,00251	-0,00160	0,00241	-0,00212	-0,00188	0,00143	0,00143	0,00055	-0,00141	-0,00087	-0,00164	-0,00147	0,00010	-0,00023	0,00010	-0,00059	0,00183	MM	SUBPERIOD ONE
-0,25146	-0,19185	-0,23031	-0,25004	-0,23036	-0,12570	-0,23666	-0,13175	-0,23317	-0,23876	-0,16678	-0,16655	-0,18440	-0,25393	-0,24341	-0,22958	-0,24492	-0,22473	-0,23486	-0,22473	-0,24906	-0,06071	IR	
-0,00446	-0,00210	-0,00385	-0,00455	-0,00452	-0,00123	-0,00420	-0,00137	-0,00526	-0,00481	-0,00109	-0,00111	-0,00252	-0,00477	-0,00439	-0,00506	-0,00528	-0,00366	-0,00340	-0,00366	-0,00482	0,00083	TR-MAZ	
1,97794	0,39396	2,39237	1,87728	2,17090	0,29417	2,06227	0,29068	2,11379	1,72570	0,37694	0,37720	0,47713	1,89634	1,79023	2,03152	2,63816	0,46714	1,28039	0,46983	0,58518	0,23297	SHARPE	
0,00520	0,00216	0,00550	0,00514	0,00524	0,00243	0,00499	0,00229	0,00565	0,00563	0,00268	0,00270	0,00335	0,00495	0,00464	0,00501	0,00511	0,00212	0,00421	0,00219	0,00270	0,00447	JENSEN	
0,23091	0,02541	0,28449	0,25549	1,90605	0,02005	0,21750	0,01981	-1,02859	-0,51672	0,02815	0,02815	0,05312	2,45110	0,65076	-1,69664	1,57190	0,03273	0,14143	0,03291	0,05902	0,03313	TREYNOR	SUBPER
0,07879	0,00518	0,09805	0,07411	0,08776	0,00054	0,08271	0,00038	0,08510	0,06707	0,00439	0,00440	0,00904	0,07500	0,07007	0,08128	0,10947	0,00858	0,04637	0,00870	0,01406	-0,00230	MM	SUBPERIOD TWO
0,05816	0,01825	0,06452	0,05615	0,05317	0,03918	0,05396	0,03546	0,05961	0,05793	0,03536	0,03585	0,02950	0,04709	0,04305	0,04718	0,05058	0,00824	0,04037	0,01020	0,01088	0,04684	IR	
0,00161	-0,00032	0,00190	0,00149	0,00150	0,00076	0,00139	0,00063	0,00180	0,00166	0,00056	0,00059	0,00032	0,00117	0,00073	0,00115	0,00128	-0,00026	0,00055	-0,00018	-0,00034	0,00138	TR-MAZ	

48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32	31	30	29	28	27	26	25	24	23
JPNTRND	EQTYINV	CONML27	BTVAVMD	SAPEURT	APOLOST	GLBLCHI	CPEEURT	CPEEURP	NOVEUII	SPORTVA	SUP4AKT	ESUMWST	ESUMWSA	POBAAKE	DWSAV48	KLMEGAT	KLMEGAA	PUMAFUN	PUMAFND	CAPIN14	BTVAVMK	TSERL1T	A14FUND	ESXTJAP	3ВКОВК5
0,24564	0,28358	0,34784	0,59034	0,19147	0,17532	0,20408	0,22490	0,21799	0,28592	0,31714	0,20395	0,22648	0,22648	0,24943	0,64830	0,20439	0,19296	0,20030	0,19112	0,23252	0,91787	0,98307	0,95290	0,20758	0,97231
0,00038	0,00118	0,00072	0,00064	-0,00083	-0,00125	-0,00105	0,00091	0,00069	0,00001	-0,00014	-0,00124	-0,00041	-0,00041	-0,00039	89000,0	-0,00084	-0,00115	0,00072	0,00040	0,00022	0,00083	0,00081	0,00082	-0,00027	0,00085
0,02795	0,01333	0,02285	0,04831	0,01142	0,01058	0,01075	0,01243	0,01206	0,01889	0,02237	0,01108	0,01272	0,01272	0,01435	0,05051	0,01144	0,01090	0,01147	0,01098	0,01064	0,13699	0,08749	0,13098	0,02687	0,09915
0,00267	0,00407	0,00643	0,01534	89000,0	0,00009	0,00115	0,00191	0,00166	0,00415	0,00530	0,00114	0,00197	0,00197	0,00281	0,01747	0,00116	0,00074	0,00101	0,00067	0,00219	0,02737	0,02976	0,02866	0,00128	0,02937
-0,03187	0,01756	-0,02756	-0,03728	-0,06739	-0,08158	-0,08294	0,00366	-0,00431	-0,04877	-0,05690	-0,08893	-0,05621	-0,05621	-0,05998	-0,03752	-0,06673	-0,07708	0,00152	-0,00915	-0,01853	-0,03472	-0,03465	-0,03565	-0,04849	-0,03444
-0,00134	0,00036	-0,00093	-0,00130	-0,00225	-0,00270	-0,00218	-0,00016	-0,00039	-0,00160	-0,00188	-0,00255	-0,00146	-0,00146	-0,00180	-0,00134	-0,00194	-0,00225	0,00008	-0,00017	-0,00058	-0,00127	-0,00134	-0,00133	-0,00215	-0,00122
0,00129	0,24945	0,04235	-0,04364	-0,01675	-0,02962	-0,02138	0,13994	0,13502	-0,00410	-0,02702	-0,04826	0,02908	0,02908	0,00414	-0,04116	0,00448	-0,00629	0,08503	0,07130	0,18249	-0,10671	-0,14282	-0,11613	-0,00795	-0,10200
-0,00215	0,00125	-0,00150	-0,00232	-0,00295	-0,00322	-0,00267	0,00053	0,00042	-0,00254	-0,00256	-0,00345	-0,00197	-0,00197	-0,00226	-0,00238	-0,00251	-0,00273	-0,00066	-0,00111	0,00002	-0,00239	-0,00253	-0,00240	-0,00257	-0,00238
0,00010	0,00731	0,00207	-0,00239	-0,00084	-0,00154	-0,00118	0,00603	0,00586	-0,00020	-0,00165	-0,00241	0,00128	0,00128	0,00020	-0,00198	0,00022	-0,00031	0,00345	0,00290	0,00486	-0,00963	-0,01195	-0,00785	-0,00057	-0,00651
0,00080	0,00618	0,00169	-0,00017	0,00041	0,00013	0,00031	0,00380	0,00370	0,00068	0,00019	-0,00027	0,00140	0,00140	0,00086	-0,00012	0,00087	0,00064	0,00261	0,00232	0,00473	-0,00154	-0,00232	-0,00174	0,00060	-0,00144
-0,15531	-0,00314	-0,16621	-0,24726	-0,19108	-0,20007	-0,20978	-0,03086	-0,03622	-0,20467	-0,21447	-0,23973	-0,17976	-0,17976	-0,19739	-0,25243	-0,18240	-0,19230	-0,06438	-0,07952	-0,06767	-0,24821	-0,25813	-0,25614	-0,15646	-0,25194
-0,00270	0,00122	-0,00229	-0,00361	-0,00297	-0,00315	-0,00365	0,00133	0,00124	-0,00312	-0,00359	-0,00397	-0,00206	-0,00206	-0,00241	-0,00361	-0,00263	-0,00269	0,00002	-0,00047	0,00039	-0,00433	-0,00472	-0,00408	-0,00228	-0,00447
0,46771	0,32638	0,64531	1,20751	0,35522	0,33773	0,35355	0,28766	0,27928	0,54135	0,67151	0,38783	0,36209	0,36209	0,43779	1,31666	0,35301	0,34051	0,28621	0,28032	0,27717	1,95526	2,04318	1,97970	0,42596	1,95800
0,00392	0,00181	0,00385	0,00469	0,00227	0,00175	0,00175	0,00192	0,00160	0,00334	0,00334	0,00202	0,00209	0,00209	0,00253	0,00472	0,00184	0,00148	0,00266	0,00244	0,00083	0,00521	0,00533	0,00520	0,00292	0,00518
0,05926	0,01925	0,04529	0,10843	0,02336	0,02232	0,02061	0,01864	0,01811	0,03943	0,04735	0,02325	0,02369	0,02369	0,02808	0,11628	0,02211	0,02155	0,01927	0,01893	0,01614	0,32381	0,17999	0,33737	0,06567	0,22644
0,00861	0,00204	0,01686	0,04299	0,00338	0,00256	0,00330	0,00024	-0,00015	0,01203	0,01808	0,00489	0,00370	0,00370	0,00722	0,04806	0,00328	0,00269	0,00017	-0,00010	-0,00025	0,07773	0,08182	0,07887	0,00667	0,07786
0,04328	0,03010	0,05072	0,05489	0,02509	0,00844	0,01480	0,02794	0,01804	0,03899	0,03448	0,02008	0,02036	0,02036	0,02815	0,05319	0,01925	0,00773	0,05120	0,04382	0,00153	0,05702	0,06444	0,05609	0,01764	0,05771
0,00094	0,00034	0,00096	0,00135	-0,00016	-0,00075	-0,00002	-0,00004	-0,00039	0,00053	0,00037	-0,00015	0,00037	0,00037	0,00012	0,00119	0,00005	-0,00033	0,00160	0,00152	-0,00067	0,00158	0,00165	0,00147	-0,00047	0,00160

74	73	72	71	70	69	89	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49
VIENSTK	R67FUND	GUTUSPO	DANBINT	DANBINV	VOLKAME	KLAKTIT	KLASSAK	CPBMEDR	BADVANS	RQEUEQT	RQEUEQA	3BKEURT	3BKESKA	GUTAKTN	NEWGENT	NEWGENR	DWSAVER	FINANSA	FINANST	VIENINT	VNIAINV	PSKEURO	PSKEUST	ALLINVA	ALLINVT
0,26894	0,23596	0,20840	0,21060	0,20304	0,22710	0,28634	0,27575	0,38753	0,29192	0,26016	0,19926	0,20340	0,17171	0,27964	0,13927	0,13729	0,28446	0,15504	0,16782	0,22404	0,21211	0,21669	0,23091	0,19401	0,20727
0,00084	-0,00059	-0,00071	18000'0	55000′0	-0,00038	52000′0	20000,0	85000′0	0,00004	80000′0	-0,00119	-0,00046	-0,00123	-0,00012	-0,00169	-0,00177	0,00011	-0,00159	-0,00124	7.00000	-0,00001	-0,00073	-0,00035	-0,00083	-0,00047
0,01223	0,01348	0,01342	0,01247	0,01209	0,01491	0,01495	0,01451	0,02533	0,02153	0,01462	0,01182	0,01161	0,01015	0,01771	0,00912	0,00894	0,01695	0,00824	0,00885	0,01039	0,00993	0,01316	0,01394	0,01107	0,01193
0,00353	0,00232	0,00131	0,00139	0,00111	0,00199	0,00417	0,00378	0,00789	0,00437	0,00321	0,00097	0,00112	-0,00004	0,00392	-0,00123	-0,00131	0,00410	-0,00066	-0,00019	0,00188	0,00144	0,00161	0,00213	0,00078	0,00126
0,00404	-0,06623	-0,06793	0,00191	-0,00679	-0,05677	-0,03703	-0,04534	-0,03056	-0,04944	-0,04136	-0,08298	-0,05422	-0,07831	-0,05204	-0,07646	-0,07883	-0,04377	-0,08929	-0,07570	-0,00681	-0,02306	-0,06735	-0,05506	-0,06630	-0,05473
-0,00001	-0,00193	-0,00199	-0,00017	-0,00046	-0,00174	-0,00119	-0,00141	-0,00104	-0,00153	-0,00135	-0,00262	-0,00183	-0,00263	-0,00174	-0,00288	-0,00295	-0,00144	-0,00248	-0,00227	-0,00029	-0,00067	-0,00226	-0,00188	-0,00222	-0,00189
0,22365	-0,01630	-0,07748	0,15723	0,15424	-0,04646	0,04141	0,03335	0,14509	-0,04108	0,03918	-0,02937	0,00873	-0,02384	-0,03579	-0,05151	-0,05316	0,00054	0,01411	0,01802	0,20647	0,19674	-0,02146	-0,00870	-0,00289	0,00493
0,00066	-0,00285	-0,00399	0,00109	0,00102	-0,00345	-0,00163	-0,00176	-0,00036	-0,00297	-0,00165	-0,00316	-0,00244	-0,00347	-0,00311	-0,00481	-0,00488	-0,00247	-0,00207	-0,00199	0,00072	0,00051	-0,00303	-0,00272	-0,00265	-0,00245
0,00616	-0,00082	-0,00453	0,00688	0,00677	-0,00282	0,00174	0,00141	0,00776	-0,00267	0,00171	-0,00143	0,00042	-0,00115	-0,00172	-0,00271	-0,00279	0,00003	0,00091	0,00111	0,00557	0,00533	-0,00103	-0,00042	-0,00014	0,00024
0,00562	0,00042	-0,00091	0,00418	0,00411	-0,00023	0,00167	0,00149	0,00392	-0,00012	0,00162	0,00014	0,00096	0,00026	0,00000	-0,00034	-0,00038	0,00078	0,00108	0,00116	0,00525	0,00503	0,00031	0,00058	0,00071	0,00088
-0,03603	-0,20407	-0,25229	-0,00815	-0,01149	-0,21708	-0,18726	-0,19383	-0,14540	-0,21588	-0,17075	-0,21855	-0,16874	-0,19409	-0,23738	-0,18984	-0,19176	-0,20304	-0,16822	-0,16561	0,01550	-0,00018	-0,20822	-0,19440	-0,18203	-0,17465
0,00086	-0,00364	-0,00524	0,00213	0,00204	-0,00492	-0,00206	-0,00210	-0,00172	-0,00426	-0,00157	-0,00336	-0,00246	-0,00354	-0,00380	-0,00446	-0,00450	-0,00320	-0,00306	-0,00296	0,00105	0,00082	-0,00297	-0,00263	-0,00295	-0,00279
0,31631	0,44744	0,41010	0,25056	0,24008	0,44723	0,45277	0,43989	0,53772	0,62158	0,42357	0,37599	0,35332	0,32976	0,53867	0,31819	0,31555	0,51996	0,24121	0,25960	0,25085	0,23714	0,41267	0,42971	0,34175	0,36090
0,00162	0,00260	0,00356	0,00109	0,00065	0,00364	0,00316	0,00285	0,00277	0,00404	0,00278	0,00176	0,00243	0,00180	0,00376	0,00214	0,00204	0,00355	0,00006	69000,0	0,00021	-0,00031	0,00249	0,00293	0,00197	0,00246
0,01816	0,02733	0,02918	0,01776	0,01714	0,03129	0,02735	0,02681	0,04230	0,04593	0,02727	0,02486	0,02244	0,02151	0,03787	0,02187	0,02158	0,03408	0,01473	0,01570	0,01477	0,01414	0,02766	0,02845	0,02172	0,02311
0,00157	0,00766	0,00593	-0,00149	-0,00197	0,00765	0,00791	0,00731	0,01186	0,01576	0,00655	0,00434	0,00329	0,00219	0,01190	0,00166	0,00153	0,01103	-0,00192	-0,00107	-0,00147	-0,00211	0,00605	0,00684	0,00275	0,00364
0,02509	0,03231	0,05264	0,00516	-0,00723	0,05509	0,05445	0,04435	0,02435	0,05386	0,03905	0,00739	0,03381	0,01232	0,05435	0,02850	0,02602	0,05306	-0,03094	-0,00805	-0,01654	-0,03431	0,02712	0,04025	0,02097	0,03478
0,00008	0,00037	0,00155	-0,00074	-0,00123	0,00144	0,00073	0,00042	-0,00001	0,00142	0,00032	-0,00071	0,00006	-0,00064	0,00097	0,00016	80000,0	0,00087	-0,00129	-0,00094	-0,00110	-0,00165	-0,00018	0,00027	-0,00040	0,00004

100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76	75
ESTOAME	EKASAMA	OSTINDT	KLASAET	KLASAEA	VIFVERT	VIFVERI	BESTEMA	BESTEMT	OBRBSMX	CPBFRSA	KEPGLBA	KEPGLBT	SKWBAKT	SCHAKTT	JMEURSC	SIEQWEE	SPGOLDR	OSTVLRF	OSTEUST	OSTEUSA	SBESTIN	ESPGDYN	3BKOEKG	3BKESTM	VIENAUS
0,19783	0,18614	0,26559	0,24201	0,22522	0,21265	0,16062	0,23695	0,24568	0,25530	0,28898	0,23154	0,24523	0,24910	0,25737	0,25227	0,25824	0,27827	0,23326	0,23759	0,23136	0,23440	0,27152	0,25996	0,23459	0,26344
-0,00076	-0,00108	0,00131	-0,00003	-0,00044	-0,00073	-0,00187	0,00025	0.2000,0	-0,00039	01000,0	-0,00074	-0,00047	-0,00055	-0,00040	65000′0	-0,00002	80000,0	0,00142	0,00125	0,00104	-0,00040	-0,00001	-0,00008	-0,00042	0,00068
0,01281	0,01217	0,01644	15810'0	0,01278	0,01259	0,01004	0,01399	0,01445	0,01495	01710,0	91810'0	08810,0	0,01483	0,01533	0,01497	0,01431	0,01704	0,01243	07810,0	0,01339	0,01916	0,01935	0,01420	0,01396	0,01203
0,00092	0,00049	0,00341	0,00254	0,00192	0,00146	-0,00045	0,00235	0,00267	0,00303	0,00427	0,00216	0,00266	0,00280	0,00310	0,00292	0,00314	0,00387	0,00222	0,00238	0,00215	0,00226	0,00362	0,00320	0,00227	0,00333
-0,06584	-0,07610	85600′0	-0,04338	-0,05715	-0,06641	-0,10070	-0,02518	-0,01676	-0,06005	-0,04403	69020'0-	-0,06128	-0,06762	-0,06258	-0,01698	-0,04442	-0,04252	0,02500	0,01469	26200′0	-0,05651	-0,04588	-0,04907	-0,05636	-0,00379
-0,00204	-0,00238	0,00012	-0,00148	-0,00190	-0,00212	-0,00328	-0,00105	-0,00079	-0,00188	-0,00133	-0,00216	-0,00189	-0,00188	-0,00173	-0,00101	-0,00147	-0,00141	0,00062	0,00024	0,00004	-0,00200	-0,00156	-0,00132	-0,00183	-0,00017
-0,07227	-0,08313	0,10772	0,02387	0,01333	-0,03184	-0,06887	0,06034	88990,0	-0,01804	-0,00324	-0,02920	-0,01371	-0,05997	-0,05374	0,06366	0,03370	0,00662	0,14643	0,15609	0,14888	-0,05830	-0,00045	-0,00352	-0,00147	0,21632
-0,00398	-0,00423	68000'0-	-0,00202	-0,00221	-0,00313	-0,00429	-0,00137	-0,00122	-0,00283	-0,00264	90800'0-	-0,00276	-0,00340	-0,00328	-0,00121	-0,00175	-0,00220	0,00057	62000′0	0,00062	-0,00382	-0,00228	-0,00258	-0,00234	0,00052
-0,00453	-0,00534	0,00509	0,00103	0,00058	-0,00168	-0,00367	0,00285	0,00311	-0,00083	-0,00014	-0,00143	-0,00066	-0,00323	-0,00287	0,00274	0,00153	0,00034	0,00587	0,00697	0,00669	-0,00339	-0,00002	-0,00015	-0,00008	0,00599
-0,00079	-0,00103	0,00311	62100′0	0,00106	80000,0	-0,00072	80200,0	22200′0	8£000′0	07000,0	0,00014	0,00048	-0,00053	-0,00039	0,00215	02100,0	0,00092	0,00394	0,00415	0,00400	-0,00049	9,00076	0,00070	0,00074	0,00546
-0,23791	-0,24584	-0,08130	-0,18305	-0,19242	-0,20712	-0,23745	-0,13967	-0,13388	-0,22219	-0,20668	-0,22352	-0,21151	-0,25053	-0,24587	-0,12882	-0,17703	-0,18609	-0,02164	-0,01956	-0,02666	-0,22161	-0,19311	-0,21917	-0,19008	-0,04580
-0,00509	-0,00537	0,00031	-0,00197	-0,00200	-0,00303	-0,00392	-0,00090	-0,00072	-0,00328	-0,00319	-0,00371	-0,00337	-0,00435	-0,00428	-0,00100	-0,00204	-0,00228	0,00208	0,00182	0,00163	-0,00389	-0,00236	-0,00268	-0,00252	0,00070
0,39320	0,38265	0,37746	0,39636	0,37414	0,41457	0,35082	0,35734	0,36778	0,47388	0,55915	0,43349	0,44614	0,47581	0,48690	0,39411	0,41695	0,51340	0,29601	0,29747	0,29167	0,55951	0,50354	0,45238	0,41156	0,31125
0,00353	0,00316	0,00370	0,00288	0,00230	0,00266	0,00144	0,00269	0,00304	0,00303	0,00364	0,00256	0,00277	0,00335	0,00353	0,00322	0,00271	0,00337	0,00275	0,00227	0,00203	0,00399	0,00328	0,00335	0,00258	0,00144
0,02767	0,02707	0,02731	0,02556	0,02462	0,02614	0,02359	0,02488	0,02551	0,03097	65580′0	0,02707	0,02766	0,03119	0,03192	0,02715	0,02642	0,03374	0,01869	0,02036	0,02004	0,04666	0,04014	0,02828	0,02704	0,01793
0,00514	0,00465	0,00441	0,00529	0,00426	0,00614	0,00317	0,00348	0,00396	0,00889	0,01285	0,00701	0,00760	0,00898	0,00950	0,00519	0,00625	0,01073	0,00063	69000,0	0,00042	0,01287	0,01027	0,00789	0,00600	0,00133
0,05587	0,04445	0,06734	0,04458	0,02636	0,03780	-0,00119	0,04304	0,05314	0,04066	0,05606	0,03236	0,03936	0,04817	0,05302	0,05458	0,03926	0,05076	0,05748	0,03604	0,02939	0,05353	0,03870	0,05606	0,03363	0,01762
0,00153	0,00111	0,00161	0,00037	-0,00024	0,00034	-0,00095	0,00044	0,00080	0,00047	0,00119	0,00016	0,00038	0,00122	0,00139	0,00035	0,00023	0,00083	0,00130	0,00042	0,00018	0,00128	0,00060	0,00129	0,00020	-0,00011

126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102	101
CIAMESV	COLSTKT	GOLDEUR	RUSEQUT	RUSEQUA	EUPROSA	EUPROST	ESXTEUR	SIEQPAR	ALLIOST	ALINOST	ROSTAVT	OSTAKTT	3BKGSFD	RAIFOST	EUPROPT	EUPROPA	BASTOCT	BAWGSTK	AMERSTO	AMERSTT	RAFEAPS	EURAKVT	EUAKTIT	INTRSTK	INTSTAU
0,25378	0,24297	0,28612	0,23163	0,20480	0,27307	0,30156	0,25547	0,27236	0,19941	0,20478	0,23677	0,23430	0,24719	0,22987	0,25895	0,23892	0,22971	0,20752	0,21256	0,22527	0,20673	0,21770	0,21598	0,24145	0,23495
0,00010	-0,00007	98000,0	-0,00011	-0,000,7	0,00061	91100,0	0,00002	29000'0	79000,0	28000'0	0,00078	0,00069	-0,00028	0,00054	09000'0	0,00014	-0,00032	88000′0-	-0,00059	-0,00025	-0,00074	-0,00046	05000′0-	-0,00038	-0,00053
0,01352	0,01321	0,01618	0,01542	0,01377	0,01617	0,01735	0,01440	0,02159	0,01106	0,01140	0,01089	0,01078	0,01681	0,01059	0,01527	0,01439	0,01288	0,01179	0,01118	0,01175	0,01133	0,01201	0,01190	0,01448	0,01415
0,00297	0,00258	0,00416	0,00216	0,00117	0,00368	0,00473	0,00303	0,00365	0,00098	0,00117	0,00235	0,00226	0,00273	0,00209	0,00316	0,00243	0,00209	0,00127	0,00146	0,00192	0,00124	0,00165	0,00158	0,00252	0,00228
-0,04192	-0,04754	-0,03182	-0,04838	-0,06918	-0,01963	0,00127	-0,04240	-0,02147	0,00391	0,00861	0,01169	0,00784	-0,05326	0,00070	-0,01701	-0,03353	-0,05273	-0,07124	-0,06383	-0,05152	-0,06324	-0,05387	-0,05525	-0,05937	-0,06456
-0,00108	-0,00126	-0,00112	-0,00136	-0,00203	-0,00062	-0,00023	-0,00150	-0,00095	-0,00006	60000,0	0,00002	-0,00007	-0,00189	-0,00023	-0,00076	-0,00125	-0,00169	-0,00225	-0,00170	-0,00136	-0,00204	-0,00179	-0,00183	-0,00176	-0,00192
0,01135	-0,00523	0,04000	-0,04657	-0,08855	0,19915	0,22696	0,02653	0,01146	0,12953	0,13213	0,19933	0,19305	-0,01775	0,18650	0,19106	0,16525	-0,00624	-0,03074	-0,01369	0,00302	0,00488	0,01166	0,01105	-0,03493	-0,04010
-0,00217	-0,00242	-0,00168	-0,00341	-0,00437	0,00091	0,00131	-0,00183	-0,00208	0,00014	0,00020	0,00050	0,00038	-0,00294	0,00026	0,00080	0,00046	-0,00279	-0,00343	-0,00259	-0,00227	-0,00226	-0,00211	-0,00212	-0,00311	-0,00322
0,00075	-0,00028	0,00179	-0,00257	-0,00505	0,00874	0,00950	0,00126	0,00070	0,00527	0,00536	0,00539	0,00525	-0,00089	0,00510	0,00841	0,00742	-0,00027	-0,00134	-0,00066	0,00015	0,00025	0,00059	0,00056	-0,00192	-0,00224
0,00102	0,00066	0,00164	-0,00024	-0,00115	0,00509	0,00569	0,00135	0,00102	0,00358	0,00363	0,00509	0,00495	0,00039	0,00481	0,00491	0,00435	0,00064	0,00011	0,00048	0,00084	0,00088	0,00102	0,00101	0,00002	-0,00010
-0,19748	-0,20006	-0,16476	-0,22655	-0,26164	-0,05574	-0,03594	-0,17493	-0,16229	-0,04127	-0,03848	-0,01367	-0,02329	-0,20206	-0,03357	-0,05985	-0,07487	-0,20082	-0,22569	-0,22161	-0,20687	-0,18239	-0,17663	-0,17683	-0,21442	-0,21799
-0,00362	-0,00396	-0,00159	-0,00398	-0,00514	0,00077	0,00122	-0,00201	-0,00189	0,00138	0,00143	0,00126	0,00114	-0,00330	0,00109	0,00064	0,00028	-0,00250	-0,00316	-0,00431	-0,00397	-0,00245	-0,00234	-0,00235	-0,00375	-0,00383
0,40752	0,40610	0,48784	0,43716	0,42316	0,33415	0,36497	0,42314	0,49321	0,24892	0,25612	0,27557	0,27474	0,49102	0,27104	0,31605	0,29697	0,41683	0,39741	0,34271	0,35454	0,34771	0,36282	0,36034	0,47659	0,47009
0,00337	0,00333	0,00328	0,00411	0,00376	0,00139	0,00210	0,00289	0,00435	0,00177	0,00202	0,00139	0,00135	0,00323	0,00118	0,00151	0,00091	0,00303	0,00253	0,00252	0,00289	0,00194	0,00232	0,00225	0,00336	0,00318
0,02474	0,02464	0,03054	0,03241	0,03137	0,02407	0,02560	0,02684	0,04288	0,01664	0,01719	0,01608	0,01603	0,03627	0,01581	0,02270	0,02176	0,02612	0,02532	0,02092	0,02143	0,02132	0,02239	0,02221	0,03001	0,02964
0,00581	0,00574	0,00954	0,00719	0,00653	0,00240	0,00383	0,00653	0,00979	-0,00156	-0,00123	-0,00032	-0,00036	0,00969	-0,00053	0,00156	0,00067	0,00624	0,00534	0,00280	0,00335	0,00303	0,00373	0,00362	0,00902	0,00872
0,06222	0,06118	0,05332	0,06483	0,05489	-0,00054	0,02208	0,04499	0,06630	0,03100	0,03702	0,02562	0,02424	0,04043	0,01813	0,00612	-0,01203	0,05082	0,03492	0,04094	0,05358	0,02589	0,03680	0,03492	0,05204	0,04617
0,00149	0,00145	0,00071	0,00212	0,00177	-0,00077	-0,00036	0,00029	0,00155	0,00051	0,00072	-0,00005	-0,00009	0,00042	-0,00028	-0,00091	-0,00156	0,00069	0,00018	0,00082	0,00119	-0,00022	0,00012	0,00006	0,00109	0,00089

152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128	127
USAKTNT	RTECAKA	RTECAKT	LNTMVTR	BTVAVMW	SIEEEMK	SEITEMU	GLOBEQT	GLBLEQU	PHARMST	PHARMSA	TECHNOT	TECHNOA	PAZFKVT	PAZFKAT	PAZFKAA	SMPORT4	SELCTFD	SECLTFV	SELECTA	VOLKEUR	12STOCK	NIPPORT	EKSTAMT	EKSTAMR	COLMBST
0,21931	0,17988	0,18361	0,30447	0,28742	0,25079	0,24663	0,23172	0,21295	0,35890	0,34535	0,20131	0,20131	0,28250	0,28169	0,27433	0,28623	0,23254	0,25402	0,24596	0,20582	0,25607	0,18900	0,21989	0,20827	0,22696
-0,00033	-0,00059	-0,00047	0,00065	0,00028	0,00102	-0,00008	-0,00054	-0,00097	0,00072	0,00053	-0,00054	-0,00054	0,00053	0,00051	0,00036	0,00029	-0,00037	0,00010	-0,00004	-0,00069	-0,00035	-0,00017	-0,00030	-0,00062	-0,00046
0,01526	0,01332	0,01362	0,01738	0,01951	0,01520	0,01578	0,01298	0,01203	0,04486	0,04384	0,01673	0,01673	0,02398	0,02388	0,02313	0,01546	0,01374	0,01482	0,01450	0,01067	0,01491	0,01369	0,01181	0,01128	0,01247
0,00171	0,00026	0,00039	0,00483	0,00421	0,00286	0,00271	0,00216	0,00147	0,00683	0,00634	0,00104	0,00104	0,00403	0,00400	0,00373	0,00416	0,00219	0,00298	0,00269	0,00121	0,00306	0,00059	0,00173	0,00130	0,00199
-0,05389	-0,05165	-0,04836	-0,02634	-0,03588	0,00115	-0,04274	-0,06202	-0,07724	-0,03225	-0,03704	-0,05612	-0,05612	-0,02693	-0,02744	-0,03160	-0,03438	-0,05648	-0,03935	-0,04410	-0,06282	-0,05741	-0,03770	-0,05138	-0,06326	-0,06077
-0,00170	-0,00202	-0,00190	-0,00066	-0,00131	-0,00019	-0,00164	-0,00187	-0,00231	-0,00118	-0,00136	-0,00215	-0,00215	-0,00121	-0,00123	-0,00137	-0,00105	-0,00179	-0,00141	-0,00155	-0,00184	-0,00189	-0,00156	-0,00137	-0,00171	-0,00165
-0,04904	-0,03450	-0,03213	0,01643	0,00030	0,06591	0,00638	-0,01484	-0,03113	-0,05794	-0,05794	-0,06734	-0,06734	0,02569	0,02560	0,02079	0,02874	-0,01372	0,01204	0,00090	0,01165	-0,01865	0,05681	-0,01528	-0,02881	-0,02388
-0,00361	-0,00367	-0,00359	-0,00184	-0,00227	-0,00111	-0,00250	-0,00270	-0,00308	-0,00299	-0,00299	-0,00424	-0,00424	-0,00180	-0,00180	-0,00188	-0,00188	-0,00281	-0,00224	-0,00246	-0,00232	-0,00257	-0,00102	-0,00273	-0,00298	-0,00280
-0,00328	-0,00250	-0,00233	0,00103	0,00002	0,00291	0,00030	-0,00073	-0,00152	-0,00467	-0,00467	-0,00513	-0,00513	0,00152	0,00152	0,00124	0,00128	-0,00066	0,00073	0,00004	0,00051	-0,00110	0,00339	-0,00074	-0,00142	-0,00128
-0,00029	0,00002	0,00008	0,00113	0,00078	0,00220	0,00091	0,00045	0,00010	-0,00048	-0,00048	-0,00069	-0,00069	0,00133	0,00133	0,00122	0,00139	0,00047	0,00103	0,00079	0,00102	0,00037	0,00200	0,00044	0,00015	0,00025
-0,20907	-0,16663	-0,16402	-0,18791	-0,19334	-0,11275	-0,17294	-0,21247	-0,22742	-0,22780	-0,22780	-0,20544	-0,20544	-0,15688	-0,15694	-0,16056	-0,18942	-0,20386	-0,18266	-0,18840	-0,19064	-0,21023	-0,10866	-0,21915	-0,22864	-0,21641
-0,00562	-0,00536	-0,00527	-0,00361	-0,00232	-0,00047	-0,00234	-0,00349	-0,00378	-0,00467	-0,00467	-0,00530	-0,00530	-0,00226	-0,00226	-0,00227	-0,00239	-0,00286	-0,00218	-0,00246	-0,00261	-0,00356	-0,00057	-0,00384	-0,00412	-0,00435
0,44312	0,39583	0,40202	0,48806	0,54026	0,38988	0,47465	0,40558	0,38500	0,76195	0,72659	0,49469	0,49473	0,50411	0,50257	0,49290	0,46655	0,42776	0,44289	0,44150	0,33465	0,44722	0,28274	0,36045	0,35031	0,39060
0,00384	0,00344	0,00360	0,00428	0,00385	0,00392	0,00314	0,00265	0,00214	0,00540	0,00504	0,00420	0,00421	0,00379	0,00376	0,00357	0,00345	0,00298	0,00335	0,00331	0,00197	0,00298	0,00173	0,00318	0,00281	0,00294
0,03218	0,02870	0,02911	0,03095	0,04032	0,02730	0,03257	0,02552	0,02449	0,10420	0,10268	0,03903	0,03903	0,04840	0,04817	0,04687	0,02872	0,02793	0,02875	0,02866	0,01997	0,02861	0,02371	0,02240	0,02187	0,02403
0,00746	0,00527	0,00555	0,00955	0,01198	0,00499	0,00893	0,00572	0,00476	0,02228	0,02064	0,00986	0,00986	0,01030	0,01023	0,00978	0,00855	0,00675	0,00745	0,00739	0,00242	0,00765	0,00001	0,00362	0,00315	0,00502
0,05816	0,05384	0,05811	0,07971	0,05758	0,07773	0,04625	0,03849	0,02177	0,06860	0,06039	0,06446	0,06446	0,04822	0,04748	0,04333	0,06223	0,04265	0,05582	0,05440	0,02950	0,04376	0,00803	0,06103	0,04803	0,04823
0,00163	0,00109	0,00124	0,00221	0,00111	0,00185	0,00039	0,00046	-0,00008	0,00217	0,00182	0,00154	0,00155	0,00072	0,00069	0,00052	0,00122	0,00056	0,00074	0,00072	0,00009	0,00040	-0,00073	0,00155	0,00113	0,00107

178	177	176	175	174	173	172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153
TIGFOND	KONAKTT	KONAKTA	KONAKTV	RAIFOSE	OSTEAKT	OSTAKVT	AUSQUIT	CONAUST	ESISTST	ESISTSA	BESTHEA	веѕтнет	VOLKPAC	VIENTPF	VIENNAT	ТОРРНАА	PACFSTK	TOPASIT	TOPPHAV	ТОРРНАТ	RAIFAKT	GLOAKTT	RGLAKVT	USAKTVT	USAKTNA
0,23382	0,25791	0,25168	0,25920	0,22170	0,22507	0,22699	0,24854	0,24342	0,14674	0,14261	0,28040	0,29260	0,28450	0,25744	0,26555	0,27332	0,22800	0,24409	0,28882	0,28055	0,23805	0,24461	0,24539	0,21936	0,21560
0,00058	0,00174	0,00154	0,00178	0,00137	0,00149	0,00156	0,00040	0,00027	0,00112	0,00090	-0,00008	0,00014	0,00108	0,00092	0,00115	0,00011	-0,00017	0,00022	0,00038	0,00026	-0,00047	-0,00032	-0,00031	-0,00033	-0,00043
0,01900	0,01717	0,01676	0,01723	0,01253	0,01269	0,01278	0,01199	0,01177	0,01241	0,01206	0,04609	0,04705	0,02305	0,01190	0,01221	86550′0	0,02058	0,02170	0,03720	0,03684	0,01435	0,01476	0,01481	0,01527	0,01499
0,00224	0,00312	0,00290	0,00317	0,00179	0,00192	0,00199	0,00278	0,00259	-0,00096	-0,00111	0,00395	0,00440	0,00410	0,00311	0,00340	0,00369	0,00203	0,00262	0,00426	0,00396	0,00239	0,00264	0,00266	0,00171	0,00157
-0,01891	0,02467	0,01867	0,02590	0,02317	0,02728	0,02978	-0,01580	-0,02155	0,00485	-0,00007	-0,05341	-0,04712	-0,00668	0,01125	0,02142	-0,04525	-0,04472	-0,03432	-0,03831	-0,04151	-0,05944	-0,05492	-0,05438	-0,05386	-0,05670
-0,00116	0,00062	0,00042	0,00066	0,00055	0,00067	0,00075	-0,00043	-0,00057	0,00013	-0,00001	-0,00187	-0,00173	-0,00055	0,00011	0,00034	-0,00159	-0,00186	-0,00147	-0,00131	-0,00144	-0,00190	-0,00177	-0,00175	-0,00170	-0,00179
0,00406	0,12436	0,11227	0,12599	0,14503	0,14998	0,15327	0,18997	0,18171	0,03953	0,03766	-0,09542	-0,08694	0,05038	0,25414	0,26361	-0,08385	-0,02259	-0,00811	-0,06464	-0,07531	-0,03016	-0,02553	-0,02525	-0,04902	-0,05172
-0,00218	0,00031	-0,00005	0,00035	0,00061	0,00074	0,00082	0,00007	-0,00006	-0,00130	-0,00139	-0,00373	-0,00356	-0,00139	0,00115	0,00130	-0,00364	-0,00296	-0,00254	-0,00321	-0,00344	-0,00303	-0,00294	-0,00293	-0,00361	-0,00365
0,00026	0,00591	0,00530	0,00599	0,00601	0,00617	0,00627	0,00569	0,00544	0,00277	0,00266	-0,01036	-0,00902	0,00262	0,00684	0,00708	-0,00815	-0,00149	-0,00054	-0,00615	-0,00733	-0,00168	-0,00142	-0,00140	-0,00328	-0,00346
0,00086	0,00347	0,00320	0,00350	0,00391	0,00402	0,00409	0,00489	0,00471	0,00163	0,00159	-0,00130	-0,00111	0,00186	0,00628	0,00648	-0,00104	0,00028	0,00060	-0,00063	-0,00086	0,00012	0,00022	0,00023	-0,00029	-0,00035
-0,15802	-0,04343	-0,05570	-0,04184	-0,01868	-0,01340	-0,00969	-0,09218	-0,10053	-0,04700	-0,04901	-0,23956	-0,23429	-0,13905	0,00990	0,02010	-0,23476	-0,17991	-0,16612	-0,22259	-0,22820	-0,21110	-0,20727	-0,20700	-0,20906	-0,21149
-0,00215	0,00090	0,00064	0,00096	0,00205	0,00221	0,00230	-0,00011	-0,00026	0,00130	0,00121	-0,00493	-0,00474	-0,00124	0,00112	0,00127	-0,00561	-0,00277	-0,00238	-0,00518	-0,00543	-0,00408	-0,00402	-0,00401	-0,00562	-0,00560
0,41056	0,35423	0,35205	0,35528	0,27611	0,27870	0,27991	0,30203	0,29764	0,24678	0,24093	0,68153	0,69818	0,46526	0,28600	0,29452	0,58547	0,46697	0,48757	0,59144	0,59106	0,45365	0,46290	0,46436	0,44331	0,43827
0,00439	0,00373	0,00365	0,00377	0,00257	0,00268	0,00274	0,00155	0,00140	0,00396	0,00361	0,00473	0,00499	0,00445	0,00120	0,00152	0,00492	0,00355	0,00394	0,00503	0,00502	0,00310	0,00328	0,00330	0,00384	0,00371
0,03747	0,02781	0,02766	0,02784	0,01869	0,01884	0,01891	0,01831	0,01810	0,02179	0,02123	0,11689	0,11794	0,04488	0,01683	0,01723	0,08314	0,04531	0,04606	0,08374	0,08376	0,02921	0,02982	0,02992	0,03220	0,03182
0,00595	0,00333	0,00323	0,00338	-0,00030	-0,00018	-0,00012	0,00091	0,00070	-0,00166	-0,00193	0,01854	0,01932	0,00849	0,00016	0,00056	0,01408	0,00857	0,00953	0,01436	0,01434	0,00795	0,00838	0,00845	0,00747	0,00724
0,06991	0,06645	0,06424	0,06753	0,04899	0,05236	0,05409	0,02105	0,01597	0,05633	0,04880	0,05022	0,05697	0,06792	0,01342	0,02453	0,05934	0,04287	0,05246	0,06179	0,06164	0,04699	0,05166	0,05237	0,05821	0,05509
0,00139	0,00174	0,00165	0,00178	0,00108	0,00120	0,00126	0,00014	-0,00001	0,00218	0,00198	0,00176	0,00187	0,00159	-0,00028	0,00004	0,00212	0,00060	0,00099	0,00224	0,00224	0,00073	0,00088	0,00090	0,00163	0,00152

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179
віотест	ВІОТЕСА	WALCAPT	TURYGOT	TURYGOA	GUTUSSP	EUROTST	TURYGET	TURYGEA	ASIACAP	ACEMERA	OSTAKTI	ACEMERT	OSTAKTV	SIEEQNA	ESXTUSA	COREEUR	COREEUT	KEPUSAK	KEPUSAT	AMERIDX	EREALFD	STKIDXU	TOPSWST	TOPSWSF	TIGERFD
0,25326	0,25328	0,16640	0,17079	0,16830	0,29441	0,35689	0,15627	0,15437	0,26690	0,25528	0,20658	0,25922	0,20064	0,22769	0,26006	0,21870	0,22833	0,22643	0,23137	0,25055	0,20994	0,26122	0,26237	0,25326	0,22059
0,00099	0,00099	-0,00079	0,00052	0,00042	0,00125	7,00097	-0,00101	-0,00106	0,00120	0,00110	0,00114	0,00120	0,00091	-0,00010	0,00040	-0,00013	0,00013	-0,00034	-0,00023	-0,00012	-0,00053	0,00026	0,00040	0,00017	0,00020
0,02624	0,02625	0,00964	0,01445	0,01427	0,01594	0,02496	0,00848	52800'0	0,02066	0,01540	16110′0	0,01560	0,01157	0,01411	0,01372	62110	0,01216	0,01210	28210,0	0,01380	0,01173	0,01429	0,01642	0,01593	0,01805
0,00295	0,00295	-0,00024	-0,00008	-0,00017	0,00446	0,00676	-0,00061	-0,00068	0,00345	0,00303	0,00124	0,00317	0,00102	0,00201	0,00320	0,00168	0,00204	0,00197	0,00215	0,00285	0,00136	0,00325	0,00329	0,00295	0,00175
-0,01899	-0,01898	-0,05341	-0,01149	-0,01383	0,00425	-0,01827	-0,06064	-0,06246	-0,00164	26500′0	15210′0	0,00933	98600′0	-0,04579	-0,02898	-0,03952	-0,03061	-0,05527	-0,05134	-0,05030	-0,05149	-0,03652	-0,02912	-0,03622	-0,03003
-0,00054	-0,00054	-0,00175	-0,00063	-0,00073	0,00008	89000,0-	-0,00177	-0,00182	-0,00044	-0,00025	0,00041	-0,00014	0,00025	-0,00127	-0,000,0-	-0,00142	-0,00116	-0,00147	-0,00135	-0,00150	-0,00173	-0,00096	-0,00101	-0,00124	-0,00148
-0,03105	-0,03105	-0,04429	0,05565	0,05034	0,09000	-0,00651	-0,02478	-0,02478	0,06544	0,06350	0,13111	0,06711	0,12215	-0,03213	0,02299	0,01640	0,03428	-0,01415	-0,00540	-0,02064	0,12694	-0,00188	0,00857	-0,00186	-0,01331
-0,00320	-0,00319	-0,00371	£6000′0-	-0,00107	-0,00099	-0,00233	62500'0-	-0,00329	-0,00073	58100,0-	0,00047	-0,00124	81000,0	-0,00292	-0,00192	-0,00223	-0,00186	-0,00253	-0,00237	-0,00261	-0,00024	-0,00221	-0,00222	-0,00249	-0,00264
-0,00234	-0,00234	-0,00253	0,00341	0,00311	0,00387	-0,00037	-0,00127	-0,00127	0,00399	0,00270	0,00575	0,00286	0,00530	-0,00202	0,00114	0,00071	0,00153	-0,00073	-0,00027	-0,00114	0,00567	-0,00011	0,00045	-0,00010	-0,00085
0,00010	0,00010	-0,00019	0,00198	98100′0	0,00272	89000,0	0,00024	0,00024	0,00219	0,00215	19£00′0	0,00223	0,00342	80000,0	0,00127	81100,0	0,00151	0,00047	99000′0	88000,0	0,00352	0,00073	96000′0	0,00073	0,00048
-0,18048	-0,18042	-0,21238	-0,08706	-0,09203	-0,14838	-0,20276	-0,19261	-0,19261	-0,11628	-0,12701	-0,02847	-0,12322	-0,03925	-0,20600	-0,18844	-0,19152	-0,17794	-0,21751	-0,21168	-0,21806	-0,11147	-0,20022	-0,16980	-0,18002	-0,17401
-0,00491	-0,00490	-0,00506	0,00003	-0,00002	-0,00242	-0,00324	-0,00292	-0,00292	-0,00064	-0,00082	0,00224	-0,00072	0,00191	-0,00438	-0,00343	-0,00211	-0,00173	-0,00398	-0,00380	-0,00431	-0,00045	-0,00395	-0,00194	-0,00221	-0,00268
0,52355	0,52355	0,29190	0,24588	0,24500	0,41872	0,66739	0,26950	0,26604	0,40998	0,38911	0,25869	0,39360	0,25411	0,40888	0,40440	0,34559	0,34974	0,36720	0,36993	0,42042	0,26925	0,42520	0,48480	0,47642	0,40044
0,00604	0,00604	0,00313	0,00278	0,00274	0,00445	0,00519	0,00232	0,00222	0,00424	0,00428	0,00237	0,00440	0,00218	0,00385	0,00377	0,00302	0,00316	0,00297	0,00303	0,00347	0,00039	0,00387	0,00395	0,00376	0,00408
0,05771	0,05772	0,01918	0,02489	0,02482	0,02700	0,04990	0,01661	0,01635	0,03658	0,02775	0,01779	0,02797	0,01750	0,02766	0,02448	0,02176	0,02194	0,02255	0,02270	0,02606	0,01815	0,02608	0,03234	0,03200	0,03675
0,01120	0,01120	0,00044	-0,00170	-0,00174	0,00633	0,01788	-0,00061	-0,00077	0,00592	0,00495	-0,00111	0,00516	-0,00132	0,00587	0,00566	0,00293	0,00312	0,00393	0,00406	0,00641	-0,00062	0,00663	0,00940	0,00901	0,00548
0,08910	0,08910	0,06104	0,03128	0,03052	0,09497	0,08707	0,04443	0,04145	0,06702	0,08860	0,04539	0,09221	0,03930	0,06783	0,07896	65090′0	0,06525	0,05353	0,05547	0,06285	-0,01880	0,07710	0,07047	0,06488	0,06154
0,00351	0,00351	0,00175	0,00082	0,00078	0,00258	0,00241	0,00128	0,00118	0,00141	0,00195	0,00111	0,00207	0,00105	0,00207	0,00195	0,00086	0,00101	0,58240	0,00131	0,00125	-0,00166	0,00199	0,00158	0,00139	0,00120

TABLE 2. FRENCH MUTUAL FUNDS PERFORMANCE MEASURES

	#	1	2	ω	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22
	NAME	CHI2000	PCEUROP	SLFAEUR	PCEUROD	CAIVEFR	CAIVEFI	INDIEUR	CIFRANC	UAEURO	OFIMLEA	AXAINEC	ECURLLE	NRWFRNC	EXPEXDU	ELNCLDS	BPEUCRS	MONCFRE	CDCINSE	CDCEUAC	SOGNFRN	LGSTCAC	BALCANI
	SHARPE	0,21632	0,45477	0,21196	0,44659	0,19528	0,18802	0,17415	0,19363	0,21347	0,20840	0,19146	0,18734	0,20218	0,23632	0,17550	0,19814	0,32571	0,23160	0,17553	0,19689	0,18443	0,29443
	JENSEN	0,00242	0,00224	0,00141	0,00213	0,00138	0,00116	0,00094	0,00137	0,00110	0,00122	0,00146	0,00087	0,00158	0,00164	96000'0	0,00076	0,00153	0,00108	0,00106	0,00156	0,00115	0,00263
OVERALL PERIOD	TREYNOR	0,05365	-0,16529	-0,09868	-0,17081	-0,08400	-0,08602	-0,09138	-0,13506	0,11339	-0,11157	-0,07076	-0,13186	-0,06078	-0,28209	-0,09019	-0,08067	96950,0	0,10815	-0,14053	-0,09106	-0,06105	-0,08325
. PERIOD	MM	0,00031	0,00764	0,00017	0,00739	-0,00034	-0,00057	-0,00099	-0,00039	0,00022	0,00006	-0,00046	-0,00059	-0,00013	0,00092	-0,00095	-0,00025	0,00367	0,00078	-0,0005	-0,00029	-0,00068	0,00271
	IR	80050,0	0,02434	-0,00077	0,02151	-0,00102	-0,00596	-0,00978	-0,00048	-0,00175	-0,00421	0,00084	-0,01087	0,00229	0,00688	-0,00979	-0,01471	0,01127	-0,00473	-0,00537	0,00289	-0,00692	0,02786
	TR-MAZ	0,00128	0,00078	-0,00011	0,00067	-0,00027	-0,00049	-0,00077	-0,00027	-0,00047	-0,00037	-0,00028	-0,00072	-0,00018	0,00017	-0,00073	-0,00101	0,00032	-0,00030	-0,00050	-0,00012	-0,00055	0,00108
	SHARPE	0,09718	0,12865	0,03346	0,11976	0,01193	0,00852	-0,00138	0,01476	0,02926	-0,01040	0,01300	-0,00387	0,02145	0,02613	-0,00301	-0,05356	0,04822	-0,00435	-0,00320	0,02046	0,00720	0,08593
	JENSEN	0,00252	0,00121	0,00060	0,00112	0,00012	0,00003	-0,00026	0,00017	0,00038	-0,00045	0,00017	-0,00031	0,00037	0,00042	-0,00028	-0,00171	0,00048	-0,00033	-0,00040	0,00035	0,00006	0,00129
SUBPERIOD ONE	TREYNOR	68110'0	68880'0	0,02248	0,06472	0,00391	0,00273	-0,00026	0,00269	0,00401	-0,00179	0,01329	-0,00075	-0,02245	0,00403	-0,0008	-0,03595	0,00324	-0,00059	89000′0-	0,00631	-0,00389	0,03012
OD ONE	MM	00800,0	0,00372	0,00154	0,00352	0,00105	0,00097	0,00074	0,00111	0,00144	0,00053	0,00107	0,00068	0,00126	0,00137	0,00070	-0,00046	0,00188	0,00067	0,7000,0	0,00124	0,00094	0,00274
	IR	0,06482	0,03022	0,00471	0,02672	-0,01004	-0,01265	-0,01995	-0,00763	86000′0-	-0,02866	-0,00820	-0,02302	66200'0-	0,00032	-0,02135	-0,05987	92900′0	-0,02465	02020,0-	-0,00282	-0,01295	0,03050
	TR-MAZ	0,00104	-0,00025	-0,00120	-0,00034	-0,00151	-0,00160	-0,00167	-0,00123	-0,00102	-0,00204	-0,00221	-0,00203	-0,00211	-0,00091	-0,00195	-0,00476	-0,00083	-0,00153	-0,00062	-0,00117	-0,00226	-0,00011
	SHARPE	0,30474	0,65277	0,33220	0,64475	0,31668	0,30678	0,29513	0,31526	0,32560	0,35303	0,31327	0,31366	0,31442	0,39625	0,29489	0,44717	0,51273	0,40798	0,31199	0,31679	0,29990	0,42048
	JENSEN	0,00219	0,00297	0,00191	0,00285	0,00232	0,00198	0,00186	0,00228	0,00156	0,00260	0,00245	0,00176	0,00245	0,00256	0,00190	0,00296	0,00234	0,00218	0,00228	0,00247	0,00189	0,00367
SUBPERI	TREYNOR	0,12048	-0,17853	-0,10680	-0,17968	-0,08641	-0,08699	-0,07728	-0,09609	0,84640	-0,09316	-0,08670	-0,09993	-0,08406	-0,12466	-0,08222	-0,10924	0,18240	1,20065	-0,10066	-0,08873	-0,09287	-0,08950
SUBPERIOD TWO	MM	-0,00197	0,01078	96000′0-	0,01049	-0,00153	-0,00190	-0,00232	-0,00158	-0,00121	-0,00020	-0,00166	-0,00164	-0,00162	0,00138	-0,00233	0,00325	0,00565	0,00181	-0,00170	-0,00153	-0,00215	0,00227
	IR	0,01012	0,02021	-0,00631	0,01763	0,00164	-0,00485	-0,00641	0,00136	-0,00428	0,00676	0,00431	-0,00696	0,00361	0,00838	-0,00595	0,01596	0,01223	0,00427	0,00170	0,00402	-0,00587	0,02614
	TR-MAZ	0,00054	0,00085	-0,00035	0,00074	-0,00017	-0,00053	-0,00079	-0,00024	-0,00084	0,00019	-0,00018	-0,00067	-0,00014	0,00034	-0,00069	0,00035	0,00051	0,00013	-0,00024	-0,00010	-0,00059	0,00135

48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32	31	30	29	28	27	26	25	24	23
FRNCGAN	EMRGPSD	AXAAGIA	FRUFRAC	FRUFRAD	BNPNAV3	ETVALUE	SICEURS	AGFEACD	BNPPADD	BALSWII	UNIFRAN	TRICOLO	SOGEPEA	BNPAIFC	AZUACFR	VIACTEC	AGFOPID	ECURINV	SCV5000	AXAEFEA	POETHIC	AXAAGEU	EURF50C	FEDEPAC	AGFEUAC
0,22599	0,19680	0,21995	0,20923	0,20398	0,20253	0,21144	0,20179	0,20181	0,28221	0,25084	0,18065	0,21875	0,19201	0,19154	0,21513	0,19664	0,20658	0,18486	0,18530	0,18308	0,21230	0,17666	0,18756	0,19134	0,20111
0,00170	0,00109	0,00103	0,00136	0,00123	0,00101	0,00143	0,00146	0,00125	0,00212	0,00199	0,00082	0,00187	0,00101	0,00149	0,00159	0,00127	0,00146	0,00110	0,00092	0,00086	0,00165	0,00111	0,00138	0,00135	0,00140
-0,10343	-0,15052	-0,09956	0,08486	0,12970	1,94554	0,17562	85680′0-	-0,05929	-0,10492	-0,07493	-0,09517	-0,07246	-0,09720	-0,14227	-0,06616	-0,06362	-0,08224	-0,09231	-0,11562	-0,05383	-0,12944	-0,07348	-0,06093	-0,10528	-0,07147
0,00060	-0,00030	0,00042	0,00009	-0,00007	-0,00012	0,00016	-0,00014	-0,00014	0,00233	0,00137	-0,000,79	0,00038	-0,00044	-0,00046	0,00027	-0,00030	0,00001	-0,00066	-0,00065	-0,00072	0,00018	-0,00091	-0,00058	-0,00046	-0,00016
0,00579	-0,00571	-0,00973	0,00408	-0,00079	-0,00755	0,00417	96000′0	-0,00319	0,01699	0,01248	-0,01234	0,00929	-0,00921	0,00249	0,00314	-0,00355	0,00319	-0,00664	-0,00986	-0,01356	0,00642	-0,00708	-0,00146	-0,00160	0,00137
0,00009	-0,00053	-0,00064	-0,00005	-0,00022	-0,00050	-0,00006	-0,00022	-0,00053	0,00049	0,00034	-0,00081	0,00020	-0,00066	-0,00014	-0,00010	-0,00047	-0,00032	-0,00057	-0,00069	-0,00082	0,00001	-0,00060	-0,00038	-0,00027	-0,00042
0,02838	-0,01065	-0,03308	0,02499	0,02028	-0,02929	0,02886	0,02067	0,00371	0,12553	0,03809	-0,00821	0,02967	-0,01356	0,01613	0,01530	0,02088	0,01731	0,00351	0,00691	-0,02351	0,02503	0,01102	0,00750	0,01833	0,00546
0,00047	-0,00050	-0,00093	0,00032	0,00028	-0,00109	0,00045	0,00034	-0,00004	0,00135	0,00066	-0,00040	0,00057	-0,00054	0,00017	0,00023	0,00030	0,00030	-0,00012	-0,00003	-0,00072	0,00037	0,00020	0,00005	0,00023	0,00001
0,00714	-0,00166	-0,00463	0,00219	0,00309	-0,00299	0,00351	0,01695	-0,00423	0,02993	0,01133	-0,00228	-0,02448	-0,00289	0,00212	-0,01359	0,01158	0,04248	0,00079	0,00145	0,01304	0,00384	0,01189	0,14650	0,00494	-0,00859
0,00142	0,00053	0,00001	0,00134	0,00124	0,00010	0,00143	0,00125	98000,0	0,00365	0,00165	0,00058	0,00145	0,00046	0,00114	0,00112	0,00125	0,00117	0,00085	0,00093	0,00023	0,00135	0,00102	0,00094	0,00119	0,00090
0,00113	-0,02841	-0,04650	-0,00002	-0,00410	-0,04534	0,00242	-0,00393	-0,01585	0,03704	0,00688	-0,02559	0,00225	-0,03015	-0,00570	-0,00799	-0,00517	-0,00526	-0,01660	-0,01418	-0,03504	86000′0-	-0,00819	-0,01235	-0,00692	-0,01374
-0,00091	-0,00205	-0,00310	-0,00121	-0,00104	-0,00237	-0,00067	-0,00158	-0,00237	-0,00034	-0,00114	-0,00180	-0,00148	-0,00236	-0,00145	-0,00208	-0,00152	-0,00185	-0,00178	-0,00160	-0,00320	-0,00117	-0,00038	-0,00214	-0,00133	-0,00225
0,36181	0,34268	0,39550	0,33736	0,33012	0,39188	0,33501	66618'0	62988	0,37235	0,39717	0,30725	0,34172	0,33503	0,31423	0,34860	0,30433	0,34143	0,30499	0,30610	0,32548	0,33546	0,30297	0,30901	0,29472	0,34152
0,00263	0,00240	0,00273	0,00217	0,00189	0,00289	0,00213	0,00227	0,00220	0,00259	0,00300	0,00176	0,00278	0,00227	0,00254	0,00259	0,00194	0,00232	0,00202	0,00161	0,00209	0,00265	0,00170	0,00240	0,00217	0,00247
-0,09438	-0,09913	-0,08510	-1,37256	- 62,55819	-0,12654	-0,39265	-0,10362	-0,08473	-0,10275	-0,07837	-0,09280	-0,10096	-0,08937	-0,08191	-0,09409	-0,07455	-0,10352	-0,08362	-0,09286	-0,08730	-0,09112	-0,08791	-0,08145	-0,09871	-0,10125
0,00012	-0,00058	0,00136	-0,00077	-0,00104	0,00122	-0,00086	-0,00141	-0,00080	0,00051	0,00142	-0,00188	-0,00062	-0,00086	-0,00162	-0,00036	-0,00199	-0,00063	-0,00196	-0,00192	-0,00121	-0,00084	-0,00203	-0,00181	-0,00234	-0,00062
0,00632	0,00470	0,00812	0,00421	-0,00122	0,01271	0,00294	0,00167	0,00198	0,00656	0,01365	-0,00719	0,01093	0,00055	0,00488	0,00731	-0,00487	0,00658	-0,00372	-0,00977	-0,00318	0,00872	-0,00871	0,00305	-0,00103	0,00904
0,00018	-0,00009	0,00019	-0,00007	-0,00028	0,00048	-0,00017	-0,00023	-0,00042	0,00008	0,00052	-0,00072	0,00035	-0,00026	-0,00004	0,00013	-0,00069	-0,00034	-0,00054	-0,00085	-0,00034	0,00012	-0,00084	-0,00023	-0,00027	-0,00021

74	73	72	71	70	69	68	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49
AFERFLO	LIVRBRS	INDVARE	BALEURI	SLVAFRN	MACTIEU	BNPFVST	SGSOTEM	ABFEUR1	BNPATRM	BDFREPA	SGEUROP	SPGPSMC	AXAVALF	BALJPNI	EXACFRC	RICHINV	EXACFRD	VINCACT	AMPTMNC	D D NMT4WA	BNPAIFD	SYCEURO	BNPAPEU	AGFEACC	FRUVEUR
0,32352	0,19651	0,21027	0,21127	0,17421	0,22843	0,19390	0,15156	0,20891	0,20162	0,19066	0,24104	0,35872	0,19380	0,21823	0,19683	0,33565	0,18442	0,20167	0,25943	0,24896	0,18168	0,22678	0,17860	0,21020	0,22388
0,00111	0,00088	0,00169	0,00167	0,00082	0,00142	0,00124	0,00040	0,00164	0,00157	0,00107	0,00166	0,00251	0,00117	0,00130	0,00166	0,00187	0,00128	0,00146	0,00132	0,00114	0,00107	0,00194	0,00077	0,00149	0,00143
0,05026	0,06850	-0,06799	-0,08738	-0,08966	-0,68976	9,89808	-0,29617	-0,08928	-0,22522	2,91444	-1,24638	0,06093	-0,05917	0,11097	-0,05780	0,27108	-0,05492	-0,06658	-0,53205	-0,38212	-0,14552	-0,10493	-0,32981	-0,06269	-0,13572
0,00360	-0,00030	0,00012	0,00015	-0,00099	0,00068	-0,00038	-0,00169	80000,0	-0,00015	-0,00048	0,00107	0,00469	-0,00039	0,00036	-0,00029	0,00398	-0,00068	-0,00015	0,00163	0,00131	-0,00076	0,00063	-0,00086	0,00012	0,00054
-0,00131	-0,00809	0,00565	0,00564	-0,01248	0,00176	-0,00152	-0,01943	0,00515	0,00482	-0,00658	0,00775	0,03818	-0,00731	0,00178	0,00377	0,01614	-0,00432	0,00054	-0,00093	-0,00562	-0,00649	0,01246	-0,01254	0,00204	0,00112
-0,00017	-0,00044	0,00003	-0,00001	-0,00081	-0,00014	-0,00028	-0,00120	-0,00004	0,00000	-0,00055	0,00010	0,00125	-0,00050	-0,00006	-0,00009	0,00046	-0,00048	-0,00028	-0,00025	-0,00043	-0,00056	0,00021	-0,00081	-0,00029	-0,00016
-0,00446	-0,00334	0,03116	0,02955	-0,00244	0,00105	0,01417	-0,04952	0,02905	0,01644	0,00287	0,02758	0,16587	-0,01072	0,05596	0,02366	0,12082	0,01035	0,02413	-0,03070	-0,03903	0,00489	0,05233	-0,01520	0,00782	0,01021
-0,00033	-0,00031	0,00062	0,00055	-0,00026	-0,00020	0,00007	-0,00213	0,00053	0,00016	-0,00013	0,00034	0,00271	-0,00040	0,00111	0,00046	0,00146	0,00014	0,00038	-0,00085	-0,00104	-0,00016	0,00098	-0,00069	0,00006	-0,00003
-0,00037	-0,00052	0,07964	0,02509	-0,00057	0,00016	0,00134	-0,00923	0,01715	0,00193	0,00053	0,00284	0,00979	0,01149	0,01034	-0,01351	0,00985	-0,00669	0,01233	-0,00461	-0,00632	0,00060	0,01688	-0,00186	-0,00916	0,00134
0,00067	0,00070	0,00149	0,00145	0,00072	0,00080	0,00110	-0,00036	0,00144	0,00115	0,00084	0,00140	0,00457	0,00053	0,00205	0,00131	0,00354	0,00101	0,00133	0,00007	-0,00012	0,00088	0,00197	0,00042	0,00095	0,00101
-0,02741	-0,02287	0,00450	0,00243	-0,02072	-0,01975	-0,00808	-0,05984	0,00256	-0,00575	-0,01699	-0,00145	0,10342	-0,02603	0,02286	-0,00138	0,04639	-0,01073	-0,00238	-0,04437	-0,05027	-0,01590	0,01706	-0,03239	-0,01290	-0,01493
-0,00150	-0,00156	-0,00087	-0,00134	-0,00168	-0,00193	-0,00141	-0,00450	-0,00169	-0,00152	-0,00151	-0,00093	0,00234	-0,00284	0,00008	-0,00181	0,00060	-0,00216	-0,00148	-0,00277	-0,00287	-0,00187	-0,00051	-0,00242	-0,00225	-0,00193
0,68019	0,33284	0,33212	0,33092	0,29613	0,39824	0,32175	0,38362	0,32935	0,33401	0,32415	0,38253	0,51250	0,33643	0,33805	0,30645	0,47518	0,29543	0,31268	0,48384	0,47591	0,30067	0,33731	0,31913	0,34827	0,35566
0,00230	0,00176	0,00241	0,00248	0,00160	0,00277	0,00214	0,00271	0,00244	0,00270	0,00198	0,00271	0,00215	0,00238	0,00137	0,00252	0,00215	0,00208	0,00225	0,00324	0,00308	0,00203	0,00261	0,00197	0,00257	0,00261
0,15953	0,20648	-0,08386	-0,10089	-0,08157	-0,15893	-0,10412	-0,11809	-0,09834	-0,09194	-0,20746	-0,13613	0,24512	-0,08776	0,45394	-0,08357	-0,32953	-0,08037	-0,07668	-0,18030	-0,17082	-0,08002	-0,10096	-0,10250	-0,08900	-0,09455
0,01179	-0,00094	-0,00097	-0,00101	-0,00229	0,00146	-0,00135	0,00092	-0,00107	-0,00090	-0,00126	0,00088	0,00564	-0,00081	-0,00075	-0,00191	0,00428	-0,00231	-0,00168	0,00459	0,00430	-0,00212	-0,00078	-0,00144	-0,00037	-0,00010
0,01365	-0,00237	0,00375	0,00565	-0,01050	0,01250	-0,00070	0,01143	0,00481	0,00828	-0,00280	0,01082	0,00471	0,00138	-0,01047	0,00468	0,00233	-0,00298	0,00020	0,02349	0,01972	-0,00406	0,00891	-0,00398	0,00878	0,00728
0,00043	-0,00019	-0,00007	-0,00003	-0,00088	0,00040	-0,00029	0,00028	-0,00007	0,00020	-0,00049	0,00029	0,00015	-0,00004	-0,00066	-0,00005	-0,00002	-0,00050	-0,00039	0,00093	0,00075	-0,00057	0,00000	-0,00052	-0,00004	0,00016

100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76	75
LPOAMAM	LPOAMAD	CGNVASI	BDFPLAS	UNICNP1	EURDNSV	GPINFRA	MMAOF30	FEDCA40	SSTRFRN	SSTRFRC	ATTFUTD	ATTFUTC	MDMVALR	AXAINVT	SGFROPC	EURREDD	STHOPME	LGMFRNC	PTONI10	POAMPLT	VHCAACT	POABLTD	MEDIACT	MMAEUA C	EURRENC
0,23691	0,22856	0,31467	0,21022	0,24225	0,21946	0,23589	0,31751	0,19198	0,20059	0,21284	0,17408	0,19723	0,24557	0,21965	0,20836	0,29555	0,27785	0,22822	0,23468	0,21005	0,22942	0,19535	0,19622	0,20622	0,31268
0,00136	0,00116	0,00284	0,00178	0,00130	0,00139	0,00200	0,00149	0,00157	0,00151	0,00189	0,00093	0,00153	0,00151	0,00078	0,00149	0,00206	0,00196	0,00169	0,00120	0,00179	0,00162	0,00135	0,00140	0,00141	0,00240
-0,14789	-0,15197	0,07762	-0,19757	-0,12430	-0,11196	-0,11024	-0,16776	-0,07429	-0,07962	06080′0-	-0,07408	-0,09021	-0,07857	-0,09907	-0,26750	-0,08772	0,12850	-0,08923	-0,54685	-0,10560	0,14917	-0,11166	-0,09333	-0,08137	-0,10225
0,00094	0,00068	0,00333	0,00012	0,00110	0,00040	0,00091	0,00342	-0,00044	-0,00018	0,00020	-0,00099	-0,00028	0,00121	0,00041	900000	0,00274	0,00220	79000,0	0,00087	0,00011	0,00071	-0,00034	-0,00031	-0,00001	0,00327
-0,00127	-0,00590	0,04419	0,00889	-0,00256	-0,00036	0,01325	0,00299	0,00269	0,00161	0,00962	-0,01173	0,00220	0,00151	-0,01499	0,00291	0,01469	0,01802	0,00533	-0,00332	0,00846	0,01107	-0,00113	-0,00028	-0,00001	0,02348
-0,00025	-0,00045	0,00172	0,00016	-0,00031	-0,00025	0,00040	-0,00004	-0,00016	-0,00019	0,00018	-0,00078	-0,00015	-0,00006	-0,00082	-0,00011	0,00034	0,00055	60000	-0,00035	0,00015	0,00013	-0,00030	-0,00027	-0,00023	0,00070
-0,04169	-0,04889	0,11232	0,02129	-0,02333	0,00252	0,03595	-0,01702	0,01558	0,03537	0,04781	0,00488	0,01722	0,00260	-0,03859	0,02885	0,05174	0,08841	0,01170	-0,01148	0,02276	0,01831	0,01009	0,01276	0,00436	0,06578
-0,00114	-0,00131	0,00206	0,00035	-0,00065	-0,00014	0,00063	-0,00043	0,00025	0,00075	0,00105	-0,00006	0,00025	-0,00008	-0,00099	0,00049	0,00076	0,00154	0,00013	-0,00050	0,00036	0,00022	0,00004	0,00011	-0,00003	0,00101
-0,00875	-0,01026	0,01405	0,00343	-0,00895	0,00057	0,00922	-0,00798	0,04912	-0,04320	-0,05979	0,00168	0,00551	-0,00454	-0,02535	0,00399	-0,13676	0,00765	0,00971	-0,00135	0,00458	0,00262	0,00198	0,00275	0,09633	-0,18456
-0,00018	-0,00035	0,00335	0,00126	0,00024	28000,0	0,00160	0,00038	0,00113	0,00158	0,00187	0,00088	0,00117	0,00083	-0,00011	0,00143	0,00196	0,00280	0,00104	0,00051	0,00129	0,00119	0,00100	0,00106	0,00087	0,00228
-0,05166	-0,05708	0,06002	-0,00190	-0,03699	-0,01900	0,00648	-0,03288	-0,00683	0,00727	0,01608	-0,01502	-0,00559	-0,01822	-0,04709	0,00286	0,00990	0,04414	-0,01064	-0,03079	-0,00155	-0,00556	-0,01154	-0,00906	-0,01506	0,01847
-0,00332	-0,00352	86000′0	-0,100,0-	-0,00255	-0,00205	58000'0-	-0,00229	-0,00213	-0,00152	-0,00125	-0,00163	-0,00127	-0,00222	-0,00268	55000′0-	-0,00097	15000′0	-0,00220	-0,00192	-0,00107	18100'0-	-0,00146	-0,00089	-0,00207	-0,00067
0,45254	0,44310	0,46125	0,34617	0,43135	08095,0	29028,0	0,53878	0,30515	98018,0	0,3226,0	0,28627	0,31837	0,41501	0,40517	0,33279	0,45526	0,41109	0,38346	0,41521	0,33730	80888	0,32038	0,32279	0,35063	0,47584
0,00361	0,00340	0,00344	26200′0	0,00300	69200,0	90£00′0	0,00312	0,00256	96100′0	0,00241	0,00163	0,00249	0,00278	0,00229	0,00224	0,00305	0,00215	16200′0	99200′0	0,00291	0,00273	0,00235	0,00239	0,00252	0,00346
-0,13055	-0,13252	0,17771	-0,10951	-0,13697	-0,10253	-0,10031	-0,18795	-0,09489	-0,10600	-0,10546	-0,07796	-0,08980	-0,11080	-0,12586	-0,11084	-0,11405	-0,59545	-0,10679	-0,13527	-0,08866	-1,64685	-0,09033	-0,08257	-0,10837	-0,13089
0,00345	0,00310	0,00377	-0,00045	0,00267	80000,0	0,00044	0,00661	-0,00196	-0,00175	-0,00132	-0,00265	-0,00147	0,00207	0,00171	-0,00094	0,00355	0,00193	0,00091	0,00208	-0,00078	0,00090	-0,00140	-0,00131	-0,00029	0,00430
0,02824	0,02397	0,03603	0,01343	0,01681	0,00784	0,01534	0,02207	0,00598	-0,00376	0,00411	-0,01256	0,00455	0,01131	0,00258	0,00119	0,01597	0,00307	0,01283	0,01034	0,01217	0,01925	0,00234	0,00247	0,00703	0,02527
0,00126	0,00103	0,00185	0,00045	0,00066	0,00015	0,00063	0,00092	-0,00001	-0,00055	-0,00009	-0,00099	-0,00005	0,00052	-0,00006	-0,00024	0,00048	-0,00002	0,00059	0,00027	0,00039	0,00050	-0,00018	-0,00019	0,00013	0,00093

126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102	101
SOLELIN	AZUACAM	ELNUSAS	LOBETHQ	AGFACIP	LIVRPRT	SSTREUR	HSBCAEC	HSBCAED	MDMEURP	UNIVACT	ETOPPOR	CNPAVLA	PVALFRE	BPOFOIC	FONCINV	EPRGUNI	BNPAERP	AXAEUND	INOVAFD	INOSVAC	AXAEUNC	ATHCRIN	ATOUSEL	HSBEUAC	HSBEUAD
0,26101	0,24898	0,21456	0,23767	0,25558	0,24916	0,22458	0,22288	0,21512	0,22037	0,23492	0,22238	0,20554	0,27816	0,28126	0,26267	0,20281	0,21986	0,21549	0,19704	0,21727	0,22362	0,26813	0,20347	0,20067	0,19331
0,00119	0,00147	78000,0	28100'0	58000′0	0,00144	22100'0	0)00160	8£100′0	0,00144	20100'0	0,00140	70100,0	0,00230	90800'0	65200′0	0,0004	0,00149	0,00142	25100'0	88100,0	0,00163	0,00105	0,00117	0,00151	0,00127
-0,20875	-0,09101	-0,17489	-0,12573	0,09098	0,21046	-0,08386	-0,09650	-0,08972	-0,07975	-0,23056	0,20080	-0,10468	0,08286	-0,45848	-0,37086	-0,08991	-0,14434	-0,09402	-0,08241	-0,09106	-0,09664	0,09700	-0,08820	-0,09343	-0,08807
0,00168	0,00131	0,00025	0,00096	0,00151	0,00132	0,00056	0,00051	0,00027	0,00043	88000,0	0,00049	-0,00003	0,00221	0,00230	0,00173	-0,00011	0,00041	0,00028	-0,00029	0,00034	0,00053	0,00190	-0,00009	-0,00018	-0,00040
-0,00515	0,00048	-0,01216	0,01134	-0,01014	0,00396	0,00714	0,00410	-0,00086	-0,00004	-0,00785	0,00359	-0,00774	0,02836	0,04016	0,02862	-0,01322	0,00230	-0,00008	-0,00234	0,01020	0,00507	-0,00499	-0,00603	0,00225	-0,00291
-0,00039	-0,00013	-0,00073	0,00022	-0,00048	0,00004	90000,0	-0,00009	-0,00032	-0,00022	-0,00051	-0,00007	-0,00057	0,00091	0,00166	0,00118	-0,00081	-0,00013	-0,00020	-0,00035	0,00021	0,00002	-0,00028	-0,00050	-0,00019	-0,00043
-0,04554	-0,05576	-0,05806	0,02893	-0,05540	-0,02437	0,03674	0,01143	0,00270	-0,00350	-0,03740	0,05432	-0,01514	0,13119	0,21412	0,19013	-0,02213	-0,00250	-0,00377	0,00480	0,02152	0,00403	-0,03441	-0,01376	0,01392	0,00727
-0,00114	-0,00141	-0,00147	0,00040	-0,00136	-0,00079	0,00064	0,00010	-0,00009	-0,00021	-0,00098	0,00082	-0,00057	0,00193	0,00323	0,00287	-0,00065	-0,00027	-0,00024	-0,00006	0,00036	-0,00006	-0,00088	-0,00056	0,00019	0,00002
-0,00844	-0,02398	-0,00990	0,00721	-0,01051	-0,00303	0,38568	0,00776	0,00234	0,00715	-0,00684	0,00608	-0,00253	0,00841	0,02913	0,02577	-0,00720	-0,00041	-0,00682	0,00160	0,00631	0,00669	-0,00685	-0,00414	0,02052	0,01029
-0,00027	-0,00051	-0,00056	0,00144	-0,00050	0,00021	0,00161	0,00103	0,00083	0,00069	-0,00009	0,00202	0,00043	0,00378	0,00568	0,00513	0,00026	0,00071	0,00069	88000,0	0,00127	0,00086	-0,00002	0,00046	0,00109	0,00094
-0,05428	-0,06007	-0,06431	-0,00083	-0,06134	-0,04043	0,00492	-0,01245	-0,01837	-0,02165	-0,04856	0,01592	-0,03244	0,06897	0,10990	0,09553	-0,03633	-0,02321	-0,02207	-0,01504	-0,00224	-0,01655	-0,04592	-0,02954	-0,00853	-0,01343
-0,00303	-0,00333	-0,00365	-0,00127	-0,00304	-0,00271	-0,00134	-0,00203	-0,00226	-0,00237	-0,00296	-0,00021	-0,00233	0,00120	0,00217	0,00179	-0,00245	-0,00205	-0,00220	-0,00160	-0,00120	-0,00201	-0,00252	-0,00228	-0,00176	-0,00194
0,50756	0,48977	0,40658	0,36786	0,51145	0,46372	0,34150	0,35476	0,34768	0,37406	0,43360	0,32226	0,34879	0,37033	0,33175	0,31394	0,35045	0,36124	0,36270	0,33272	0,35574	0,37090	0,50795	0,36979	0,32351	0,31559
0,00328	0,00409	0,00295	0,00303	0,00280	0,00337	0,00259	0,00277	0,00253	0,00275	0,00287	0,00171	0,00242	0,00247	0,00256	0,00198	0,00205	0,00296	0,00274	0,00239	0,00307	0,00300	0,00272	0,00261	0,00250	0,00220
-0,15121	-0,11751	-0,13092	-0,11410	0,27443	-0,44302	-0,10564	-0,11358	-0,11016	-0,11353	-0,15185	-0,41665	-0,08936	0,73779	-0,15320	-0,13768	-0,09924	-0,10823	-0,12169	80980,0-	-0,08970	-0,12305	0,27206	-0,09205	-0,11505	-0,10960
0,00546	0,00481	0,00176	0,00034	0,00561	0,00386	-0,00062	-0,00014	-0,00040	0,00057	0,00275	-0,00133	-0,00036	0,00043	-0,00098	-0,00163	-0,00030	0,00010	0,00015	-0,00094	-0,00010	0,00045	0,00548	0,00041	-0,00128	-0,00157
0,02290	0,03705	0,01557	0,01626	0,02208	0,02867	0,00678	0,01129	0,00669	0,01087	0,01447	-0,00456	0,00300	0,01071	0,00753	-0,00348	-0,00250	0,01400	0,01075	0,00270	0,01553	0,01584	0,02019	0,00602	0,00652	0,00100
0,00094	0,00179	0,00059	0,00054	0,00096	0,00133	0,00005	0,00028	0,00002	0,00036	0,00056	-0,00054	-0,00010	0,00027	0,00041	-0,00019	-0,00041	0,00050	0,00039	-0,00015	0,00055	0,00065	0,00088	0,00007	-0,00001	-0,00033

152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128	127
MMATRA N	EURPATR	OBJSMAR	MDMIMM B	MMAMUS E	UNIHOCD	UNIHOCC	FQCADEU	OBJACEU	SYCMICP	AXAVEUD	AXAVEUC	TOCHLDP	SPACTCO	OBJVALE	SOGMIFR	CROSIMB	ULYSSEC	ULYSSED	PRIMEURP	CGMONDE	INDFONC	AREUACT	INVAEUR	BNPEPST	SGMOPCD
0,23613	0,31513	0,35849	0,26430	0,25200	0,22053	0,23206	0,24152	0,23894	0,30027	0,20522	0,21975	0,32264	0,32075	0,23857	0,20285	0,30137	0,26687	0,26737	0,26680	0,34911	0,24891	0,25308	0,22801	0,22277	0,25893
0,00154	0,00249	0,00217	0,00288	0,00147	0,00173	0,00202	821000	0,00181	0,00288	0,00146	0,00187	0,00195	0,00183	0,00169	0,00179	0,00278	0,00194	0,00175	0,00250	0,00186	0,00219	0,00201	0,00162	0,00153	0,00177
-0,07269	-0,31441	0,05450	-0,20357	-0,18175	-0,10987	-0,12101	-0,10948	-0,16847	1,05274	-0,08320	-0,09665	0,39610	0,07632	-0,12745	0,43466	-0,15558	0,15372	0,14632	0,20172	0,47837	-0,26458	-0,08253	-0,07031	-0,19429	1,21021
0,00092	0,00335	89400	0,00178	0,00140	0,00044	0,00079	80100,0	0,00100	0,00289	-0,00004	0,00041	85500′0	0,00352	66000′0	-11000,0-	26200'0	0,00186	0,00188	0,00186	0,00439	0,00131	0,00144	29000'0	0,00050	0,00162
0,00140	0,02916	0,02997	0,03413	0,00296	0,00717	0,01372	95800,0	0,01061	0,03902	0,00102	0,01040	0,01714	0,01742	0,00711	0,01056	0,03435	0,01668	0,01181	0,03016	0,01559	0,01897	0,01370	0,00437	0,00361	0,01029
-0,00013	0,00102	0,00091	0,00140	-0,00008	0,00009	0,00038	0,00018	0,00021	0,00137	-0,00015	0,00027	0,00050	0,00051	-0,00004	0,00025	0,00128	0,00051	0,00031	0,00115	0,00041	0,00071	0,00035	-0,00019	-0,00008	0,00032
-0,01473	0,16437	0,13614	0,19335	-0,02301	0,00014	0,00695	0,02012	0,02555	0,19780	-0,00294	0,01875	0,06984	0,03059	0,01504	0,03422	0,20554	0,08430	0,08255	0,13820	-0,00632	0,13479	0,11744	0,02140	-0,00191	0,02690
-0,00042	0,00188	0,00169	0,00305	-0,00067	-0,00019	-0,00002	0,00027	0,00032	0,00286	-0,00024	0,00029	0,00084	0,00035	0,00009	0,00076	0,00267	0,00134	0,00112	0,00268	-0,00029	0,00217	0,00122	0,00028	-0,00028	0,00032
0,01157	0,01754	0,00850	0,10331	-0,00551	0,00003	0,00147	0,00936	0,00586	0,01479	-0,00267	0,01228	0,00570	0,00199	0,00319	0,00331	0,04912	0,00866	0,00713	0,01280	-0,00108	0,03257	-0,23754	0,01436	-0,00024	0,00299
0,00043	0,00454	0,00389	0,00520	0,00024	0,00078	0,00093	0,00123	0,00136	0,00531	0,00070	0,00120	0,00237	0,00147	0,00112	0,00156	0,00548	0,00270	0,00266	0,00394	0,00063	0,00386	0,00346	0,00126	0,00073	0,00139
-0,02983	0,06211	0,06024	0,09341	-0,03749	-0,01925	-0,01401	-0,00616	-0,00359	0,10574	-0,02117	-0,00533	0,01904	-0,00070	-0,01186	0,01203	68980′0	0,03651	0,03004	0,08550	-0,02774	0,06320	0,02920	-02900,0-	-0,02354	-0,00282
-0,00272	0,00055	0,00045	0,00168	-0,00250	-0,00203	-0,00186	-0,00227	-0,00142	0,00230	-0,00225	-0,00164	-0,00017	-0,00047	-0,00172	0,00040	0,00115	0,00027	0,00003	0,00227	-0,00171	0,00079	-0,00056	-0,00184	-0,00202	-0,00119
0,39403	0,40896	62505	0,31551	0,44913	0,38054	0,39659	05068'0	0,37121	0,37360	0,34391	06858'0	0,48084	0,56563	0,37233	0,33674	65298	8888,0	0,37823	0,35465	0,60492	0,31552	0,33221	88555	0,36411	0,41758
0,00315	0,00283	0,00248	0,00235	0,00335	0,00331	0,00372	0,00296	0,00301	0,00270	0,00283	0,00312	0,00280	0,00307	0,00298	0,00253	0,00257	0,00230	0,00214	0,00210	0,00374	0,00182	0,00250	0,00265	0,00305	0,00299
-0,11111	-0,14860	0,13458	-0,16059	-0,15439	-0,09838	-0,10376	-0,11840	-0,13525	-0,16217	-0,10385	-0,11070	-0,23670	2,38377	-0,11407	-0,11933	-0,12297	-0,95244	-0,82959	-0,26546	-0,74719	-0,15288	-0,10139	-0,08520	-0,10912	-0,19075
0,00130	0,00185	0,00532	-0,00158	0,00332	0,00081	0,00140	0,00117	0,00047	0,00055	-0,00053	-0,00017	0,00448	0,00759	0,00051	-0800000	0,00033	0,00093	0,00072	-0,00014	0,00903	-0,00158	-0,00096	-0,00017	0,00021	0,00217
0,01727	0,01473	0,01525	0,00394	0,02551	0,02042	0,02801	0,01533	0,01672	0,01200	0,01183	0,01776	0,01503	0,02656	0,01522	0,00761	0,00862	0,00550	0,00198	0,00130	0,04027	-0,00604	0,00570	0,00840	0,01580	0,01673
0,00074	0,00061	0,00057	0,00014	0,00108	0,00085	0,00126	0,00064	0,00059	0,00033	0,00047	0,00078	0,00057	0,00110	0,00034	0,00011	0,00029	0,00010	-0,00006	-0,00004	0,00167	-0,00041	0,00001	-0,00008	0,00059	0,00081

178	177	176	175	174	173	172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153
HSBMIDD	EUROPME	BNPAADN	CARFNOM	UCROPME	AGFFIDA	AAACSVI	AAADSVI	AXASECM	AXASMAC	ROLP	UCAPCRO	UCRMAIT	BALWLDI	EURVALC	ATOUTEM	SUNIOTE	INVEMER	AMRGNSV	ODEVEPP	EURVALD	VICAMRC	CICEUOP	MEESVAL	ALOPERI	AGFFONC
0,25615	0,25681	0,20689	0,28803	0,23736	0,27775	0,36558	0,34596	0,28257	0,29565	0,18936	0,23747	0,23559	0,27060	0,27106	0,25292	0,21412	0,25071	0,20365	0,24044	0,26009	0,20916	0,23485	0,20966	0,25597	0,28507
0,00247	0,00229	0,00119	0,00156	0,00134	0,00204	0,00242	0,00209	0,00201	0,00235	0,00106	0,00134	0,00134	0,00227	0,00226	0,00334	0,00112	0,00332	0,00083	0,00219	0,00197	0,00109	0,00148	0,00169	0,00176	0,00285
-1,30400	0,39978	-0,09561	0,06902	0,06108	-1,02566	-0,19630	-0,18045	0,18809	0,17555	0,15242	0,06115	0,05976	-0,19043	-0,23925	0,24641	-0,09135	0,15038	-0,08241	0,03832	-0,26459	-0,11766	0,07574	-0,23436	0,14412	-0,77045
0,00153	0,00155	0,00002	0,00251	0,00095	0,00219	0,00490	0,00429	0,00234	0,00275	-0,00052	0,00096	0,00090	0,00198	0,00199	0,00143	0,00024	0,00136	-0,00008	0,00105	0,00165	0,00009	0,00088	0,00010	0,00153	0,00242
0,02734	0,02443	-0,00538	0,01002	0,00456	0,01924	0,02742	0,01850	0,01896	0,02748	-0,00578	0,00442	0,00451	0,02153	0,02119	0,04760	-0,00731	0,04807	-0,01435	0,02776	0,01443	-0,00720	0,00673	0,00660	0,01371	0,03688
0,00102	0,00089	-0,00037	0,00026	-0,00015	0,00047	0,00090	0,00057	0,00060	0,00093	-0,00030	-0,00016	-0,00016	0,00075	0,00072	0,00204	-0,00050	0,00204	-0,00085	0,00108	0,00043	-0,00062	0,00013	0,00012	0,00031	0,00140
0,11336	0,10506	-0,04526	0,00338	0,00088	0,05016	0,03605	0,01649	0,07878	0,09512	-0,02714	0,00037	0,00124	0,06427	0,04953	0,09901	-0,05451	0,09716	-0,08153	0,09810	0,03551	-0,06169	0,01375	0,00963	0,04494	0,22540
0,00192	0,00195	-0,00132	-0,00020	-0,00026	0,00080	0,00034	0,00005	0,00127	0,00158	-0,00083	-0,00027	-0,00026	0,00095	0,00094	0,00244	-0,00146	0,00243	-0,00215	0,00235	0,00063	-0,00165	0,00005	0,00007	0,00078	0,00322
0,01610	0,01681	-0,01466	0,00025	0,00006	0,00918	0,00458	0,00200	0,00821	0,00948	-0,00597	0,00003	0,00008	0,01761	0,02286	0,01889	-0,01439	0,01224	-0,02454	0,00606	0,01660	-0,01236	0,00107	0,00225	0,00415	0,03889
0,00337	0,00318	-0,00027	0,00085	0,00079	0,00187	0,00160	0,00115	0,00258	0,00295	0,00015	0,00078	0,00080	0,00225	0,00191	0,00304	-0,00048	0,00300	-0,00110	0,00302	0,00159	-0,00064	0,00109	0,00099	0,00180	0,00594
0,05580	0,05354	-0,05384	-0,02121	-0,02343	0,01279	-0,00361	-0,01520	0,03279	0,04477	-0,04065	-0,02388	-0,02328	0,01901	0,01549	0,06152	-0,06083	0,06353	-0,08115	0,07257	0,00556	-0,06717	-0,00952	-0,01017	0,01446	0,10836
0,00085	0,00076	-0,00379	-0,00135	-0,00080	-0,00082	-0,00116	-0,00140	0,00026	0,00059	-0,00264	-0,00081	-0,00054	-0,00092	-0,00078	0,00180	-0,00400	0,00117	-0,00394	0,00234	-0,00112	-0,00377	-0,00080	-0,00222	-0,00008	0,00186
0,34343	0,35419	0,40444	0,52517	0,39488	0,44134	0,57353	0,55340	0,41703	0,42834	0,32743	0,39568	0,39372	0,39548	0,43457	0,36444	0,41477	0,36429	0,42531	0,35646	0,42666	0,40378	0,41534	0,37121	0,41556	0,33367
0,00274	0,00235	0,00350	0,00302	0,00264	0,00297	0,00419	0,00383	0,00247	0,00283	0,00273	0,00264	0,00263	0,00332	0,00326	0,00405	0,00344	0,00405	0,00355	0,00185	0,00300	0,00358	0,00263	0,00303	0,00248	0,00213
-0,19076	-0,40107	-0,10978	0,67105	0,43602	-0,22884	-0,13899	-0,12939	-0,53146	-0,63575	1,06650	0,44774	0,55546	-0,15905	-0,20061	-1,22605	-0,10339	-1,22289	-0,10375	0,13153	-0,21566	-0,11411	-1,17453	-0,14137	-0,35933	-0,20535
-0,00055	-0,00016	0,00168	0,00611	0,00133	0,00304	0,00788	0,00714	0,00215	0,00256	-0,00114	0,00136	0,00129	0,00136	0,00279	0,00022	0,00206	0,00021	0,00245	-0,00007	0,00250	0,00166	0,00208	0,00047	0,00209	-0,00091
0,01281	0,00793	0,02445	0,02554	0,01646	0,02143	0,04281	0,03463	0,01026	0,01746	0,01359	0,01646	0,01620	0,02271	0,02322	0,04088	0,02329	0,04072	0,02508	0,00095	0,01821	0,02640	0,01351	0,01567	0,01194	0,00198
0,00053	0,00027	0,00125	0,00109	0,00031	0,00064	0,00195	0,00158	0,00036	0,00071	0,00081	0,00031	0,00029	0,00107	0,00101	0,00214	0,00109	0,00213	0,00110	0,00007	0,00075	0,00104	0,00052	0,00069	0,00026	-0,00006

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179
AXAESCD	ODEUMIC	AXAESCC	ODDAVEC	ODDAVED	ECHAGRE	ECHAPEA	MDMPERS	IDMOPPI	QUANUSD	ODDGENC	ATOUTCR	ROTHAMR	ROTHMAR	ODDGEND	CAIVESL	CDCMEDI	BALUSAI	CAREMER	EURPMDC	VENSEEU	STHOVIE	RENSEUR	BMMCAPD	FIDEURO	HSBMIDC
0,27569	0,33559	0,28395	0,36171	0,35776	0,32022	0,30643	0,23202	0,22338	0,23330	0,25213	0,26157	0,23815	0,23257	0,24991	0,27632	0,27230	0,26193	0,29800	0,26167	0,27087	0,31854	0,35123	0,45725	0,24585	0,25967
0,00242	0,00313	0,00265	0,00328	0,00320	0,00274	69200	0,00177	62100	0,00196	71200,0	0,00190	0,00172	0,00159	60200	12200,0	0,00211	0,00202	05200	0,00222	0,00218	0,00194	0,00237	88200,0	0,00233	0,00255
0,43030	0,39871	0,37433	0,66127	0,57598	0,48903	0,33247	0,14325	-0,15656	-0,14816	-0,35928	1,55561	-0,13392	-0,12951	-0,39501	0,22633	0,10707	-0,12030	0,18988	-0,44133	-0,37135	-0,12096	-0,15213	0,22574	-0,17694	-1,27882
0,00213	0,00398	0,00239	0,00478	0,00466	0,00350	0,00308	0,00079	0,00052	0,00083	0,00141	0,00170	0,00098	0,00081	0,00134	0,00215	0,00203	0,00171	0,00282	0,00170	0,00198	0,00345	0,00446	0,00772	0,00121	0,00164
0,02828	0,04722	0,03382	0,05160	0,04960	0,03653	0,03535	0,01144	0,00961	0,01302	0,01987	0,01553	0,00764	0,00470	0,01804	0,02374	0,02298	0,01448	0,05565	0,02198	0,02146	0,01355	0,02559	0,04701	0,02175	0,02928
0,00102	0,00180	0,00124	0,00192	0,00184	0,00127	0,00123	0,00038	0,00021	0,00048	0,00059	0,00045	0,00006	-0,00007	0,00051	0,00082	0,00078	0,00048	0,00226	0,00073	0,00070	0,00038	0,00088	0,00154	0,00077	0,00110
0,10582	0,12934	0,10821	0,14212	0,13669	0,14810	0,12819	0,03219	0,02259	0,01844	0,03496	0,07401	0,00186	-0,00717	0,03260	0,05387	0,07880	0,01951	0,13639	0,06162	0,04845	-0,02067	0,00310	0,26085	0,05295	0,12032
0,00196	0,00210	0,00200	0,00223	0,00216	0,00181	0,00187	0,00050	0,00034	0,00022	0,00051	0,00122	-0,00015	-0,00032	0,00047	0,00087	0,00122	0,00017	0,00298	0,00106	0,00071	-0,00050	-0,00010	0,00278	0,00109	0,00202
0,01496	0,01139	0,01492	0,01368	0,01304	0,01567	0,01260	0,00300	0,01041	0,00433	0,00449	0,00855	0,00045	-0,00172	0,00437	0,00499	0,00515	0,00705	0,02205	0,00884	0,00730	34,86670	0,00184	0,03515	0,01794	0,01734
0,00320	0,00374	0,00325	0,00403	0,00391	0,00417	0,00371	0,00151	0,00129	0,00119	0,00157	0,00247	0,00081	0,00061	0,00152	0,00201	0,00258	0,00122	0,00390	0,00218	0,00188	0,00030	0,00084	0,00675	0,00199	0,00353
0,05483	0,06868	0,05673	0,07320	0,07030	0,05790	0,05895	0,00385	-0,00380	-0,00641	0,00378	0,03025	-0,02136	-0,02712	0,00219	0,01815	0,03659	-0,00888	0,08530	0,02280	0,01036	-0,03422	-0,02015	0,09846	0,02020	0,05966
0,00069	0,00078	0,00073	0,00077	0,00070	0,00030	0,00054	-0,00038	-0,00158	-0,00271	-0,00092	0,00050	-0,00198	-0,00217	-0,00091	-0,00060	0,00044	-0,00182	0,00146	-0,00016	-0,00079	-0,00210	-0,00197	0,00142	-0,00081	0,00096
0,38851	0,47279	0,40051	0,50971	0,50773	0,42346	0,41566	0,36699	0,35102	0,38097	0.88930	0,38120	0,37325	0,37027	0,38834	0,42641	0,39538	0,41322	0,41820	0,38802	0,40589	0,55227	0,60411	0,58270	0,38246	0,34506
0,00259	0,00390	0,00299	0,00407	0,00399	0,00339	0,00325	0,00278	0,00290	0,00348	0,00352	0,00229	0,00336	0,00327	0,00341	0,00326	0,00276	0,00361	0,00388	0,00302	0,00333	0,00407	0,00446	0,00264	0,00329	0,00280
-0,32703	-0,24166	-0,37001	-0,24294	-0,24580	-0,40946	-0,35491	-0,38549	-0,15310	-0,12461	-0,14072	-0,18776	-0,13168	-0,12821	-0,14701	-0,28633	-0,51672	-0,12881	12,67982	-0,15353	-0,16604	-0,17234	-0,17718	1,43453	-0,14546	-0,19525
0,00110	0,00419	0,00154	0,00554	0,00547	0,00238	0,00209	0,00031	-0,00027	0,00082	0,00113	0,00083	0,00054	0,00043	0,00109	0,00249	0,00135	0,00201	0,00219	0,00108	0,00174	0,00710	0,00900	0,00822	0,00088	-0,00049
0,01262	0,03729	0,02044	0,04169	0,03995	0,02727	0,02429	0,01443	0,01523	0,02427	0,02700	0,00628	0,02225	0,02059	0,02499	0,02555	0,01607	0,02675	0,04017	0,01924	0,02590	0,04084	0,05065	0,01754	0,02197	0,01400
0,00049	0,00188	0,00089	0,00202	0,00194	0,00120	0,00104	0,00070	0,00058	0,00133	0,00112	0,00008	0,00088	0,00079	0,00101	0,00117	0,00068	0,00133	0,00204	0,00078	0,00114	0,00184	0,00235	0,00069	0,00098	0,00059

TABLE 3. GERMAN MUTUAL FUNDS PERFORMANCE MEASURES

					I												1 1						
	#	ь	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22
	NAME	4N43	ADIF	ADIGCON	ADIGEPV	ADIVERF	AKTROHS	ALLAKEU	ALLZAKT	ALTLEIP	BHWEURF	BINEURF	BWKASDT	CXWB	CXWC	CXWE	CXWP	D6R6	DBIMERF	DED2	DED3	DED4	DED6
	SHARPE	0,27635	0,19047	0,21483	0,18680	0,15847	0,21746	0,21206	0,24694	0,19949	0,18299	0,18814	0,19400	0,19154	0,21177	0,20845	0,19249	0,25647	0,19458	0,20347	0,20559	0,22429	0,22716
	JENSEN	0,00135	-0,00054	-0,00083	-0,00096	-0,00123	0,00167	-0,00046	-0,00022	-0,00032	-0,00094	-0,00084	-0,00046	-0,00085	-0,00068	-0,00085	-0,00063	-0,00012	-0,00052	0,00171	0,00191	-0,00042	-0,00041
OVERALL PERIOD	TREYNOR	0,01877	28,000	0,00929	0,00793	86900′0	0,01224	77800,0	201100	12,200	0,00734	62,000	0,00722	0£800′0	21600′0	0,00871	0,00749	0,01134	0,00760	0,01074	081100	66800′0	0,00919
PERIOD	MM	0,00310	910000	0,00100	0,00004	-6000,0-	60100′0	06000′0	01200'0	0,00047	-0,0000	800000	82000′0	02000,0	68000′0	82000′0	0,00023	0,00242	0.00000	0,00061	89000′0	25100′0	0,00142
	IR	0,01420	-0,04739	-0,07121	-0,06980	-0,06825	28250,0	-0,04701	-0,04354	-0,03470	-0,07177	-0,06445	-0,04742	-0,06793	-0,06264	-0,07651	-0,05583	-0,04186	-0,04198	0,04281	0,04514	-0,05259	-0,05119
	TR-MAZ	0,00047	-0,00071	-0,00143	-0,00136	-0,00149	52100′0	-0,0005	-0,0007	-0,00053	-0,00133	-0,00124	-0,00049	-0,00127	-0,00117	-0,00133	-0,00084	-0,00079	-0,00065	0,00161	0,00164	-0,0004	-0,00084
	SHARPE	0,05049	28200'0-	80890'0-	86200′0	-0,00197	21,260'0	90500′0	-0,01334	26500′0	-0,00824	0,00193	1,2000'0	76200	-0,04133	-0,06297	86000′0-	-0,01942	65000′0	0,13511	0,14044	82400	0,00533
	JENSEN	0,00084	-0,00091	-0,00189	-0,00034	-0,00058	0,00211	-0,00041	69000′0-	-0,00045	-0,00071	-0,00046	-0,00050	-0,00034	-0,00142	-0,00189	-0,00067	-0,00085	-0,00056	0,00356	0,00370	88000'0-	-0,00037
SUBPERIOD ONE	TREYNOR	0,00362	-0,00027	-0,00245	0,00026	-0,00011	0,00712	0,00007	-0,00060	0,00017	-0,00033	0,00005	0,00017	0,00026	-0,00171	-0,00245	-0,00006	-0,00089	-0,00001	0,01003	0,01039	0,00014	0,00016
OD ONE	MM	0,00229	0,00054	-0,00115	86000′0	0,00069	0,00366	0,00083	0,00034	0,00092	0,00050	0,00080	0,00092	0,00098	-0,00050	-0,00115	0,00072	0,00016	0,00076	0,00480	0,00496	88000,0	0,00090
	IR	0,01368	-0,06412	-0,11570	-0,03263	-0,04403	0,05554	-0,03807	-0,04962	-0,04083	-0,05664	-0,03122	-0,04034	-0,03267	-0,08484	-0,11578	-0,05124	-0,05403	-0,04725	0,09807	0,10266	-0,03575	-0,03497
	TR-MAZ	0,00121	88000'0-	-0,00204	-0,00026	-0,00048	0,00241	-0,00070	-0,00082	0,00011	-0,00061	0,00038	0,00012	-0,00027	-0,00146	-0,00204	-0,00013	-0,00115	-0,00050	0,00523	0,00535	-0,00046	-0,00047
	SHARPE	0,44414	0,36418	0,42566	0,31239	0,25849	0,29670	0,34675	0,42375	0,34020	0,30592	0,33824	0,34343	0,32461	0,39800	0,40747	0,35175	0,47435	0,32583	0,25322	0,25363	0,37246	0,37964
	JENSEN	0,00144	-0,00021	-0,00004	-0,00182	-0,00215	0,00080	-0,00085	-0,00013	-0,00029	-0,00142	-0,00153	-0,00049	-0,00157	-0,00024	-0,00010	-0,00070	0,00026	-0,00066	-0,00063	-0,00035	-0,00080	-0,00078
SUBPERI	TREYNOR	0,03041	0,01518	0,02019	0,01460	0,01247	0,01586	0,01538	0,02029	0,01432	0,01323	0,01397	0,01367	0,01570	0,01824	0,01834	0,01491	0,02168	0,01374	0,01246	0,01314	0,01578	0,01627
SUBPERIOD TWO	MM	0,00362	0,00061	0,00293	-0,00135	-0,00338	-0,00194	-0,00005	0,00285	0.00000	-0,00159	-0,00037	-0,00018	-0,00089	0,00188	0,00224	0,00014	0,00476	-0,00084	-0,00358	-0,00357	0,00092	0,00119
	īR	0,01469	-0,03064	-0,03809	-0,09952	-0,08789	0,01234	-0,05727	-0,04158	-0,02609	-0,08511	-0,11853	-0,05413	-0,09510	-0,04399	-0,04380	-0,05975	-0,03184	-0,03610	-0,01318	-0,00859	-0,07357	-0,07058
	TR-MAZ	0,00050	-0,00047	-0,00074	-0,00223	-0,00232	0,00063	-0,00113	-0,00083	-0,00048	-0,00179	-0,00192	-0,00048	-0,00206	-0,00072	-0,00058	-0,00096	-0,00047	-0,00065	-0,00032	-0,00036	-0,00117	-0,00117

48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32	31	30	29	28	27	26	25	24	23
FK8T	FGUD	FGQF	GIZ3	DWWB	6MMD	DWSEATO	DVGEMM K	DPEUAKT	DKD	91fd	51rd	DJL1	DJFP	DJFH	DJFG	DJF5	DITVERM	DITVERE	DITEURA	DI7Y	DI7S	DEKSPEZ	DEKEURS	DEKBAVF	DED7
0,22302	0,20816	0,20691	0,23162	0,21145	0,22544	0,20598	0,22582	0,26141	0,21771	0,21240	0,11870	0,13385	0,22421	0,21106	0,24096	0,21142	0,22678	0,20697	0,19249	0,18994	0,20293	0,23714	0,23086	0,26314	0,22069
-0,00031	-0,00012	-0,00037	-0,00054	-0,00019	0,00107	-0,00028	0,00104	-0,00017	-0,00041	0,00144	0,00159	0,00232	-0,00025	0,00020	-0,00026	-0,00048	-0,00023	-0,00044	-0,00066	-0,00073	-0,00049	-0,00029	-0,00028	-0,00010	0,00049
0,00911	0,00845	0,00835	0,01004	0,00888	0,01149	8800,0	0,01129	0,01126	0,01113	0,01127	0,01231	0,01793	0,01006	0,00793	0,01059	0,00866	0,01032	0,00854	0,00771	0,00745	0,00815	0,01039	0,00963	0,01181	0,01183
0,00128	0,00077	0,00073	0,00157	0,00088	0,00136	0,00069	0,00137	0,00259	0,00110	0,00091	-0,00229	-0,00177	0,00132	0,00087	0,00189	0,00088	0,00141	0,00073	0,00023	0,00015	0,00059	0,00176	0,00155	0,00265	0,00120
-0,04450	-0,02951	-0,03912	-0,05835	-0,02768	0,02086	-0,02980	0,02174	-0,04398	-0,04846	0,02843	0,01583	0,02543	-0,04026	-0,00347	-0,04508	-0,04858	-0,03889	-0,04450	-0,05313	-0,05749	-0,04792	-0,04555	-0,04202	-0,04024	-0,00606
-0,00076	-0,00043	-0,00074	-0,00114	-0,00059	0,00073	-0,00054	0,00068	-0,00078	-0,00102	0,00112	0,00128	0,00167	-0,00070	0,00009	-0,00083	-0,00080	-0,00079	-0,00078	-0,00089	-0,00096	-0,00076	-0,00090	-0,00082	-0,00082	-0,00015
-0,02195	0,00267	0,00258	-0,02906	0,02625	0,08124	0,02732	0,08285	-0,00940	-0,06168	0,14755	0,08815	0,08008	-0,01071	0,02282	-0,01090	0,00354	-0,01051	0,02103	0,00890	0,00963	0,02207	-0,03828	-0,02295	-0,02027	0,02228
-0,00099	-0,00052	-0,00051	-0,00104	0,00009	0,00182	0,00012	0,00187	-0,00069	-0,00184	0,00366	0,00513	0,00421	-0,00069	0,00000	-0,00064	-0,00040	-0,00070	-0,00003	-0,00033	-0,00032	-0,00001	-0,00126	-0,00099	-0,00085	0,00015
-0,00091	0,00007	0,00006	-0,00117	0,00093	0,00418	0,00099	0,00422	-0,00039	-0,00304	0,01044	0,01672	0,01553	-0,00050	0,00077	-0,00050	0,00009	-0,00049	0,00076	0,00029	0,00031	0,00080	-0,00162	-0,00092	-0,00089	0,00116
0,00008	0,00083	0,00082	-0,00013	0,00153	0,00318	0,00156	0,00323	0,00046	-0,00111	0,00517	0,00340	0,00316	0,00042	0,00143	0,00041	0,00085	0,00043	0,00137	0,00101	0,00103	0,00140	-0,00041	0,00005	0,00013	0,00141
-0,06460	-0,04021	-0,04362	-0,07030	-0,00741	0,05635	-0,00669	0,05876	-0,05345	-0,09089	0,10570	0,07288	0,06302	-0,04708	-0,00966	-0,04693	-0,03758	-0,04716	-0,01684	-0,03326	-0,03222	-0,01556	-0,07654	-0,06774	-0,05614	-0,00695
-0,00140	-0,00023	-0,00040	-0,00104	0,00029	0,00308	0,00001	0,00298	-0,00117	-0,00186	0,00497	0,00621	0,00495	-0,00048	0,00058	-0,00067	-0,00048	-0,00052	0,00011	-0,00001	0,00001	0,00013	-0,00114	-0,00142	-0,00117	0,00054
0,39852	0,37353	0,35545	0,41450	0,34090	0,33279	0,32485	0,33327	0,48791	0,42967	0,26160	0,15500	0,18600	0,38952	0,34823	0,40881	0,34368	0,39865	0,32634	0,31726	0,31195	0,31819	0,43631	0,41022	0,48083	0,36915
0,00005	0,00013	-0,00037	-0,00035	-0,00075	-0,00003	-0,00097	-0,00010	0,00004	0,00065	-0,00123	-0,00137	0,00092	-0,00013	0,00027	-0,00024	-0,00089	-0,00006	-0,00116	-0,00122	-0,00138	-0,00126	0,00034	0,00012	0,00031	0,00052
0,01703	0,01650	0,01576	0,01957	0,01578	0,01731	0,01414	0,01695	0,02333	0,02317	0,01303	0,01358	0,02272	0,01850	0,01398	0,01906	0,01502	0,01935	0,01435	0,01379	0,01314	0,01346	0,02031	0,01841	0,02302	0,02028
0,00190	0,00096	0,00028	0,00251	-0,00027	-0,00058	-0,00088	-0,00056	0,00528	0,00308	-0,00327	-0,00729	-0,00612	0,00156	0,00000	0,00229	-0,00017	0,00191	-0,00082	-0,00116	-0,00136	-0,00113	0,00333	0,00234	0,00501	0,00079
-0,02564	-0,02080	-0,03369	-0,04977	-0,04551	-0,01353	-0,05223	-0,01377	-0,04049	-0,01474	-0,05277	-0,02329	0,00703	-0,03492	0,00508	-0,04467	-0,06068	-0,03255	-0,07077	-0,07114	-0,08126	-0,08129	-0,01966	-0,02150	-0,02827	-0,00504
-0,00036	-0,00023	-0,00079	-0,00100	-0,00117	-0,00027	-0,00110	-0,00038	-0,00068	0,00003	-0,00133	-0,00142	0,00036	-0,00051	0,00023	-0,00078	-0,00107	-0,00065	-0,00138	-0,00138	-0,00151	-0,00136	-0,00030	-0,00044	-0,00051	-0,00016

74	73	72	71	70	69	68	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49
M3AG	LIGAPAU	. LH4A	J7N4) IWTC) IWT5	IWWI	י וטעם	IUGN	IUGM	1 НҮРТМЕІ	S8AH 8	. HV8R	. НЈУЕ) НЈУС	вогн	в НЈЗЕ	, нлзе	6 НG4Н	HANSEUI	HANSASC	GENEUUN	G4MF	. FRTINSP) FNDS	FKTF
0,19059	0,22139	0,20607	0,24485	0,20660	0,18685	0,20113	0,08135	0,07990	0,07588	0,23793	0,22404	0,22051	0,15460	0,18674	0,26126	0,20382	0,23305	0,22134	0,20434	0,23398	0,28668	0,33610	0,23241	0,21887	0,26152
-0,00021	-0,00053	-0,00022	-0,00039	0,00129	0,00093	-0,00014	0,00106	0,00088	0,00102	-0,00022	-0,00015	-0,00021	-0,00123	-0,00056	-0,00001	-0,00065	0,00061	0,00174	-0,00069	0,00057	0,00018	0,00044	-0,00056	-0,00062	0,00143
0,00710	0,00839	0,00794	0,01135	0,01205	0,01081	0,00766	0,01020	0,01004	0,01295	0,01040	0,00910	0,00899	0,00676	0,00697	0,01371	0,00832	0,00966	0,01251	0,00873	0,01027	0,01172	0,01736	0,00992	0,00967	0,01422
0,00017	0,00122	0,00070	0,00202	0,00072	0,00004	0,00053	-0,00357	-0,00362	-0,00376	0,00179	0,00131	0,00119	-0,00106	0,00004	0,00259	0,00062	0,00162	0,00122	0,00064	0,00165	0,00345	0,00514	0,00160	0,00114	0,00259
-0,02677	-0,06511	-0,03579	-0,05581	0,02178	0,01277	-0,02638	0,00818	0,00613	0,00455	-0,04162	-0,03113	-0,03586	-0,06897	-0,05474	-0,03760	-0,06357	0,00724	0,03272	-0,05887	0,00604	-0,02873	-0,02376	-0,05901	-0,05937	0,02839
-0,00027	-0,00097	-0,00053	-0,00105	0,00094	0,00058	-0,00022	0,00096	0,00080	0,00049	-0,00082	-0,00055	-0,00057	-0,00144	-0,00064	-0,00094	-0,00107	0,00033	0,00122	-0,00119	0,00021	-0,00046	-0,00057	-0,00114	-0,00119	0,00083
0,01518	-0,00830	0,00588	-0,05811	0,15983	0,15686	0,01343	0,04197	0,04078	0,02637	-0,02919	0,00168	-0,00048	-0,00196	-0,00710	-0,05433	0,00334	0,08084	0,09818	0,00011	0,07708	0,01962	-0,06694	-0,02930	-0,04149	0,09945
-0,00021	-0,00070	-0,00046	-0,00154	0,00403	0,00394	-0,00024	0,00261	0,00295	0,00179	-0,00106	-0,00044	-0,00049	-0,00058	-0,00092	-0,00173	-0,00039	0,00124	0,00212	-0,00046	0,00118	-0,00006	-0,00164	-0,00105	-0,00141	0,00192
0,00050	-0,00034	0,00017	-0,00259	0,01361	0,01336	0,00045	0,00496	0,00836	0,00397	-0,00123	0,00003	-0,00006	-0,00011	-0,00027	-0,00258	6000000	0,00343	0,00726	-0,00004	0,00326	0,00072	-0,00318	-0,00116	-0,00171	0,00552
0,00120	0,00049	0,00092	-0,00101	0,00554	0,00545	0,00115	0,00202	0,00199	0,00156	-0,00014	0,00079	0,00073	0,00069	0,00054	-0,00089	0,00084	0,00316	0,00369	0,00074	0,00305	0,00133	-0,00127	-0,00014	-0,00050	0,00372
-0,02050	-0,05613	-0,04084	-0,08713	0,10982	0,10730	-0,02515	0,03238	0,03112	0,01786	-0,06764	-0,03698	-0,03958	-0,04402	-0,06345	-0,08713	-0,03680	0,04253	0,05559	-0,04019	0,04007	-0,01929	-0,08761	-0,07177	-0,08486	0,05877
0,00018	-0,00090	0,00013	-0,00151	0,00522	0,00512	0,00028	0,00458	0,00548	0,00404	-0,00129	-0,00046	-0,00047	-0,00048	-0,00038	-0,00191	0,00035	0,00153	0,00235	0,00011	0,00133	-0,00050	-0,00219	-0,00109	-0,00145	0,00224
0,32181	0,38275	0,35886	0,46681	0,24457	0,21508	0,33823	0,11207	0,11119	0,11685	0,42531	0,37234	0,36911	0,25057	0,35348	0,57777	0,33228	0,32933	0,30189	0,33816	0,33397	0,50117	0,71330	0,41446	0,41724	0,37867
-0,00027	-0,00065	-0,00006	0,00041	-0,00195	-0,00259	-0,00016	-0,00049	-0,00156	0,00006	0,00027	-0,00023	-0,00027	-0,00214	-0,00025	0,00154	-0,00124	-0,00041	0,00089	-0,00123	-0,00042	0,00008	0,00213	-0,00038	-0,00011	0,00067
0,01272	0,01532	0,01506	0,02296	0,01311	0,01149	0,01376	0,01483	0,01205	0,02179	0,01984	0,01576	0,01573	0,01193	0,01405	0,03261	0,01434	0,01387	0,01619	0,01557	0,01523	0,02157	0,03928	0,01930	0,01988	0,02101
-0,00099	0,00131	0,00041	0,00448	-0,00391	-0,00502	-0,00037	-0,00891	-0,00894	-0,00873	0,00291	0,00091	0,00079	-0,00368	0,00020	0,00867	-000060	-0,00071	-0,00174	-0,00038	-0,00053	0,00578	0,01378	0,00250	0,00261	0,00115
-0,03003	-0,08088	-0,02782	-0,02964	-0,06695	-0,07613	-0,02520	-0,00530	-0,01462	-0,00595	-0,02093	-0,02829	-0,03445	-0,08913	-0,04310	0,00533	-0,09188	-0,03803	0,01070	-0,07628	-0,02816	-0,04107	0,02495	-0,04974	-0,03951	0,00522
-0,00027	-0,00110	-0,00046	-0,00026	-0,00207	-0,00269	-0,00014	-0,00043	-0,00133	-0,00069	-0,00036	-0,00052	-0,00052	-0,00224	-0,00036	0,00033	-0,00159	-0,00047	0,00055	-0,00174	-0,00063	-0,00066	0,00090	-0,00100	-0,00075	0,00012

100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76	75
UIV1	UIB5	UI3L	III	U1IE	THESAUR	SRVN	SRVM	SRVL	SMHSPZ1	TINIHWS	SGRWSAV	RK1X	RK1W	RIXD	PBAE	OXMC	OPPFGLB	Sr4O	OD5B	NURNADA	NORISFD	NORINRK	MONGRM Y	MIAKPRE	MATAPAC
0,20941	0,20545	0,23812	0,24745	0,21637	0,21368	0,09608	0,09476	0,09436	0,19900	0,26469	0,21128	0,21083	0,27624	0,20835	0,21912	0,41737	0,43617	0,34601	0,19166	0,19394	0,20821	0,20259	0,19256	0,21330	0,26420
-0,00039	-000007	-0,00020	55000'0	-0,00047	61000	80200,0	16100'0	0,00195	-0,00023	50000′0-	01000,0-	-0,00039	99000,0	90000,0	-0,00016	0,00147	0,00150	61100,0	-0,00072	-0,00061	-0,00049	81000′0-	-0,00023	-0,00072	0,00149
0,00838	0,00788	0,01008	0,01238	0,00865	0,00818	0,01261	0,01238	0,01203	0,00724	0,01147	0,00879	0,01039	0,01892	0,00926	0,00918	0,02340	0,02415	0,01649	0,00843	0,00765	0,00830	0,00789	0,00738	0,00782	0,01430
0,00081	0,00068	0,00179	0,00211	0,00105	0,00096	-0,00306	-0,00311	-0,00312	0,00046	0,00270	0,00088	0,00086	0,00310	0,00078	0,00114	0,00792	0,00857	0,00548	0,00020	0,00028	0,00077	0,00058	0,00024	0,00094	0,00269
-0,04166	-0,02186	-0,03827	-0,02038	-0,05164	-0,00002	0,01944	0,01815	0,01794	-0,02860	-0,03557	-0,02624	-0,04692	-0,01335	-0,01558	-0,03499	0,01076	0,01149	0,01015	-0,05756	-0,05261	-0,05072	-0,02368	-0,02297	-0,08541	0,02888
-0,00070	-0,00027	-0,00074	-0,00031	-0,00104	0,00001	0,00187	0,00175	0,00176	-0,00029	-0,00071	-0,00047	-0,00097	-0,00034	-0,00015	-0,00055	0,00049	0,00048	0,00045	-0,00124	-0,00087	-0,00082	-0,00035	-0,00038	-0,00107	0,00088
0,03934	0,02129	-0,03806	-0,01525	-0,00261	0,02468	0,03925	0,03898	0,03865	0,02053	-0,02838	0,00270	-0,05094	0,02225	0,04065	0,00871	0,01368	0,01374	0,04199	0,00195	-0,00098	-0,01268	0,01348	0,01513	-0,02829	0,09974
0,00034	-0,00003	-0,00140	-0,00077	-0,00056	0,00005	0,00340	0,00339	0,00333	-0,00006	-0,00102	-0,00053	-0,00173	0,00018	0,00055	-0,00025	-0,00011	-0,00011	0,00039	-0,00046	-0,00067	-0,00091	-0,00025	-0,00022	-0,00118	0,00192
0,00145	0,00071	-0,00160	-0,00084	-0,00014	0,00083	0,00684	0,00680	0,00665	0,00068	-0,00126	0,00007	-0,00251	0,00155	0,00167	0,00033	0,00066	0,00065	0,00176	0,00005	-0,00006	-0,00050	0,00044	0,00050	-0,00096	0,00541
0,00192	0,00139	-0,00040	0,00029	0,00066	0,00149	0,00194	0,00193	0,00192	0,00136	-0,00011	0,00083	-0,00078	0,00141	0,00196	0,00100	0,00114	0,00114	0,00199	0,00081	0,00072	0,00037	0,00115	0,00120	-0,00011	0,00373
0,00292	-0,00973	-0,08081	-0,04472	-0,04470	-0,00572	0,03167	0,03142	0,03107	-0,01249	-0,06329	-0,04158	-0,08349	-0,00942	0,01340	-0,02746	-0,02260	-0,02271	0,00118	-0,03159	-0,05127	-0,06208	-0,02569	-0,02133	-0,10611	0,05952
0,00013	0,00053	-0,00097	-0,00049	-0,00061	0,00058	0,00542	0,00543	0,00533	0,00056	-0,00094	-0,00006	-0,00150	-0,00024	0,00092	-0,00045	-0,00081	-0,00083	0,00005	0,00037	-0,00013	-0,00037	0,00027	0,00014	-0,00136	0,00214
0,31640	0,35534	0,46188	0,45962	0,36680	0,35539	0,15769	0,15692	0,15539	0,33371	0,48962	0,37992	0,42215	0,49260	0,32871	0,34487	0,71057	0,75765	0,59289	0,34649	0,35491	0,38594	0,34131	0,32725	0,38113	0,38307
-0,00143	-0,00014	0,00071	0,00108	-0,00068	0,00023	0,00037	0,00021	0,00036	-0,00049	0,00053	0,00018	0,00061	0,00070	-0,00072	-0,00047	0,00256	0,00264	0,00162	-0,00126	-0,00067	-0,00026	-0,00022	-0,00028	-0,00050	0,00079
0,01331	0,01473	0,02031	0,02315	0,01549	0,01471	0,01794	0,01759	0,01701	0,01284	0,02198	0,01762	0,02147	0,03336	0,01547	0,01469	0,04160	0,04372	0,03052	0,01570	0,01537	0,01641	0,01441	0,01360	0,01522	0,02129
-0,00120	0,00027	0,00429	0,00421	0,00071	0,00027	-0,00719	-0,00722	-0,00727	-0,00054	0,00534	0,00120	0,00279	0,00545	-0,00073	-0,00012	0,01368	0,01546	0,00924	-0,00006	0,00026	0,00143	-0,00026	-0,00079	0,00125	0,00132
-0,09043	-0,02916	0,00296	0,00060	-0,06108	0,00797	0,00419	0,00260	0,00275	-0,05831	-0,01139	-0,01574	-0,01531	-0,01773	-0,04331	-0,04654	0,03651	0,03783	0,01567	-0,08725	-0,05389	-0,03981	-0,01904	-0,02050	-0,06778	0,00494
-0,00160	-0,00040	0,00011	0,00038	-0,00132	0,00006	0,00037	0,00022	0,00030	-0,00046	-0,00017	-0,00030	0,00000	-0,00043	-0,00079	-0,00066	0,00149	0,00148	0,00079	-0,00189	-0,00100	-0,00062	-0,00035	-0,00044	-0,00084	0,00019

126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102	101
МЗАН	KLNAKTD	KAKDEKA	HTWI	IWT4	н∨8А	FK8W	FK8V	FHUK	FGUC	EUROAKT	DZ7I	DWWN	DWW4	NADASMO	DWSJPOP	DKDP	ZPJK	ZPJF	ZGS7	UQZE	UO1D	UNIONGL	UNIEURP	UNACATI	UIV2
0,17695	0,16677	0,16599	0,21665	0,20609	0,20636	0,16470	0,16016	0,23819	0,18461	0,20547	0,34283	0,22720	0,21249	0,33670	0,22007	0,22013	0,23159	0,22953	0,24036	0,24221	0,26137	0,27040	0,21028	0,28317	0,20659
-0,00082	-0,00117	-0,00116	0,00114	08000,0	-0,00024	-0,00113	-0,00124	-0,00032	07000,0-	-0,0003	25000′0	0,00194	0,00041	74000,0	0,00044	20000,0	-0,00007	-0,00001	0,00223	80000,0-	-0,00014	71000,0	-0,00057	62000′0	-0,00037
0,00688	0,00666	0,00665	0,01270	0,01233	0,00896	0,00652	0,00625	86600'0	0,00765	0,00863	0,01622	0,01535	0,02123	0,01436	0,02306	0,01520	0,00983	0,00931	0,01747	0,01115	0,01119	0,01119	0,00794	0,01256	0,00819
-0,00030	-0,00065	-0,00067	0,00106	0,00070	0,00071	-0,00072	-0,00087	0,00180	-0,00004	89000,0	0,00538	0,00142	0,00092	0,00517	0,00118	0,00118	0,00157	0,00150	0,00187	0,00193	0,00259	0,00290	0,00084	0,00333	0,00072
-0,06809	-0,07898	-0,07724	0,01561	0,00349	-0,03460	-0,08002	-0,08353	-0,04946	-0,06009	-0,05426	-0,01712	0,03741	-0,02381	-0,01830	-0,02358	-0,03388	-0,03224	-0,02492	0,04111	-0,03511	-0,04458	-0,02479	-0,06231	0,00059	-0,04130
-0,00106	-0,00134	-0,00133	0,00076	0,00040	-0,00061	-0,00121	-0,00132	-0,00106	-0,00091	-0,00107	-0,00034	0,00145	-0,00060	-0,00028	-0,00063	-0,00090	-0,00074	-0,00035	0,00158	-0,00059	-0,00070	-0,00042	-0,00096	0,00007	-0,00064
0,00572	0,00060	0,00075	0,20805	0,19748	0,08826	0,00073	0,00058	-0,00842	-0,00679	0,01749	0,03505	0,12493	-0,00944	0,03526	-0,01027	-0,01514	0,00045	0,00673	0,10513	-0,02360	-0,00942	-0,01450	-0,00258	0,03653	0,04055
-0,00042	-0,00055	-0,00055	0,00450	0,00427	0,00128	-0,00055	-0,00055	-0,00067	-0,00084	-0,00011	0,00019	0,00339	-0,00065	0,00019	-0,00068	-0,00082	-0,00046	-0,00033	0,00276	-0,00088	-0,00068	-0,00076	-0,00057	0,00036	0,00037
0,00018	-0,00001	-0,00001	0,02409	0,02292	0,00372	-0,00001	-0,00001	-0,00037	-0,00027	0,00063	0,00134	0,00880	-0,00102	0,00133	-0,00110	-0,00108	-0,00002	0,00023	0,00860	-0,00110	-0,00040	-0,00061	-0,00013	0,00149	0,00151
0,00092	0,00076	0,00077	0,00698	0,00666	0,00338	0,00077	0,00076	0,00049	0,00055	0,00127	0,00178	0,00450	0,00047	0,00179	0,00044	0,00029	0,00075	0,00094	0,00390	0,00003	0,00046	0,00030	0,00066	0,00184	0,00196
-0,03615	-0,04433	-0,04386	0,12213	0,11486	0,04378	-0,04072	-0,04122	-0,04948	-0,05757	-0,02043	-0,00887	0,09358	-0,02889	-0,00872	-0,02956	-0,03886	-0,03763	-0,03114	0,07009	-0,05564	-0,05240	-0,05464	-0,04839	0,00272	0,00453
-0,00015	-0,00020	-0,00024	0,00537	0,00509	0,00118	-0,00021	-0,00017	-0,00075	-0,00064	-0,00035	-0,00051	0,00216	0,00009	-0,00055	-0,00015	-0,00084	-0,00052	-0,00027	0,00373	-0,00092	-0,00113	-0,00084	-0,00075	0,00081	0,00015
0,29336	0,27600	0,27417	0,24062	0,22901	0,28034	0,27553	0,26517	0,42991	0,35108	0,33144	0,58101	0,30648	0,50523	0,56431	0,56791	0,46297	0,39418	0,38099	0,34249	0,42206	0,48704	0,48203	0,34784	0,48668	0,31088
-0,00144	-0,00199	-0,00198	-0,00266	-0,00311	-0,00219	-0,00192	-0,00213	-0,00028	-0,00061	-0,00145	0,00060	0,00016	0,00121	88000,0	0,00125	0,00057	-0,00002	-0,00004	0,00127	0,00038	0,00009	0,00076	-0,00089	0,00090	-0,00142
0,01212	0,01183	0,01180	0,01239	0,01206	0,01253	0,01151	0,01086	0,01918	0,01623	0,01498	0,03110	0,02094	0,04636	0,02580	0,05419	0,03195	0,01767	0,01608	0,02431	0,02033	0,02288	0,02110	0,01383	0,02269	0,01286
-0,00207	-0,00272	-0,00279	-0,00406	-0,00450	-0,00256	-0,00274	-0,00313	0,00309	0,00011	-0,00063	0,00879	-0,00157	0,00593	0,00816	0,00830	0,00434	0,00174	0,00124	-0,00021	0,00279	0,00524	0,00505	-0,00001	0,00523	-0,00141
-0,10273	-0,10911	-0,10614	-0,09585	-0,11085	-0,11614	-0,12113	-0,13035	-0,05197	-0,06120	-0,08584	-0,02450	-0,00907	-0,01568	-0,02849	-0,01565	-0,02830	-0,02903	-0,02130	0,01433	-0,01576	-0,04192	0,00072	-0,08766	-0,00330	-0,09505
-0,00163	-0,00207	-0,00205	-0,00271	-0,00320	-0,00241	-0,00184	-0,00205	-0,00122	-0,00089	-0,00188	-0,00052	-0,00024	-0,00003	-0,00046	-0,00009	-0,00058	-0,00077	-0,00025	0,00061	-0,00002	-0,00055	0,00012	-0,00122	0,00000	-0,00151

152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128	127
MEAGEIN	LXFA	HJUK	VĐĐ	FPJA	FMUD	FMMFNDS	FGMD	DIZ3	EURAKTS	DKDM	DKDJ	DKDI	DJLD	DED5	ASTRAFD	ZJP3	VERVALR	UPKB	UNIONEL	UNIJAPN	U1IJ	U1IG	SRVK	S4WD	MONEULD
0,24451	0,27386	0,20287	0,22920	0,26615	0,23538	0,41126	0,22946	0,39927	0,24784	0,18868	0,16740	0,16754	0,11088	0,18786	0,36619	0,20439	0,17952	0,24310	0,19853	0,22542	0,22416	0,19664	0,21034	0,20797	0,18205
0,00015	58000,0	-0,00011	19000'0	0,00051	0,00014	0,00135	55000′0	0.00130	58000,0	-0,00021	-0,00122	-0,00126	11000,0	80100,0-	0,00114	18000'0-	-0,00075	0,00050	-0,00062	91000,0	0,00019	-0,00055	0.00000-	-0,00046	-0,00079
0,01115	0,01681	0,00802	0,00980	0,01146	0,01009	0,02149	0,01135	0,02086	0,01000	0,00722	0,00649	0,00649	0,01133	0,00758	0,01813	0,00894	0,00743	0,01117	0,00736	0,01778	0,01784	0,00772	0,00969	0,00887	0,00723
0,00201	0,00302	0,00059	0,00149	0,00275	0,00170	0,00772	0,00150	0,00731	0,00213	0,00010	-0,00063	-0,00062	-0,00256	0,00007	0,00617	0,00064	-0,00021	0,00196	0,00044	0,00136	0,00132	0,00037	0,00084	0,00076	-0,00012
-0,02572	-0,00439	-0,02068	82200′0	-0,00692	-0,02887	6900,0	-0,01127	0,00635	-0,00802	-0,02032	-0,08357	-0,08800	-0,01016	-0,08153	0,00317	-0,03957	-0,05972	-0,00758	-0,06914	-0,03049	-0,03058	-0,05450	-0,04280	-0,05217	-0,06356
-0,00042	0,00010	-0,00037	0,00018	-0,00008	-0,00031	0,00028	-0,00013	0,00025	-0,00012	-0,00016	-0,00141	-0,00150	-0,00034	-0,00140	0,00024	-0,00066	-0,00095	0,00020	-0,00089	-0,00079	-0,00086	-0,00092	-0,00093	-0,00107	-0,00110
0,05569	0,00813	0,01855	0,03027	0,11163	0,05561	0,06994	0,02478	0,06952	0,11427	0,02196	-0,00855	-0,00956	0,00961	-0,01668	0,07085	0,08141	-0,00682	0,06239	0,00658	-0,00799	-0,00927	0,00528	0,07629	0,01758	0,00569
0,00071	-0,00005	-0,00011	0,00026	0,00168	0,00072	0,00082	80000,0	0,00082	0,00168	-0,00002	-0,00080	-0,00082	0,00009	-0,00088	0,00088	0,00117	-0,00085	0,00094	-0,00041	-0,00062	-0,00064	-0,00044	0,00107	-0,00011	-0,00044
0,00210	0,00142	0,00064	0,00111	0,00449	0,00214	0,00296	0,00103	0,00304	0,00453	0,00074	-0,00034	-0,00038	0,00119	-0,00066	0,00305	0,00341	-0,00027	0,00269	0,00020	-0,00059	-0,00071	0,00016	0,00320	0,00062	0,00017
0,00241	86000′0	0,00130	0,00166	0,00408	0,00241	0,00283	0,00148	0,00282	0,00416	0,00141	0,00049	0,00046	0,00105	0,00024	0,00286	0,00318	0,00054	0,00261	0,00094	0,00051	0,00047	0,00090	0,00302	0,00127	0,00092
0,02240	-0,01855	-0,01297	0,00567	0,06501	0,02169	0,01913	-0,01177	0,01871	0,06565	-0,00860	-0,05843	-0,06021	-0,00620	-0,06347	0,02224	0,03876	-0,06036	0,02798	-0,03852	-0,03256	-0,03297	-0,03567	0,03426	-0,02075	-0,03761
0,00060	-0,00046	0,00008	0,00030	0,00163	0,00063	0,00096	0,00018	0,00099	0,00158	0,00021	-0,00042	-0,00042	-0,00012	-0,00096	0,00096	0,00106	-0,00044	0,00120	80000,0-	-0,00073	-0,00072	0,00019	0,00093	-0,00033	-0,00020
0,38167	0,44621	0,35417	0,39732	0,37005	0,36153	0,72652	0,35601	0,69297	0,33441	0,30918	0,28380	0,28604	0,19231	0,32237	0,61618	0,28173	0,33360	0,37054	0,33563	0,47369	0,47132	0,33756	0,29634	0,33632	0,30588
-0,00068	0,00108	-0,00021	0,00082	-0,00106	-0,00072	0,00156	0,00022	0,00144	-0,00141	-0,00046	-0,00186	-0,00192	0,00070	-0,00156	0,00110	-0,00219	-0,00069	-0,00025	-0,00104	0,00069	0,00072	-0,00088	-0,00207	-0,00109	-0,00135
0,01956	0,02215	0,01515	0,01869	0,01681	0,01662	0,04345	0,01908	0,04049	0,01388	0,01271	0,01169	0,01179	0,01908	0,01390	0,03334	0,01276	0,01556	0,01795	0,01318	0,04146	0,04012	0,01406	0,01446	0,01565	0,01315
0,00127	0,00370	0,00023	0,00186	0,00083	0,00051	0,01428	0,00030	0,01302	-0,00052	-0,00147	-0,00243	-0,00234	-0,00588	-0,00097	0,01012	-0,00251	-0,00055	0,00085	-0,00047	0,00474	0,00465	-0,00040	-0,00195	-0,00045	-0,00159
-0,06104	0,01011	-0,02691	0,00865	-0,07936	-0,07381	-0,00090	-0,01343	-0,00198	-0,10572	-0,02798	-0,11078	-0,11818	0,00186	-0,10106	-0,01057	-0,11789	-0,05924	-0,03958	-0,11924	-0,02736	-0,02833	-0,07723	-0,11108	-0,07967	-0,08738
-0,00135	0,00061	-0,00057	0,00021	-0,00169	-0,00115	0,00018	-0,00017	0,00011	-0,00178	-0,00026	-0,00197	-0,00210	0,00050	-0,00180	0,00000	-0,00239	-0,00098	-0,00039	-0,00129	-0,00052	-0,00066	-0,00132	-0,00275	-0,00184	-0,00169

178	177	176	175	174	173	172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153
CONCENT	BWKDSEU	BFGINVA	ARIDEKA	AKKMULA	UNIGLBN	UNIFDSN	UNI21JH	ANIO	UIV7	UI4R	UI4M	UI4L	UI3G	UI3F	BEIN	TDLB	ROC	RK1U	RK1P	RK1B	RK11	RINGAKF	OXSA	OE7A	MIAKPRW
0,20256	0,23314	0,18426	0,20414	0,27209	0,27320	0,19848	0,24383	0,27155	0,25889	0,24037	0,20581	0,27398	0,21204	0,20715	0,21940	0,24619	0,23189	0,23671	0,19697	0,23360	0,20987	0,19950	0,07220	0,26548	0,20354
0,00001	0,00009	-0,00045	-0,00076	0,00034	0,00025	-0,00033	-0,00029	0,00174	0,00155	-0,00019	-0,00017	0,00032	-0,00042	-0,00050	-0,00030	0,00040	-0,00018	0,00185	-0,00054	-0,00039	0,00190	-0,00019	0,00054	0,00044	-0,00106
0,00789	0,00918	0,00713	0,00833	0,01144	0,01130	0,00716	0,01034	0,01640	0,01378	0,01057	0,00800	0,01183	0,00854	0,00836	0,00873	0,00967	0,01219	0,01394	0,00868	0,01055	0,01206	0,00776	0,01110	0,01273	0,00817
0,00058	0,00162	-0,00005	0,00063	0,00296	0,00299	0,00044	0,00199	0,00294	0,00250	0,00187	0,00069	0,00302	0,00090	0,00073	0,00115	0,00207	0,00158	0,00175	0,00039	0,00164	0,00083	0,00047	-0,00388	0,00273	0,00061
-0,00783	-0,02534	-0,03543	-0,06491	-0,01691	-0,02091	-0,04079	-0,04457	0,03427	0,03670	-0,04267	-0,02768	-0,01942	-0,04297	-0,04531	-0,04247	-0,00605	-0,03934	0,04058	-0,05004	-0,04855	0,04080	-0,02123	0,00114	-0,01677	-0,08691
-0,00007	-0,00031	-0,00056	-0,00117	-0,00024	-0,00035	-0,00043	-0,00081	0,00090	0,00099	-0,00083	-0,00046	-0,00036	-0,00077	-0,00079	-0,00082	0,00005	-0,00099	0,00147	-0,00101	-0,00105	0,00150	-0,00031	0,00034	-0,00020	-0,00153
0,00787	0,07050	-0,00290	-0,01809	0,01698	-0,00781	0,01860	-0,04613	0,09431	0,09232	-0,04350	0,01757	-0,00842	-0,02567	-0,02737	0,01032	0,03758	-0,02409	0,11187	0,00594	-0,02938	0,14415	0,01800	0,02044	0,04865	-0,07838
-0,00043	0,00095	-0,00068	-0,00091	-0,00012	-0,00063	-0,00013	-0,00150	0,00174	0,00172	-0,00149	-0,00013	-0,00065	-0,00114	-0,00118	-0,00028	0,00033	-0,00094	0,00267	-0,00031	-0,00110	0,00367	-0,00012	0,00134	0,00054	-0,00261
0,00025	0,00263	-0,00015	-0,00071	0,00062	-0,00035	0,00061	-0,00191	0,00505	0,00483	-0,00189	0,00060	-0,00039	-0,00105	-0,00110	0,00035	0,00134	-0,00118	0,00768	0,00021	-0,00133	0,01150	0,00062	0,00352	0,00235	-0,00285
0,00098	0,00285	0,00066	0,00020	0,00125	0,00050	0,00131	-0,00064	0,00357	0,00351	-0,00056	0,00128	0,00049	-0,00003	-0,00008	0,00105	0,00187	0,00002	0,00410	0,00092	-0,00014	0,00507	0,00129	0,00138	0,00219	-0,00160
-0,03494	0,03399	-0,04098	-0,06500	-0,02172	-0,04749	-0,01649	-0,08810	0,05324	0,05342	-0,08329	-0,01502	-0,04652	-0,07104	-0,07468	-0,02945	0,00479	-0,05565	0,07505	-0,02940	-0,06480	0,10069	-0,01431	0,01208	0,00549	-0,16869
0,00015	0,00138	0,00019	-0,00112	-0,00025	-0,00067	0,00026	-0,00161	0,00231	0,00239	-0,00127	0,00056	-0,00036	-0,00088	-0,00108	-0,00026	0,00029	-0,00076	0,00419	0,00023	-0,00085	0,00506	-0,00003	0,00375	0,00089	-0,00268
0,35264	0,33819	0,32504	0,35515	0,45595	0,48349	0,33648	0,47003	0,39274	0,37129	0,47609	0,36362	0,50501	0,37941	0,36923	0,36118	0,39371	0,42418	0,32366	0,32412	0,43850	0,25770	0,34275	0,11635	0,40820	0,45983
0,00039	-0,00112	-0,00036	-0,00090	0,00047	0,00078	-0,00058	0,00058	0,00132	0,00100	0,00078	-0,00027	0,00093	-0,00005	-0,00015	-0,00063	0,00018	0,00020	0,00053	-0,00111	-0,00002	-0,00040	-0,00035	-0,00052	-0,00007	0,00031
0,01503	0,01392	0,01281	0,01559	0,02045	0,02112	0,01281	0,02090	0,02572	0,02044	0,02174	0,01505	0,02291	0,01594	0,01565	0,01521	0,01648	0,02430	0,01857	0,01495	0,02066	0,01385	0,01432	0,01716	0,01996	0,01993
0,00017	-0,00037	-0,00087	0,00027	0,00407	0,00511	-0,00044	0,00460	0,00168	0,00087	0,00483	0,00059	0,00592	0,00118	0,00080	0,00049	0,00172	0,00287	-0,00092	-0,00091	0,00341	-0,00341	-0,00020	-0,00875	0,00227	0,00422
0,01699	-0,09973	-0,02547	-0,06679	-0,01491	0,00167	-0,11680	-0,00558	0,01915	0,02284	-0,00605	-0,03757	0,00130	-0,01674	-0,01849	-0,05968	-0,02049	-0,02832	0,00519	-0,07088	-0,03575	-0,01644	-0,02696	-0,00856	-0,03974	-0,02078
0,00034	-0,00144	-0,00035	-0,00128	-0,00015	0,00014	-0,00064	0,00007	0,00033	0,00050	0,00004	-0,00067	0,00012	-0,00033	-0,00032	-0,00121	-0,00013	-0,00073	0,00029	-0,00153	-0,00076	-0,00062	-0,00045	-0,00066	-0,00068	-0,00028

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179
ZPJN	н∨8в	HV82	DAſH	ппгн	ОПГН	JUCH	INTH	DULH	8ПГН	FTFREFF	FONDAKI	FHUA	EZTC	DWSEURO	DWSAKDE	DTVERMG	DPROVST	DJFB	DJFA	DITWEUR	DITSPZ2	DI7X	DI7U	DI7T	DI7R
0,22835	0,22582	-0,00149	0,21146	0,25532	0,20991	81881,0	0,21452	0,26541	0,23489	0,19154	0,212,0	0,23424	0,19333	0,19856	8802,0	0,20120	0,20713	0,24574	0,20385	0,25705	0,26942	0,25180	0,20134	0,21475	0,27071
80000,0	0,00010	-0,00807	0,00018	0,00114	-0,00007	-0,00038	0,00078	0,00001	0,00003	-0,00044	0,00015	0,00020	-0,00035	-0,00054	0,00064	0,00000	-0,00012	-0,00007	-0,00002	0,00064	0,00159	0,00064	-0,00005	-0,00042	0,00163
0,00947	0,00912	0,05081	0,00810	0,01393	0,00939	0,00721	0,00874	0,01212	0,01000	0,00734	0,00836	0,00968	0,00746	0,00804	0,00830	0,00788	0,00903	0,01098	0,00779	0,01071	0,01215	0,01025	0,00756	0,00871	0,01197
0,00146	0,00137	-0,00640	88000,0	0,00238	0,00083	-0,00009	0,00099	0,00273	0,00168	0,00020	0,00093	0,00166	0,00026	0,00044	0,00077	0,00053	0,00073	0,00205	0,00062	0,00244	0,00286	0,00226	0,00054	0,00099	0,00291
-0,02126	-0,02036	-0,00599	-0,00471	0,01569	-0,02402	-0,03025	0,02717	-0,03613	-0,02381	-0,03723	-0,00363	-0,02278	-0,03691	-0,04616	0,02903	-0,00856	-0,02456	-0,03620	-0,01027	0,00661	0,04957	0,00636	-0,01018	-0,05037	0,05083
-0,00028	-0,00019	-0,00894	0,00016	0,00043	-0,00054	-0,00064	0,00061	-0,00075	-0,00060	-0,00057	0,00002	-0,00038	-0,00057	-0,00081	0,00062	-0,00010	-0,00048	-0,00067	-0,00014	0,00014	0,00133	0,00023	-0,00014	-0,00084	0,00141
0,05230	0,05243	-0,00895	0,05836	0,05366	0,06614	0,00773	0,06583	-0,02890	0,01020	0,00554	0,05893	0,06971	0,00547	0,01243	0,06759	0,03159	0,06833	-0,01942	0,03095	-0,00185	0,12300	-0,00278	0,00843	0,00070	0,12462
0,00069	0,00066	-0,01856	0,00089	0,00096	0,00096	-0,00044	0,00126	-0,00099	-0,00029	-0,00049	0,00089	0,00095	-0,00049	-0,00023	0,00129	0,00025	0,00100	-0,00085	0,00023	-0,00056	0,00210	-0,00058	-0,00041	-0,00047	0,00210
0,00207	0,00203	-0,01005	0,00207	0,00276	0,00269	0,00024	0,00241	-0,00122	0,00034	0,00016	0,00208	0,00264	0,00016	0,00043	0,00246	0,00108	0,00277	-0,00087	0,00106	-0,00011	0,00535	-0,00014	0,00026	-0,00001	0,00544
0,00231	0,00231	0,00050	0,00249	0,00235	0,00272	86000′0	0,00272	-0,00013	0,00105	0,00091	0,00251	0,00283	0,00091	0,00112	0,00277	0,00169	0,00279	0,00016	0,00168	0,00069	0,00443	0,00066	0,00100	0,00076	0,00448
0,01885	0,01844	-0,00934	0,04122	0,02419	0,03150	-0,03309	0,06093	-0,06462	-0,02940	-0,04303	0,04151	0,03338	-0,04119	-0,02637	0,06305	0,00734	0,03342	-0,05541	0,00543	-0,04484	0,08050	-0,04615	-0,03450	-0,04032	0,08020
0,00101	0,00105	-0,01243	0,00116	0,00139	0,00160	-0,00028	0,00148	-0,00141	-0,00040	-0,00030	0,00116	0,00130	-0,00019	-0,00041	0,00134	0,00085	0,00157	-0,00077	0,00087	-0,00065	0,00223	-0,00066	0,00017	-0,00058	0,00225
0,34716	0,33907	0,01121	0,31687	0,41911	0,30418	0,31601	0,32213	0,47744	0,40714	0,32999	0,31852	0,34168	0,33705	0,32081	0,30651	0,32512	0,29768	0,44084	0,32976	0,44899	0,36495	0,43506	0,34856	0,35887	0,36578
-0,00088	-0,00080	0,00369	-0,00069	0,00102	-0,00135	-0,00042	0,00011	0,00067	0,00010	-0,00045	-0,00077	-0,00087	-0,00027	-0,00114	-0,00017	-0,00034	-0,00147	0,00039	-0,00041	0,00154	0,00069	0,00154	0,00026	-0,00068	0,00076
0,01502	0,01425	-0,00829	0,01287	0,02397	0,01445	0,01359	0,01416	0,02383	0,01917	0,01384	0,01342	0,01496	0,01421	0,01386	0,01305	0,01385	0,01363	0,02079	0,01354	0,02030	0,01709	0,01901	0,01407	0,01543	0,01666
-0,00004	-0,00034	-0,01272	-0,00118	0,00268	-0,00166	-0,00121	-0,00098	0,00488	0,00223	-0,00068	-0,00112	-0,00024	-0,00042	-0,00103	-0,00157	-0,00087	-0,00190	0,00350	-0,00069	0,00381	0,00064	0,00328	0,00002	0,00041	0,00067
-0,06551	-0,06730	-0,00053	-0,05361	0,00836	-0,06816	-0,02842	-0,00181	-0,01473	-0,02190	-0,02922	-0,04295	-0,07894	-0,02996	-0,06706	0,00000	-0,01985	-0,07286	-0,01939	-0,02548	0,04740	0,01937	0,05065	0,02024	-0,06197	0,01992
-0,00111	-0,00094	0,00085	-0,00050	0,00018	-0,00180	-0,00079	-0,00002	-0,00021	-0,00072	-0,00055	-0,00076	-0,00152	-0,00053	-0,00130	-0,00002	-0,00039	-0,00172	-0,00022	-0,00047	0,00100	0,00066	0,00115	0,00021	-0,00104	0,00082

TABLE 4. AUSTRIAN MUTUAL FUNDS AND DESCRIPTIVE STATISTICS

3,47436	0,00679	0,00017	-0,97144	3,48293	0,00651	0,00011	-0,89763	3,43101	0,00666	0,00013	3ВКОВК5	23
3,19067	0,00674	0,00019	-0,99696	3,58026	0,00648	0,00012	-0,91477	3,31848	0,00662	0,00015	3BKOBK4	22
2,43353	0,02880	-0,00178	-0,51255	4,37532	0,02089	0,00111	-0,68699	3,40087	0,02531	-0,00040	GUTEUPO	21
2,49928	0,00570	0,00050	-0,21997	0,19849	0,00489	0,00058	-0,51955	1,78620	0,00533	0,00053	3BKBTV1	20
4,12034	0,00706	0,00012	-1,81452	7,49060	0,00725	-0,00001	-1,44625	5,79345	0,00716	0,00005	3BOBK14	19
15,00196	60900′0	0,000,0	-4,57322	28,26282	0,00604	0,00023	-3,65823	21,06571	0,00608	0,00016	3BV1FND	18
6,87633	0,04126	66000'0-	-0,78074	1,69095	0,02273	0,00265	-1,32638	9,11788	0,03370	0,00073	RENGAKT	17
1,70539	0,00637	000000	-5,65367	50,87596	0,00549	0,00019	-2,55316	18,44976	0,00597	0,00009	SIRIU37	16
6,82221	0,04130	-0,00112	-0,79138	1,70119	0,02264	0,00253	-1,31976	9,09613	0,03370	0,00060	RENGAKA	15
23,01083	0,00643	0,00046	-4,63064	26,37482	0,00758	-0,00024	-4,29309	25,80901	0,00703	0,00012	EKAKM14	14
11,81444	0,00785	0,00042	-4,83006	28,97581	0,00915	-0,00035	-3,76534	23,38584	0,00853	0,00005	P1FUNDS	13
7,25070	0,03195	-0,00109	-0,93671	3,20438	0,02499	0,00153	-1,29307	6,70357	0,02882	0,00015	CIENGST	12
7,25450	0,03197	-0,00107	-0,93343	3,14666	0,02502	0,00153	-1,29335	6,68541	0,02885	0,00016	CIENGSV	11
1,02422	0,02517	-0,00112	-0,01104	0,51505	0,02317	0,00054	-0,45459	0,87261	0,02426	-0,00032	PACTRST	10
10,12831	88900,0	81000'0-	-1,80264	8,51861	0,00888	-0,00012	-1,79102	9,62345	0,00791	-0,00016	EKAKO13	9
3,16693	0,00711	65000'0-	-0,89073	2,76709	0,00764	0,00019	-0,95301	2,91224	0,00739	-0,00012	EKAKO17	8
47,94486	0,00639	-0,00015	-4,53012	28,09422	0,00796	-0,00011	-5,23813	35,37491	0,00721	-0,00013	BAWGSPC	7
36,07246	0,00496	-0,00003	-6,43945	46,41488	0,01028	-0,00029	-7,31944	64,75172	0,00804	-0,00016	P2FUNDS	6
11,61048	0,02364	80200,0-	-0,03460	2,46848	0,01950	0,00017	-1,15218	9,28121	0,02177	-0,00101	AIBCGEF	5
1,19065	9,00976	.59000'0-	-1,35575	5,04991	0,01711	-0,00002	-1,33171	6,50186	0,01388	-0,00036	SIRIU29	4
11,60100	0,02366	-0,00202	-0,03460	2,46848	0,01950	0,00017	-1,15565	9,27785	0,02177	-0,00098	AIBCGVA	3
10,67155	0,01914	-0,00193	-0,33364	2,66050	0,02162	-0,00059	-1,07116	5,90900	0,02043	-0,00130	BAWSPAK	2
5,74149	0,05857	0,00051	-0,72799	2,31279	0,04265	0,00285	-0,09558	5,64149	0,05147	0,00163	INTRGLD	1
KURTOSIS	SD	E(RP)	SKEWNESS	KURTOSIS	SD	E(RP)	SKEWNESS	KURTOSIS	SD	E(RP)	NAME	#
OD I WO	SUBPERIOD I WO			SUBPERIOD ONE	SUBPER			OVERALL PERIOD	OVERAL			
) 11.5	2			7	2			,	2000			

49	48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32	31	30	29	28	27	26	25	24
ALLINVT	JPNTRND	EQTYINV	CONML27	BTVAVMD	SAPEURT	APOLOST	GLBLCHI	CPEEURT	CPEEURP	NOVEUII	SPORTVA	SUP4AKT	ESUMWST	ESUMWSA	POBAAKE	DWSAV48	KLMEGAT	KLMEGAA	PUMAFUN	PUMAFND	CAPIN14	BTVAVMK	TSERL1T	A14FUND	ESXTJAP
-0,00025	0,00013	0,00173	0,00049	0,00009	-0,00067	-0,00112	-0,00086	0,00144	0,00120	-0,00016	-0,00045	-0,00108	-0,00024	-0,00024	-0,00037	0,00008	-0,00054	-0,00085	0,00138	0,00104	0,00092	0,00009	0,00013	0,00006	-0,00057
0,02943	0,02638	0,02851	0,01967	0,01091	0,02964	0,02981	0,02693	0,03464	0,03466	0,02166	0,01860	0,02585	0,02698	0,02698	0,02400	0,00993	0,02842	0,02851	0,03860	0,03866	0,03129	0,00702	0,00660	0,00673	0,02783
2,91730	2,21203	5,87949	4,08401	2,06148	3,62878	3,56331	11,78054	4,30585	4,27284	3,15680	4,65660	5,29330	10,73540	10,73540	5,66159	12,56371	6,44994	6,36220	8,02673	7,92292	3,56632	7,22237	2,56244	10,04569	1,75356
-0,46916	-0,13756	-1,16335	-0,74625	-0,47625	-0,58335	-0,61480	-1,26968	-0,91059	-03668	-0,51115	-0,36430	-0,71663	-1,70932	-1,70932	-0,88655	-2,33331	-1,12759	-1,12161	-1,33042	-1,30924	-0,86453	-1,71885	-0,36087	-2,12307	-0,24792
0,00090	0,00081	0,00520	0,00161	0,00029	0,00034	-0,00001	0,00033	0,00449	0,00436	0,00069	0,00025	-0,00027	0,00138	0,00138	0,00086	0,00036	0,00088	0,00062	0,00348	0,00306	0,00438	0,00000	-0,00016	-0,00001	0,00055
0,02521	0,02552	0,01775	0,01969	0,01098	0,02610	0,02640	0,02081	0,02659	0,02657	0,02064	0,01919	0,02161	0,02104	0,02104	0,02073	0,00996	0,02379	0,02381	0,03190	0,03206	0,01979	0,00721	0,00653	0,00673	0,02840
5,19313	1,07099	3,51776	3,10302	1,81549	7,64038	7,59174	3,38233	2,41806	2,40762	3,19782	4,92351	2,65259	1,36266	1,36266	4,47570	12,16858	2,55488	2,57007	1,94126	1,86265	4,65503	11,21182	4,33773	12,02401	1,40187
-0,52506	0,06016	-0,70940	-0,24209	-0,10154	-0,72454	-0,72636	-0,10243	-0,91372	-0,90279	-0,28646	0,30041	-0,23207	-0,42519	-0,42519	-0,26564	-2,45542	-0,22173	-0,22707	-0,84915	-0,83332	-1,16511	-2,36952	-0,66518	-2,50757	0,15249
-0,00127	-0,00046	-0,00152	-0,00052	-0,00008	-0,00155	-0,00210	-0,00195	-0,00145	-0,00178	56000′0-	-0,00109	-0,00177	-0,00171	-0,00171	-0,00145	-0,00014	-0,00178	-0,00213	55000′0-	-0,00081	-0,00233	0,00019	0,00042	0,00015	-0,00156
0,03288	0,02710	0,03559	0,01954	0,01081	0,03259	0,03266	0,03161	0,04060	0,04065	0,02249	0,01792	0,02928	0,03154	0,03154	0,02667	0,00987	0,03216	0,03230	0,04395	0,04395	0,03895	0,00681	0,00663	0,00671	0,02716
1,71817	3,09227	3,44722	5,01714	2,34353	1,69743	1,59393	10,96505	3,46582	3,42694	3,10283	4,20268	5,22426	10,31042	10,31042	5,37518	13,30995	6,53181	6,38867	8,38948	8,35518	1,69475	2,48536	0,98075	8,36651	2,08758
-0,39801	-0,29579	-0,88153	-1,26566	-0,86589	-0,47826	-0,52175	-1,45272	-0,74023	-0,72607	-0,66679	-1,17560	-0,84856	-1,90232	-1,90232	-1,10270	-2,23873	-1,39218	-1,37558	-1,39231	-1,37701	-0,54527	-0,98754	-0,08945	-1,77215	-0,71065

75	74	73	72	71	70	69	68	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50
VIENAUS	VIENSTK	R67FUND	GUTUSPO	DANBINT	DANBINV	VOLKAME	KLAKTIT	KLASSAK	CPBMEDR	BADVANS	RQEUEQT	RQEUEQA	3BKEURT	3BKESKA	GUTAKTN	NEWGENT	NEWGENR	DWSAVER	FINANSA	FINANST	VIENINT	VNNAINV	PSKEURO	PSKEUST	ALLINVA
0,00125	0,00142	-0,00053	-0,00076	0,00139	0,00111	-0,00043	0,00036	0,00013	0,00040	-0,00025	0,00018	-0,00108	-0,00023	-0,00101	-0,00023	-0,00129	-0,00136	0,00007	-0,00120	-0,00078	0,00118	0,00079	-0,00066	-0,00029	-0,00058
0,02885	0,02889	0,02465	0,02684	0,03677	0,03676	60920′0	0,02344	0,02352	0,01744	06020'0	0,02511	0,02644	80080,0	80180,0	0,02190	0,03636	0,03636	0,02256	0,03393	08880,0	0,03359	0,03369	0,02627	0,02625	0,02976
5,97704	5,95763	4,84633	8,36427	5,79535	5,76889	10,51443	5,43133	5,33899	6,66311	4,37106	2,79230	2,62843	2,99651	3,05143	1,88624	3,52244	3,53062	4,49942	10,53681	10,79111	4,73797	4,68360	3,53609	3,56839	3,06527
-1,20041	-1,20610	-0,77198	-1,06578	-1,06707	-1,06004	-1,22165	-0,75277	-0,73876	-1,40212	-0,60636	-0,65712	-0,75540	-0,53280	-0,65685	-0,43114	-0,65843	-0,65102	-0,60353	-1,11638	-1,14296	-1,11980	-1,11794	-0,49339	-0,51356	-0,51177
0,00463	0,00476	0,00040	-0,00093	0,00504	0,00496	-0,00032	0,00153	0,00138	0,00237	-0,00010	0,00159	0,00010	0,00100	0,00011	0,00006	-0,00107	-0,00112	0,00078	0,00117	0,00126	0,00546	0,00524	0,00026	0,00056	0,00070
0,01782	0,01785	0,02270	0,02198	0,02716	0,02715	0,02345	0,01819	0,01821	0,01096	0,02123	0,02099	0,02303	0,02597	0,02783	0,01997	0,03569	0,03565	0,02068	0,02410	0,02406	0,02272	0,02273	0,02390	0,02402	0,02527
5,95512	5,95191	2,85980	1,06588	1,86691	1,87748	0,74629	4,18148	4,16266	2,09311	3,09026	3,84729	4,14053	4,88442	5,38774	2,41432	3,33499	3,32678	3,48086	6,17648	6,22260	2,97107	2,93588	6,17887	6,04548	5,12960
-1,37653	-1,38776	-0,09919	-0,11498	-0,64160	-0,63500	-0,17881	-0,42492	-0,41299	-0,83570	-0,01427	-0,42760	-0,80156	-0,48438	-0,88257	-0,15073	-0,35876	-0,34455	-0,17724	0,47737	0,47046	-0,79468	-0,76962	-0,26540	-0,28088	-0,50883
-0,00189	-0,00169	-0,00136	-0,00052	-0,00218	-0,00265	-0,00046	-0,00070	-0,00100	-0,00145	85000′0-	11100′0-	-0,00213	-0,00131	86100′0-	-0,00044	-0,00139	-0,00148	-0,00058	-0,00332	-0,00262	-0,00285	-0,00339	-0,00146	-0,00103	-0,00171
0,03610	0,03616	0,02631	0,03074	0,04369	0,04365	0,02833	0,02746	0,02758	0,02171	0,02052	0,02839	0,02925	0,03346	0,03383	0,02355	0,03690	0,03692	0,02414	0,04065	0,04049	0,04096	0,04107	0,02827	0,02815	0,03341
3,38894	3,37160	5,63759	9,03109	4,66218	4,63815	14,44408	4,36862	4,25738	4,16404	5,87941	1,88906	1,70131	1,90574	1,78868	1,47198	3,76568	3,78389	4,80250	8,24821	8,50793	2,96683	2,91048	2,01745	2,11201	1,91108
-0,84347	-0,84963	-1,16623	-1,36516	-0,94568	-0,93316	-1,77630	-0,73658	-0,71701	-1,12627	-1,24515	-0,66678	-0,68141	-0,50767	-0,50498	-0,58820	-0,93016	-0,92701	-0,84055	-1,22609	-1,26888	-0,87689	-0,87226	-0,60274	-0,63257	-0,45796

101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76
INTSTAU	ESTOAME	EKASAMA	OSTINDT	KLASAET	KLASAEA	VIFVERT	VIFVERI	BESTEMA	BESTEMT	OBRBSMX	CPBFRSA	KEPGLBA	KEPGLBT	SKWBAKT	SCHAKTT	JMEURSC	SIEQWEE	SPGOLDR	OSTVLRF	OSTEUST	OSTEUSA	SBESTIN	ESPGDYN	3BKOEKG	3BKESTM
-0,00055	-0,00072	-0,00106	0,00162	0,00013	-0,00028	-0,00060	-0,00175	0,00061	0,00086	-0,00039	0,00006	-0,00065	-0,00037	-0,00062	-0,00048	0,00083	0,00011	0,00008	0,00205	0,00182	0,00161	-0,00058	-0,00012	0,00000	-0,00031
0,02467	0,02845	0,02844	0,03003	0,02676	0,02696	0,02703	0,02867	0,02971	0,02969	0,02336	0,02220	0,02461	0,02437	0,02299	0,02282	0,02847	0,02501	0,02311	0,03601	0,03465	0,03470	0,02462	0,02293	0,02442	0,02576
4,21843	10,17247	10,13319	6,04345	3,30046	3,19539	5,75816	5,50546	6,26306	6,32512	3,49393	3,26843	5,62586	5,83209	13,73843	13,12480	1,79106	2,98863	4,21323	5,85639	4,51551	4,44356	2,04165	5,72748	5,26826	3,42521
-0,71679	-1,31606	-1,31117	-1,17332	-0,60206	-0,58841	-0,5996	-0,80224	-1,07831	-1,09773	-0,63320	-1,02538	-0,80901	-0,80702	-1,34507	-1,26967	-0,43769	-0,64595	-0,75997	-01518	-1,01940	-1,00269	-0,40483	-0,92983	-0,96003	-0,61565
-0,00015	-0,00094	-0,00121	0,00332	0,00129	0,00106	-0,00002	-0,00105	82200'0	0,00243	0,00040	07000,0	0,00014	0,00048	-0,000,0	-0,00026	0,00230	0,00145	0,00092	0,00473	0,00506	0,00487	-0,00076	0,00076	0,00070	0,00074
0,02306	0,02371	0,02388	0,02368	0,02168	0,02171	0,02490	0,02647	0,02344	0,02344	0,02076	0,02167	0,02151	0,02131	0,01932	0,01925	0,02404	0,02016	0,02172	0,02704	0,02640	0,02651	0,02623	0,02137	0,02034	0,02198
2,61515	2,04842	2,03221	2,08894	5,37052	5,31134	6,04239	5,39728	0,99962	1,02140	2,48906	1,53031	3,96700	4,18116	3,44050	3,48191	2,01246	4,19915	3,93082	3,43528	3,14469	3,03616	1,43257	3,11395	2,39806	5,65143
-0,08067	0,07538	0,06624	-0,99330	-0,49642	-0,47694	-0,19954	-0,45130	-0,72776	-0,74515	-0,05177	-0,81928	-0,09004	-0,10959	0,09609	0,09897	-0,54676	-0,36054	-0,19615	-1,11251	-1,24287	-1,22384	0,02674	0,08705	-0,59705	-0,37830
-0,00088	-0,00043	-0,00082	20000,0	-0,00094	-0,00151	71100,0-	-0,00242	88000′0-	-0,00054	10100'0-	-0,00049	-0,00134	-0,00113	92000'0-	09000,0-	0.2000,0-	-0,00112	-0,00065	05000′0-	-0,00111	-0,00134	-0,00031	-0,00091	-0,00059	-0,00126
0,02606	0,03231	0,03218	0,03491	0,03077	0,03106	0,02884	0,03054	0,03428	0,03424	0,02557	0,02261	0,02719	0,02690	0,02599	0,02574	0,03204	0,02881	0,02430	0,04265	0,04042	0,04043	0,02292	0,02426	0,02771	0,02883
5,04702	11,25651	11,37912	5,54571	2,04501	1,92855	5,41396	5,38424	6,04799	6,12188	3,51475	4,72447	5,66434	5,85855	15,25379	14,63309	1,31338	1,92630	4,22687	4,74928	3,58249	3,54617	2,93881	6,94017	5,22822	2,16761
-1,13580	-1,80561	-1,81433	-1,09418	-0,56007	-0,53905	-0,82837	-1,00237	-1,05847	-1,08162	-0,90223	-1,20869	-1,11003	-1,09657	-1,86064	-1,77292	-0,32889	-0,64777	-1,13372	-0,58161	-0,78619	-0,77121	-1,02511	-1,57862	-1,03503	-0,66083

127	126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102
COLMBST	CIAMESV	COLSTKT	GOLDEUR	RUSEQUT	RUSEQUA	EUPROSA	EUPROST	ESXTEUR	SIEQPAR	ALLIOST	ALINOST	ROSTAVT	OSTAKTT	3BKGSFD	RAIFOST	EUPROPT	EUPROPA	BASTOCT	BAWGSTK	AMERSTO	AMERSTT	RAFEAPS	EURAKVT	EUAKTIT	INTRSTK
-0,00033	0,00023	0,00004	0,00044	-0,00018	-0,00085	0,00076	0,00137	0,00015	0,00061	0,00145	0,00160	0,00159	0,00151	-0,00033	0,00135	0,00084	0,00034	-0,00014	-0,00068	-0,00035	-0,00002	-0,00041	-0,00016	-0,00020	-0,00040
0,02651	0,02634	0,02631	0,02374	0,02663	0,02687	0,02605	0,02559	0,02544	0,02555	0,03914	88850,0	0,03356	0,03354	0,02435	0,03349	0,02775	0,02799	0,02704	0,02732	0,02821	0,02811	0,02873	0,02843	0,02849	0,02466
8,14788	8,64074	8,39095	3,33469	6,43823	6,20357	5,37805	5,80278	2,74752	2,12254	7,26935	6,73274	4,34209	4,34509	3,27086	4,35519	4,93478	4,81096	3,88554	3,75032	19,38815	19,75195	3,40099	3,32979	3,31701	4,23089
-1,03946	-1,10592	-1,05937	-0,72163	-0,83624	-0,81847	-1,16302	-1,19356	-0,52753	-0,30031	-1,23487	-1,15459	-0,94008	-0,93576	-0,56337	-0,93786	-1,08348	-1,09570	-0,64594	-0,63481	-1,24115	-1,26645	-0,58958	-0,55588	-0,55804	-0,70647
0,00029	0,00106	0,00067	0,00163	-0,00028	-0,00126	0,00414	0,00455	0,00133	0,00104	0,00426	0,00433	0,00506	0,00493	0,00035	0,00478	0,00405	0,00372	0,00062	0,00003	0,00052	0,00083	0,00088	0,00104	0,00103	-0,00003
0,02023	0,01973	0,02015	0,02153	0,02257	0,02293	0,01692	0,01666	0,02121	0,02376	0,02692	0,02691	0,02151	0,02152	0,02368	0,02149	0,01717	0,01785	0,02393	0,02429	0,01858	0,01858	0,02302	0,02295	0,02299	0,02297
2,89007	3,72166	3,11745	4,64254	1,08087	0,92236	4,14183	4,55579	5,10890	1,06284	3,27077	3,28574	6,81743	6,78899	5,43035	6,79452	4,65918	5,87927	4,83584	4,96274	2,02557	2,06144	6,20297	6,32348	6,25863	2,61638
0,08621	0,07160	0,08483	-0,58920	-0,09009	-0,05999	-1,14590	-1,19691	-0,37293	0,08942	-1,10224	-1,10818	-1,45290	-1,44537	-0,68118	-1,43165	-1,20511	-1,43543	-0,34920	-0,41030	0,04428	0,04335	-0,20569	-0,22258	-0,22150	-0,07056
-0,00090	-0,00049	.5000,0-	-0,00065	-0,00003	-0,00039	-0,00240	-0,00161	-0,00094	0,00023	-0,00124	-0,00102	-0,00165	-0,00169	16000′0-	-0,00186	-0,00216	-0,00281	-0,00077	-0,00126	-0,00114	-0,00078	-0,00159	-0,00125	-0,00131	-0,00069
0,03132	0,03101	0,03103	0,02558	0,02997	0,03011	0,03212	0,03157	0,02882	0,02709	0,04778	0,04730	0,04167	0,04165	0,02489	0,04158	0,03471	0,03474	0,02964	0,02987	0,03497	0,03482	0,03319	0,03275	0,03281	0,02610
7,19237	7,41573	7,44512	2,46948	7,34510	7,28134	3,25249	3,58148	1,50248	2,62114	5,27129	4,86988	2,22764	2,23302	1,65732	2,24073	2,66346	2,62016	3,11831	2,89968	15,16740	15,53207	1,92353	1,83279	1,83233	5,03926
-1,22842	-1,25925	-1,25737	-0,75924	-1,12246	-1,13636	-0,84265	-0,87474	-0,51942	-0,54545	-1,02489	-0,94305	-0,59960	-0,59826	-0,47067	-0,60145	-0,75026	-0,73753	-0,76738	-0,72593	-1,23568	-1,26661	-0,63085	-0,59155	-0,59391	-1,11882

153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128
USAKTNA	USAKTNT	RTECAKA	RTECAKT	LNTMVTR	BTVAVMW	SIEEEMK	SEITEMU	GLOBEQT	GLBLEQU	PHARMST	PHARMSA	TECHNOT	TECHNOA	PAZFKVT	PAZFKAT	PAZFKAA	SMPORT4	SELCTFD	SECLTFV	SELECTA	VOLKEUR	I2STOCK	NIPPORT	EKSTAMT	EKSTAMR
-0,00049	-0,00040	-0,00048	-0,00037	0,00059	22000,0	78100,0	80000,0	-0,00039	-0,00083	71000,0	000000	-0,00064	-0,00064	0,00041	0,00040	92000,0	0,00040	-0,00030	0,00021	0,00006	-0,00031	-0,00031	0,00001	-0,00006	-0,000
0,02718	0,02713	0,03288	0,03284	0,02280	0,02285	7,050′0	0,02587	0,02571	0,02592	81810,0	0,01838	0,02837	0,02837	0,02394	0,02395	0,02408	0,02360	0,02601	0,02627	0,02605	0,02935	0,02361	0,03372	0,02862	0,02861
5,99454	6,05215	2,17200	2,18401	11,06175	3,61991	4,35594	2,93423	8,19766	7,86311	3,34419	3,41025	1,86014	1,86059	2,49731	2,49187	2,45930	6,48290	3,33860	3,33156	3,32075	3,60099	5,14182	2,24328	12,27963	12,23172
-0,74853	-0,75405	-0,46493	-0,46634	-1,30869	-0,59224	-0,93659	-0,50375	-0,96713	-0,94613	-0,23459	-0,28721	-0,46810	-0,46801	-0,46414	-0,46357	-0,47513	-0,99940	-0,52428	-0,57067	-0,55183	-0,81974	-1,03230	-0,45897	-1,56721	-1,55663
-0,00052	-0,00045	-0,00038	-0,00031	0,00105	0,00078	0,00249	0,00094	0,00046	0,00011	-0,00028	-0,00028	-0,00125	-0,00125	0,00135	0,00135	0,00124	0,00132	0,00046	0,00112	0,00079	0,00103	0,00042	0,00229	0,00047	0,00020
0,02502	0,02500	0,03370	0,03375	0,01678	0,02173	0,02611	0,02560	0,02092	0,02111	0,01824	0,01824	0,03000	0,03000	0,02243	0,02243	0,02254	0,01896	0,02311	0,02351	0,02325	0,02229	0,01901	0,02653	0,01974	0,01990
2,15064	2,14407	1,15969	1,14515	0,67442	3,13958	1,56779	5,70017	2,16166	2,10584	3,78352	3,78352	1,51061	1,51061	1,04007	1,03926	1,07524	2,24309	5,92080	5,97018	5,73677	2,55838	17,00982	0,78481	2,49705	2,49692
0,00267	0,00511	-0,19207	-0,19435	0,10427	0,17378	-0,72299	-0,69913	-0,07107	-0,08952	0,42692	0,42692	-0,22528	-0,22528	0,15559	0,15610	0,12594	-0,22724	-0,34696	-0,41283	-0,37010	-0,67384	-2,27929	-0,12385	-0,05601	-0,06575
-0,00041	-0,00030	-0,00045	-0,00030	0,00020	-0,00026	0,00034	-0,00078	-0,00116	-0,00168	0,00062	0,00028	0,00004	0,00004	-0,00041	-0,00044	-0,00062	-0,00042	-0,00097	-0,00055	-0,00059	-0,00152	-0,00095	-0,00205	-0,00049	-0,00089
0,02902	0,02896	0,03203	0,03191	0,02731	0,02382	0,03455	0,02603	0,02952	0,02974	0,01805	0,01846	0,02663	0,02663	0,02523	0,02524	0,02539	0,02725	0,02843	0,02841	0,02840	0,03470	0,02723	0,03919	0,03505	0,03495
7,88993	8,00068	3,37914	3,44290	9,84827	3,83967	4,58798	0,60061	8,31561	7,96547	3,16241	3,26686	2,37126	2,37231	3,19840	3,18504	3,10750	6,18479	1,94114	1,97802	1,98529	2,64188	1,50031	1,75020	9,75208	9,81753
-1,21248	-1,22543	-0,77275	-0,77721	-1,48996	-1,14797	-0,96125	-0,33390	-1,19281	-1,15800	-0,89340	-0,95557	-0,79130	-0,79113	-0,86822	-0,86636	-0,86374	-1,15552	-0,58776	-0,62284	-0,62103	-0,74155	-0,53832	-0,45127	-1,63706	-1,63389

179	178	177	176	175	174	173	172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154
TIGERFD	TIGFOND	KONAKTT	KONAKTA	KONAKTV	RAIFOSE	OSTEAKT	OSTAKVT	AUSQUIT	CONAUST	ESISTST	ESISTSA	BESTHEA	веѕтнет	VOLKPAC	VIENTPF	VIENNAT	ТОРРНАА	PACFSTK	TOPASIT	ТОРРНАУ	ТОРРНАТ	RAIFAKT	GLOAKTT	RGLAKVT	USAKTVT
0,00027	0,00066	0,00215	0,00195	0,00219	0,00206	81200'0	0,00226	56000'0	28000'0	0,00159	0,00134	69000'0-	-0,00044	0,00110	85100'0	18100,0	-0,00035	-0,00026	0,00012	-0,00009	-0,00021	-0,00041	-0,00027	-0,00026	-0,00040
0,02999	0,02999	96250'0	0,03298	0,03295	0,03792	16250'0	0,03793	68620'0	0,02944	0,05421	0,05403	0,02020	0,02019	0,02620	28050'0	0,03071	0,02195	0,02672	0,02651	0,02208	0,02189	0,02497	0,02484	0,02482	0,02713
2,30174	2,29556	5,80237	5,74832	5,82649	7,30652	7,32461	7,31793	8,33561	8,27932	3,73485	3,76624	3,97006	4,00553	2,74619	6,75110	6,91865	7,16841	2,84336	2,95160	7,24441	7,21327	6,41161	6,24883	6,22011	6,04547
-0,34361	-0,35576	-1,22444	-1,21616	-1,22882	-1,07829	-1,08818	-1,09062	-1,53629	-1,53853	-0,47698	-0,48613	-0,18992	-0,19630	-0,69277	-1,31217	-1,33321	-0,92211	-0,28298	-0,25665	-0,94736	-0,93043	-0,82085	-0,78976	-0,78620	-0,75383
0,00042	0,00088	0,00413	0,00381	0,00417	0,00479	0,00492	0,00501	0,00387	0,00374	0,00289	0,00279	-0,00125	-0,00107	0,00191	0,00537	0,00550	-0,00098	0,00017	0,00056	-0,00058	-0,00079	0,00010	0,00020	0,00021	-0,00045
0,02616	0,02615	0,02698	0,02707	0,02696	0,02768	0,02764	0,02765	0,01629	0,01633	0,05319	0,05313	0,02121	0,02121	0,02266	0,01811	0,01795	0,02084	0,02655	0,02650	0,02112	0,02076	0,02245	0,02241	0,02241	0,02500
0,66703	0,68309	1,31568	1,24888	1,33160	2,79928	2,84609	2,87901	5,11237	4,98086	3,81183	3,83969	4,27048	4,25896	0,81082	3,90833	3,96025	3,95028	2,25494	2,25137	3,93488	3,95801	3,04566	3,05811	3,05356	2,14432
-0,12622	-0,16966	-0,89891	-0,88450	-0,90239	-1,01993	-1,03424	-1,03491	-1,33883	-1,30735	-0,24294	-0,24036	0,59923	0,58132	-0,43136	-0,99401	-0,97740	0,37062	0,27190	0,31578	0,36255	0,36717	0,05379	0,05461	0,05216	0,00484
0,00016	0,00050	0,00020	0,00012	0,00024	-0,00060	-0,00047	-0,00041	-0,00175	-0,00190	0,00044	0,00005	-0,00011	0,00019	0,00043	-0,00199	-0,00168	0,00027	-0,00062	-0,00025	0,00038	0,00037	-0,00084	89000′0-	-0,0006	-0,00030
0,03319	0,03319	0,03764	0,03763	0,03763	0,04540	0,04541	0,04543	0,03769	0,03774	0,05498	0,05469	0,01911	0,01908	0,02914	0,03894	0,03887	0,02288	0,02679	0,02642	0,02283	0,02284	0,02710	0,02690	0,02686	0,02895
2,58573	2,56743	5,87938	5,87179	5,89632	5,91380	5,91233	5,89876	4,63908	4,60437	3,73877	3,77121	3,75005	3,87520	2,99157	3,82954	3,92089	9,58355	3,42809	3,67272	9,67464	9,61411	7,53136	7,35733	7,33397	7,99707
-0,43624	-0,43105	-1,21581	-1,21643	-1,21974	-0,89828	-0,90558	-0,90760	-1,14995	-1,15459	-0,68535	-0,70777	-1,21330	-1,20510	-0,76985	-0,96296	-0,98532	-1,88096	-0,80981	-0,82086	-1,88856	-1,88669	-1,27728	-1,23996	-1,23563	-1,22576

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180
ВІОТЕСТ	BIOTECA	WALCAPT	TURYGOT	TURYGOA	GUTUSSP	EUROTST	TURYGET	TURYGEA	ASIACAP	ACEMERA	OSTAKTI	ACEMERT	OSTAKTV	SIEEQNA	ESXTUSA	COREEUR	COREEUT	KEPUSAK	KEPUSAT	AMERIDX	EREALFD	STKIDXU	TOPSWST	TOPSWSF
0,00062	0,00062	-0,00033	0,00085	52000′0	0,00145	0,00076	-0,00048	25000,0-	82100,0	15100′0	0,00191	0,00161	0,00165	-0,00005	0,00057	0,00025	0,00051	-0,00015	-0,00004	50000′0-	-0,00012	0,00034	0,00046	0,00024
0,02754	0,02753	0,03616	0,04214	0,04217	0,02648	0,01992	0,03757	0,03770	0,02857	0,03080	0,03997	0,03072	0,03990	0,02767	0,02660	0,03020	0,03021	0,02739	0,02728	0,02516	0,02967	0,02560	0,02594	0,02602
2,49188	2,49396	4,91398	4,47909	4,49536	7,46078	4,55077	14,66529	14,46230	2,84365	4,89372	7,77424	4,90133	7,81695	11,37453	12,63088	3,52162	3,58534	14,25539	14,51168	5,19574	5,77020	13,39232	4,39870	4,40325
-0,75128	-0,75146	-0,76372	-0,75037	-0,74634	-0,93684	-0,71541	-1,43173	-1,43100	-0,35393	-0,91804	-1,17664	-0,91566	-1,16888	-1,17902	-1,13352	-0,60625	-0,61878	-1,16415	-1,16807	-0,80671	-1,16437	-1,25122	-0,60873	-0,61276
-0,00007	-0,00007	-0,00035	0,00252	0,00236	0,00232	0,00065	0,00010	0,00010	0,00229	0,00233	0,00451	0,00241	0,00424	0,00005	0,00120	0,00112	0,00153	0,00051	0,00067	0,00039	0,00300	0,00074	0,00098	0,00073
0,02716	0,02716	0,02529	0,03148	0,03153	0,01719	0,01870	0,02730	0,02730	0,02314	0,02447	0,02850	0,02445	0,02837	0,02235	0,01857	0,02145	0,02129	0,01855	0,01839	0,01840	0,01751	0,01854	0,02460	0,02465
1,23437	1,23758	0,02556	1,19428	1,17432	0,40090	6,46236	4,20284	4,20284	0,73971	1,43323	3,67146	1,46252	3,72883	2,07537	2,01350	3,64390	3,84341	1,77075	1,87940	2,74136	3,54796	2,74619	6,11675	6,12507
-0,49146	-0,49165	-0,25246	-0,32279	-0,31509	-0,35236	-0,44839	-0,08931	-0,08931	-0,27569	-0,72652	-1,22540	-0,73778	-1,23248	0,09191	-0,04269	-0,52488	-0,50942	-0,06907	-0,06610	0,04751	-1,04255	0,08744	-0,28786	-0,29518
0,00145	0,00145	-0,00026	08000′0-	-0,0004	89000,0	78000,0	56000′0-	50100′0-	0,00034	82000′0	-0,00064	0,00000	-0,00087	60000′0-	-0,00001	-0,00047	-0,00034	52000′0-	69000′0-	-0,00042	20800'0-	10000′0-	0,00000	-0,00018
0,02785	0,02785	0,04410	0,05014	0,05016	0,03299	0,02097	0,04520	0,04542	0,03287	0,03576	0,04827	0,03565	0,04823	0,03190	0,03244	0,03663	0,03658	0,03372	0,03362	0,03023	0,03755	0,03085	0,02709	0,02719
3,71242	3,71267	3,72843	3,61665	3,64375	5,23083	3,36321	12,61312	12,35431	2,64604	4,55348	6,01474	4,57321	6,02404	11,84851	10,31315	2,13841	2,16899	11,30252	11,43834	3,93937	3,14706	11,53457	3,24234	3,25131
-1,00223	-1,00229	-0,78388	-0,73574	-0,73562	-0,85183	-0,90003	-1,57456	-1,56612	-0,32195	-0,89501	-0,96243	-0,89011	-0,95175	-1,54019	-1,18210	-0,52814	-0,53717	-1,17606	-1,17253	-0,90014	-0,84353	-1,39993	-0,83686	-0,83772

TABLE 5. FRENCH MUTUAL FUNDS AND DESCRIPTIVE STATISTICS

0,03072
-0,00190
-0,00135
-0,00148
-0,30281 -0,00137
-0,29324 -0,00107
-0,25901 -0,00079
-0,08845 -0,00191
-0,1549 -0,00115
-0,34314 -0,00137
-0,0241 -0,00195
-0,40328 -0,00133
-0,28045 -0,00121
-0,25966 -0,00179
-0,14096 -0,00150
-0,20638 -0,00193
-0,04485 -0,00184
-0,04503 -0,00148
-0,91925 -0,00081
-0,42629 -0,00190
-0,92721 -0,00069
-0,52597 -0,00105
SKEWNESS E(RP)

48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32	31	30	29	28	27	26	25	24	23
FRNCGAN	EMRGPSD	AXAAGIA	FRUFRAC	FRUFRAD	BNPNAV3	ETVALUE	SICEURS	AGFEACD	BNPPADD	BALSWII	UNIFRAN	TRICOLO	SOGEPEA	BNPAIFC	AZUACFR	VIACTEC	AGFOPID	ECURINV	SCV5000	AXAEFEA	POETHIC	AXAAGEU	EURF50C	FEDEPAC	AGFEUAC
0,00011	-0,00039	-0,00055	0,00003	-0,00017	-0,00046	0,00004	-0,00010	-0,00028	0,00055	0,00040	-0,00070	0,00028	-0,00055	-0,00003	0,00000	-0,00030	0,00000	-0,00044	-0,00058	-0,00076	0,00015	-0,00047	-0,00021	-0,00021	-0,00008
0,02859	0,03028	0,02638	0,03049	0,03028	0,02909	0,03021	0,03099	0,03006	0,02447	0,02689	0,03129	0,03031	0,03021	0,03302	0,02952	0,03076	0,03076	0,03195	0,03113	0,03055	0,03060	0,03327	0,03275	0,03207	0,03119
7,376803	8,34933	12,13001	7,413594	7,397374	11,2195	7,464991	8,01757	7,804397	23,34778	15,25745	9,339598	7,349755	11,56041	7,62796	8,338729	8,134182	6,805949	8,256872	9,539392	6,652498	9,359102	21,89376	6,835597	10,59612	8,713264
-1,02673	-1,08585	-1,10964	-0,97382	-1,08155	-1,07919	-1,17636	-1,21488	-1,13243	-2,15047	-1,4941	-1,19764	-1,05922	-1,20936	-0,7486	-1,1945	-1,20223	-1,03193	-1,01476	-1,22744	-1,09903	-1,06475	-0,85378	-1,05562	-1,30644	-1,24047
0,00143	0,00050	0,00006	0,00140	0,00127	-0,00001	0,00147	0,00127	0,00086	0,00232	0,00161	0,00057	0,00147	0,00044	0,00121	0,00113	0,00124	0,00122	0,00086	0,00094	0,00018	0,00137	0,00110	0,00097	0,00118	0,00092
0,02327	0,02514	0,02151	0,02500	0,02456	0,02670	0,02419	0,02401	0,02433	0,01235	0,02192	0,02489	0,02359	0,02474	0,02729	0,02351	0,02220	0,02569	0,02526	0,02492	0,02506	0,02379	0,02933	0,02615	0,02251	0,02623
5,086644	3,993166	3,755423	4,722373	4,12683	9,064504	3,896842	1,05213	0,799844	1,690336	4,455597	4,22994	1,165797	5,336742	7,148624	1,455795	1,047518	1,354591	4,892511	3,967272	1,293274	4,213719	55,08147	1,2206	3,201361	1,071837
-0,08751	-0,23731	0,042909	0,102032	-0,24313	-0,31744	-0,51835	-0,44185	-0,38794	-0,38168	-0,59894	-0,1664	-0,3246	-0,0498	0,390033	-0,43521	-0,43454	-0,36731	-0,05612	-0,2552	-0,57614	0,192016	0,107184	-0,45834	-0,06755	-0,44077
-0,00124	-0,00132	-0,00116	-0,00136	-0,00163	-0,00093	-0,00142	-0,00148	-0,00147	-0,00123	-0,00086	-0,00197	-0,00098	-0,00154	-0,00130	-0,00118	-0,00184	-0,00122	-0,00178	-0,00210	-0,00174	-0,00110	-0,00205	-0,00140	-0,00163	-0,00108
0,03288	0,03448	0,03030	0,03492	0,03485	0,03116	0,03498	0,03643	0,03467	0,03197	0,03091	0,03636	0,03558	0,03461	0,03768	0,03430	0,03711	0,03491	0,03724	0,03605	0,03501	0,03590	0,03659	0,03798	0,03905	0,03529
6,518366	8,24926	12,36577	6,756876	6,770536	11,93664	6,748232	7,439369	7,975197	14,29231	15,54272	8,602947	6,802431	11,37892	6,48071	8,134556	6,653314	7,253685	7,226204	8,963155	6,814884	8,310605	7,220977	6,650764	8,325239	9,72431
-1,2342	-1,31575	-1,42108	-1,24998	-1,24681	-1,51592	-1,25632	-1,2819	-1,26829	-1,72788	-1,66552	-1,39009	-1,13629	-1,51713	-1,08321	-1,30524	-1,17349	-1,19588	-1,1832	-1,40305	-1,18844	-1,28877	-1,26523	-1,1331	-1,33423	-1,46728

74	73	72	71	70	69	68	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49
AFERFLO	LIVRBRS	INDVARE	BALEURI	SLVAFRN	MACTIEU	BNPFVST	SGSOTEM	ABFEUR1	BNPATRM	BDFREPA	SGEUROP	SPGPSMC	AXAVALF	BALIPNI	EXACFRC	RICHINV	EXACFRD	VINCACT	AMPTMNC	AMPTMN D	BNPAIFD	SYCEURO	BNPAPEU	AGFEACC	FRUVEUR
-0,00018	-0,00047	0,00012	0,00011	-0,00071	-0,00007	-0,00021	-0,00105	0,00009	0,00008	-0,00043	0,00018	0,00115	-0,00047	-0,00007	0,00004	0,00044	-0,00034	-0,00012	-0,00018	-0,00036	-0,00044	0,00041	-0,00070	-0,00005	-0,00009
0,01906	0,02992	0,03076	0,03060	0,03235	0,02751	0,03168	0,03496	0,03084	0,03187	70150,0	60,720,0	0,02092	0,03033	0,02879	0,03245	0,02024	0,03257	0,03092	0,02380	0,02405	0,03255	0,02982	0,03165	0,02998	0,02795
3,243233	2,40917	10,63782	7,761419	8,44923	8,003869	7,470413	8,468612	6,701906	7,995233	6,690269	10,42549	5,415925	6,2372	6,461019	6,904768	7,892726	6,829886	7,670077	6,778505	6,450245	7,057951	13,01162	10,76833	7,93161	14,31051
-0,79014	-0,45795	-1,28369	-1,18699	-1,0832	-1,08818	-1,09796	-0,15575	-1,08357	-0,84369	-0,98391	-1,2497	-1,41677	-1,00061	-1,04346	-1,01088	-1,38279	-1,00011	-1,17668	-0,8399	-0,74359	-0,89328	-1,55009	-1,18587	-1,15149	-1,48434
0,00068	0,00069	0,00155	0,00148	0,00071	0,00080	0,00115	-0,00111	0,00148	0,00121	0,00085	0,00136	0,00378	0,00050	0,00210	0,00135	0,00248	0,00103	0,00132	0,00013	-0,00007	0,00090	0,00192	0,00036	0,00096	0,00098
0,02024	0,02432	0,02493	0,02383	0,02649	0,02381	0,02665	0,03803	0,02442	0,02692	0,02595	0,02122	0,01815	0,02514	0,02381	0,02443	0,01412	0,02480	0,02279	0,02098	0,02148	0,02607	0,02192	0,02693	0,02430	0,02042
1,91805	3,902977	1,676952	1,15915	4,741186	4,421973	4,22412	7,484663	1,321369	5,873764	5,529687	6,215142	1,479319	1,192509	-0,03023	1,072864	6,533874	1,566183	1,243138	1,390073	1,3157	3,551758	3,009452	4,721677	0,831277	3,243257
-0,38011	-0,25653	-0,21712	-0,49444	-0,1042	-0,31312	-0,23442	0,61304	-0,49113	0,326376	-0,07184	-0,06901	-0,58005	-0,44499	-0,20449	-0,3917	0,057593	-0,48801	-0,43102	-0,00052	0,171035	0,079685	-0,48945	0,14723	-0,40115	-0,0477
-0,00105	-0,00169	-0,00137	-0,00127	-0,00215	-0,00095	-0,00161	-0,00099	-0,00131	-0,00112	-0,00172	-0,00102	-0,00138	-0,00150	-0,00208	-0,00131	-0,00147	-0,00174	-0,00156	-0,00047	-0,00064	-0,00180	-0,00109	-0,00179	-0,00110	-0,00119
0,01777	0,03440	0,03544	0,03588	0,03709	0,03061	0,03583	0,03168	0,03591	0,03598	0,03523	0,03167	0,02295	0,03460	0,03271	0,03861	0,02456	0,03858	0,03703	0,02619	0,02626	0,03771	0,03572	0,03557	0,03457	0,03361
5,103515	1,362797	10,8886	7,244695	7,906179	8,368656	7,273507	9,583751	6,333607	7,471323	5,927276	9,125972	6,003852	6,50393	7,051022	5,969224	5,404471	5,950918	6,441642	8,327144	8,18478	6,384299	11,22383	11,33598	8,135392	12,28776
-1,41008	-0,45018	-1,51177	-1,24061	-1,31736	-1,3724	-1,34491	-1,42936	-1,13528	-1,239	-1,24479	-1,45026	-1,70402	-1,11818	-1,2328	-1,02124	-1,37127	-0,99391	-1,17406	-1,22299	-1,20012	-1,09658	-1,57979	-1,66024	-1,29479	-1,60393

100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76	75
LPOAMAM	LPOAMAD	CGNVASI	BDFPLAS	UNICNP1	EURDNSV	GPINFRA	MMAOF30	FEDCA40	SSTRFRN	SSTRFRC	ATTFUTD	ATTFUTC	MDMVALR	AXAINVT	SGFROPC	EURREDD	STHOPME	LGMFRNC	PTONI10	POAMPLT	VHCAACT	POABLTD	MEDIACT	MMAEUA C	EURRENC
-0,00019	-0,00038	0,00150	0,00026	-0,00025	-0,00016	0,00044	20000'0-	-0,00001	-0,00007	0.00000	89000′0-	+0000,0-	80000,0-	-0,00076	10000,0-	0,00045	0,00055	0,00009	-0,00027	0,00024	0,00032	-0,00019	-0,00015	-0,00014	0,00080
0,02599	0,02611	0,02495	0,03143	0,02520	0,02823	0,02877	16610′0	0,03301	0,03133	0,03124	0,03255	0,03200	0,02555	0,02546	0,03042	0,02302	0,02483	0,02822	0,02589	0,03139	0,02906	0,03153	0,03159	0,03011	0,02287
3,608799	3,606544	2,397468	10,05181	6,341118	11,42268	8,290025	13,46002	7,596711	7,533784	7,686389	8,45278	9,164016	9,692633	9,978315	7,683018	13,51122	5,048999	7,190789	8,688179	7,689872	7,359094	7,513746	8,582172	7,170918	13,99704
-0,36165	-0,3815	-0,51962	-0,70716	-0,7826	-1,28409	-1,06129	-1,44431	-1,1609	-1,18106	-1,21442	-1,05385	-1,09126	-1,16663	-1,26668	-0,86963	-1,51621	-1,21036	-1,02582	-1,00112	-0,96074	-1,11401	-0,95604	-1,05018	-1,05643	-1,56275
-0,00018	-0,00035	0,00306	0,00134	0,00029	0,00083	0,00160	0,00051	0,00117	0,00164	0,00194	0,00090	0,00121	0,00083	-0,00005	0,00149	0,00168	0,00255	0,00105	0,00052	0,00135	0,00123	0,00103	0,00110	0,00088	0,00193
0,02287	0,02296	0,02039	0,02648	0,02087	0,02185	0,02298	0,01557	0,02524	0,02467	0,02445	0,02570	0,02557	0,02104	0,02131	0,02472	0,01764	0,02016	0,02380	0,02204	0,02529	0,02475	0,02529	0,02582	0,02537	0,01766
1,773423	1,82904	1,075438	13,05071	1,394282	3,350862	5,699473	1,06028	2,613735	1,280236	1,341856	5,690807	5,86056	1,025867	1,300452	7,984891	0,913096	3,166347	1,224577	1,491949	3,099633	3,963764	3,0963	4,858556	1,218196	0,906294
0,23537	0,20738	-0,62098	0,871509	-0,30914	-0,14816	-0,04911	-0,35414	-0,75413	-0,50984	-0,5239	0,003411	-0,0222	-0,33347	-0,39073	0,255647	-0,35535	-0,96053	-0,25197	0,031843	0,000151	-0,49901	0,032172	0,163371	-0,28816	-0,3808
-0,00018	-0,00039	0,00002	-0,00085	-0,00075	-0,00116	-0,00076	-0,00057	-0,00123	-0,00178	-0,00135	-0,00228	-0,00132	-0,00101	-0,00145	-0,00151	-0,00079	-0,00143	-0,00091	-0,00106	-0,00090	-0,00062	-0,00144	-0,00144	-0,00120	-0,00035
0,02863	0,02877	0,02853	0,03550	0,02873	0,03320	0,03339	0,02333	0,03901	0,03655	0,03655	0,03794	0,03712	0,02923	0,02886	0,03495	0,02711	0,02849	0,03189	0,02908	0,03628	0,03267	0,03650	0,03625	0,03405	0,02687
3,962411	3,930261	2,121401	7,811452	6,658889	10,52511	7,187012	13,29179	6,619905	7,120446	7,178511	7,235804	8,116841	10,38451	11,11331	6,198952	12,9061	4,391621	7,900396	9,875825	7,260824	7,441565	7,001255	7,986189	7,851905	13,57417
-0,64703	-0,66093	-0,38717	-1,26859	-0,89721	-1,45645	-1,2612	-1,62167	-1,12855	-1,23243	-1,26294	-1,23913	-1,31062	-1,36362	-1,52077	-1,14712	-1,64327	-1,14112	-1,25346	-1,36342	-1,17297	-1,29373	-1,16568	-1,368	-1,27852	-1,7106

126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102	101
SOLELIN	AZUACAM	ELNUSAS	LOBETHQ	AGFACIP	LIVRPRT	SSTREUR	HSBCAEC	HSBCAED	MDMEURP	UNIVACT	ETOPPOR	CNPAVLA	PVALFRE	врогоіс	FONCINV	EPRGUNI	BNPAERP	AXAEUND	INOVAFD	INOSVAC	AXAEUNC	ATHCRIN	ATOUSEL	HSBEUAC	HSBEUAD
-0,00034	-0,00012	-0,00064	0,00035	-0,00051	0,00001	0,00017	0,00004	-0,00018	-0,00014	-0,00046	0,00001	-0,00048	0,00095	0,00155	0,00107	-0,00071	-0,00004	-0,00014	-0,00025	0,00032	0,00008	-0,00032	-0,00041	-0,00004	-0,00027
0,02302	0,02502	0,02660	0,02818	0,02284	0,02555	0,02905	0,02866	0,02869	0,02817	0,02509	0,02859	0,02859	0,02623	0,02809	0,02824	0,02783	0,02870	0,02880	0,03098	0,03070	0,02876	0,02248	0,02922	0,03146	0,03144
6,79111	3,185516	4,47613	6,710658	7,173855	7,762225	12,01915	10,80531	10,73284	11,17435	8,761862	8,941356	10,04315	6,061304	8,644292	8,362649	11,23646	16,03166	6,193296	7,007889	7,39415	6,293499	7,584942	8,42672	7,177814	7,16667
-0,77382	-0,56786	-0,40108	-0,95286	-1,21873	-0,88839	-1,41768	-1,28289	-1,27232	-1,33842	-0,91313	-1,38341	-1,23932	-1,25888	-1,50446	-1,4679	-1,10521	-1,59075	-1,01457	-0,88632	-0,93074	-1,02162	-1,21339	-1,02401	-1,07242	-1,07807
-0,00018	-0,00047	-0,00050	0,00137	-0,00039	0,00021	0,00155	0,00102	0,00083	0,00069	-0,00002	0,00182	0,00044	0,00299	0,00422	0,00386	0,00029	0,00072	0,00069	0,00090	0,00132	0,00086	0,00008	0,00042	0,00111	0,00095
0,02086	0,02232	0,02190	0,02077	0,02099	0,02287	0,02119	0,02124	0,02133	0,02290	0,02119	0,01937	0,02215	0,01692	0,01611	0,01622	0,02165	0,02171	0,02300	0,02584	0,02562	0,02293	0,02017	0,02583	0,02452	0,02452
1,930616	1,922965	1,263777	3,072988	1,641357	2,960476	1,241233	1,430985	1,519893	1,729685	2,128308	3,300012	1,692649	2,732436	5,03972	4,751226	4,450569	4,636868	0,911258	5,268071	5,479905	0,9502	1,429477	5,588017	1,292178	1,279086
-0,0448	-0,5552	-0,07085	-0,42297	-0,62585	0,133428	-0,44405	-0,35007	-0,37352	-0,314	-0,00636	-0,54521	-0,42866	-0,82488	-1,31025	-1,26272	-0,06493	0,125339	-0,34665	-0,02505	-0,03947	-0,35999	-0,49805	-0,12753	-0,3776	-0,37727
-0,00050	0,00024	-0,00079	-0,00072	-0,00063	-0,00023	-0,00121	7,00097	-0,00122	10100,0-	78000,0-	-0,00181	-0,00141	-0,00105	71100,0-	-0,00176	-0,00170	-0,00083	-0,00101	-0,00143	-0,00073	-0,00074	-0,00071	-0,00126	-0,00122	-0,00152
0,02490	0,02732	0,03037	0,03377	0,02445	0,02784	0,03493	0,03429	0,03429	0,03243	0,02830	0,03516	0,03362	0,03264	0,03608	0,03625	0,03263	0,03407	0,03344	0,03520	0,03488	0,03342	0,02446	0,03213	0,03685	0,03682
8,721188	3,469546	4,53192	5,31664	9,801722	9,369041	10,37536	9,493762	9,45988	11,61678	9,690351	6,45605	9,440185	3,783578	4,824644	4,649288	10,27545	14,48093	6,01307	6,356586	6,762713	6,093091	9,809299	8,799512	6,684489	6,677544
-1,16802	-0,57853	-0,49529	-0,93283	-1,5623	-1,40718	-1,42935	-1,33565	-1,32089	-1,57535	-1,22615	-1,26366	-1,33009	-1,03641	-1,12367	-1,08935	-1,274	-1,85426	-1,12331	-1,13008	-1,18936	-1,12743	-1,56197	-1,41923	-1,14662	-1,15164

152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128	127
MMATRA N	EURPATR	OBJSMAR	MDMIMM B	MMAMUS E	UNIHOCD	UNIHOCC	FQCADEU	OBJACEU	SYCMICP	AXAVEUD	AXAVEUC	TOCHLDP	SPACTCO	OBJVALE	SOGMIFR	CROSIMB	ULYSSEC	ULYSSED	PRIMEURP	CGMONDE	INDFONC	AREUACT	INVAEUR	BNPEPST	SGMOPCD
-0,00008	0,00100	58000'0	88100,0	-0,0002	0,00017	0,00046	22000,0	0,00031	0,00142	60000′0-	25000,0	0,00049	0,00047	91000,0	88000,0	72100,0	0,00051	0,00031	0,00109	0,00042	0,00066	0,00044	0,00005	0,00001	0,00027
0,02655	0,02333	0,02010	0,02907	0,02512	0,02959	0,02935	0,02722	0,02787	0,02588	0,03048	88080,0	0,02121	0,02127	0,02729	0,03294	0,02528	0,02571	0,02493	0,02787	0,01940	0,02818	0,02685	0,02807	0,02857	0,02557
12,74851	18,33256	7,192904	8,962398	10,53055	7,517769	7,643462	10,46495	6,271783	11,23983	7,765431	7,984186	10,32773	6,091868	7,133847	11,27128	8,714117	6,58554	6,435548	5,328489	6,246024	6,573843	15,58403	12,45955	16,12153	12,44075
-1,33077	-1,86951	-1,51748	-1,6239	-1,25947	-0,63358	-0,6149	-1,31934	-0,96512	-1,66418	-1,15387	-1,19248	-1,43552	-1,4681	-0,98007	-1,36985	-1,68093	-1,1507	-1,09696	-1,35412	-0,93219	-1,41697	-1,78982	-1,4501	-1,67605	-1,5036
0,00048	0,00287	0,00273	0,00399	0,00029	0,00078	0,00095	0,00121	0,00129	0,00388	0,00070	0,00122	0,00185	0,00138	0,00106	0,00180	0,00362	0,00235	0,00213	0,00372	0,00067	0,00314	0,00215	0,00120	0,00073	0,00132
0,01993	0,01277	0,01439	0,01663	0,02097	0,02526	0,02517	0,02166	0,02038	0,01571	0,02418	0,02406	0,01543	0,01988	0,01926	0,02990	0,01388	0,01875	0,01646	0,02134	0,01622	0,01754	0,01176	0,02012	0,02138	0,02038
1,923722	2,116557	2,780091	3,242487	1,529049	9,101509	9,256755	1,248279	2,745947	2,325658	1,091432	1,195165	4,289271	6,991479	2,193971	5,644699	4,033341	10,44089	4,336867	2,029423	1,72907	3,434589	3,709646	1,822882	3,721924	1,364717
-0,35642	-0,97374	-0,62815	-1,02023	-0,40715	0,269543	0,256624	-0,43688	-0,47873	-0,57557	-0,38059	-0,42465	-0,44731	-1,42505	-0,44344	-0,24308	-1,28331	-0,86964	-0,14316	-0,88708	-0,33153	-0,99565	-0,28866	-0,50201	-0,19124	-0,2863
-0,00068	-0,00084	-0,00095	-0,00136	-0,00033	-0,00049	-0,00010	-0,00079	-0,00070	-0,00096	-0,00093	-0,00062	-0,00088	-0,00044	-0,00078	-0,00116	-0,00113	-0,00131	-0,00148	-0,00151	0,00017	-0,00189	-0,00126	-0,00112	-0,00074	-0,00075
0,03161	0,03007	0,02420	0,03733	0,02852	0,03323	0,03288	0,03163	0,03350	0,03260	0,03549	0,03538	0,02550	0,02246	0,03320	0,03556	0,03268	0,03082	0,03083	0,03280	0,02200	0,03564	0,03574	0,03396	0,03406	0,02966
11,59622	11,69222	5,404034	5,085876	11,6997	6,054438	6,193199	10,46638	4,877288	7,432515	7,577222	7,755367	8,318653	5,390894	5,438546	13,2343	4,686444	4,135874	4,105871	4,31081	6,602339	3,755265	8,300495	10,44938	14,47307	12,62542
-1,4262	-1,49045	-1,431	-1,26254	-1,51606	-0,96689	-0,94889	-1,46347	-0,9298	-1,40247	-1,28101	-1,30913	-1,42389	-1,46528	-0,92857	-1,9591	-1,26844	-1,00864	-0,99078	-1,26034	-1,10858	-1,13039	-1,35207	-1,43866	-1,8539	-1,74466

178	177	176	175	174	173	172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153
HSBMIDD	EUROPME	BNPAADN	CARFNOM	UCROPME	AGFFIDA	AAACSVI	AAADSVI	AXASECM	AXASMAC	ROLP	UCAPCRO	UCRMAIT	BALWLDI	EURVALC	ATOUTEM	ETOINUS	INVEMER	AMRGNSV	ODEVEPP	EURVALD	VICAMRC	CICEUOP	MEESVAL	ALOPERI	AGFFONC
0,00101	0,00087	-0,00037	0,00022	0,00003	0,00063	0,00089	0,00056	0,00059	0,00091	-0,00039	0,00003	0,00003	0,00075	0,00073	0,00197	-0,00045	0,00198	-0,00075	0,00094	0,00045	-0,00045	0,00012	0,00015	0,00040	0,00138
0,02875	0,02811	0,02889	0,02281	0,02690	0,02515	0,01980	0,01996	0,02456	0,02457	0,03148	0,02687	0,02710	0,02624	0,02612	0,03290	0,02754	0,03323	0,02748	0,03031	0,02615	0,02822	0,02757	0,03102	0,02637	0,02712
5,14785	7,451105	2,369304	3,647627	6,669985	6,641137	14,69905	14,1554	5,820764	5,867213	6,517085	6,675862	6,275464	10,60813	7,05623	6,221207	4,558244	5,990826	4,545799	3,469022	6,95724	6,493615	5,471446	6,19473	5,66277	10,47297
-1,02803	-1,47142	-0,227	-0,98144	-1,13829	-1,19777	-1,60017	-1,55791	-1,41209	-1,42685	-0,63757	-1,13459	-1,10867	-1,30514	-1,21712	-0,58669	-0,4588	-0,58944	-0,60558	-1,17314	-1,18035	-0,52698	-1,0655	-0,89284	-1,11628	-1,78549
0,00292	0,00292	-0,00039	0,00084	0,00079	0,00182	0,00131	0,00102	0,00226	0,00257	0,00013	0,00078	0,00080	0,00193	0,00188	0,00344	-0,00052	0,00347	-0,00121	0,00347	0,00157	-0,00068	0,00112	0,00105	0,00180	0,00419
0,01894	0,02045	0,02557	0,02140	0,02140	0,02085	0,01484	0,01497	0,01888	0,01887	0,02357	0,02140	0,02179	0,01799	0,02239	0,02696	0,02366	0,02778	0,02426	0,02746	0,02251	0,02351	0,02552	0,02833	0,02296	0,01515
1,36566	2,511838	1,03299	2,030856	3,598211	2,064843	2,325487	2,166102	3,674772	3,754633	2,090504	3,603677	3,624318	0,816321	1,929112	1,259143	1,905311	1,354778	1,962561	5,5594	1,818696	1,468057	4,5438	1,817645	3,285748	4,103185
-0,45874	-1,00811	-0,01901	-0,59057	-0,59425	-0,4814	-0,27008	-0,23342	-1,19279	-1,22804	-0,14964	-0,59705	-0,66546	-0,24457	-0,69357	-0,52595	0,188667	-0,56007	-0,44325	-1,32358	-0,62932	-0,28172	-0,44723	-0,06598	-0,48756	-1,12346
-0,00090	-0,00117	-0,00031	-0,00047	-0,00079	-0,00054	0,00042	0,00005	-0,00109	-0,00075	-0,00086	-0,00079	-0,00080	-0,00042	-0,00044	0,00059	-0,00038	0,00058	-0,00030	-0,00153	-0,00069	-0,00021	-0,00093	-0,00076	-0,00100	-0,00147
0,03565	0,03379	0,03172	0,02413	0,03126	0,02854	0,02364	0,02382	0,02890	0,02893	0,03749	0,03120	0,03133	0,03217	0,02921	0,03766	0,03076	0,03765	0,03019	0,03257	0,02918	0,03202	0,02938	0,03335	0,02921	0,03497
3,25349	5,843036	2,626967	4,369491	5,92883	6,727109	13,24878	12,7533	4,63545	4,660534	5,512797	5,951695	5,615883	8,30524	7,833673	6,429963	4,916992	6,433907	5,224822	2,251298	7,828278	7,026807	5,625424	7,983603	5,794937	5,943961
-0,87795	-1,33323	-0,32942	-1,21747	-1,19603	-1,35168	-1,74904	-1,70738	-1,28057	-1,28855	-0,68162	-1,19264	-1,14883	-1,27217	-1,3557	-0,5269	-0,73178	-0,52658	-0,69085	-1,02303	-1,34069	-0,61071	-1,41767	-1,34599	-1,3284	-1,37188

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179
AXAESCD	ODEUMIC	AXAESCC	ODDAVEC	ODDAVED	ECHAGRE	ECHAPEA	MDMPERS	MDMOPPI	QUANUSD	ODDGENC	ATOUTCR	ROTHAMR	ROTHMAR	ODDGEND	CAIVESL	CDCMEDI	BALUSAI	CAREMER	EURPMDC	VENSEEU	STHOVIE	RENSEUR	вммсарр	FIDEURO	HSBMIDC
0,00100	0,00168	0,00122	0,00181	0,00174	0,00127	0,00124	0,00033	0,00028	0,00042	0,00069	0,00048	0,00018	0,00006	0,00062	0,00080	0,00075	0,00046	0,00214	0,00077	0,00074	0,00038	0,00084	0,00147	0,00080	0,00109
0,02666	0,02392	99950'0	0,02257	0,02260	0,02379	0,02476	0,02879	0,02968	0,02904	0,02794	0,02613	0,02744	0,02756	88220'0	98520'0	80920,0	0,02601	0,02848	12,720	0,02616	0,02114	0,02046	0,01710	0,02909	0,02867
5,655058	5,593622	5,709084	5,801299	5,716014	7,48379	6,434642	6,017448	9,600654	4,147489	5,440959	7,831039	9,093494	8,91803	5,395914	4,112818	6,675079	7,700758	6,291107	7,877867	4,885773	12,57195	7,349377	6,479579	12,14672	5,240622
-1,28727	-1,12702	-1,29483	-1,05725	-1,08432	-1,25826	-1,18129	-1,27289	-1,27009	-0,53878	-0,73122	-1,49125	-0,52004	-0,51747	-0,75343	-0,98539	-1,29748	-0,81626	-1,11233	-1,25869	-1,03113	-1,54993	-1,23782	-1,42747	-1,52094	-1,04691
0,00294	0,00314	0,00299	0,00325	0,00318	0,00279	0,00286	0,00151	0,00128	0,00120	0,00150	0,00221	0,00081	0,00064	0,00146	0,00188	0,00228	0,00114	0,00400	0,00204	0,00168	0,00042	0,00083	0,00374	0,00205	0,00302
0,02050	0,01828	0,02051	0,01741	0,01760	0,01360	0,01630	0,02278	0,02242	0,02314	0,02093	0,01947	0,01789	0,01819	0,02108	0,02063	0,01916	0,01894	0,02368	0,02061	0,01874	0,01714	0,01756	0,01138	0,02404	0,01866
3,038384	1,238047	3,019157	1,792605	2,107136	4,352846	5,475494	3,917573	1,601165	1,044509	4,408372	3,121364	1,642768	1,6957	4,304122	2,351219	4,06388	2,176055	2,08794	2,259023	1,293615	4,499866	2,018032	2,716111	2,95677	1,2565
-1,00908	-0,44568	-1,00012	-0,46145	-0,54518	-0,15398	-0,45329	-1,06395	-0,36034	-0,10969	0,044075	-0,90894	-0,43782	-0,50078	0,086802	-0,56586	-0,67085	-0,29932	-0,86863	-0,55135	-0,4999	-0,67802	-0,78977	-0,99629	-0,30755	-0,48067
-0,00095	0,00021	-0,00057	0,00038	0,00030	-0,00025	-0,00039	-0,00084	-0,00077	-0,00030	-0,00017	-0,00126	-0,00040	-0,00049	-0,00028	-0,00033	-0,00079	-0,00021	0,00039	-0,00059	-0,00026	0,00032	0,00074	-0,00084	-0,00043	-0,00083
0,03137	0,02824	0,03139	0,02652	0,02646	0,03044	0,03068	0,03350	0,03525	0,03370	0,03331	0,03116	0,03412	0,03417	0,03311	0,03004	0,03124	0,03128	0,03235	0,03234	0,03172	0,02437	0,02297	0,02111	0,03322	0,03566
4,5742	4,758976	4,63607	4,997099	4,94402	4,184943	3,997319	5,121786	8,59814	3,827365	4,023055	6,35628	6,581437	6,54227	4,047386	3,416178	5,050372	6,324824	6,39758	6,717585	3,56379	12,6025	8,18688	4,131155	12,70548	3,269364
-1,17375	-1,13793	-1,19216	-1,05981	-1,08018	-1,04474	-1,03845	-1,2051	-1,34552	-0,60714	-0,81146	-1,41165	-0,43196	-0,42542	-0,85671	-1,00039	-1,23922	-0,81452	-1,08292	-1,26654	-0,97868	-1,75397	-1,3798	-1,1393	-1,83839	-0,88484

TABLE 6. GERMAN MUTUAL FUNDS AND DESCRIPTIVE STATISTICS

23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	Þ	#	
DED7	DED6	DED4	DED3	DED2	DBIMERF	D6R6	CXWP	CXWE	CXWC	CXWB	BWKASDT	BINEURF	BHWEURF	ALTLEIP	ALLZAKT	ALLAKEU	AKTROHS	ADIVERF	ADIGEPV	ADIGCON	ADIF	4N43	NAME	
0,00049	-0,00028	-0,00028	0,00218	0,00204	-0,00004	-0,00025	-0,00025	-0,00085	-0,00064	-0,00077	0,00002	-0,00059	-0,00063	0,00011	-0,00030	-0,00024	0,00170	06000′0-	-0,00076	-0,00083	-0,00008	0,00110	E(RP)	
0,03101	0,02673	0,02706	0,04148	0,04126	0,03244	0,02378	89150,0	0,02640	0,02697	0,02912	0,03284	0,03062	0,03126	0,03236	0,02451	0,02880	0,03703	0,03437	0,02991	0,02569	0,03290	0,02697	SD	OVERA
3,178688	13,44202	12,74615	22,17921	23,21323	14,35192	11,39816	6,819554	11,41833	12,84411	3,209279	10,07111	9,322522	9,689918	8,577286	17,60773	18,59335	12,04246	12,97795	10,73313	12,02154	7,866264	3,009377	KURTOSIS	OVERALL PERIOD
-0,48277	-1,7402	-1,65137	-0,00789	-1,27533	-1,69722	-1,31882	-1,22269	-1,33825	-1,35707	-0,98297	-1,52069	-0,8563	-1,2194	-1,10415	-2,03745	-2,01448	-0,83331	-1,53138	-1,68085	-1,43476	-1,22867	-0,68588	SKEWNESS	
0,00133	0,00086	0,00085	0,00483	0,00469	0,00076	0,00034	0,00072	-0,00064	-0,00019	0,00094	0,00091	08000,0	0,00056	16000'0	0,00049	0,00081	0,00320	0,00070	0,00094	-0,00064	0,00053	0,00191	E(RP)	
0,02606	0,02108	0,02099	0,02903	0,02916	0,02493	0,02101	0,02861	0,02213	0,02262	0,02383	0,02884	0,02740	0,02293	0,02641	0,01928	0,02128	0,02526	0,02444	0,02380	0,02209	0,03098	0,02258	SD	SUBPER
1,535542	2,133728	2,20046	2,306836	2,283116	2,277359	3,495714	2,803107	1,468807	1,302684	2,277698	2,683014	12,35219	1,644755	700999	0,992951	2,016163	1,455447	3,214375	2,300931	1,496643	3,02555	0,803966	KURTOSIS	SUBPERIOD ONE
-0,20622	-0,57468	-0,5659	-0,91655	-0,87179	-0,51397	0,272539	-0,71	-0,41622	-0,23835	-0,68789	-0,63292	0,161093	-0,57885	-0,9921	-0,28176	-0,52503	-0,54018	-0,22614	-0,69005	-0,41929	-0,67703	-0,40901	SKEWNESS	
-0,00020	-0,00133	-0,00133	-0,00035	-0,00048	89000'0-	-5,7000,5	80100′0-	-0,00096	00100,0-	-0,00233	1,2000'0-	-0,00188	-0,00167	05000′0-	-0,00102	-0,00120	0,00035	88200'0-	16200′0-	-0,00093	-0,00055	0,00043	E(RP)	
0,03504	0,03111	0,03172	0,05041	0,04999	0,03822	0,02611	0,03427	0,02989	0,03050	0,03329	0,03620	0,03329	0,03748	0,03715	0,02859	0,03443	0,04545	0,04162	0,03466	0,02868	0,03457	0,03054	SD	SUBPER
3,07642	13,35993	12,23721	19,24240	20,16067	13,69435	13,70856	8,28788	12,97679	14,73184	2,65851	12,11311	7,35735	8,33923	8,44788	17,90922	16,90032	9,55354	10,70025	10,56470	14,50088	10,75402	3,04010	KURTOSIS	SUBPERIOD TWO
-0,55171	-1,93874	-1,79781	0,26060	-1,13918	-1,87093	-2,07227	-1,47816	-1,64379	-1,73215	-0,98136	-1,90200	-1,35873	-1,20948	-1,06815	-2,39427	-2,14290	-0,73305	-1,57881	-1,83517	-1,83630	-1,60578	-0,74085	SKEWNESS	

49	48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32	31	30	29	28	27	26	25	24
FKTF	FK8T	FGUD	FGQF	EZTD	DWWB	DWW9	DWSEATO	DVGEMM K	DPEUAKT	DKD	DJL6	DJL5	DJL1	DJFP	DJFH	DJFG	DJF5	DITVERM	DITVERE	DITEURA	אלום	DI7S	DEKSPEZ	DEKEURS	DEKBAVF
0,00145	-0,00017	0,00011	-0,00005	-0,00057	0,00011	0,00124	0,00010	0,00125	-0,00027	-0,00058	0,00152	0,00169	0,00232	-0,00023	0,00061	-0,00031	-0,00025	-0,00022	-0,00019	-0,00029	-0,00031	-0,00020	-0,00031	-0,00016	-0,00024
0,02984	0,02771	0,03106	0,03045	0,02496	0,03054	0,03365	0,03134	0,03365	0,02327	0,02650	0,03705	0,06776	0,06475	0,02729	0,03299	0,02507	0,02884	0,02705	0,02976	0,03147	0,03182	0,03031	0,02546	0,02680	0,02323
6,824398	8,76031	2,850321	3,807827	6,357402	3,610181	6,476288	12,95549	11,19641	12,25785	12,83436	13,53962	19,84068	22,85539	16,71198	9,365372	16,69302	18,32732	17,33684	20,6359	18,99611	18,03786	19,37682	14,95756	9,521139	11,6703
-1,00672	-1,19427	-0,78237	-0,68436	-0,98824	-0,92827	-1,11587	-1,60401	-1,45603	-1,66699	-1,60548	-1,67432	-0,79923	-0,86387	-1,98599	-1,2452	-1,88893	-2,12097	-1,99006	-2,25705	-2,16089	-2,06426	-2,13358	-1,76661	-1,24661	-1,53205
0,00306	0,00025	0,00082	0,00081	0,00017	0,00139	0,00302	0,00139	0,00308	0,00055	-0,00066	0,00478	0,00622	0,00530	0,00051	0,00137	0,00054	0,00082	0,00051	0,00120	0,00097	0,00098	0,00123	-0,00006	0,00025	0,00034
0,02327	0,02276	0,02767	0,02492	0,02007	0,02432	0,02798	0,02362	0,02808	0,02139	0,02286	0,02733	0,06203	0,05677	0,02195	0,02705	0,01924	0,02097	0,02229	0,02155	0,02439	0,02446	0,02163	0,02109	0,02177	0,02013
1,385836	3,133868	2,292427	2,229492	1,552609	1,617056	1,655294	1,579494	1,398343	2,473897	1,775073	1,796392	11,87227	12,45706	1,723374	4,002237	1,220687	1,8601	1,579299	1,690814	2,268779	2,228506	1,64476	1,378852	1,820551	1,283545
-0,36523	-0,12183	-0,75015	-0,48364	-0,47801	-0,65291	-0,58076	-0,53875	-0,54455	-0,46514	-0,07309	-0,71299	-0,08555	0,186962	-0,19541	-0,87081	-0,30653	-0,45468	-0,21178	-0,56907	-0,66643	-0,6601	-0,56297	-0,33068	-0,53636	-0,11492
0,00010	-0,00051	74000,0-	-0,00073	-0,00119	-0,00107	-0,00044	-0,00106	-0,00043	-0,00102	-0,00046	-0,00159	-0,00162	0,00044	98000′0-	0,00001	-0,00105	-0,00122	88000,0-	-0,00145	-0,00142	-0,00145	-0,00146	-0,00049	-0,00050	-0,00072
0,03495	0,03168	0,03393	0,03491	0,02883	0,03539	0,03817	0,03717	0,03813	0,02485	0,02952	0,04413	0,07429	0,07302	0,03153	0,03776	0,02958	0,03468	0,03087	0,03583	0,03693	0,03746	0,03669	0,02899	0,03082	0,02582
6,28613	8,91044	2,80890	3,40516	6,23595	3,11595	6,78698	11,95808	12,44015	16,96451	15,64675	12,03892	21,73651	23,56516	17,55559	9,35618	16,09782	16,22634	19,20408	18,25968	18,62213	17,38738	16,69954	16,81675	9,89845	14,26111
-1,06286	-1,50938	-0,77358	-0,69555	-1,07199	-0,91474	-1,21989	-1,69760	-1,69329	-2,37849	-2,25219	-1,64869	-0,93946	-1,09023	-2,43502	-1,30103	-2,13152	-2,24335	-2,52095	-2,35158	-2,38794	-2,25135	-2,18093	-2,21797	-1,41177	-2,11643

75	74	73	72	71	70	69	89	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50
MATAPAC	M3AG	LIGAPAU	LH4A	J7N4	IWTC	IWT5	IWMI	IUVD	IUGN	IUGM	HYPTWEL	HV8S	HV8R	НЈУЕ	НЈУС	нјив	нJ3F	нлзе	HG4H	HANSEUI	HANSASC	GENEUUN	G4MF	FRTINSP	FNDS
0,00146	0,00029	-0,00032	0,00010	-0,00063	0,00137	0,00109	0,00026	0,00142	0,00122	0,00110	-0,00023	0,00009	-0,00001	-0,00092	-0,00009	-0,00031	-0,00052	0,00080	0,00169	-0,00055	0,00079	0,00010	0,00005	-0,00056	-0,00062
0,02957	0,03484	0,02722	0,03129	0,02336	0,03739	0,03984	0,03287	0,09548	0,09480	92860′0	0,02574	0,02874	0,02878	0,03514	05880'0	0,02311	0,02859	0,03070	0,03632	0,02841	0,03053	0,02249	0,01904	0,02494	0,02616
6,917746	9,183809	8,08043	3,892279	10,25719	15,37488	20,88105	11,12794	9,602638	8,351008	8,615175	13,3707	11,01556	11,30705	12,24147	7,765121	2,334622	9,294406	12,78653	8,142976	9,472044	12,78801	10,94937	1,850712	13,77514	12,91313
-1,00188	-0,94187	-1,01631	-0,70342	-1,02427	-1,36159	-0,90238	-1,54402	-0,22222	0,059488	-0,14729	-1,65493	-1,35147	-1,33546	-1,35659	-1,18155	-0,58093	-1,43277	-1,61141	-0,66593	-1,36328	-1,58694	-1,50579	-0,59382	-1,69022	-1,50399
0,00306	0,00119	0,00057	0,00091	-0,00039	0,00511	0,00502	0,00111	0,00388	0,00412	0,00308	0,00014	0,00079	0,00074	0,00070	0,00053	-0,00052	0,00082	0,00243	0,00320	0,00075	0,00237	0,00114	-0,00050	0,00017	-0,00019
0,02320	0,02905	0,02194	0,02660	0,01953	0,02727	0,02725	0,02698	0,07468	0,08274	0,08837	0,02080	0,02211	0,02225	0,02450	0,03113	0,02338	0,02088	0,02078	0,02499	0,02129	0,02109	0,02010	0,01866	0,01991	0,02253
1,243247	3,2611	2,370358	3,555421	3,951897	1,895465	1,886255	2,599025	7,654568	6,175804	5,039719	1,746572	2,285251	2,116369	3,158342	2,944227	1,27601	3,254882	2,494199	1,565704	2,958628	2,734484	2,544261	1,402428	1,668289	1,364208
-0,44478	-0,72839	-0,43803	-0,98745	-0,05405	-0,67129	-0,67017	-0,68421	0,017466	0,130763	-0,00211	-0,10644	-0,1209	-0,09126	-0,22501	-0,65172	-0,29045	-0,82732	-0,81749	-0,56018	-0,64312	-0,67111	-0,66707	-0,29557	-0,50517	-0,24158
0,00009	-0,00041	-0,00113	-0,00052	-0,00078	-0,00222	-0,00269	-0,00042	-0,00062	-0,00149	89000′0-	-0,00052	-0,00054	-0,00066	-0,00241	72000,0-	0,00009	-0,00174	-0,00071	0,00029	-0,00172	-0,00068	-0,00088	0,00065	-0,00116	-0,00097
0,03453	0,03955	0,03138	0,03517	0,02648	0,04464	0,04859	0,03761	0,11166	0,10475	0,10658	0,02967	0,03384	0,03381	0,04283	0,03556	0,02290	0,03429	0,03773	0,04448	0,03377	0,03731	0,02446	0,01933	0,02890	0,02917
6,51316	9,64007	8,00304	3,42821	10,80703	13,73525	17,56577	11,69707	8,19214	8,55156	9,84955	14,09832	10,31745	10,74358	9,78320	10,28611	3,47990	7,67917	9,89371	6,25403	8,22146	10,14634	13,94198	2,36038	14,15216	15,69927
-1,04138	-0,96443	-1,11860	-0,54290	-1,35507	-1,26886	-0,70061	-1,75495	-0,25014	0,05250	-0,21136	-2,07194	-1,56005	-1,55855	-1,36026	-1,51304	-0,88188	-1,38214	-1,48550	-0,55101	-1,37622	-1,50822	-1,90175	-0,87178	-1,93982	-2,00985

101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76
UIV2	UIV1	UIB5	UI3L	U1II	U1IE	THESAUR	SRVN	SRVM	SRVL	SMHSPZ1	SMHINTL	SGRWSAV	RK1X	RK1W	RIXD	PBAE	OXMC	OPPFGLB	ОРЈЗ	OD5B	NURNADA	NORISFD	NORINRK	MONGRM Y	MIAKPRE
-0,00005	-0,00008	0,00032	-0,00011	0,00015	-0,00025	0,00066	0,00238	0,00227	0,00225	0,00033	-0,00009	0,00015	-0,00051	0,00026	0,00031	-0,00003	0,00096	0,00097	0,00091	-0,00059	-0,00024	-0,00023	0,00027	0,00030	-0,00045
0,03048	0,02996	0,03247	0,02620	0,02627	0,02818	0,03282	0,09086	0,09093	0,09112	0,03355	0,02364	0,03075	0,02771	0,02392	0,03197	0,02884	0,01751	0,01680	0,02097	0,03005	0,03151	0,02940	0,03268	0,03452	0,02767
10,77024	8,467206	3,16261	6,527754	4,807073	3,293437	8,896902	7,00317	7,310857	7,020456	7,792241	6,648992	3,531837	6,110478	3,0756	25,39957	16,24509	11,97731	14,41447	18,41788	5,706	7,01108	11,3926	11,19495	9,257351	8,718095
-1,47408	-1,27666	-0,74464	-1,10751	-0,38542	-0,66499	-1,06624	0,014847	-0,08212	0,046982	-1,14757	-0,72977	-0,78437	-0,50055	-0,4347	-2,57901	-1,8386	-1,54825	-1,73378	-1,82834	-0,49051	-1,21459	-1,57707	-1,46179	-0,89721	-1,15515
0,00160	0,00157	0,00136	-0,00015	0,00039	0,00069	0,00143	0,00462	0,00461	0,00456	0,00133	0,00017	0,00082	-0,00052	0,00124	0,00180	0,00092	0,00095	0,00095	0,00154	0,00080	0,00072	0,00042	0,00111	0,00119	0,00012
0,02099	0,02085	0,02891	0,02356	0,02364	0,02221	0,02749	0,09867	0,09896	0,09848	0,02823	0,02052	0,02748	0,02493	0,02215	0,02594	0,01940	0,01454	0,01447	0,01886	0,02711	0,02853	0,02620	0,02688	0,02914	0,02214
1,599962	1,597967	2,564303	2,847978	1,902123	3,192362	3,691859	3,56341	3,542633	3,564402	2,946697	2,993091	2,409353	2,16619	1,065217	5,17849	1,534102	3,309611	3,385481	4,219309	12,48317	2,870346	4,461946	2,653846	3,191022	1,062062
-0,4183	-0,3835	-0,53821	-0,38253	0,20165	-0,61153	-0,84146	0,160633	0,18234	0,177771	-0,67646	0,08642	-0,76304	0,022863	0,105626	-0,37296	-0,46488	-0,49909	-0,50006	-0,22985	0,138259	-0,71966	-0,82731	-0,70222	-0,70492	-0,35518
-0,00155	-0,00158	-0,00051	0,00000	-0,00004	-0,00109	0,00007	0,00028	0,00015	0,00017	-0,00049	-0,00030	-0,00040	-0,00044	-0,00062	-0,00107	-0,00088	0,00101	0,00105	0,00035	-0,00188	-0,00106	-0,00075	-0,00039	-0,00039	-0,00093
0,03728	0,03652	0,03553	0,02845	0,02850	0,03284	0,03716	0,08511	0,08470	0,08562	0,03790	0,02623	0,03352	0,03007	0,02542	0,03671	0,03556	0,01991	0,01872	0,02276	0,03249	0,03404	0,03210	0,03736	0,03894	0,03204
8,43760	6,54391	3,06743	7,87449	5,83940	2,41530	9,27014	11,77102	12,72320	11,74611	8,20279	7,33313	3,73332	7,59553	3,98418	26,76812	12,85867	12,92453	17,05605	23,93049	2,16413	8,57903	13,66641	11,81026	9,99616	8,87527
-1,42663	-1,23040	-0,81554	-1,49626	-0,69912	-0,60158	-1,09427	-0,21254	-0,46895	-0,13613	-1,26788	-1,08086	-0,77230	-0,78597	-0,75764	-3,15912	-1,80245	-1,88274	-2,23937	-2,66279	-0,80513	-1,46462	-1,93147	-1,64492	-0,92281	-1,32546

127	126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102
MONEULD	МЗАН	KLNAKTD	KAKDEKA	IWTF	IWT4	н∨8А	FK8W	FK8V	FHUK	FGUC	EUROAKT	DZ7I	DWWN	DWW4	DWSVDYN	DWSJPOP	DKDP	ZPJK	ZPJF	ZGS7	UQ2E	UO1D	UNIONGL	UNIEURP	UNACATI
-0,00046	-0,00047	-0,00077	-0,00076	0,00115	0,00077	-0,00008	-0,00076	-0,00078	-0,00032	-0,00052	-0,00042	0,00025	0,00198	-0,00021	0,00026	-0,00020	-0,00040	0,00001	0,00020	0,00213	-0,00014	-0,00027	0,00017	-0,00025	0,00067
0,03238	0,03324	0,03347	0,03370	0,03463	0,03457	0,03040	0,03393	0,03481	0,02530	0,03161	0,02889	0,01924	0,03667	0,02892	0,01964	0,02796	0,02703	0,02746	0,02856	0,03529	0,02563	0,02325	0,02413	0,02901	0,02481
9,135333	8,722722	14,61263	14,47659	7,039732	6,994891	10,89355	13,89542	13,34511	3,111759	9,04216	9,860836	3,171374	2,279192	1,538109	13,3756	2,74553	3,322414	2,669543	11,37088	3,362755	22,10497	12,00415	8,924194	8,0601	2,259711
-1,22303	-1,1991	-1,79896	-1,82244	-1,4981	-1,53222	-1,68518	-1,72677	-1,46693	-0,35667	-1,36157	-1,42367	-0,81613	-0,46708	-0,40439	-1,7313	-0,57617	-0,2922	-0,48736	-1,3281	-0,3631	-2,40406	-1,7274	-0,91265	-1,01474	-0,01171
0,00090	0,00090	0,00076	0,00077	0,00551	0,00527	0,00245	0,00077	0,00076	0,00056	0,00055	0,00114	0,00133	0,00455	0,00044	0,00134	0,00041	0,00033	0,00076	0,00090	0,00388	0,00028	0,00055	0,00045	0,00069	0,00157
0,02588	0,02578	0,02499	0,02508	0,02287	0,02291	0,01930	0,02608	0,02602	0,02210	0,02949	0,02206	0,01664	0,03045	0,03268	0,01669	0,03298	0,02772	0,02211	0,02232	0,02974	0,01988	0,02133	0,02042	0,02157	0,02254
2,784206	2,868516	1,714492	1,71493	2,896933	2,819473	1,778875	2,962025	2,96758	3,639555	2,380387	2,123473	1,970536	1,006265	1,068349	1,927773	1,528299	0,375084	2,332137	2,138375	1,144794	0,65376	2,532347	2,105882	2,009145	1,247749
-0,74386	-0,75961	-0,66333	-0,66639	-0,78821	-0,76691	-0,36224	-0,26823	-0,26098	-0,24603	-0,61821	-0,51127	-0,63044	-0,48633	-0,39357	-0,64141	-0,50131	0,133312	-0,11812	-0,09517	-0,42836	-0,28044	-0,45892	-0,07956	-0,40781	-0,00269
-0,00168	-0,00170	-0,00214	-0,00213	-0,00290	-0,00343	-0,00251	-0,00214	-0,00215	-0,00112	-0,00140	-0,00185	-0,00072	-0,00040	-0,00062	-0,00072	-0,00061	-0,00096	-0,00065	-0,00042	0,00048	-0,00043	-0,00103	-0,00004	-0,00110	-0,00013
0,03746	0,03898	0,03985	0,04017	0,04255	0,04239	0,03791	0,03993	0,04143	0,02795	0,03344	0,03405	0,02137	0,04157	0,02479	0,02201	0,02206	0,02629	0,03169	0,03339	0,03977	0,03012	0,02487	0,02717	0,03460	0,02673
8,91863	7,99157	13,32185	13,11779	4,68666	4,66745	7,58798	13,03500	11,94459	2,53972	12,65892	8,99631	3,11256	2,10609	1,77215	15,53111	4,51990	6,78466	2,02163	11,02839	3,48469	22,18840	16,43182	10,00332	6,92988	2,60316
-1,26258	-1,19475	-1,87222	-1,89340	-1,26425	-1,30312	-1,51441	-1,94818	-1,58592	-0,37272	-1,83764	-1,49791	-0,83393	-0,36797	-0,45435	-2,08863	-0,79780	-0,79299	-0,55365	-1,57153	-0,27075	-2,81508	-2,46848	-1,21301	-1,03324	0,00548

153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128
MIAKPRW	MEAGEIN	LXFA	HJUK	GGV	FPJA	FMUD	FMMFNDS	FGMD	EZTQ	EURAKTS	DKDM	DKDJ	DKDI	DJLD	DED5	ASTRAFD	ZJP3	VERVALR	UPKB	UNIONEL	UNIJAPN	U1IJ	U1IG	SRVK	S4WD
-0,00091	0,00008	0,00053	0,00030	0,00082	0,00052	0,00007	0,00084	0,00038	0,00083	0,00052	0,00033	-0,00071	-0,00078	0,00009	-0,00082	0,00074	-0,00019	-0,00051	0,00049	-0,00026	-0,00034	-0,00035	-0,00026	-0,00033	-0,00041
0,02674	0,02630	0,02514	0,03279	0,03131	0,02581	0,02726	0,01750	0,02932	0,01798	0,02771	0,03543	0,03368	0,03327	20820,0	0,02944	0,01937	0,03013	0,03251	0,02813	0,03070	0,02664	0,02676	0,03099	0,02863	0,02859
4,44334	3,931391	12,94713	2,849974	3,326838	2,902419	3,181301	1,641165	26,1775	1,371542	10,19602	12,31398	9,565378	8,313391	34,22579	14,13096	3,825407	10,87969	9,422013	15,61472	5,690216	3,302409	0,730265	2,958478	3,057977	3,016461
-0,74547	-0,68358	-1,60881	-0,67122	-0,75696	-0,88514	-0,64415	-0,57125	-1,20448	-0,36151	-1,41385	-1,55347	-1,40736	-1,26781	-1,575	-1,69874	-0,99436	-1,57794	-1,28181	-1,68042	-0,9609	-0,52614	-0,14505	-0,74934	-0,7968	-0,82192
-0,00127	0,00194	0,00090	0,00130	0,00162	0,00285	0,00194	0,00193	0,00126	0,00193	0,00285	0,00138	0,00053	0,00051	0,00121	0,00038	0,00201	0,00234	0,00055	0,00213	0,00091	0,00053	0,00049	0,00089	0,00225	0,00114
0,02579	0,02133	0,01889	0,02950	0,02882	0,01881	0,02136	0,01695	0,02056	0,01705	0,01838	0,02864	0,02556	0,02555	0,04748	0,02234	0,01774	0,01955	0,02936	0,02213	0,02495	0,02768	0,02779	0,02591	0,01963	0,02196
0,929902	4,063382	1,173107	2,465108	5,31699	1,882701	4,044579	1,936161	1,971573	1,429013	1,766672	2,673938	1,968118	1,984337	25,34492	1,497208	2,956634	1,642627	2,45312	4,33552	2,103029	0,314944	0,296288	3,188303	1,695371	2,162041
-0,4268	-0,09832	-0,34615	-0,47203	-0,71613	-0,72914	-0,10826	-0,76819	-0,26489	-0,6552	-0,74139	-0,44744	-0,73151	-0,7244	0,422969	-0,53063	-0,97891	-0,35099	-0,62397	-0,47358	-0,55597	-0,05915	0,031724	-0,77122	-0,40082	-0,53348
-0,00046	-0,00162	0,00019	-0,00054	0,00014	-0,00172	-0,00165	80000,0-	-0,00044	-0,00011	-0,00172	-0,00051	-0,00183	-0,00193	90000,0	-0,00191	-0,00035	-0,00261	-0,00140	-0,00100	-0,00130	-0,00102	-0,00105	-0,00129	-0,00279	-0,00183
0,02758	0,03017	0,02987	0,03557	0,03342	0,03085	0,03178	0,01797	0,03568	0,01879	0,03415	0,04085	0,03985	0,03919	0,06865	0,03483	0,02076	0,03736	0,03519	0,03275	0,03526	0,02558	0,02565	0,03510	0,03493	0,03362
7,11342	2,97578	12,03160	2,76588	2,13039	1,82451	2,03198	1,49012	22,56821	1,38095	7,54202	12,62039	8,66355	7,57445	29,41666	13,27748	4,03971	7,82787	12,14635	15,14975	5,49537	7,11134	1,25042	2,30726	1,71812	2,15632
-1,01008	-0,77184	-1,77534	-0,75424	-0,76715	-0,71952	-0,67880	-0,39985	-1,21624	-0,12665	-1,22928	-1,81188	-1,43176	-1,27937	-1,75854	-1,82345	-0,95669	-1,43280	-1,61592	-1,87562	-1,01202	-1,12113	-0,38986	-0,67485	-0,64714	-0,77645

179	178	177	176	175	174	173	172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154
DI7R	CONCENT	BWKDSEU	BFGINVA	ARIDEKA	AKKMULA	UNIGLBN	UNIFDSN	UNI21JH	ANIO	UIV7	UI4R	UI4M	UI4L	UI3G	UI3F	UI3B	TDLB	ROC	RK1U	RK1P	RK1B	RK11	RINGAKF	OXSA	OE7A
0,00178	0,00053	0,00023	0,00007	-0,00055	0,00032	0,00025	0,00022	-0,00025	0,00169	0,00168	-0,00026	0,00021	0,00025	-0,00012	-0,00016	-0,00008	0,00056	-0,00037	0,00195	-0,00043	-0,00042	0,00204	0,00031	0,00077	0,00026
0,03003	0,03397	0,02823	0,03486	0,02841	0,02452	0,02416	0,03310	0,02504	0,02961	20180,0	0,02535	0,03188	0,02410	0,02941	88620'0	0,02857	0,02807	0,02580	90550'0	0,03006	0,02538	0,03998	0,03338	0,09866	0,02490
9,842696	10,42112	14,7892	7,303759	12,61924	13,70462	9,009931	5,221106	7,440872	3,039098	9,045615	4,441033	2,601855	5,3693	9,893552	14,39165	4,117084	8,755839	5,692413	9,210098	3,757997	6,442685	14,60793	8,564423	8,344383	8,849798
-1,45117	-1,46599	-1,8855	-1,06375	-1,57455	-1,56031	-0,90135	-0,75398	-0,9225	-0,48647	-1,13989	-0,44312	-0,47914	-0,66816	-1,36225	-1,6968	-0,64404	-1,16115	-0,86785	-0,78253	-0,78318	-0,75906	-0,54887	-1,27072	-0,23713	-1,21648
0,00328	0,00098	0,00215	0,00066	0,00035	0,00109	0,00059	0,00127	-0,00027	0,00288	0,00287	-0,00026	0,00126	0,00056	0,00013	0,00009	0,00098	0,00160	0,00022	0,00381	0,00089	0,00010	0,00479	0,00127	0,00261	0,00165
0,02029	0,02916	0,01989	0,02937	0,02223	0,02015	0,02056	0,02815	0,02200	0,02261	0,02300	0,02322	0,02897	0,02191	0,02400	0,02398	0,02225	0,02260	0,02197	0,02738	0,02286	0,02225	0,02801	0,02919	0,09128	0,01844
2,783627	3,393627	3,044397	6,020167	1,557885	2,108877	2,199125	2,553822	2,138241	1,101594	1,242269	2,630027	3,332997	2,407279	3,243455	2,85757	2,927151	1,763326	4,114269	1,328262	6,480972	3,178532	2,960841	2,655128	4,582143	3,282154
-0,67293	-0,81051	-0,53309	-0,6518	-0,50338	-0,27673	-0,05751	-0,41587	-0,2168	-0,57823	-0,62414	-0,31931	-0,63346	-0,14904	-0,72505	-0,64988	-0,58399	-0,58086	0,280583	-0,85905	-0,21993	0,035732	-1,07076	-0,49877	0,001775	-0,90927
0,00038	0,00025	-0,00156	-0,00034	-0,00134	-0,00037	-0,00002	-0,00063	-0,00017	65000′0	0,00062	-0,00019	-0,00064	-0,00003	-0,00033	-0,00037	-0,00106	-0,00039	-0,00087	0,00011	-0,00163	-0,00087	-0,00063	-0,00050	-0,00093	-0,00101
0,03696	0,03797	0,03424	0,03936	0,03321	0,02801	0,02713	0,03718	0,02759	0,03495	0,03706	0,02720	0,03437	0,02596	0,03375	0,03457	0,03345	0,03237	0,02893	0,04094	0,03551	0,02798	0,04855	0,03687	0,10493	0,02971
7,31601	11,75916	12,14181	6,75641	12,44956	14,81315	10,18882	5,34049	8,95513	2,39049	7,91378	5,18235	2,07446	6,55912	10,07341	14,77787	3,28055	8,86183	5,43680	9,00939	2,13783	7,12443	12,27019	10,03564	10,25461	7,44389
-1,33961	-1,70081	-1,86890	-1,17937	-1,75105	-1,91894	-1,21419	-0,84451	-1,25162	-0,37512	-1,11415	-0,51785	-0,36960	-0,95418	-1,50707	-1,93039	-0,57402	-1,25009	-1,30670	-0,64022	-0,81716	-1,11320	-0,29211	-1,59070	-0,37717	-1,11767

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180
ZPJN	HV8B	HV82	DATH	ППГН	рпгн	нлпг	НЈП	DULH	8ПГН	FTFREFF	FONDAKI	FHUA	EZTC	DWSEURO	DWSAKDE	DTVERMG	DPROVST	DJFB	DJFA	DITWEUR	DITSPZ2	DI7X	DIZU	DI7T
0,00025	0,00029	-0,00867	0,00059	0,00110	0,00012	0,00012	0,00120	-0,00016	0,00018	0,00008	0,00060	0,00022	0,00007	-0,00019	0,00121	0,00051	0,00013	-0,00014	0,00050	0,00079	0,00179	0,00078	0,00051	-0,00026
0,02891	0,02941	1,55660	0,03282	0,02917	0,03083	0,03534	0,03518	0,02332	0,02779	0,03356	0,03265	0,02807	0,03320	0,03103	0,03629	0,03412	0,03129	0,02529	0,03361	0,02778	0,03020	0,02832	0,03410	0,02834
10,72126	9,251545	7,495158	13,30046	2,761434	4,062229	3,029163	3,349928	5,166627	3,859611	10,27967	13,64014	3,799928	4,067028	12,51721	10,63002	10,7294	8,673064	12,44461	11,35797	8,872348	10,40589	8,736007	10,40344	12,85725
-1,47168	-1,35002	-0,03889	-1,65488	-0,29389	-1,01975	-0,56757	-0,58761	8296′0-	-0,25175	-1,38225	-1,73888	-0,55433	-0,70314	-1,59113	-1,44038	-1,49738	-1,59497	-1,39531	-1,64276	-1,20561	-1,59626	-1,17239	-1,32174	-1,31432
0,00189	0,00188	-0,01673	0,00220	0,00215	0,00216	0,00098	0,00262	0,00019	0,00099	0,00090	0,00220	0,00215	0,00090	0,00104	0,00264	0,00163	0,00220	0,00034	0,00160	0,00071	0,00328	0,00068	0,00099	0,00076
0,02189	0,02150	1,95389	0,02488	0,02604	0,02140	0,03007	0,02845	0,01920	0,02399	0,02794	0,02464	0,02011	0,02827	0,02330	0,02797	0,02790	0,02126	0,02116	0,02752	0,02344	0,02057	0,02339	0,02899	0,02186
3,183071	2,845904	3,644896	1,964329	1,722058	2,746952	2,288691	3,374721	1,503608	2,046324	3,035307	2,097786	2,860661	2,844223	1,644177	3,517649	3,446944	3,306738	1,350418	3,697514	1,880257	3,00971	1,878942	3,459821	1,689931
-0,52643	-0,39734	-0,02662	-0,64794	-0,32492	-0,75273	-0,37846	-0,23048	-0,15297	-0,35285	-0,63643	-0,6896	-0,4829	-0,62905	-0,5067	-0,18674	-0,81249	-0,88404	-0,19485	-0,84712	-0,53161	-0,74745	-0,52776	-0,81547	-0,52141
-0,00127	-0,00118	-0,00065	58000′0-	0,00019	-0,00170	-0,00060	-0,00009	-0,00042	-0,00055	-0,00055	-0,00081	-0,00157	-0,00057	-0,00131	-0,00006	-0,00042	-0,00170	0.2000,0-	-0,00045	6,0003	0,00040	0,00091	0,00022	-0,00118
0,03419	0,03527	1,11422	0,03884	0,03180	0,03760	0,03967	0,04049	0,02664	0,03092	0,03814	0,03871	0,03385	0,03729	0,03686	0,04268	0,03911	0,03842	0,02868	0,03848	0,03133	0,03708	0,03228	0,03833	0,03333
9,54255	7,65765	18,23838	12,30966	2,96723	2,53438	2,75830	2,54156	5,22522	4,04414	10,92188	12,52132	2,52741	3,85886	11,43816	9,67797	10,93032	6,26817	14,08065	11,62397	10,01115	7,84716	9,41006	11,47160	12,35374
-1,53403	-1,37032	-0,01220	-1,73042	-0,25029	-0,87237	-0,60872	-0,63254	-1,20134	-0,17481	-1,58715	-1,81112	-0,42018	-0,69276	-1,68453	-1,63713	-1,63368	-1,44627	-1,78607	-1,81539	-1,44264	-1,48975	-1,36574	-1,47978	-1,39790

TABLE 7 AUSTRIAN MUTUAL FUNDS BETAS (+ TSTATS) CALCULATED WITH THE SINGLE INDEX MODEL AND TREYNOR RATIO

# NAME 1 INTRGLD 2 BAWSPAK	E BETA LD 0,47235 AK 0,22771	AUSTRIA OVERALL PERIOD TREYNOR 0,01691 0,02217	BETA TSTAT 4,1 6,7	BETA 0,77317 0,41291	AUSTRIA SUBPERIOD ONE TREYNOR 0,00268 -0,00330	NE BETA TSTAT 7,1 7,6	ГАТ	BETA 0,41180 0,18982	
		0,02217	6,7 9,9	0,41291 0,36158	-0,00330 -0,00166	7,6 7,0	0,18982 0,33771		0,05902
		0,04976	6,9	0,27698	-0,00285	5,3	0,08839	-	0,14143
5 AIBCGEF 6 P2FUNDS	EF 0,34101 DS 0,01805	0,01566	9,9 2,0	0,36158	-0,00166 -0,01565	7,0 2,4	0,33744		0,03273 1,57190
_		-0,73531	-1,0	-0,01326	0,06677	-0,6	-0,00765		-1,69664
8 EKAKO17		0,18091	2,5	0,10325	-0,00559	5,4	0,01957		0,65076
9 EKAKO13		0,27145	2,5	0,10785	-0,00829	4,5	0,00528		2,45110
10 PACTRST		0,02394	8,7	0,37745	-0,00062	6,3	0,22608		0,05312
11 CIENGSV	SV 0,46289	0,01406	11,9	0,63617	0,00119	11,0	0,42851		0,02815
12 CIENGST	ST 0,46219	0,01406	12,0	0,63487	0,00119	11,0	0,42790		0,02815
13 P1FUNDS	DS -0,02181	-0,29356	-2,2	0,00411	-0,27244	0,2	-0,02623		-0,51672
14 EKAKM14	-0,01660	-0,38987	-2,0	-0,02831	0,03568	-1,4	-0,01321		-1,02859
15 RENGAKA	KA 0,59536	0,01168	13,0	0,55306	0,00318	8,9	0,60606		0,01981
		0,11288	9,0	0,04325	-0,01346	3,0	0,06036		0,21750
		0,01190	13,0	0,55340	0,00339	8,8	0,60524		0,02005
		0,55/4/	1,/	0,03408	-0,01584	2,1	0,00694		1,90605
20 3BKBTV1	V1 0,05446	0,12641	10,0	0,08865	-0,00214	7,1	0,04790		0,28449
21 GUTEUPO	PO 0,44974	0,01323	16,0	0,46985	0,00072	9,3	0,44664		0,02541
22 3BKOBK4	K4 0,06439	0,10089	9,0	0,10139	-0,00646	6,0	0,05771		0,23091
23 3BKOBK5	K5 0,06536	0,09915	9,0	0,10199	-0,00651	6,0	0,05875		0,22644
24 ESXTJAP	\P 0,21497	0,02687	7,0	0,39794	-0,00057	5,3	0,17616		0,06567
25 A14FUND		0,13098	7,0	0,09962	-0,00785	5,6	0,03937		0,33737
26 TSERL1T	1T 0,07413	0,08749	9,0	0,07802	-0,01195	4,4	0,07526		0,17999
27 BTVAVMK	MK 0,04704	0,13699	6,0	0,07987	-0,00963	4,1	0,04114		0,32381
28 CAPIN14	0,68395	0,01064	20,0	0,74342	0,00486	16,7	0,66894		0,01614
29 PUMAFND	ND 0,67263	0,01098	13,0	0,78869	0,00290	9,7	0,65094		0,01893
30 PUMAFUN	0,67389	0,01147	13,0	0,78647	0,00345	10,5	0,65264		0,01927
31 KLMEGAA	AA 0,50452	0,01090	17,0	0,48778	-0,00031	7,4	0,51029		0,02155
32 KLMEGAT	AT 0,50770	0,01144	17,0	0,49201	0,00022	7,5	0,51346		0,02211

67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49	48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33
KLASSAK	CPBMEDR	BADVANS	RQEUEQT	RQEUEQA	3BKEURT	3BKESKA	GUTAKTN	NEWGENT	NEWGENR	DWSAVER	FINANSA	FINANST	VIENINT	VNNAINV	PSKEURO	PSKEUST	ALLINVA	ALLINVT	JPNTRND	EQTYINV	CONML27	BTVAVMD	SAPEURT	APOLOST	GLBLCHI	CPEEURT	CPEEURP	NOVEUII	SPORTVA	SUP4AKT	ESUMWST	ESUMWSA	POBAAKE	DWSAV48
0,44692	0,26645	0,28344	0,44682	0,44584	0,52709	0,52584	0,34581	0,55556	0,55798	0,37857	0,62557	0,62918	0,72469	0,71942	0,43252	0,43481	0,52139	0,51126	0,23184	0,60657	0,29945	0,13333	0,49718	0,49384	0,51107	0,62661	0,62638	0,32770	0,26369	0,47570	0,48054	0,48054	0,41698	0,12740
0,01451	0,02533	0,02153	0,01462	0,01182	0,01161	0,01015	0,01771	0,00912	0,00894	0,01695	0,00824	0,00885	0,01039	0,00993	0,01316	0,01394	0,01107	0,01193	0,02795	0,01333	0,02285	0,04831	0,01142	0,01058	0,01075	0,01243	0,01206	0,01889	0,02237	0,01108	0,01272	0,01272	0,01435	0,05051
20,0	12,0	11,0	13,0	12,0	16,0	16,0	11,0	16,0	16,0	17,0	13,0	13,0	24,0	23,0	14,0	14,0	14,0	14,0	7,0	28,0	14,0	11,0	13,0	14,0	17,0	18,0	17,0	12,0	17,0	18,0	12,0	12,0	19,0	13,0
0,42923	0,20656	0,32665	0,48193	0,47318	0,54317	0,57842	0,41567	0,67886	0,67859	0,44080	0,43717	0,44379	0,84153	0,83970	0,49754	0,49617	0,51535	0,51629	0,32280	0,60544	0,40213	0,20087	0,52197	0,50707	0,37535	0,61747	0,61255	0,42524	0,31491	0,43321	0,47994	0,47994	0,43098	0,20685
0,00141	0,00776	-0,00267	0,00171	-0,00143	0,00042	-0,00115	-0,00172	-0,00271	-0,00279	0,00003	0,00091	0,00111	0,00557	0,00533	-0,00103	-0,00042	-0,00014	0,00024	0,00010	0,00731	0,00207	-0,00239	-0,00084	-0,00154	-0,00118	0,00603	0,00586	-0,00020	-0,00165	-0,00241	0,00128	0,00128	0,00020	-0,00198
8,4	5,9	5,9	9,5	8,3	8,5	7,1	7,7	7,6	7,6	8,7	7,4	7,5	20,7	20,9	6,5	6,5	8,2	8,2	4,7	13,6	7,2	7,0	8,0	7,6	6,4	9,7	9,6	7,2	5,1	7,3	8,7	8,7	8,4	8,4
0,45255	0,27602	0,27771	0,44089	0,44238	0,52702	0,51852	0,33506	0,53686	0,53982	0,36832	0,66552	0,66959	0,69557	0,68898	0,42187	0,42517	0,52559	0,51344	0,21387	0,60329	0,27841	0,12038	0,49557	0,49425	0,54231	0,62657	0,62699	0,30876	0,25419	0,48847	0,48195	0,48195	0,41581	0,11175
0,02681	0,04230	0,04593	0,02727	0,02486	0,02244	0,02151	0,03787	0,02187	0,02158	0,03408	0,01473	0,01570	0,01477	0,01414	0,02766	0,02845	0,02172	0,02311	0,05926	0,01925	0,04529	0,10843	0,02336	0,02232	0,02061	0,01864	0,01811	0,03943	0,04735	0,02325	0,02369	0,02369	0,02808	0,11628
17,8	11,6	13,6	11,3	11,0	14,7	14,6	10,4	16,4	16,3	15,3	12,9	13,1	22,6	21,5	13,4	13,5	12,4	12,9	5,7	24,0	13,3	8,9	11,8	12,4	18,3	15,7	15,0	11,0	18,6	17,2	9,9	9,9	18,0	10,5

102	101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76	75	74	73	72	71	70	69	68
INTRSTK	INTSTAU	ESTOAME	EKASAMA	OSTINDT	KLASAET	KLASAEA	VIFVERT	VIFVERI	BESTEMA	BESTEMT	OBRBSMX	CPBFRSA	KEPGLBA	KEPGLBT	SKWBAKT	SCHAKTT	JMEURSC	SIEQWEE	SPGOLDR	OSTVLRF	OSTEUST	OSTEUSA	SBESTIN	ESPGDYN	3BKOEKG	3BKESTM	VIENAUS	VIENSTK	R67FUND	GUTUSPO	DANBINT	DANBINV	VOLKAME	KLAKTIT
0,41126	0,40969	0,43942	0,43494	0,48497	0,47936	0,47498	0,45657	0,45863	0,49735	0,49947	0,39900	0,37519	0,43308	0,43290	0,38611	0,38308	0,47993	0,45130	0,37750	0,67548	0,59674	0,59474	0,30116	0,32177	0,44689	0,43288	0,63192	0,63514	0,43145	0,41696	0,62095	0,61709	0,39741	0,44880
0,01448	0,01415	0,01281	0,01217	0,01644	0,01351	0,01278	0,01259	0,01004	0,01399	0,01445	0,01495	0,01710	0,01316	0,01380	0,01483	0,01533	0,01497	0,01431	0,01704	0,01243	0,01370	0,01339	0,01916	0,01935	0,01420	0,01396	0,01203	0,01223	0,01348	0,01342	0,01247	0,01209	0,01491	0,01495
19,0	19,0	11,0	11,0	13,0	15,0	15,0	19,0	18,0	14,0	14,0	17,0	18,0	20,0	20,0	11,0	12,0	8,0	17,0	19,0	17,0	16,0	16,0	12,0	10,0	20,0	14,0	30,0	30,0	20,0	11,0	16,0	16,0	10,0	20,0
0,41706	0,41278	0,37835	0,37216	0,50135	0,50268	0,49834	0,47131	0,49695	0,52749	0,53495	0,45193	0,48530	0,43785	0,44268	0,35899	0,36003	0,55939	0,44355	0,42581	0,67472	0,61452	0,61283	0,45113	0,41203	0,48248	0,41593	0,64367	0,64841	0,44868	0,37595	0,62037	0,61881	0,38605	0,43193
-0,00192	-0,00224	-0,00453	-0,00534	0,00509	0,00103	0,00058	-0,00168	-0,00367	0,00285	0,00311	-0,00083	-0,00014	-0,00143	-0,00066	-0,00323	-0,00287	0,00274	0,00153	0,00034	0,00587	0,00697	0,00669	-0,00339	-0,00002	-0,00015	-0,00008	0,00599	0,00616	-0,00082	-0,00453	0,00688	0,00677	-0,00282	0,00174
6,9	6,8	5,7	5,6	8,6	7,3	7,1	7,5	6,3	9,7	9,9	8,9	8,2	7,5	7,6	7,4	7,4	9,8	7,1	7,1	10,8	10,1	10,0	6,7	6,9	9,2	7,5	12,5	12,7	7,9	6,7	9,5	9,5	6,4	8,4
0,41447	0,41335	0,45921	0,45484	0,48238	0,47705	0,47202	0,45738	0,45419	0,49238	0,49374	0,39117	0,35521	0,43539	0,43395	0,39648	0,39263	0,46502	0,45455	0,36978	0,67549	0,59058	0,58839	0,27483	0,30436	0,44335	0,43876	0,62673	0,62978	0,43067	0,43193	0,61636	0,61131	0,40499	0,45454
0,03001	0,02964	0,02767	0,02707	0,02731	0,02556	0,02462	0,02614	0,02359	0,02488	0,02551	0,03097	0,03559	0,02707	0,02766	0,03119	0,03192	0,02715	0,02642	0,03374	0,01869	0,02036	0,02004	0,04666	0,04014	0,02828	0,02704	0,01793	0,01816	0,02733	0,02918	0,01776	0,01714	0,03129	0,02735
18,6	18,0	10,6	10,5	11,8	13,8	13,7	18,5	17,8	11,5	11,6	16,3	15,7	19,2	19,2	10,2	10,3	7,2	14,8	18,1	15,4	14,0	13,8	11,9	7,5	17,5	12,5	27,0	26,7	19,9	10,4	14,1	13,9	9,0	18,0

137	136	135	134	133	132	131	130	129	128	127	126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103
PAZFKAA	SMPORT4	SELCTFD	SECLTFV	SELECTA	VOLKEUR	12STOCK	NIPPORT	EKSTAMT	EKSTAMR	COLMBST	CIAMESV	COLSTKT	GOLDEUR	RUSEQUT	RUSEQUA	EUPROSA	EUPROST	ESXTEUR	SIEQPAR	ALLIOST	ALINOST	ROSTAVT	OSTAKTT	3BKGSFD	RAIFOST	EUPROPT	EUPROPA	BASTOCT	BAWGSTK	AMERSTO	AMERSTT	RAFEAPS	EURAKVT	EUAKTIT
0,28565	0,43700	0,44028	0,44290	0,44195	0,56636	0,40533	0,46480	0,53265	0,52820	0,48253	0,48654	0,48407	0,41994	0,40008	0,39960	0,43985	0,44487	0,45120	0,32235	0,70581	0,69772	0,72986	0,72876	0,35809	0,72690	0,47071	0,46473	0,48213	0,48079	0,53657	0,53884	0,52419	0,51535	0,51684
0,02313	0,01546	0,01374	0,01482	0,01450	0,01067	0,01491	0,01369	0,01181	0,01128	0,01247	0,01352	0,01321	0,01618	0,01542	0,01377	0,01617	0,01735	0,01440	0,02159	0,01106	0,01140	0,01089	0,01078	0,01681	0,01059	0,01527	0,01439	0,01288	0,01179	0,01118	0,01175	0,01133	0,01201	0,01190
10,0	21,0	15,0	15,0	15,0	22,0	16,0	14,0	15,0	15,0	17,0	18,0	18,0	17,0	12,0	13,0	16,0	16,0	16,0	12,0	12,0	13,0	22,0	22,0	9,0	22,0	16,0	15,0	19,0	18,0	11,0	11,0	18,0	18,0	18,0
0,37836	0,42427	0,48061	0,48331	0,48068	0,50869	0,32294	0,44749	0,40914	0,40271	0,37696	0,38990	0,37437	0,48165	0,40886	0,40169	0,38564	0,39801	0,44640	0,38734	0,66208	0,66355	0,79571	0,79138	0,47232	0,78612	0,38995	0,39734	0,54546	0,55850	0,38273	0,38187	0,45538	0,45659	0,45647
0,00124	0,00128	-0,00066	0,00073	0,00004	0,00051	-0,00110	0,00339	-0,00074	-0,00142	-0,00128	0,00075	-0,00028	0,00179	-0,00257	-0,00505	0,00874	0,00950	0,00126	0,00070	0,00527	0,00536	0,00539	0,00525	-0,00089	0,00510	0,00841	0,00742	-0,00027	-0,00134	-0,00066	0,00015	0,00025	0,00059	0,00056
6,5	8,4	8,4	8,7	8,3	9,5	6,6	6,9	7,5	7,3	6,6	7,1	6,6	7,6	6,8	6,8	9,5	10,1	6,5	6,3	10,5	10,6	14,2	14,0	8,0	13,8	9,5	9,2	9,5	9,6	8,3	7,3	7,9	8,0	8,0
0,26700	0,44253	0,43532	0,43766	0,43740	0,58166	0,42567	0,46737	0,56411	0,55982	0,50900	0,51066	0,51140	0,40868	0,40418	0,40618	0,44594	0,45012	0,45435	0,31162	0,71466	0,70472	0,71425	0,71398	0,33701	0,71276	0,48337	0,47396	0,47310	0,46896	0,57304	0,57607	0,54135	0,53060	0,53237
0,04687	0,02872	0,02793	0,02875	0,02866	0,01997	0,02861	0,02371	0,02240	0,02187	0,02403	0,02474	0,02464	0,03054	0,03241	0,03137	0,02407	0,02560	0,02684	0,04288	0,01664	0,01719	0,01608	0,01603	0,03627	0,01581	0,02270	0,02176	0,02612	0,02532	0,02092	0,02143	0,02132	0,02239	0,02221
8,0	20,3	14,7	14,7	14,7	19,5	13,6	12,8	14,3	14,2	17,4	17,8	17,9	16,2	10,8	11,1	13,9	13,9	14,1	10,9	10,4	11,1	19,7	19,7	7,9	20,0	13,4	13,4	19,7	19,2	10,7	10,9	15,9	15,6	15,7

172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138
OSTAKVT	AUSQUIT	CONAUST	ESISTST	ESISTSA	BESTHEA	BESTHET	VOLKPAC	VIENTPF	VIENNAT	ТОРРНАА	PACFSTK	TOPASIT	TOPPHAV	ТОРРНАТ	RAIFAKT	GLOAKTT	RGLAKVT	USAKTVT	USAKTNA	USAKTNT	RTECAKA	RTECAKT	LNTMVTR	BTVAVMW	SIEEEMK	SEITEMU	GLOBEQT	GLBLEQU	PHARMST	PHARMSA	TECHNOT	TECHNOA	PAZFKVT	PAZFKAT
0,67365	0,60941	0,60868	0,63974	0,63748	0,12293	0,12555	0,32343	0,66666	0,66796	0,16674	0,29602	0,29821	0,16835	0,16667	0,41437	0,41175	0,41120	0,38967	0,39080	0,38975	0,44038	0,43917	0,39926	0,33675	0,50781	0,40433	0,45891	0,45889	0,14545	0,14479	0,34145	0,34143	0,28206	0,28259
0,01278	0,01199	0,01177	0,01241	0,01206	0,04609	0,04705	0,02305	0,01190	0,01221	0,03598	0,02058	0,02170	0,03720	0,03684	0,01435	0,01476	0,01481	0,01527	0,01499	0,01526	0,01332	0,01362	0,01738	0,01951	0,01520	0,01578	0,01298	0,01203	0,04486	0,04384	0,01673	0,01673	0,02398	0,02388
12,0	25,0	25,0	10,0	10,0	4,0	3,0	10,0	34,0	34,0	3,0	10,0	10,0	3,0	3,0	17,0	17,0	17,0	12,0	12,0	12,0	12,0	12,0	13,0	16,0	17,0	10,0	14,0	14,0	5,0	5,0	12,0	12,0	10,0	10,0
0,67590	0,54437	0,54515	0,76322	0,75676	0,19547	0,20432	0,43515	0,67251	0,66869	0,21437	0,40363	0,39942	0,22051	0,21330	0,40243	0,40332	0,40339	0,37394	0,37443	0,37369	0,46372	0,46204	0,26800	0,43409	0,59131	0,53596	0,42577	0,43236	0,22631	0,22631	0,39396	0,39396	0,37846	0,37822
0,00627	0,00569	0,00544	0,00277	0,00266	-0,01036	-0,00902	0,00262	0,00684	0,00708	-0,00815	-0,00149	-0,00054	-0,00615	-0,00733	-0,00168	-0,00142	-0,00140	-0,00328	-0,00346	-0,00328	-0,00250	-0,00233	0,00103	0,00002	0,00291	0,00030	-0,00073	-0,00152	-0,00467	-0,00467	-0,00513	-0,00513	0,00152	0,00152
10,4	12,0	12,4	5,4	5,4	3,4	3,5	7,6	170,6	17,1	3,9	5,7	5,7	4,0	3,8	6,7	6,7	6,7	5,4	5,4	5,4	5,3	5,2	6,1	7,5	9,4	6,6	7,6	7,6	4,6	4,6	4,9	4,9	6,5	6,5
0,67247	0,62155	0,62046	0,62272	0,62081	0,11141	0,11297	0,30205	0,66155	0,66424	0,16115	0,27617	0,27971	0,16128	0,16116	0,42084	0,41752	0,41687	0,39851	0,39972	0,39866	0,44165	0,44065	0,43067	0,31914	0,49345	0,37935	0,46923	0,46753	0,13200	0,13060	0,33757	0,33755	0,26275	0,26339
0,01891	0,01831	0,01810	0,02179	0,02123	0,11689	0,11794	0,04488	0,01683	0,01723	0,08314	0,04531	0,04606	0,08374	0,08376	0,02921	0,02982	0,02992	0,03220	0,03182	0,03218	0,02870	0,02911	0,03095	0,04032	0,02730	0,03257	0,02552	0,02449	0,10420	0,10268	0,03903	0,03903	0,04840	0,04817
10,8	21,4	21,4	9,2	9,1	3,3	3,4	8,3	28,7	28,7	28,7	8,1	8,5	3,3	3,3	15,7	15,9	15,9	10,7	10,8	10,7	11,6	11,6	13,9	14,4	14,3	9,3	12,5	12,5	6,1	5,9	12,5	12,5	7,9	7,9

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179	178	177	176	175	174	173
BIOTECT	BIOTECA	WALCAPT	TURYGOT	TURYGOA	GUTUSSP	EUROTST	TURYGET	TURYGEA	ASIACAP	ACEMERA	OSTAKTI	ACEMERT	OSTAKTV	SIEEQNA	ESXTUSA	COREEUR	COREEUT	KEPUSAK	KEPUSAT	AMERIDX	EREALFD	STKIDXU	TOPSWST	TOPSWSF	TIGERFD	TIGFOND	KONAKTT	KONAKTA	KONAKTV	RAIFOSE	OSTEAKT
0,26583	0,26567	0,62446	0,49800	0,49728	0,48913	0,28486	0,69235	0,69727	0,36905	0,51054	0,69302	0,51054	0,69217	0,44667	0,50430	0,56294	0,56451	0,51274	0,51227	0,45683	0,53105	0,46810	0,41440	0,41374	0,36654	0,36900	0,49510	0,49538	0,49570	0,67081	0,67231
0,02624	0,02625	0,00964	0,01445	0,01427	0,01594	0,02496	0,00848	0,00835	0,02066	0,01540	0,01191	0,01560	0,01157	0,01411	0,01372	0,01173	0,01216	0,01210	0,01232	0,01380	0,01173	0,01429	0,01642	0,01593	0,01805	0,01900	0,01717	0,01676	0,01723	0,01253	0,01269
6,0	6,0	15,0	11,0	11,0	16,0	14,0	13,0	12,0	10,0	16,0	13,0	16,0	13,0	11,0	14,0	15,0	15,0	13,0	13,0	14,0	19,0	14,0	17,0	17,0	11,0	11,0	11,0	11,0	11,0	12,0	12,0
0,36107	0,36016	0,44223	0,51420	0,51088	0,40034	0,32518	0,53210	0,53210	0,37973	0,57456	0,65034	0,57359	0,65365	0,35515	0,37569	0,49669	0,49670	0,36134	0,36292	0,33276	0,39221	0,32563	0,47299	0,47549	0,41097	0,41464	0,56811	0,57381	0,56741	0,66789	0,67212
-0,00234	-0,00234	-0,00253	0,00341	0,00311	0,00387	-0,00037	-0,00127	-0,00127	0,00399	0,00270	0,00575	0,00286	0,00530	-0,00202	0,00114	0,00071	0,00153	-0,00073	-0,00027	-0,00114	0,00567	-0,00011	0,00045	-0,00010	-0,00085	0,00026	0,00591	0,00530	0,00599	0,00601	0,00617
5,3	5,3	6,8	6,5	6,3	9,7	6,8	6,5	6,5	5,8	9,9	6,6	9,8	9,6	6,1	7,3	9,7	9,9	7,1	7,2	6,5	9,2	6,2	6,5	6,5	5,6	5,9	8,5	8,6	8,5	10,2	10,3
0,25261	0,25260	0,67119	0,49519	0,49521	0,51161	0,28051	0,73338	0,73922	0,36835	0,50139	0,70184	0,50164	0,70019	0,47163	0,53583	0,58175	0,58325	0,54907	0,54798	0,48756	0,55698	0,50284	0,40604	0,40484	0,36165	0,36367	0,47930	0,47885	0,48017	0,67077	0,67168
0,05771	0,05772	0,01918	0,02489	0,02482	0,02700	0,04990	0,01661	0,01635	0,03658	0,02775	0,01779	0,02797	0,01750	0,02766	0,02448	0,02176	0,02194	0,02255	0,02270	0,02606	0,01815	0,02608	0,03234	0,03200	0,03675	0,03747	0,02781	0,02766	0,02784	0,01869	0,01884
7,9	7,9	14,1	7,5	7,5	15,0	13,3	12,2	12,0	8,2	13,5	11,4	13,5	11,3	10,4	14,2	12,7	12,7	13,2	13,1	12,3	17,7	14,4	18,2	18,1	9,6	9,7	8,9	8,9	9,0	10,7	10,7

TABLE 8 FRENCH MUTUAL FUNDS BETAS (+TSTATS) CALCULATED WITH THE SINGLE INDEX MODEL AND TREYNOR RATIOS

													, .		, .	, .																	
31	30	29	28	27	26	25	24	23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1	#		
AGFOPID	ECURINV	SCV5000	AXAEFEA	POETHIC	AXAAGEU	EURF50C	FEDEPAC	AGFEUAC	BALCANI	LGSTCAC	SOGNFRN	CDCEUAC	CDCINSE	MONCFRE	BPEUCRS	ELNCLDS	EXPEXDU	NRWFRNC	ECURLLE	AXAINEC	OFIMLEA	UAEURO	CIFRANC	INDIEUR	CAIVEFI	CAIVEFR	PCEUROD	SLFAEUR	PCEUROP	CHI2000	NAME		
-0,07727	-0,06399	-0,04989	-0,10389	-0,05018	-0,07999	-0,10080	-0,05830	-0,08777	-0,08856	-0,09647	-0,06966	-0,04241	0,05572	0,11571	-0,06910	-0,06383	-0,02303	-0,10391	-0,04344	-0,08832	-0,05403	0,05414	-0,04582	-0,06299	-0,06903	-0,07337	-0,04084	-0,06259	-0,04282	0,14013	BETA	Ŧ	
-0,08224	-0,09231	-0,11562	-0,05383	-0,12944	-0,07348	-0,06093	-0,10528	-0,07147	-0,08325	-0,06105	-0,09106	-0,14053	0,10815	0,05696	-0,08067	-0,09019	-0,28209	-0,06078	-0,13186	-0,07076	-0,11157	0,11339	-0,13506	-0,09138	-0,08602	-0,08400	-0,17081	-0,09868	-0,16529	0,05365	TREYNOR	FRANCE OVERALL PERIOD	
-1,3	-1,0	-0,8	-2,5	-0,8	-1,2	-2,2	-0,9	-2,0	-1,8	-2,2	-1,1	-0,6	1,1	2,9	-1,2	-1,0	-0,4	-2,4	-0,7	-2,0	-0,9	0,9	-0,7	-1,0	-1,1	-1,2	-1,3	-1,1	-1,4	2,1	BETA TSTAT	ERIOD	
0,01047	0,11270	0,11873	-0,04519	0,15507	0,02719	0,00134	0,08356	-0,01667	0,04880	-0,04597	0,08423	0,14032	0,16784	0,23718	0,04270	0,11579	0,15748	-0,02201	0,12514	0,02574	0,13231	0,14899	0,14128	0,14121	0,07786	0,07607	0,01994	0,03452	0,01561	0,23275	BETA	FR	
0,04248	0,00079	0,00145	0,01304	0,00384	0,01189	0,14650	0,00494	-0,00859	0,03012	-0,00389	0,00631	-0,00068	-0,00059	0,00324	-0,03595	-0,00068	0,00403	-0,02245	-0,00075	0,01329	-0,00179	0,00401	0,00269	-0,00026	0,00273	0,00391	0,06472	0,02248	0,08839	0,01189	TREYNOR	FRANCE SUBPERIOD ONE	
0,1	1,7	1,7	-0,6	2,4	0,3	0,0	1,5	-0,2	1,1	-0,5	1,1	1,2	2,4	5,0	0,4	1,6	2,6	-0,3	1,9	0,3	2,0	2,7	2,0	1,7	1,0	1,0	0,7	0,4	9,0	3,0	BETA TSTAT	NE	
-0,11514	-0,13584	-0,11883	-0,13052	-0,13216	-0,12612	-0,14411	-0,11659	-0,11904	-0,14433	-0,12104	-0,13287	-0,11583	0,00980	0,06619	-0,11305	-0,13661	-0,09615	-0,13999	-0,11198	-0,13618	-0,12801	0,01341	-0,12114	-0,14500	-0,12988	-0,13491	-0,06864	-0,10519	-0,06971	0,10032	BETA	FR	
-0,10352	-0,08362	-0,09286	-0,08730	-0,09112	-0,08791	-0,08145	-0,09871	-0,10125	-0,08950	-0,09287	-0,08873	-0,10066	1,20065	0,18240	-0,10924	-0,08222	-0,12466	-0,08406	-0,09993	-0,08670	-0,09316	0,84640	-0,09609	-0,07728	-0,08699	-0,08641	-0,17968	-0,10680	-0,17853	0,12048	TREYNOR	FRANCE SUBPERIOD TWO	
-2,0	-2,3	-2,0	-2,3	-2,3	-2,2	-2,4	-1,9	-2,0	-2,0	-2,0	-2,3	-2,0	0,2	1,3	-2,0	-2,3	-2,0	-2,3	-2,0	-2,3	-2,4	0,2	-2,0	-2,4	-2,2	-2,3	-2,2	-1,9	-2,3	1,5	BETA TSTAT	/0	

66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49	48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32
ABFEUR1	BNPATRM	BDFREPA	SGEUROP	SPGPSMC	AXAVALF	BALJPNI	EXACFRC	RICHINV	EXACFRD	VINCACT	AMPTMNC	AMPTMND	BNPAIFD	SYCEURO	BNPAPEU	AGFEACC	FRUVEUR	FRNCGAN	EMRGPSD	AXAAGIA	FRUFRAC	FRUFRAD	BNPNAV3	ETVALUE	SICEURS	AGFEACD	BNPPADD	BALSWII	UNIFRAN	TRICOLO	SOGEPEA	BNPAIFC	AZUACFR	VIACTEC
-0,07216	-0,02854	0,00203	-0,00524	0,12318	-0,09936	0,05662	-0,11051	0,02506	-0,10938	-0,09364	-0,01160	-0,01567	-0,04064	-0,06444	-0,01714	-0,10054	-0,04611	-0,06247	-0,03959	-0,05828	0,07518	0,04763	0,00303	0,03637	-0,06981	-0,10231	-0,06581	-0,09002	-0,05940	-0,09149	-0,05969	-0,04445	-0,09600	-0,09508
-0,08928	-0,22522	2,91444	-1,24638	0,06093	-0,05917	0,11097	-0,05780	0,27108	-0,05492	-0,06658	-0,53205	-0,38212	-0,14552	-0,10493	-0,32981	-0,06269	-0,13572	-0,10343	-0,15052	-0,09956	0,08486	0,12970	1,94554	0,17562	-0,08958	-0,05929	-0,10492	-0,07493	-0,09517	-0,07246	-0,09720	-0,14227	-0,06616	-0,06362
-1,2	-0,4	0,0	-0,1	2,9	-2,4	1,0	-1,7	0,6	-2,5	-1,5	-0,2	-0,3	-0,6	-1,1	-0,3	-2,4	-0,8	-1,1	-0,7	-1,1	1,2	0,8	0,1	0,6	-1,1	-2,5	-1,3	-1,7	-0,9	-1,5	-1,0	-0,7	-2,4	-1,5
0,04135	0,22982	0,14123	0,20572	0,30739	-0,02346	0,12880	-0,04278	0,17319	-0,03833	0,04459	0,13974	0,13254	0,21379	0,06795	0,21965	-0,02076	0,15583	0,09251	0,16107	0,15369	0,28494	0,16128	0,26132	0,19870	0,02929	-0,02133	0,05179	0,07367	0,08953	-0,02860	0,11619	0,20791	-0,02646	0,04004
0,01715	0,00193	0,00053	0,00284	0,00979	0,01149	0,01034	-0,01351	0,00985	-0,00669	0,01233	-0,00461	-0,00632	0,00060	0,01688	-0,00186	-0,00916	0,00134	0,00714	-0,00166	-0,00463	0,00219	0,00309	-0,00299	0,00351	0,01695	-0,00423	0,02993	0,01133	-0,00228	-0,02448	-0,00289	0,00212	-0,01359	0,01158
0,5	2,0	2,0	3,0	7,0	-0,3	2,1	-0,5	3,8	-0,5	0,6	2,3	2,1	2,4	0,9	2,2	-0,3	2,2	1,3	2,4	2,3	3,0	2,6	2,5	2,9	0,4	-0,3	1,6	0,8	1,3	-0,4	1,7	1,9	-0,3	0,5
-0,12027	-0,13073	-0,05504	-0,08901	0,04799	-0,13264	0,02436	-0,14158	-0,03542	-0,14181	-0,15098	-0,07029	-0,07316	-0,14169	-0,11935	-0,11075	-0,13526	-0,12642	-0,12606	-0,11921	-0,14081	-0,00858	-0,00018	-0,09650	-0,02984	-0,11250	-0,13777	-0,11587	-0,15666	-0,12040	-0,12042	-0,12976	-0,14454	-0,12708	-0,15148
-0,09834	-0,09194	-0,20746	-0,13613	0,24512	-0,08776	0,45394	-0,08357	-0,32953	-0,08037	-0,07668	-0,18030	-0,17082	-0,08002	-0,10096	-0,10250	-0,08900	-0,09455	-0,09438	-0,09913	-0,08510	-1,37256	-62,55819	-0,12654	-0,39265	-0,10362	-0,08473	-0,10275	-0,07837	-0,09280	-0,10096	-0,08937	-0,08191	-0,09409	-0,07455
-2,0	-2,0	-1,0	-1,8	1,1	-2,4	0,4	-2,3	-0,8	-2,4	-2,6	-1,7	-1,8	-2,3	-2,0	-2,0	-2,5	-1,9	-2,4	-2,0	-2,4	-0,1	0,0	-1,9	-0,4	-1,9	-2,5	-1,7	-2,0	-2,0	-2,1	-1,8	-2,4	-2,3	-2,6

101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76	75	74	73	72	71	70	69	68	67
HSBEUAD	LPOAMAM	LPOAMAD	CGNVASI	BDFPLAS	UNICNP1	EURDNSV	GPINFRA	MMAOF30	FEDCA40	SSTRFRN	SSTRFRC	ATTFUTD	ATTFUTC	MDMVALR	AXAINVT	SGFROPC	EURREDD	STHOPME	LGMFRNC	PTONI10	POAMPLT	VHCAACT	POABLTD	MEDIACT	MMAEUAC	EURRENC	AFERFLO	LIVRBRS	INDVARE	BALEURI	SLVAFRN	MACTIEU	BNPFVST	SGSOTEM
-0,06901	-0,04164	-0,03927	0,10115	-0,03345	-0,04912	-0,05533	-0,06156	-0,03769	-0,08530	-0,07892	-0,08218	-0,07649	-0,06996	-0,07984	-0,05644	-0,02369	-0,07755	0,05369	-0,07218	-0,01111	-0,06244	0,04470	-0,05516	-0,06641	-0,07632	-0,06993	0,12271	0,08582	-0,09512	-0,07397	-0,06286	-0,00911	0,00062	-0,01789
-0,08807	-0,14789	-0,15197	0,07762	-0,19757	-0,12430	-0,11196	-0,11024	-0,16776	-0,07429	-0,07962	-0,08090	-0,07408	-0,09021	-0,07857	-0,09907	-0,26750	-0,08772	0,12850	-0,08923	-0,54685	-0,10560	0,14917	-0,11166	-0,09333	-0,08137	-0,10225	0,05026	0,06850	-0,06799	85,280′0-	99680'0-	-0,68976	9,89808	-0,29617
-1,1	-0,8	-0,8	2,0	-0,5	-1,0	-1,0	-1,1	-0,9	-1,3	-1,3	-1,9	-1,2	-1,1	-1,6	-1,1	-0,4	-1,7	1,1	-1,3	-0,2	-1,0	0,8	-0,9	-1,1	-1,3	-1,5	3,2	1,4	-1,5	-1,2	-1,0	-0,2	0,0	-0,3
0,01732	0,10897	0,10938	0,16298	0,16433	0,05443	0,09704	0,08956	0,03318	0,00801	-0,02019	-0,01955	0,07461	0,07985	-0,01203	0,03245	0,17880	-0,00667	0,23293	0,02867	0,18799	0,12570	0,17302	0,12904	0,11975	0,00115	-0,00629	0,24123	0,15505	0,00975	0,02808	0,11312	0,16084	0,28225	0,20404
0,01029	-0,00875	-0,01026	0,01405	0,00343	-0,00895	0,00057	0,00922	-0,00798	0,04912	-0,04320	-0,05979	0,00168	0,00551	-0,00454	-0,02535	0,00399	-0,13676	0,00765	0,00971	-0,00135	0,00458	0,00262	0,00198	0,00275	0,09633	-0,18456	-0,00037	-0,00052	0,07964	0,02509	-0,00057	0,00016	0,00134	-0,00923
0,2	1,5	1,5	2,8	2,3	1,3	1,6	1,3	0,6	0,1	-0,2	-0,2	1,0	1,1	-0,2	0,4	2,6	-0,1	5,0	0,4	3,0	1,9	2,4	1,9	1,3	0,0	-0,1	4,0	2,2	0,1	0,4	1,6	2,5	2,4	1,9
-0,10602	-0,09926	-0,09619	0,07406	-0,11222	-0,09047	-0,11682	-0,12337	-0,06688	-0,12545	-0,10718	-0,11180	-0,13931	-0,13161	-0,10948	-0,09291	-0,10492	-0,10823	-0,01967	-0,11451	-0,08927	-0,13801	-0,00760	-0,12946	-0,14173	-0,11016	-0,09768	0,07577	0,05546	-0,14036	-0,11768	-0,13465	-0,07670	-0,11072	-0,10290
-0,10960	-0,13055	-0,13252	0,17771	-0,10951	-0,13697	-0,10253	-0,10031	-0,18795	-0,09489	-0,10600	-0,10546	-0,07796	-0,08980	-0,11080	-0,12586	-0,11084	-0,11405	-0,59545	-0,10679	-0,13527	-0,08866	-1,64685	-0,09033	-0,08257	-0,10837	-0,13089	0,15953	0,20648	-0,08386	-0,10089	-0,08157	-0,15893	-0,10412	-0,11809
-1,8	-1,8	-1,8	1,4	-2,0	-2,0	-1,8	-2,3	-1,8	-2,0	-1,9	-1,9	-2,0	-2,0	-2,0	-2,0	-1,9	-1,9	-0,4	-2,0	-1,9	-2,4	-0,1	-2,2	-2,5	-2,0	-1,8	2,0	0,8	-2,5	-1,8	-2,3	-1,2	-1,9	-2,0

136	135	134	133	132	131	130	129	128	127	126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102
CROSIMB	ULYSSEC	ULYSSED	PRIMEURP	CGMONDE	INDFONC	AREUACT	INVAEUR	BNPEPST	SGMOPCD	SOLELIN	AZUACAM	ELNUSAS	LOBETHQ	AGFACIP	LIVRPRT	SSTREUR	HSBCAEC	HSBCAED	MDMEURP	UNIVACT	ETOPPOR	CNPAVLA	PVALFRE	BPOFOIC	FONCINV	EPRGUNI	BNPAERP	AXAEUND	INOVAFD	INOSVAC	AXAEUNC	ATHCRIN	ATOUSEL	HSBEUAC
-0,04896	0,04464	0,04555	0,03687	0,01416	-0,02651	-0,08233	-0,09104	-0,03276	0,00547	-0,02878	-0,06846	-0,03263	-0,05327	0,06417	0,03025	-0,07781	-0,06620	-0,06880	-0,07785	-0,02556	0,03167	-0,05613	0,08806	-0,01723	-0,02000	-0,06277	-0,04371	-0,06602	-0,07407	-0,07324	-0,06655	0,06214	-0,06741	-0,06756
-0,15558	0,15372	0,14632	0,20172	0,47837	-0,26458	-0,08253	-0,07031	-0,19429	1,21021	-0,20875	-0,09101	-0,17489	-0,12573	0,09098	0,21046	-0,08386	-0,09650	-0,08972	-0,07975	-0,23056	0,20080	-0,10468	0,08286	-0,45848	-0,37086	-0,08991	-0,14434	-0,09402	-0,08241	-0,09106	-0,09664	0,09700	-0,08820	-0,09343
-1,0	0,9	0,9	0,7	0,4	-0,5	-1,5	-1,6	-0,6	0,1	-0,6	-1,4	-0,6	-0,9	1,4	0,6	-1,3	-1,2	-1,2	-1,4	-0,5	0,6	-1,0	1,7	-0,3	-0,4	-1,1	-0,8	-1,1	-1,2	-1,2	-1,2	1,4	-1,2	-1,1
0,05806	0,18254	0,19042	0,23044	0,09508	0,07257	-0,00581	0,02998	0,17288	0,18319	0,11259	0,05190	0,12848	0,08328	0,11063	0,18368	0,00202	0,03130	0,02458	-0,01122	0,11592	0,17289	0,13238	0,26384	0,11841	0,11969	0,06652	0,13265	0,01272	0,07758	0,08731	0,01381	0,10134	0,08587	0,01663
0,04912	0,00866	0,00713	0,01280	-0,00108	0,03257	-0,23754	0,01436	-0,00024	0,00299	-0,00844	-0,02398	-0,00990	0,00721	-0,01051	-0,00303	0,38568	0,00776	0,00234	0,00715	-0,00684	0,00608	-0,00253	0,00841	0,02913	0,02577	-0,00720	-0,00041	-0,00682	0,00160	0,00631	0,00669	-0,00685	-0,00414	0,02052
1,6	0,8	4,0	4,0	1,7	1,4	-0,2	0,5	2,0	3,0	1,7	0,7	2,0	1,3	1,6	2,8	0,0	0,4	0,3	-0,2	1,8	3,0	1,9	6,0	2,4	2,5	1,1	1,7	0,2	1,0	1,2	0,2	1,5	1,2	0,2
-0,09768	-0,01242	-0,01406	-0,04382	-0,01781	-0,07356	-0,11712	-0,14103	-0,11367	-0,06493	-0,08357	-0,11386	-0,09431	-0,10887	0,04558	-0,02914	-0,11293	-0,10710	-0,10821	-0,10683	-0,08080	-0,02720	-0,13122	0,01638	-0,07812	-0,08265	-0,11524	-0,11372	-0,09966	-0,13607	-0,13831	-0,10072	0,04568	-0,12906	-0,10363
-0,12297	-0,95244	-0,82959	-0,26546	-0,74719	-0,15288	-0,10139	-0,08520	-0,10912	-0,19075	-0,15121	-0,11751	-0,13092	-0,11410	0,27443	-0,44302	-0,10564	-0,11358	-0,11016	-0,11353	-0,15185	-0,41665	-0,08936	0,73779	-0,15320	-0,13768	-0,09924	-0,10823	-0,12169	-0,08608	-0,08970	-0,12305	0,27206	-0,09205	-0,11505
-1,9	-0,2	-0,3	-0,8	-0,5	-1,3	-2,0	-2,2	-1,7	-1,4	-2,0	-2,6	-1,6	-2,0	0,9	-0,4	-1,6	-1,7	-1,7	-1,6	-1,8	-0,4	-2,0	0,2	-1,4	-1,4	-2,2	-1,7	-1,9	-2,5	-2,5	-1,9	0,9	-2,5	-1,8

171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137
AAADSVI	AXASECM	AXASMAC	ROLP	UCAPCRO	UCRMAIT	BALWLDI	EURVALC	ATOUTEM	ETOINUS	INVEMER	AMRGNSV	ODEVEPP	EURVALD	VICAMRC	CICEUOP	MEESVAL	ALOPERI	AGFFONC	MMATRAN	EURPATR	OBJSMAR	MDMIMMB	MMAMUSE	UNIHOCD	UNIHOCC	FQCADEU	OBJACEU	SYCMICP	AXAVEUD	AXAVEUC	TOCHLDP	SPACTCO	OBJVALE	SOGMIFR
-0,03828	0,03690	0,04138	0,03911	0,10433	0,10682	-0,03728	-0,02959	0,03377	-0,06457	0,05540	-0,06791	0,19016	-0,02571	-0,05016	0,08549	-0,02775	0,04684	-0,01003	-0,08626	-0,02339	0,13219	-0,03775	-0,03483	-0,05939	-0,05628	-0,06004	-0,03953	0,00738	-0,07519	-0,06906	0,01728	0,08938	-0,05109	0,01537
-0,18045	0,18809	0,17555	0,15242	0,06115	0,05976	-0,19043	-0,23925	0,24641	-0,09135	0,15038	-0,08241	0,03832	-0,26459	-0,11766	0,07574	-0,23436	0,14412	-0,77045	-0,07269	-0,31441	0,05450	-0,20357	-0,18175	-0,10987	-0,12101	-0,10948	-0,16847	1,05274	-0,08320	-0,09665	0,39610	0,07632	-0,12745	0,43466
-1,0	0,8	0,8	0,6	1,8	1,8	-0,7	-0,6	0,5	-1,2	0,8	-1,2	3,1	-0,5	-0,9	1,6	-0,4	0,9	-0,2	-1,6	-0,5	3,3	-0,6	-0,7	-1,0	-1,0	-1,1	-0,7	0,1	-1,2	-1,1	0,4	2,1	-0,9	0,2
0,12320	0,18127	0,18930	0,10718	0,29981	0,32316	0,06564	0,04850	0,14132	0,08964	0,22049	0,08059	0,44443	0,04815	0,11738	0,32942	0,12109	0,24884	0,08780	-0,02539	0,11966	0,23039	0,03113	0,08763	0,11462	0,11896	0,04655	0,08890	0,21017	0,02665	0,03673	0,18912	0,30498	0,09094	0,30875
0,00200	0,00821	0,00948	-0,00597	0,00003	0,00008	0,01761	0,02286	0,01889	-0,01439	0,01224	-0,02454	0,00606	0,01660	-0,01236	0,00107	0,00225	0,00415	0,03889	0,01157	0,01754	0,00850	0,10331	-0,00551	0,00003	0,00147	0,00936	0,00586	0,01479	-0,00267	0,01228	0,00570	0,00199	0,00319	0,00331
2,4	4,0	4,0	1,4	4,0	4,0	1,4	0,6	2,0	1,2	2,6	0,9	4,0	0,6	1,4	5,0	1,3	3,0	2,2	-0,4	3,7	5,0	0,7	1,2	1,8	1,9	0,6	1,4	4,6	0,3	2,0	4,0	5,0	1,5	4,0
-0,10190	-0,02268	-0,01949	0,01151	0,02757	0,02221	-0,07999	-0,06329	-0,01120	-0,12340	-0,01122	-0,12378	0,08827	-0,05772	-0,11331	-0,01039	-0,08756	-0,03378	-0,05683	-0,11209	-0,08276	0,09059	-0,07335	-0,08298	-0,12854	-0,12565	-0,10431	-0,09196	-0,07510	-0,11753	-0,11312	-0,05180	0,00533	-0,10837	-0,10035
-0,12939	-0,53146	-0,63575	1,06650	0,44774	0,55546	-0,15905	-0,20061	-1,22605	-0,10339	-1,22289	-0,10375	0,13153	-0,21566	-0,11411	-1,17453	-0,14137	-0,35933	-0,20535	-0,11111	-0,14860	0,13458	-0,16059	-0,15439	-0,09838	-0,10376	-0,11840	-0,13525	-0,16217	-0,10385	-0,11070	-0,23670	2,38377	-0,11407	-0,11933
-0,5	-0,5	0,1	0,4	0,4	-1,3	-1,3	-0,2	-2,5	-0,2	-2,5	-25,0	1,5	-1,2	-1,8	-0,2	-1,7	-0,8	-1,0	-2,2	-1,7	2,0	-1,2	-1,5	-2,0	-2,0	-2,0	-1,8	-1,5	-2,0	-2,0	-1,3	0,2	-2,0	-1,8

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179	178	177	176	175	174	173	172
AXAESCD	ODEUMIC	AXAESCC	ODDAVEC	ODDAVED	ECHAGRE	ECHAPEA	MDMPERS	MDMOPPI	QUANUSD	ODDGENC	ATOUTCR	ROTHAMR	ROTHMAR	ODDGEND	CAIVESL	CDCMEDI	BALUSAI	CAREMER	EURPMDC	VENSEEU	STHOVIE	RENSEUR	BMMCAPD	FIDEURO	HSBMIDC	HSBMIDD	EUROPME	BNPAADN	CARFNOM	UCROPME	AGFFIDA	AAACSVI
0,01708	0,02013	0,02023	0,01235	0,01404	0,01558	0,02282	0,04663	-0,04235	-0,04572	-0,01961	0,00439	-0,04879	-0,04949	-0,01764	0,03158	0,06632	-0,05663	0,04469	-0,01614	-0,01908	-0,05568	-0,04724	0,03465	-0,04041	-0,00582	-0,00565	0,01806	-0,06250	0,09518	0,10453	-0,00681	-0,03688
0,43030	0,39871	0,37433	0,66127	0,57598	0,48903	0,33247	0,14325	-0,15656	-0,14816	-0,35928	1,55561	-0,13392	-0,12951	-0,39501	0,22633	0,10707	-0,12030	0,18988	-0,44133	-0,37135	-0,12096	-0,15213	0,22574	-0,17694	-1,27882	-1,30400	0,39978	-0,09561	0,06902	0,06108	-1,02566	-0,19630
0,3	0,4	0,4	0,3	0,3	0,3	0,5	0,8	-0,7	-0,8	-0,4	0,1	-0,9	-0,9	-0,3	0,6	1,3	-1,1	1,1	-0,3	-0,4	-1,3	-1,2	1,0	-0,7	-0,1	-0,1	0,3	-1,1	2,1	1,8	-0,1	-0,9
0,14502	0,20754	0,14874	0,18089	0,18443	0,12851	0,16582	0,24471	0,04863	0,09869	0,16281	0,16856	0,07314	0,07597	0,15738	0,22271	0,29320	0,05244	0,14646	0,14360	0,12439	-0,00001	0,02954	0,08444	0,07096	0,12950	0,13332	0,12782	0,07899	0,28909	0,29858	0,11394	0,11694
0,01496	0,01139	0,01492	0,01368	0,01304	0,01567	0,01260	0,00300	0,01041	0,00433	0,00449	0,00855	0,00045	-0,00172	0,00437	0,00499	0,00515	0,00705	0,02205	0,00884	0,00730	34,86670	0,00184	0,03515	0,01794	0,01734	0,01610	0,01681	-0,01466	0,00025	0,00006	0,00918	0,00458
3,0	4,0	3,0	4,0	4,0	4,0	4,0	4,0	0,7	1,4	3,0	3,0	1,3	1,3	2,9	4,0	5,0	0,8	2,4	1,9	2,6	0,0	0,5	2,9	0,9	2,7	2,8	2,4	1,2	4,0	5,0	1,6	2,3
-0,03727	-0,05524	-0,03398	-0,05565	-0,05466	-0,03148	-0,03593	-0,03189	-0,08081	-0,10304	-0,09216	-0,06327	-0,09672	-0,09867	-0,08747	-0,04473	-0,02390	-0,10037	0,00107	-0,08173	-0,07755	-0,07809	-0,07832	0,00858	-0,08734	-0,06302	-0,06418	-0,02984	-0,11685	0,01888	0,02831	-0,05504	-0,09754
-0,32703	-0,24166	-0,37001	-0,24294	-0,24580	-0,40946	-0,35491	-0,38549	-0,15310	-0,12461	-0,14072	-0,18776	-0,13168	-0,12821	-0,14701	-0,28633	-0,51672	-0,12881	12,67982	-0,15353	-0,16604	-0,17234	-0,17718	1,43453	-0,14546	-0,19525	-0,19076	-0,40107	-0,10978	0,67105	0,43602	-0,22884	-0,13899
-0,7	-1,2	-0,6	-1,3	-1,3	-0,6	-0,6	-0,6	-1,2	-1,6	-1,6	-1,0	-1,4	-1,4	-1,6	-1,0	-0,5	-1,9	0,0	-1,5	-1,5	-2,0	-2,0	0,2	-1,0	-1,0	-0,5	-2,0	0,5	0,5	-1,2	-2,5	-2,7

TABLE 9 GERMAN MUTUAL FUNDS BETAS (+TSTATS) CALCULATED WITH THE SINGLE INDEX MODEL AND TREYNOR RATIOS

30		29	28	27	26	25	24	23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1	#	
	DITVERE	DITEURA	DI7Y	DI7S	DEKSPEZ	DEKEURS	DEKBAVF	DED7	DED6	DED4	DED3	DED2	DBIMERF	D6R6	CXWP	CXWE	CXWC	CXWB	BWKASDT	BINEURF	BHWEURF	ALTLEIP	ALLZAKT	ALLAKEU	AKTROHS	ADIVERF	ADIGEPV	ADIGCON	ADIF	4N43	NAME	
0 10 10	0,72146	0,78557	0,81104	0,75462	0,58087	0,64244	0,51751	0,57841	0,66106	0,67510	0,75435	0,78151	0,83059	0,53762	0,81394	0,63141	0,62608	0,67174	0,88302	0,73973	0,77896	0,83765	0,54946	0,69615	0,65803	0,78019	0,70450	0,59411	0,85656	0,39708	BETA	GEF
0.000	0,00854	0,00771	0,00745	0,00815	0,01039	0,00963	0,01181	0,01183	0,00919	0,00899	0,01130	0,01074	0,00760	0,01134	0,00749	0,00871	0,00912	0,00830	0,00722	0,00779	0,00734	0,00771	0,01102	0,00877	0,01224	0,00698	0,00793	0,00929	0,00732	0,01877	TREYNOR	GERMANY OVERALL PERIOD
14.2	14,3	17,0	18,3	14,8	15,3	19,6	17,6	14,6	20,3	20,1	7,9	7,6	19,7	17,7	23,2	15,9	14,4	24,3	30,0	23,8	20,7	28,4	14,0	14,9	7,4	16,9	18,6	16,6	33,0	10,8	BETA TSTAT	ERIOD
890965 0	0,566332	0,679156	0,681961	0,568422	0,512315	0,569403	0,48203	0,480484	0,552875	0,552156	0,390158	0,390484	0,704987	0,482835	0,821754	0,578857	0,561028	0,642631	0,839031	0,627204	0,634152	0,763937	0,470171	0,563251	0,341264	0,641858	0,641503	0,577611	0,901939	0,314966	BETA	GEI
-0.00049	0,00076	0,00029	0,00031	0,00080	-0,00162	-0,00092	-0,00089	0,00116	0,00016	0,00014	0,01039	0,01003	-0,00001	-0,00089	-0,00006	-0,00245	-0,00171	0,00026	0,00017	0,00005	-0,00033	0,00017	-0,00060	0,00007	0,00712	-0,00011	0,00026	-0,00245	-0,00027	0,00362	TREYNOR	GERMANY SUBPERIOD ONE
15.00	18,00	19,00	18,00	18,00	14,00	15,00	15,00	11,00	16,00	16,00	6,72	6,70	19,00	14,00	22,00	19,00	15,00	21,00	23,00	11,45	21,00	22,00	15,00	19,00	7,00	16,00	21,00	19,00	23,00	6,50	BETA TSTAT	ONE
0.63605	0,81497	0,84950	0,88906	0,86743	0,62275	0,68691	0,53935	0,63797	0,72577	0,74873	0,97298	1,01637	0,90642	0,57115	0,80878	0,66388	0,66564	0,68829	0,90950	0,80623	0,86630	0,88273	0,59718	0,77604	80088,0	0,86258	0,74162	0,60474	72628′0	0,44607	BETA	GEF
0.01935	0,01435	0,01379	0,01314	0,01346	0,02031	0,01841	0,02302	0,02028	0,01627	0,01578	0,01314	0,01246	0,01374	0,02168	0,01491	0,01834	0,01824	0,01570	0,01367	0,01397	0,01323	0,01432	0,02029	0,01538	0,01586	0,01247	0,01460	0,02019	0,01518	0,03041	TREYNOR	GERMANY SUBPERIOD TWO
11,00	14,00	14,00	16,00	16,00	13,00	18,00	14,00	14,00	19,00	21,00	6,00	6,00	19,00	25,00	16,00	12,00	12,00	16,00	22,00	28,00	23,00	26,00	12,00	14,00	8,00	15,00	14,00	11,00	23,00	10,00	BETA TSTAT	WO

66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49	48	47	46	45	44	43	42	41	40	39	38	37	36	35	34	33	32
IUGN	IUGM	HYPTWEL	HV8S	HV8R	HJVE	HJVC	нјив	HJ3F	нј3Е	HG4H	HANSEUI	HANSASC	GENEUUN	G4MF	FRTINSP	FNDS	FKTF	FK8T	FGUD	FGQF	EZTD	DWWB	DWW9	DWSEATO	DVGEMMK	DPEUAKT	DKD	DJL6	DJL5	DJL1	DJFP	DJFH	DJFG	DJF5
0,75447	0,57574	0,58894	0,70771	0,70601	0,80382	0,89800	0,44048	0,70039	0,74070	0,64258	0,66537	0,69533	0,55016	0,36862	0,58401	0,59198	0,54882	0,67834	0,76553	0,75448	0,57604	0,72756	0,66046	0,76997	0,67314	0,54023	0,51849	0,69820	0,65307	0,48328	0,60812	0,87819	0,57029	0,70406
0,01004	0,01295	0,01040	0,00910	0,00899	0,00676	0,00697	0,01371	0,00832	0,00966	0,01251	0,00873	0,01027	0,01172	0,01736	0,00992	0,00967	0,01422	0,00911	0,00845	0,00835	0,01004	0,00888	0,01149	0,00838	0,01129	0,01126	0,01113	0,01127	0,01231	0,01793	0,01006	0,00793	0,01059	0,00866
7,0	7,6	17,1	19,7	19,6	16,1	41,3	16,0	21,0	13,7	8,1	17,4	12,4	18,8	15,5	15,5	15,6	12,1	23,4	26,2	20,0	19,7	26,0	14,1	18,0	11,4	16,1	12,7	9,1	7,9	7,2	14,3	32,5	13,4	16,9
0,400997	0,581064	0,511382	0,555578	0,560956	0,643525	0,904216	0,500175	0,543362	0,483532	0,334829	0,55123	0,491544	0,518413	0,399432	0,523798	0,558892	0,415325	0,574609	0,760742	0,701388	0,519104	0,66411	0,537696	0,62933	0,546341	0,572419	0,471808	0,384234	0,325636	0,291322	0,516459	0,775241	0,465359	0,556032
0,00836	0,00397	-0,00123	0,00003	-0,00006	-0,00011	-0,00027	-0,00258	0,00009	0,00343	0,00726	-0,00004	0,00326	0,00072	-0,00318	-0,00116	-0,00171	0,00552	-0,00091	0,00007	0,00006	-0,00117	0,00093	0,00418	0,00099	0,00422	-0,00039	-0,00304	0,01044	0,01672	0,01553	-0,00050	0,00077	-0,00050	0,00009
3,00	4,00	16,00	17,00	17,00	16,00	24,00	10,70	16,00	16,00	6,70	16,00	11,65	15,00	11,00	18,00	15,00	8,92	14,00	17,00	19,00	17,00	20,00	12,00	19,00	9,73	17,00	12,00	8,00	3,60	3,00	15,00	21,00	15,00	17,00
0,96669	0,57141	0,63600	0,79965	0,79349	0,89950	0,89445	0,40582	0,79434	0,89576	0,82916	0,73337	0,81807	0,56816	0,35098	0,62052	0,61219	0,62995	0,74140	0,76813	0,78737	0,61055	0,76456	0,73360	0,85410	0,74983	0,51956	0,54745	0,88611	0,84793	0,59787	0,66385	0,94042	0,63452	0,79332
0,01205	0,02179	0,01984	0,01576	0,01573	0,01193	0,01405	0,03261	0,01434	0,01387	0,01619	0,01557	0,01523	0,02157	0,03928	0,01930	0,01988	0,02101	0,01703	0,01650	0,01576	0,01957	0,01578	0,01731	0,01414	0,01695	0,02333	0,02317	0,01303	0,01358	0,02272	0,01850	0,01398	0,01906	0,01502
9,00	6,00	15,00	22,00	22,00	14,00	33,00	13,00	22,00	18,00	8,00	17,00	14,00	15,00	12,00	12,00	12,00	13,00	21,00	20,00	13,00	15,00	17,00	13,00	16,00	9,83	10,46	9,27	10,00	11,00	8,00	12,00	38,00	12,00	17,00

101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82	81	80	79	78	77	76	75	74	73	72	71	70	69	68	67
UIV2	UIV1	UIB5	UI3L	U1II	U1IE	THESAUR	SRVN	SRVM	SRVL	SMHSPZ1	SMHINTL	SGRWSAV	RK1X	RK1W	RIXD	PBAE	OXMC	OPPFGLB	ОРЈЗ	OD5B	NURNADA	NORISFD	NORINRK	MONGRMY	MIAKPRE	MATAPAC	M3AG	LIGAPAU	LH4A	J7N4	IWTC	IWT5	IWWI	IUVD
0,76858	0,74883	0,84706	0,61898	0,52500	0,70491	0,85697	0,69220	0,69615	0,71474	0,92231	0,54539	0,73940	0,56227	0,34923	0,71934	0,68840	0,31224	0,30332	0,44008	0,68351	0,79872	0,73729	0,83941	0,90134	0,75519	0,54633	0,93582	0,71854	0,81183	0,50393	0,64083	0,68891	0,86273	0,76115
0,00819	0,00838	0,00788	0,01008	0,01238	0,00865	0,00818	0,01261	0,01238	0,01203	0,00724	0,01147	0,00879	0,01039	0,01892	0,00926	0,00918	0,02340	0,02415	0,01649	0,00843	0,00765	0,00830	0,00789	0,00738	0,00782	0,01430	0,00710	0,00839	0,00794	0,01135	0,01205	0,01081	0,00766	0,01020
16,5	19,8	22,8	24,3	16,3	30,1	27,2	5,8	6,1	6,9	38,0	20,4	19,3	13,1	9,4	11,4	14,0	8,9	18,8	11,0	23,1	26,9	25,7	26,7	27,5	35,5	11,7	29,5	25,8	25,1	14,1	7,4	7,0	28,2	8,3
0,548523	0,551167	0,831445	0,573196	0,457862	0,585251	0,790318	0,562627	0,56353	0,569255	0,818849	0,481778	0,766017	0,514803	0,304137	0,616331	0,446288	0,267241	0,269475	0,435678	0,62522	0,819075	0,707687	0,764399	0,84284	0,676813	0,423274	0,829165	0,609035	0,76936	0,447367	0,318604	0,318374	0,761519	0,626917
0,00151	0,00145	0,00071	-0,00160	-0,00084	-0,00014	0,00083	0,00684	0,00680	0,00665	0,00068	-0,00126	0,00007	-0,00251	0,00155	0,00167	0,00033	0,00066	0,00065	0,00176	0,00005	-0,00006	-0,00050	0,00044	0,00050	-0,00096	0,00541	0,00050	-0,00034	0,00017	-0,00259	0,01361	0,01336	0,00045	0,00496
14,00	14,00	22,00	13,00	12,00	17,00	22,00	4,00	4,00	4,00	22,00	15,00	18,00	10,33	8,00	14,00	11,50	11,00	12,00	13,00	12,00	22,00	18,00	19,00	22,00	38,00	8,00	22,00	18,00	22,00	15,00	5,84	5,84	19,00	5,00
0,90122	0,86788	0,85741	0,64705	0,56571	0,77737	0,89766	0,74820	0,75566	0,78210	0,98489	0,58413	0,72274	0,59123	0,37533	0,77990	0,83491	0,34011	0,32445	0,44203	0,71715	0,78598	0,75498	0,88521	0,93699	0,80252	0,62114	1,00067	0,78434	0,83796	0,53829	0,83263	0,90981	0,92440	0,84408
0,01286	0,01331	0,01473	0,02031	0,02315	0,01549	0,01471	0,01794	0,01759	0,01701	0,01284	0,02198	0,01762	0,02147	0,03336	0,01547	0,01469	0,04160	0,04372	0,03052	0,01570	0,01537	0,01641	0,01441	0,01360	0,01522	0,02129	0,01272	0,01532	0,01506	0,02296	0,01311	0,01149	0,01376	0,01483
25,00	35,00	15,00	25,00	14,00	23,00	24,00	4,40	4,46	6,00	45,00	19,00	14,00	9,83	8,00	9,00	22,00	7,00	15,00	7,00	18,00	19,00	20,00	24,00	23,00	49,00	11,00	34,00	31,00	17,00	10,16	8,00	7,00	27,00	7,00

136	135	134	133	132	131	130	129	128	127	126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102
ZJP3	VERVALR	UPKB	UNIONEL	UNIJAPN	U1IJ	U1IG	SRVK	S4WD	MONEULD	МЗАН	KLNAKTD	KAKDEKA	IWTF	IWT4	HV8A	FK8W	FK8V	FHUK	FGUC	EUROAKT	DZ7I	DWWN	DWW4	DWSVDYN	DWSJPOP	DKDP	ZPJK	ZPJF	ZGS7	UQ2E	UO1D	UNIONGL	UNIEURP	UNACATI
0,68909	0,78576	0,61216	0,82758	0,33778	0,33616	0,78917	0,62121	0,67050	0,81568	0,85460	0,83868	0,84120	0,59072	0,57783	0,70025	0,85679	0,89156	0,60392	0,76299	0,68813	0,40673	0,54283	0,28942	0,46039	0,26679	0,39129	0,64679	0,70404	0,48553	0,55702	0,54302	0,58320	0,76783	0,55943
0,00894	0,00743	0,01117	0,00736	0,01778	0,01784	0,00772	0,00969	0,00887	0,00723	0,00688	0,00666	0,00665	0,01270	0,01233	0,00896	0,00652	0,00625	0,00998	0,00765	0,00863	0,01622	0,01535	0,02123	0,01436	0,02306	0,01520	0,00983	0,00931	0,01747	0,01115	0,01119	0,01119	0,00794	0,01256
14,0	14,0	11,9	29,6	8,2	10,7	24,4	16,5	17,4	25,2	27,1	19,4	19,4	10,1	9,9	15,8	17,9	18,7	21,3	15,3	11,9	12,7	12,3	7,6	15,1	6,7	13,6	21,3	19,4	9,0	11,3	17,7	20,5	24,2	13,9
0,460311	0,836714	0,504293	0,710308	0,414626	0,393281	0,700147	0,460724	0,581625	0,721982	0,706663	0,687557	0,6883	0,196607	0,196442	0,452134	0,691039	0,691828	0,565619	0,826846	0,57814	0,417423	0,429574	0,32462	0,424088	0,327873	0,409538	0,54727	0,559549	0,361057	0,445632	0,563499	0,521674	0,598433	0,535817
0,00341	-0,00027	0,00269	0,00020	-0,00059	-0,00071	0,00016	0,00320	0,00062	0,00017	0,00018	-0,00001	-0,00001	0,02409	0,02292	0,00372	-0,00001	-0,00001	-0,00037	-0,00027	0,00063	0,00134	0,00880	-0,00102	0,00133	-0,00110	-0,00108	-0,00002	0,00023	0,00860	-0,00110	-0,00040	-0,00061	-0,00013	0,00149
17,00	19,00	14,00	15,00	7,49	6,00	15,00	16,00	15,00	19,00	18,00	16,00	16,00	3,00	3,00	16,00	15,00	15,00	16,00	17,00	15,00	16,00	7,05	4,97	16,00	4,97	7,39	17,00	17,00	6,07	11,21	17,00	16,00	17,00	11,89
0,82512	0,75459	0,67605	0,89790	0,29227	0,30134	0,84258	0,71581	0,72239	0,87163	0,94345	0,92942	0,93298	0,82615	0,80512	0,84795	0,95636	1,01175	0,62645	0,72338	0,75342	0,39913	0,60841	0,27012	0,48140	0,23119	0,38096	0,70680	0,79130	0,56033	0,62543	0,52946	0,62070	0,87002	0,57327
0,01276	0,01556	0,01795	0,01318	0,04146	0,04012	0,01406	0,01446	0,01565	0,01315	0,01212	0,01183	0,01180	0,01239	0,01206	0,01253	0,01151	0,01086	0,01918	0,01623	0,01498	0,03110	0,02094	0,04636	0,02580	0,05419	0,03195	0,01767	0,01608	0,02431	0,02033	0,02288	0,02110	0,01383	0,02269
15,00	00,8	10,32	27,00	5,71	9,00	17,00	10,25	11,00	23,00	36,00	21,00	22,00	16,00	19,00	19,00	24,00	26,00	15,00	9,00	19,00	8,00	11,00	5,45	11,00	4,00	11,00	14,00	22,00	9,00	10,38	12,00	29,00	52,00	11,00

171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137
UNI21JH	UIVA	UIV7	UI4R	UI4M	UI4L	UI3G	UI3F	UI3B	TDLB	ROC	RK1U	RK1P	RK1B	RK11	RINGAKF	OXSA	OE7A	MIAKPRW	MEAGEIN	LXFA	HJUK	GGV	FPJA	FMUD	FMMFNDS	FGMD	EZTQ	EURAKTS	DKDM	DKDJ	DKDI	DJLD	DED5	ASTRAFD
0,59044	0,49026	0,58289	0,57679	0,82020	0,55837	0,72990	0,74059	0,71798	0,71463	0,49083	0,59537	0,68242	0,56203	0,69582	0,85782	0,64152	0,51937	0,66634	0,57692	0,40952	0,82930	0,73190	0,59931	0,63626	0,33488	0,59262	0,34414	0,68671	0,92603	0,86907	0,85908	0,56833	0,72953	0,39118
0,01034	0,01640	0,01378	0,01057	0,00800	0,01183	0,00854	0,00836	0,00873	0,00967	0,01219	0,01394	0,00868	0,01055	0,01206	0,00776	0,01110	0,01273	0,00817	0,01115	0,01681	0,00802	0,00980	0,01146	0,01009	0,02149	0,01135	0,02086	0,01000	0,00722	0,00649	0,00649	0,01133	0,00758	0,01813
20,5	16,3	10,2	21,6	21,2	20,0	19,2	14,8	27,6	23,6	15,2	9,3	23,3	20,4	8,4	30,5	8,2	11,9	31,4	15,7	7,1	20,4	11,9	20,0	22,7	8,5	13,0	9,3	15,6	25,1	24,7	26,8	7,8	16,5	11,8
0,541848	0,418037	0,435103	0,546896	0,803755	0,534799	0,609833	0,618044	0,590729	0,616498	0,467217	0,39599	0,535154	0,508241	0,349195	0,816403	0,52367	0,37263	0,718006	0,555886	0,0917	0,825551	0,765804	0,462714	0,543503	695265	0,470721	0,381983	0,458259	0,814321	0,705358	0,706275	0,363877	0,598555	0,404124
-0,00191	0,00505	0,00483	-0,00189	0,00060	-0,00039	-0,00105	-0,00110	0,00035	0,00134	-0,00118	0,00768	0,00021	-0,00133	0,01150	0,00062	0,00352	0,00235	-0,00285	0,00210	0,00142	0,00064	0,00111	0,00449	0,00214	0,00296	0,00103	0,00304	0,00453	0,00074	-0,00034	-0,00038	0,00119	-0,00066	0,00305
14,00	9,24	9,46	13,00	19,00	15,00	15,00	16,00	17,00	20,00	10,63	7,23	15,00	13,00	7,00	18,00	4,00	9,00	25,00	17,00	1,70	19,00	19,00	12,00	17,00	11,57	13,00	11,20	12,47	20,00	15,00	15,00	7,00	16,00	10,00
0,62054	0,53362	0,67304	0,59581	0,83028	0,57221	0,80310	0,81549	0,79436	0,77326	0,50484	0,71356	0,77014	0,59393	0,90297	0,88232	0,71144	0,60747	0,63631	0,58863	0,60190	0,83139	0,71036	0,67912	0,69146	0,30049	8,2599	0,32166	0,82261	0,99389	0,96765	0,95096	0,69183	0,80786	0,38359
0,02090	0,02572	0,02044	0,02174	0,01505	0,02291	0,01594	0,01565	0,01521	0,01648	0,02430	0,01857	0,01495	0,02066	0,01385	0,01432	0,01716	0,01996	0,01993	0,01956	0,02215	0,01515	0,01869	0,01681	0,01662	0,04345	0,01908	0,04049	0,01388	0,01271	0,01169	0,01179	0,01908	0,01390	0,03334
18,00	11,00	9,08	19,00	14,00	15,00	20,00	13,00	24,00	24,00	12,00	9,00	18,00	23,00	9,00	26,00	8,00	14,00	23,00	10,00	13,00	14,00	8,00	16,00	16,00	6,00	11,00	6,00	27,00	21,00	30,00	31,00	8,00	16,00	8,00

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179	178	177	176	175	174	173	172
ZPJN	HV8B	HV82	HJVD	HJUU	HJUQ	HJUL	HJUI	HJUD	влгн	FTFREFF	FONDAKI	FHUA	EZTC	DWSEURO	DWSAKDE	DTVERMG	DPROVST	DJFB	DJFA	DITWEUR	DITSPZ2	DI7X	DI7U	DI7T	DI7R	CONCENT	BWKDSEU	BFGINVA	ARIDEKA	AKKMULA	UNIGLBN	UNIFDSN
0,69724	0,72810	-0,04560	0,85650	0,53450	0,68916	0,89855	0,86353	0,51052	0,65278	0,87597	0,83134	0,67962	0,86057	0,76606	0,91047	0,87182	0,71785	0,56604	0,87921	0,66681	0,66987	0,69547	0,90763	0,69907	0,67921	0,87182	0,71693	0,90109	0,69603	0,58308	0,58394	0,91755
0,00947	0,00912	0,05081	0,00810	0,01393	0,00939	0,00721	0,00874	0,01212	0,01000	0,00734	0,00836	0,00968	0,00746	0,00804	0,00830	0,00788	0,00903	0,01098	0,00779	0,01071	0,01215	0,01025	0,00756	0,00871	0,01197	0,00789	0,00918	0,00713	0,00833	0,01144	0,01130	0,00716
16,2	18,8	0,0	21,9	17,9	19,2	17,4	19,5	20,5	25,0	27,6	19,5	19,6	28,7	18,2	21,9	23,4	16,3	13,7	26,5	21,0	14,0	21,9	34,0	16,7	15,3	27,8	18,0	28,8	18,9	18,2	20,4	41,7
0,54178	0,543803	1,741589	0,69025	0,498311	0,518257	0,857902	0,766548	0,472671	0,645089	0,821918	0,685828	0,523134	0,821788	0,6204	0,758231	0,795961	0,516636	0,498054	0,782953	0,624223	0,468275	0,623739	0,840282	0,572874	0,460458	0,841589	0,525239	0,739782	0,595185	0,514021	0,523293	0,820321
0,00207	0,00203	-0,01005	0,00207	0,00276	0,00269	0,00024	0,00241	-0,00122	0,00034	0,00016	0,00208	0,00264	0,00016	0,00043	0,00246	0,00108	0,00277	-0,00087	0,00106	-0,00011	0,00535	-0,00014	0,00026	-0,00001	0,00544	0,00025	0,00263	-0,00015	-0,00071	0,00062	-0,00035	0,00061
15,00	16,00	0,88	19,00	9,57	14,00	19,00	16,00	16,00	20,00	27,00	20,00	16,00	25,00	17,00	16,00	21,00	14,00	14,00	20,00	17,00	11,38	17,00	23,00	17,00	11,35	23,00	18,00	15,00	16,00	17,00	16,00	20,00
0,79012	0,83897	-1,50619	0,95663	0,55603	0,79153	0,92277	0,92128	0,53367	0,65657	0,90915	0,91893	0,77295	0,88450	0,85332	1,00210	0,91793	0,83935	0,60818	0,93708	0,69296	0,79170	0,73883	0,94933	0,77533	0,81141	0,89073	0,83160	0,99875	0,75658	0,62460	0,62094	0,97680
0,01502	0,01425	-0,00829	0,01287	0,02397	0,01445	0,01359	0,01416	0,02383	0,01917	0,01384	0,01342	0,01496	0,01421	0,01386	0,01305	0,01385	0,01363	0,02079	0,01354	0,02030	0,01709	0,01901	0,01407	0,01543	0,01666	0,01503	0,01392	0,01281	0,01559	0,02045	0,02112	0,01281
15,00	19,00	-0,75	24,00	17,00	22,00	11,00	14,00	15,00	18,00	21,00	18,00	15,00	19,00	20,00	23,00	18,00	25,00	11,00	22,00	16,00	15,00	19,00	31,00	17,00	17,00	20,00	21,00	41,00	17,00	16,00	17,00	56,00

TABLE 20 AUSTRIAN MUTUAL FUNDS JENSEN AND TREYNOR-MAZUY REGRESSIONS PARAMETERS AND T STATISTICS

39	38	37	36	35	34	33	32	31	30	29	28	27	26	25	24	23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	ω	2	1		#	
0,0000	-0,0001	-0,0012	-0,0004	-0,0004	-0,0004	0,0007	-0,0008	-0,0011	0,0007	0,0004	0,0002	0,0008	0,0008	0,0008	-0,0003	0,0009	0,0009	-0,0005	0,0013	0,0008	0,0010	0,0002	0,0008	0,0001	0,0010	0,0009	-0,0001	-0,0001	0,0000	0,0006	0,0006	0,0007	0,0007	-0,0009	0,0002	-0,0008	-0,0009	0,0014		JEN A	
0,0	-0,1	-1,3	-0,4	-0,4	-0,4	0,5	-0,8	-1,1	0,7	0,4	0,4	0,6	0,6	0,5	-0,2	0,6	0,6	-0,5	0,9	0,5	0,6	0,3	0,6	0,1	0,6	0,6	-0,1	-0,1	0,0	0,4	0,4	0,5	0,4	-0,8	0,2	-0,7	-0,7	0,7		T A	
-0,0016	-0,0019	-0,0026	-0,0015	-0,0015	-0,0018	-0,0013	-0,0019	-0,0023	0,0001	-0,0002	-0,0006	-0,0013	-0,0013	-0,0013	-0,0021	-0,0012	-0,0012	-0,0019	-0,0008	-0,0013	-0,0012	-0,0007	-0,0013	-0,0009	-0,0012	-0,0014	-0,0013	-0,0013	-0,0017	-0,0015	-0,0016	-0,0015	-0,0016	-0,0023	-0,0018	-0,0023	-0,0026	-0,0002	Þ	TR-MAZ	1
0,73	0,71	0,79	0,80	0,80	0,76	0,66	0,82	0,81	0,88	0,88	0,88	0,63	0,64	0,63	0,70	0,64	0,64	0,77	0,64	0,63	0,62	0,84	0,64	0,84	0,61	0,61	0,81	0,81	0,71	0,62	0,63	0,61	0,62	0,74	0,66	0,74	0,70	0,78	В	TR-	OVERALL PERIOD
0,46	0,50	0,38	0,30	0,30	0,41	0,58	0,31	0,32	0,19	0,17	0,23	0,61	0,62	0,62	0,54	0,60	0,60	0,41	0,60	0,61	0,62	0,28	0,61	0,28	0,65	0,66	0,34	0,34	0,50	0,63	0,64	0,65	0,64	0,41	0,60	0,41	0,50	0,46	C	TR-	PERIOD
-1,4	-2,1	-3,0	-1,4	-1,4	-2,0	-1,2	-1,9	-2,0	0,1	-0,1	-1,0	-1,1	-1,2	-1,1	-1,4	-1,0	-1,0	-2,4	-0,7	-1,1	-1,0	-1,0	1,1	-1,2	-1,0	1,0	-1,1	-1,1	-1,3	-1,2	-1,3	-1,2	1,3	-2,1	-1,5	-2,0	-2,2	-0,1	Þ	TATS	
13,0	12,0	17,0	19,0	19,0	15,0	9,0	19,0	19,0	25,0	25,0	22,0	9,0	11,0	9,0	11,0	9,0	9,0	15,0	9,0	9,0	9,0	8,0	21,0	11,0	21,0	10,0	19,0	19,0	11,0	8,0	8,0	8,0	8,0	15,0	9,0	15,0	12,0	10,0		T B	
4,0	4,0	3,0	4,0	4,0	4,0	3,0	3,0	3,0	2,5	2,0	2,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	3,0	4,9	3,0	4,0	4,0	4,0	3,0	4,0	4,0	4,0	4,0	4,0	3,0	4,0	5,0	2,0		T C	•
-0,0025	-0,0026	-0,0034	-0,0020	-0,0020	-0,0023	-0,0024	-0,0025	-0,0027	-0,0007	-0,0011	0,0000	-0,002	-0,0025	-0,0024	-0,0026	-0,0024	-0,002	-0,002:	-0,0018	-0,0025	-0,002	-0,0012	-0,002	-0,001	-0,002	-0,002	-0,002	-0,0023	-0,002	-0,0026	-0,0023	-0,002	-0,0027	-0,0028	-0,0028	-0,0028	-0,0038	-0,0015		JEN A	
			0 -1,7			4 -3,0										4 -3,0						2 -1,0			4 -2,3		7				3 -2,9			3 -2,5		3 -2,5	3 -3,1			ΤA	÷
-0,0031	-0,0036	-0,0040	-0,0021	-0,0021		-0,0036		-0,0027						-0,0041			-0,0045					-0,0012						-0,0011			-0,0044			-0,0037		-0,0037	-0,0048	0,0008	Þ	TR-MAZ	•
0,54	0,45	0,53	0,58	0,58	0,52	0,43	0,58	0,58	0,76	0,76	0,81	0,35	0,34	0,35	0,53	0,37	0,37	0,56	0,36	0,36	R	0,66		-				0,70	0,48	0,36	0,36	0,31	0,35	0,49	0,45	0,49	0,53	0,81	В	TR-	SUBPERIOD ONE
0,89	1,57	0,80	0,14	0,14	0,23	1,88	0,18	-0,06	-1,04	-0,96	-0,57	2,95	3,35	2,57								0,09	3,18	0,11	4,31	3,28	-1,88	-1,85	0,19	3,32	3,24	4,13	3,93	1,30	0,92	1,30	1,57	-3,52	C	TR-	OD ONE
-2,4	-3,6	-3,0	-1,7	-1,7	-1,9	-4,6	-1,8	-1,9	0,0	-0,3	0,7	-5,1	-5,9	-5,1	-1,2	-5,5	-5,5	-1,7	-5,0	-5,3	-4,3	-0,9	-4,5	-1,1	-4,4	-4,6	-0,8	-0,8	-2,0	-5,4	-5,2	-5,1	-5,3	-3,0	-3,0	-3,0	-3,6	0,3	Þ	TATS	4
11,0	8,0	10,0	13,2	13,2	12,0	9,7	10,5	11,5	12,0	12,0	26,0	11,6	10,0	12,5	8,2	12,9	12,9	13,0	13,2	11,9	7,0	14,6	7,0	14,6	6,0	8,9	14,4	14,4	10,0	8,0	12,3	8,9	10,0	11,3	9,0	11,3	11,3	8,9		T B	
1,0	2,0	0,9	0,2	0,2	0,3	2,3	0,2	-0,1	-1,0	-1,0	-1,0	5,4	5,0	5,0	-0,4	6,1	6,1	-0,1	6,2	5,8	5,0	0,1	4,0	0,1	5,0	4,8	-2,1	-2,1	0,2	5,0	6,0	6,5	6,1	1,6	1,0	1,6	1,8	-2,1		TC	
0,0033	0,0033	0,0020	0,0021	0,0021	0,0025	0,0047	0,0018	0,0015	0,0027	0,0024	0,0008	0,0052	0,0053	0,0052	0,0029	0,0052	0,0052	0,0022	0,0055	0,0051	0,0052	0,0024	0,0050	0,0023	0,0056	0,0056	0,0027	0,0027	0,0033	0,0050	0,0046	0,0050	0,0051	0,0021	0,0042	0,0022	0,0027	0,0045		JEN A	
1,7	1,9	1,4	1,4	1,4	1,5	2,0	1,3	1,0	1,6	1,5	0,9	2,1	2,2	2,0	1,2	2,3	2,3	1,4	2,2	2,0	2,0	1,5	2,2	1,4	2,3	2,2	1,7	1,7	1,5	2,0	1,9	1,9	2,2	1,1	1,9	1,2	1,4	1,2		T A	•
0,0005	0,0004	-0,0001	0,0004	0,0004	0,0001	0,0012	0,0001	-0,0003	0,0016	0,0015	-0,0007	0,0016	0,0016	0,0015	-0,0005	0,0016	0,0016	-0,0003	0,0019	0,0015	0,0015	0,0008	0,0014	0,0006	0,0018	0,0017	0,0006	0,0006	0,0003	0,0012	0,0007	0,0011	0,0013	-0,0003	0,0006	-0,0002	-0,0003	0,0014	Þ	TR-MAZ	
0,75	0,73	0,81	0,82	0,82	0,79	0,68	0,84	0,84	0,90	0,90	0,89	0,66	0,67	0,66	0,72	0,67	0,67	0,79	0,67	0,66	0,65	0,86	0,67	0,86	0,64	0,64	0,82	0,82	0,73	0,65	0,66	0,64	0,65	0,77	0,68	0,77	0,71	0,78	В	TR-	SUBPERIOD TWO
0,42	0,44	0,32	0,26	0,26	0,36	0,53	0,27	0,27	0,16	0,14	0,22	0,54	0,55	0,56	0,51	0,53	0,54	0,37	0,54	0,54	0,56	0,25	0,54	0,25	0,57	0,59	0,32	0,31	0,45	0,56	0,58	0,58	0,57	0,35	0,55	0,35	0,45	0,46	C	TR-	OWT DC
0,3	0,2	-0,1	0,2	0,2	0,1	0,6	0,0	-0,2	1,0	0,7	-0,4	0,7	0,8	0,7	-0,2	0,7	0,8	-0,2	0,9	0,7	0,7	0,4	0,7	0,3	0,8	0,7	0,3	0,3	0,1	0,5	0,3	0,5	0,6	-0,1	0,3	-0,1	-0,2	0,4	Þ	TATS	
12,0	12,0	16,0	19,0	19,0	15,0	9,0	19,0	19,0	24,0	24,0	20,0	8,0	11,0	8,0	11,0	9,0	9,0	14,0	11,0	11,0	8,0	21,0	11,0	21,0	10,0	9,0	18,0	18,0	11,0	8,0	8,0	10,0	10,0	14,0	8,0	14,0	12,0	9,0		T B	
3,0	3,0	3,0	4,1	4,1	3,0	3,0	3,0	3,0	2,0	2,0	2,0	3,0	3,0	3,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,4							3,0								4,0	2,0		T C	

84	83	82	81	80	79	78	77	76	75	74	73	72	71	70	69	68	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49	48	47	46	45	44	43	42	41	40
0,0000	0,0001	0,0014	0,0013	0,0010	-0,0004	0,0000	-0,0001	-0,0004	0,0007	0,0008	-0,0006	-0,0007	0,0008	0,0005	-0,0004	0,0002	0,0000	0,0006	0,0000	0,0001	-0,0012	-0,0005	-0,0012	-0,0001	-0,0017	-0,0018	0,0001	-0,0016	-0,0012	0,0004	0,0000	-0,0007	-0,0004	-0,0008	-0,0005	0,0004	0,0012	0,0007	0,0006	-0,0008	-0,0013	-0,0011	0,0009	0,0007
0,0	0,1	1,5	1,3	1,1	-0,3	0,0	-0,1	-0,4	1,3	1,6	-0,6	-0,6	0,8	0,5	-0,3	0,3	0,0	0,6	0,0	0,1	-1,1	-0,5	-1,3	-0,1	-1,3	-1,4	0,1	-1,6	-1,3	0,7	0,0	-0,7	-0,3	-0,8	-0,5	0,3	2,0	9,0	0,5	-0,8	-1,2	-1,1	1,0	8,0
-0,0015	-0,0014	9000,0	0,0002	0,0000	-0,0020	-0,0016	-0,0013	-0,0018	-0,0002	0,0000	-0,0019	-0,0020	-0,0002	-0,0005	-0,0017	-0,0012	-0,0014	-0,0010	-0,0015	-0,0013	-0,0026	-0,0018	-0,0026	-0,0017	-0,0029	-0,0029	-0,0014	-0,0025	-0,0023	-0,0003	-0,0007	-0,0023	-0,0019	-0,0022	-0,0019	-0,0013	0,0004	-0,0009	-0,0013	-0,0023	-0,0027	-0,0022	-0,0002	-0,0004
0,78	0,76	0,87	0,85	0,85	0,73	0,74	0,78	0,78	0,86	0,86	0,77	0,76	0,86	0,85	0,76	0,78	0,78	0,73	0,72	0,78	0,77	0,79	0,79	0,74	0,83	0,83	0,75	0,84	0,84	0,90	0,90	0,77	0,76	0,80	0,79	0,72	0,86	0,72	0,67	0,78	0,78	0,80	0,85	0,84
0,42	0,43	0,23	0,29	0,29	0,46	0,45	0,36	0,41	0,25	0,24	0,38	0,37	0,28	0,29	0,39	0,41	0,41	0,47	0,45	0,41	0,41	0,40	0,40	0,47	0,34	0,34	0,45	0,26	0,30	0,19	0,19	0,44	0,44	0,40	14,0	0,50	0,24	0,48	95,0	0,41	0,42	88,0	0,31	0,31
-1,9	-1,3	0,5	0,2	0,0	-1,6	-1,3	-1,3	-2,1	-0,2	0,0	-2,1	-1,7	-0,1	-0,3	-1,5	-1,2	-1,5	-0,9	-1,3	-1,3	-2,4	-2,1	-2,3	-1,6	-2,1	-2,1	-1,4	-2,2	-2,1	-0,3	-0,7	-2,0	-2,2	-2,6	-2,2	-0,9	0,4	-0,9	-1,1	-2,5	-3,0	-2,2	-0,1	-0,3
15,0	15,0	25,0	20,0	20,0	13,0	15,0	17,0	14,0	24,0	24,0	16,0	21,0	22,0	22,0	20,0	16,0	16,0	14,0	12,0	14,0	14,0	16,0	16,0	12,0	19,0	19,0	14,0	24,0	24,0	26,0	26,0	14,0	14,0	15,0	15,0	12,0	22,0	12,0	10,0	15,0	15,0	18,0	21,0	21,0
3,0	4,0	3,0	3,0	3,0	3,0	4,0	3,0	3,0	2,4	2,4	3,0	4,0	3,0	3,0	4,0	4,0	4,0	4,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	4,0	1,8	2,0	3,0	3,0	3,0	3,0	4,0	2,0	4,0	4,0	3,0	3,0	3,0	3,0	3,0
-0,0017	-0,0022	0,0006	0,0008	0,0006	-0,0038	-0,0023	-0,0026	-0,0023	0,0005	0,0007	-0,0029	-0,0040	0,0011	0,0010	-0,0035	-0,0016	-0,0018	-0,0004	-0,0030	-0,0017	-0,0032	-0,0024	-0,0035	-0,0031	-0,0048	-0,0049	-0,0025	-0,0021	-0,0020	0,0007	0,0005	-0,0030	-0,0027	-0,0026	-0,0025	-0,0021	0,0012	-0,0015	-0,0023	-0,0030	-0,0032	-0,0027	0,0005	0,0004
				0,5	-2,6	-2,4		-1,9	0,9			-3,0	H	0,7	-2,0		-2,0		-2,4	-1,8	-2,5		-2,8					_		1,3					-1,8		2,0							0,3
-0,0020	-0,0023	0,0021	0,0018	0,0016	-0,0039	-0,0024	-0,0027	-0,0025	0,0007	0,0009	-0,0036	-0,0052	0,0021	0,0020	-0,0049	-0,0021	-0,0021	-0,0017	-0,0043	-0,0016	-0,0034	-0,0025	-0,0035	-0,0038	-0,0045	-0,0045	-0,0032	-0,0031	-0,0030	0,0011	8000,0	-0,0030	-0,0026	-0,0030	-0,0028	-0,0027	0,0012	-0,0023	-0,0036	-0,0030	-0,0031	-0,0036	0,0013	0,0012
+			0,73	0,73				0,51	0,75	0,75		0,50		0,72	0,52	0,53	0,53	0,42			1						0,55			0,89		0,56				0,48		0,52			0,55	0,49	0,72	0,72
0,44	0,13	-2,31	-1,56	-1,54	0,10	0,12	0,15	0,29	-0,26	-0,31	1,21	1,90	-1,58	-1,57	2,24	0,65	0,52	2,07	1,97	-0,12	0,31	0,04	0,10	1,05	-0,53	-0,57	1,12	1,51	1,49	-0,51	-0,47	-0,09	-0,13	0,46	0,51	0,83	0,04	1,21	1,96	0,02	-0,11	1,49	-1,22	-1,25
-2,4	-2,4	1,4	1,2	1,1	-2,3	-2,3	-2,2	-1,9	1,0	1,2	-2,6	-3,7	1,3	1,3	-3,2	-2,6	-2,6	-1,9	-3,0	-1,8	-2,4	-1,6	-2,8	-3,0	-2,1	-2,1	-2,6	-2,1	-2,1	1,7	1,2	-2,9	-2,6	-2,7	-2,6	-1,6	1,7	-1,9	-4,2	-1,9	-2,0	-2,8	0,9	8,0
11,0	11,0	14,4	13,9	13,8	9,0	10,0	12,0	10,8	21,0	22,0	10,0	10,3	12,9	12,9	10,0	12,0	12,0	10,0	10,0	12,0	11,5	11,1	10,0	11,0	8,9	8,9	12,5	10,5	10,6	27,0	27,0	10,0	10,0	10,0	10,0	8,1	21,0	12,2	13,3	10,4	9,9	10,0	13,2	13,1
0,6	0,1	-2,3	-1,6	-1,6	0,1	0,1	0,2	0,3	-0,4	-0,4	1,1	2,1	-1,5	-1,5	2,2	1,0	0,9	2,4	2,3	-0,1	0,3	0,0	0,1	1,2	-0,4	-0,4	1,4	1,6	1,6	-0,9	-0,8	-0,1	-0,2	0,7	0,7	8,0	0,1	1,5	3,5	0,0	-0,1	1,8	-1,2	-1,2
0,0027	0,0034	0,0027	0,0023	0,0020	0,0040	0,0033	0,0034	0,0026	0,0014	0,0016	0,0026	0,0036	0,0011	0,0006	0,0036	0,0032	0,0028	0,0028	0,0040	0,0028	0,0018	0,0024	0,0018	0,0038	0,0021	0,0020	0,0035	0,0001	0,0007	0,0002	-0,0003	0,0025	0,0029	0,0020	0,0025	0,0039	0,0018	0,0038	0,0047	0,0023	0,0017	0,0017	0,0019	0,0016
1,8	2,0	2,0	1,7	1,5	2,1	1,9	2,1	1,6	1,6	1,8	1,6	1,8	0,7	0,4	1,8	2,0	1,8	1,5	2,0	1,7	1,0	1,9	1,3	2,0	1,6	1,5	1,9	0,0	0,5	0,2	-0,3	1,5	1,8	1,3	1,6	1,7	1,8	1,8	2,1	1,5	1,2	1,2	1,5	1,2
0,0002	0,0008	0,0013	0,0004	0,0002	0,0013	0,0006	0,0013	0,0002	-0,0001	0,0001	0,0004	0,0016	-0,0007	-0,0012	0,0014	0,0007	0,0004	0,0000	0,0014	0,0003	-0,0007	0,0001	-0,0006	0,0010	0,0002	0,0001	0,0009	-0,0013	-0,0009	-0,0011	-0,0016	-0,0002	0,0003	-0,0004	0,0000	0,0009	0,0003	0,0010	0,0014	-0,0002	-0,0007	0,0000	0,0000	-0,0004
0.80	0,78	0,88	0,86	0,86	0,75	0,76	0,80	0,80	0,87	0,88	0,80	0,79	0,87	0,87	0,78	0,80	0,80	0,76	0,75						0,84							0,79		0,82	0,81	0,74	0,87	0,74	0,69	0,81	0,80	0,83	0,86	0,86
0.37	0,38	0,22	0,28	0,28	0,40	0,40	0,31	0,35	0,23	0,23	0,33	0,30	0,27	0,28	0,33	0,36	0,36	0,41	0,39	0,37	0,37	0,35	0,36	0,42	0,30	0,29	0,40	0,20	0,24	0,20	0,20	0,40	0,40	0,35	0,36	0,44	0,22	0,43	0,50				0,29	
0,1	0,5	0,7	0,2	0,1	0,6	0,3	0,8	0,1	-0,1	0,1	0,2	8,0	-0,3	-0,6	0,8	0,5	0,3	0,0	0,8	0,2	-0,4	0,0	-0,4	0,5	0,1	0,0	0,5	-0,7	-0,5	-0,6	-1,4	-0,1	0,2	-0,2	0,0	0,4	0,2	0,5	0,7	-0,1	-0,4	0,0	0,0	-0,2
14,0	14,0	24,0	19,0	19,0	12,0	14,0	16,0	14,0	22,0	22,0	16,0	16,0	21,0	20,0	20,0	15,0	15,0	13,0	12,0	14,0	14,0	15,0	15,0	12,0	18,0	18,0	14,0	25,0	25,0	24,0	24,0	13,0	13,0	15,0	15,0	12,0	21,0	12,0	10,0	14,0	14,0	18,0	19,0	0,eT
								2,5		2,0		<u> </u>			3,0		3,0					3,0		3,0																			3,0	

129	128	127	126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102	101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85
-0,0003	-0,0006	-0,0005	0,0001	-0,0001	0,0004	-0,0001	-0,0008	0,0006	0,0012	0,0000	0,0007	0,0007	0,0008	0,0008	0,0007	-0,0003	0,0005	0,0006	0,0001	-0,0003	-0,0009	-0,0006	-0,0002	-0,0007	-0,0005	-0,0005	-0,0004	-0,0005	-0,0008	-0,0011	0,0013	0,0000	-0,0004	-0,0007	-0,0019	0,0002	0,0005	-0,0004	0,0001	-0,0007	-0,0005	-0,0006	-0,0004	0,0006
-0,3	-0,6	-0,5	0,1	-0,1	0,4	-0,1	-0,6	0,6	1,2	0,0	0,5	0,7	0,9	1,6	1,4	-0,2	1,1	0,5	0,1	-0,3	-0,9	-0,6	-0,3	-0,8	-0,5	-0,5	-0,3	-0,5	-0,6	-0,9	1,2	0,0	-0,5	-0,6	-1,7	0,3	0,5	-0,4	0,1	-0,7	-0,5	-0,5	-0,3	0,5
-0,0014	-0,0017	-0,0016	-0,0011	-0,0013	-0,0011	-0,0014	-0,0020	-0,0006	-0,0002	-0,0015	-0,0009	-0,0001	0,0001	0,0000	-0,0001	-0,0019	-0,0002	-0,0008	-0,0012	-0,0017	-0,0022	-0,0017	-0,0014	-0,0020	-0,0018	-0,0018	-0,0018	-0,0019	-0,0020	-0,0024	0,0001	-0,0015	-0,0019	-0,0021	-0,0033	-0,0010	-0,0008	-0,0019	-0,0013	-0,0022	-0,0019	-0,0019	-0,0017	-0,0010
0,81	0,81	0,79	0,79	0,79	0,77	0,76	0,76	0,79	0,79	0,77	0,74	0,90	0,89	0,90	0,90	0,75	0,90	0,80	0,79	0,79	0,79	0,81	0,81	0,81	0,81	0,81	0,76	0,76	0,77	0,77	0,81	0,78	0,78	0,78	0,78	0,81	0,81	0,76	0,76	0,77	0,77	0,76	0,76	0,79
0,31	0,31	0,34	0,34	0,35	0,43	0,36	0,36	0,35	0,40	0,44	0,47	0,21	0,21	0,22	0,22	0,46	0,22	0,39	0,40	0,39	0,40	0,32	0,32	0,38	0,38	0,38	0,40	0,40	0,37	0,37	0,34	0,42	0,42	0,40	0,41	0,37	0,37	0,43	0,41	0,41	0,41	0,38	0,38	0,46
-1,3	-1,6	-1,6	-1,1	-1,2	-1,1	-1,1	-1,7	-0,6	-0,2	-1,4	-0,7	0,0	0,1	0,0	-0,1	-2,0	-0,2	-0,7	-1,1	-1,9	-2,1	-1,9	-1,4	-2,5	-2,1	-2,2	-1,6	-2,0	-1,7	-2,0	0,1	-1,9	-2,4	-2,0	-2,8	-0,9	-0,7	-2,0	-1,3	-2,1	-2,1	-1,9	-1,6	-1,1
20,0	20,0	18,0	18,0	18,0	15,0	20,0	20,0	16,0	17,0	14,0	13,0	26,0	25,0	25,0	25,0	12,0	25,0	17,0	17,0	16,0	16,0	22,0	22,0	17,0	17,0	17,0	14,0	14,0	20,0	20,0	19,0	15,0	15,0	16,0	15,0	20,0	20,0	14,0	14,0	16,0	16,0	16,0	16,0	12,0
4,0	4,0	4,0	4,0	4,0	3,0	3,0	3,0	2,5	3,0	3,0	4,0	2,5	3,0	2,0	2,0	3,0	2,0	3,0	3,0	3,0	3,0	4,0	4,0	3,0	3,0	3,0	4,0	4,0	4,0	4,0	4,0	3,0	3,0	4,0	4,0	5,0	5,0	3,0	4,0	4,0	4,0	4,0	4,0	2,0
-0,0027	-0,0030	-0,0028	-0,0022	-0,0024	-0,0017	-0,0034	-0,0044	0,0009	0,0013	-0,0018	-0,0021	0,0001	0,0002	0,0005	0,0004	-0,0029	0,0003	0,0008	0,0005	-0,0028	-0,0034	-0,0026	-0,0023	-0,0023	-0,0021	-0,0021	-0,0031	-0,0032	-0,0040	-0,0042	-0,0004	-0,0020	-0,0022	-0,0031	-0,0043	-0,0014	-0,0012	-0,0028	-0,0026	-0,0031	-0,0028	-0,0034	-0,0033	-0,0012
				1 -2,1	7 -1,8	1 -2,7		-	1,4		1 -1,5		0,1	0,9	0,6		0,4	0,8	0,4	3 -2,2			-		1 -1,7			2 -2,5		2 -3,0					3 -2,8									2 -1,0
-0,0038	-0,0041	-0,0044	-0,0036	-0,0040	-0,0016	-0,0040	-0,0051	0,0008	0,0012	-0,0020	-0,0019	0,0014	0,0014	0,0013	0,0011	-0,0033	0,0011	0,0006	0,0003	-0,0025		-0,0043		-0,0024	-0,0023	-0,0023	-0,0038	-0,0038	-0,0051	-0,0054	0,0003	-0,0020	-0,0020	-0,0030	-0,0039	-0,0009	-0,0007	-0,0033	-0,0032	-0,0037	-0,0034	-0,0044	-0,0043	-0,0010
					0,57			0,55	0,55		0,53	0,76	0,76	0,85	0,85		0,84	0,55	0,56	0,59	R		0,51		0,53			0,51	0,50													0,49	H	0,61
1,69	1,73		_	2,35	-0,14	0,88				0,27	-0,30	-1,89		-1,16	-1,17		-1,26		0,28				2,59		0,35			0,93		1,74						-0,72	-0,77	0,69	0,85	0,98			1,52	-0,31
-3,1	-3,3	-3,4	-3,1	-3,1	-1,8	-2,8	-3,6	0,7	1,2	-2,2	-1,2	0,9	0,9	1,9	1,7	-2,3	1,6	0,6	0,2	-1,8	-2,3	-3,8	-3,5	-1,8	-1,7	-1,7	-2,6	-2,7	-3,4	-3,5	0,2	-2,3	-2,2	-2,0	-2,5	-0,7	-0,5	-2,6	-2,5	-2,9	-2,6	-3,5	-3,5	-0,7
12,5	12,2	11,4	12,6	11,4	12,8	10,5	10,2	14,5	15,1	10,0	98,4	14,1	14,2	25,0	25,0	11,1	24,0	14,4	14,0	12,3	12,4	12,7	12,7	10,9	11,0	11,0	10,0	10,1	9,4	9,2	12,9	11,0	11,0	10,0	9,0	13,3	13,4	12,6	13,0	11,0	11,0	11,4	11,5	12,7
			2,9									è												0,3								-0,1			-2,6			0,9	1,1	1,0			1,9	
0,0032	0,0028	0,0029	0,0034	0,0033	0,0033	0,0041	0,0038	0,0014	0,0021	0,0029	0,0044	0,0018	0,0020	0,0014	0,0013	0,0032	0,0012	0,0015	0,0009	0,0030	0,0025	0,0025	0,0029	0,0019	0,0023	0,0023	0,0034	0,0032	0,0035	0,0032	0,0037	0,0029	0,0023	0,0027	0,0014	0,0027	0,0030	0,0030	0,0036	0,0026	0,0028	0,0034	0,0035	0,0032
			2,5					0,8				1,2								H			-	1,5											_				2,1			H	2,0	
0,0016	0,0011	0,0011	0,0015	0,0014	0,0007	0,0021	0,0018	-0,0008	-0,0004	0,0003	0,0016	0,0005	0,0007	-0,0001	-0,0001	0,0004	-0,0003	-0,0009	-0,0016	0,0007	0,0002	0,0008	0,0012	-0,0002	0,0001	0,0001	0,0011	0,0009	0,0015	0,0011	0,0016	0,0004	-0,0002	0,0003	-0,0010	0,0004	0,0008	0,0005	0,0012	0,0002	0,0004	0,0012	0,0014	0,0003
0,84	0,84	0,82	0,82	0,82	0,79	0,79	0,79	0,81	0,81	0,80	0,77	0,91	0,91	0,90	0,90	0,77	0,90	0,82								0,83	0,79	0,79	0,80	0,80					0,80	0,83	0,83	0,78	0,78	0,80	0,80	0,79	0,78	0,80
			0,28																													0,37						0,38				H	0,32	
1,3	0,7	0,7	1,2	1,2								0,2												-0,1								0,2				0,2	0,4	0,3	0,7	0,1	0,2	0,7	0,8	0,2
20,0	20,0	18,0	18,0	18,0				16,0				25,0									15,0	23,0	23,0	16,0	16,0	16,0	15,0	15,0	16,0	16,0	18,0	14,0	14,0	15,0	15,0	20,0	20,0	14,0	14,0	15,0	16,0	16,0	16,0	11,0
			3,0					2,1) 2,1								H	H	H	3,7					3,0										3,0					3,6	

174	173	172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130
0,0014	0,0015	0,0016	0,0004	0,0003	0,0011	0,0009	-0,0001	0,0001	0,0011	0,0009	0,0011	0,0001	-0,0002	0,0002	0,0004	0,0003	-0,0005	-0,0003	-0,0003	-0,0003	-0,0004	-0,0003	-0,0006	-0,0005	0,0007	0,0003	0,0010	-0,0001	-0,0005	-0,0010	0,0007	0,0005	-0,0005	-0,0005	0,0005	0,0005	0,0004	0,0003	-0,0004	0,0001	0,0000	-0,0007	-0,0004	-0,0002
1,4	1,5	1,6	0,7	0,4	0,5	0,4	-0,1	0,1	0,9	1,9	2,4	0,1	-0,1	0,2	0,3	0,2	-0,4	-0,3	-0,3	-0,3	-0,3	-0,3	-0,4	-0,3	0,6	0,3	0,9	-0,1	-0,5	-1,0	0,5	0,4	-0,4	-0,4	0,4	0,4	0,3	0,3	-0,4	0,1	0,0	-0,8	-0,3	-0,1
0,0005	0,0007	0,0007	-0,0004	-0,0006	0,0001	0,0000	-0,0019	-0,0017	-0,0005	0,0001	0,0003	-0,0016	-0,0019	-0,0015	-0,0013	-0,0014	-0,0019	-0,0018	-0,0018	-0,0017	-0,0018	-0,0017	-0,0020	-0,0019	-0,0007	-0,0013	-0,0002	-0,0016	-0,0019	-0,0023	-0,0012	-0,0014	-0,0022	-0,0021	-0,0012	-0,0012	-0,0014	-0,0010	-0,0018	-0,0014	-0,0015	-0,0018	-0,0019	-0,0016
0,88	0,88			0,86		0,84					0,88				0,69								0,78	0,77											0,73		0,73	0,78	0,77				H	0,79
0,24	0,24	0,23	0,24	0,24	0,28	0,26	0,52	0,54	0,47	0,23	0,23	0,49	0,49	0,49	0,49	0,49	0,41	0,42	0,42	0,39	0,39	0,39	0,41	0,41	0,38	0,46	0,35	0,45	0,38	0,39	0,55	0,55	0,46	0,46	0,50	0,50	0,50	0,39	0,41	0,44	0,43	0,33	0,44	0,40
0,4	0,5	0,6	-0,5	-0,6	0,1	0,0	-1,4	-1,3	-0,4	0,1	0,4	-1,2	-1,4	-1,1	-1,0	-1,1	-1,9	-1,6	-1,6	-1,4	-1,5	-1,4	-1,5	-1,4	-0,6	-1,1	-0,2	-1,4	-2,0	-2,2	-0,9	-1,1	-1,6	-1,6	-0,9	-1,0	-1,1	-1,0	-2,0	-1,3	-1,4	-2,0	-2,0	-1,1
26,0	26,0	26,0	25,0	25,0	24,3	24,4	10,0	10,0	14,0	27,0	27,0	15,0	13,0	13,0	11,0	15,0	16,0	16,0	16,0	20,0	20,0	20,0	19,0	19,0	16,0	13,0	19,0	12,0	17,0	17,0	14,0	14,0	16,0	16,0	13,0	13,0	13,0	17,0	14,0	14,0	15,0	19,0	14,0	17,0
3,0	3,0	3,0	3,0	3,0	2,8	2,5	4,0	4,0	4,0	2,3	2,3	4,0	4,0	4,0	5,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	5,0	4,0	4,0	4,0	4,0	3,0	4,0	4,0	4,0				4,0	4,0	4,0	4,0		3,0	3,0	3,0	3,0	3,0
0,0006	0,0007	8000,0	0,0001	-0,0001	-0,0013	-0,0014	-0,003	-0,0036	-0,0014	0,0012	0,001	-0,0036	-0,0030	-0,0025	-0,0032	-0,0034	-0,0030	-0,0029	-0,0029	-0,0036	-0,003	-0,0036	-0,0037	-0,0036	-0,0018	-0,0023	-0,0011	-0,0025	-0,0027	-0,0031	-0,0030	-0,0030	-0,0042	-0,0042	-0,0018	-0,0018	-0,0019	-0,0019	-0,0028	-0,0022	-0,0025	-0,0023	-0,0026	-0,001
	7 0,5			1 -0,1	.3 -0,4	.4 -0,5			.4 -1,1						2 -2,5		0 -2,4		.9 -2,3	6 -2,4		6 -2,4	7 -1,9	6 -1,9						1 -2,6					.8 -1,7		.9 -1,7	.9 -1,8					.6 -2,2	-
-				-0,0003		0,0012			-0,0012		0,0013		-0,0028	-0,0024	-0,0052		-0,0041	-0,0040	-0,0040	-0,0056		-0,0056		-0,0053											-0,0023			-0,0024	-0,0029				H	-0,0006
	2 0,77				3 0,78	2 0,78			.2 0,57			6 0,41					11 0,52				R	6 0,52								38 0,54					23 0,53								36 0,49	
H	_			3 0,30		3 -3,96			7 -0,23			3,01		2 -0,25					2 1,65	2 3,07		2 3,07											9 1,61		3 0,71	3 0,71	2 0,59	4 0,78					9 1,51	
-			-0,2		7 0,4	5 0,4						-3,9	-											-2,5								-3,7			-1,6			-2,1				-2,0		0,0
-				3 23,1				3 7,4				8,0										9,3										, 9,3											11,0	
\vdash			1 0,5									3,2																				3,1					2 0,6						1,9	
\vdash	0,0027					0,0036			0,0044			0,0049	1				0,0031					0,0038										0,0050							0,0030					0,0017
			15 1,5									49 2,0																									36 1,9			33 2,			30 1,8	
										-	<u> </u>																												1,9 0,0	,1 0,0				
			0,0001									0,0021					0,0007															0,0018			0,0007	0,0007	2005	0,0012	0,0006				0,0004	
0,89	0,89	0,89	0,88	0,88	0,85	0,85	0,70	0,70	0,78	0,89	0,89	0,72	0,76	0,76	0,72	0,72	0,80	0,79	0,79	0,78	0,78	0,78	0,80	0,80	0,79	0,77	0,84	0,79	0,81	0,81	0,70	0,70	0,77	0,77	0,75	0,75	0,76	0,81	0,79	0,79	0,79	0,85	0,79	0,81
0,22	0,22	0,22	0,21	0,21	0,27	0,24	0,44	0,47	0,43	0,22	0,22	0,42	0,44	0,44	0,42	0,42	0,35	0,36	0,36	0,33	0,33	0,33	0,35	0,35	0,31	0,41	0,31	0,41	0,33	0,33	0,48	0,48	0,40	0,40	0,46	0,46	0,45	0,33	0,36	0,39	0,39	0,28	0,38	0,37
0,5	0,6	0,6	0,1	0,0	0,7	0,7	0,8	0,8	1,0	-0,2	0,0	1,0	0,3	0,5	1,0	1,0	0,4	0,5	0,5	0,9	8,0	0,9	0,6	0,6	1,6	0,6	1,2	0,2	0,3	0,0	1,0	8,0	8,0	8,0	0,3	0,3	0,2	0,7	0,3	0,4	0,4	0,1	0,2	-0,3
25,0	25,0	24,0	24,0	24,0	23,9	24,0	10,0	10,0	13,0	25,0	25,0	11,0	13,0	13,0	11,0	11,0	15,0	15,0	15,0	19,0	19,0	19,0	16,0	16,0	15,0	13,0	19,0	12,0	17,0	16,0	13,0	13,0	13,0	13,0	13,0	13,0	13,0	16,0	14,0	14,0	14,0	18,0	13,0	17,0
2,9	2,9	2,9	2,1	2,0	2,6	2,3	3,0	3,6	3,3	1,9	2,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	4,0	3,0	3,0	3,2	3,5	3,5	3,0	3,1	3,2	2,3	3,0	3,0	4,0	3,5	3,4	3,4	4,0	4,0	4,0	3,0	2,5	3,0	3,0	2,2	2,6	3,0

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179	178	177	176	175
0,0010	0,0010	-0,0008	0,0005	0,0004	0,0013	0,0010	-0,0010	-0,0011	0,0012	0,0011	0,0011	0,0012	0,0009	-0,0001	0,0004	-0,0001	0,0001	-0,0003	-0,0002	-0,0001	-0,0005	0,0003	0,0004	0,0002	0,0002	0,0006	0,0017	0,0015	0,0018
0,7	0,7	-0,7	0,4	0,3	1,2	0,8	-1,0	-1,1	1,0	1,0	1,1	1,1	0,9	-0,1	0,4	-0,1	0,1	-0,4	-0,2	-0,1	-0,6	0,3	0,4	0,2	0,2	0,5	1,5	1,3	1,5
-0,0005	-0,0005	-0,0017	-0,0006	-0,0007	0,0001	-0,0007	-0,0018	-0,0018	-0,0004	-0,0002	0,0004	-0,0001	0,0002	-0,0013	-0,0008	-0,0014	-0,0012	-0,0015	-0,0014	-0,0015	-0,0017	-0,0010	-0,0010	-0,0012	-0,0015	-0,0012	0,0006	0,0004	0,0007
0,71		0,84		0,82	0,80	0,72		0,86	0,76	0,82	0,89	0,82	0,89				0,82			0,77	0,83	0,78	0,77		0,76		0,83	0,83	0,83
0,44	0,44	0,28	0,33	0,33	0,34	0,48	0,22	0,22	0,47	0,39	0,21	0,39	0,19	0,34		0,37			0,32	0,40	0,34	0,35	0,41	0,41	0,49	0,50	0,32	0,32	0,32
-0,4	-0,4				0,1			-1,8			0,3		0,2			-1,3			4			Ż					0,5	0,3	0,5
16,0		21,0			17,0	13,0	26,0	26,0					27,0			4	18,0			15,0		19,0				14,0	20,0	20,0	20,0
		3,0						3,0			3,0		2,0				3,0	7		3,0					4,0				4,0
-0,0032	-0,0032	-0,0037	-0,0009	-0,0011	-0,0010	-0,0023	-0,0033	-0,0033	-0,0007	-0,0013	0,0005	-0,001	0,0002	-0,0029	-0,0019	-0,0022	-0,0019	-0,002	-0,0024	-0,0026	-0,0002	-0,0022	-0,0022	-0,0025	-0,0026	-0,0022	0,0003	-0,0001	0,0004
32 -2,0		37 -2,5							4		5 0,3		2 0,1							26 -2,4				_		22 -1,7			4 0,2
						1 -0,0032	. 4							2 -0,0044		0,0021		_						_	_				0,0010
						7				-																			
0,51 2,		0,57 2,				0,49 1,							0,75 -2,				0,58 -0,			0,48 2,			0,55 -0,			0,51 -0,			0,69 -0,
			-1,47 0										-2,64 1							2,59 -3						-0,04 -1			-0,92 0
-2,8		V				-2,6 1:		-1,8 10		-0,6			1,2			-1,7													0,6 13
		10,2 2,		,7 -1,3	14,8 3,								13,0 -2,5				13,6 -0,						10,5 -0,5		8,8 0,	,8 0,0			12,0 -0,9
																													,9 0,0038
0,0060											0,0024 1		0,0022 1				0,0032			0,0035									_
			1,2 0,										1,4 0,									2,7 0,			2,2 0,			2,0 0,	
),0035			0,0008					0,0012			0,0011		0,0010				0,0010			0,0013					0,0012				0,0018
0,73	0,73	0,87	0,84	0,84	0,82	0,75	0,89	0,89	0,79	0,84	0,91	0,84	0,91	0,81	0,82	0,84	0,84	4,02	0,83	0,80	0,85	0,81	0,79	0,80	0,78	0,78	0,84	0,84	0,84
0,38	0,38	0,21	0,29	0,29	0,28	0,42	0,16	0,16	0,42	0,35	0,19	0,35	0,17	0,26	0,27	0,32	0,32	5,22	0,26	0,33	0,31	0,28	0,35	0,35	0,43	0,45	0,30	0,30	0,30
1,6	1,6	1,0	0,3	0,3	1,8	1,5	1,0	0,6	0,6	1,3	0,5	1,4	0,5	1,3	1,6	0,7	0,6	1,0	1,0	1,0	-1,0	1,5	1,2	1,0	0,5	0,6	1,0	0,7	1,0
26,7	26,7	20,0	19,0	19,0	16,0	12,0	27,0	27,0	13,0	19,0	27,0		27,0			17,0	17,0	20,0	20,0	15,0	20,0	19,0	15,0	15,0	14,0	14,0	19,0	19,0	19,0
4,7	4,7	1,9	3,2	3,2	2,6	3,2	2,3	2,4	3,0	3,3	2,5	3,3	2,1	3,0	3,4	2,6	2,6	3,4	3,4	2,5	2,6	4,9	3,0	3,0	3,0	4,0	3,8	3,8	3,8

TABLE 11 FRENCH MUTUAL FUNDS JENSEN AND TREYNOR-MAZUY REGRESSIONS PARAMETERS AND T STATISTICS

37	36	35	34	33	32	31	30	29	28	27	26	25	24	23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1		#	
0,0008	0,0019	0,0010	0,0015	0,0016	0,0013	0,0015	0,0011	0,0009	0,0009	0,0017	0,0011	0,0014	0,0014	0,0014	0,0026	0,0011	0,0016	0,0011	0,0011	0,0015	0,0008	0,0010	0,0016	0,0016	0,0009	0,0015	0,0012	0,0011	0,0014	0,0009	0,0012	0,0014	0,0021	0,0014	0,0022	0,0024		JEN A	
0,9	1,9	1,1	1,6	1,7	1,4	1,6	1,2	1,0	0,9	1,8	1,2	1,4	1,4	1,5	2,7	1,2	1,7	1,1	1,4	2,1	0,7	1,0	1,8	1,6	0,9	1,5	1,3	1,3	1,5	0,9	1,3	1,5	2,2	1,5	2,3	1,8		TΑ	
-0,0008	0,0002	-0,0007	-0,0001	-0,0001	-0,0005	-0,0003	-0,0006	-0,0007	-0,0008	0,0000	-0,0006	-0,0004	-0,0003	-0,0004	0,0011	-0,0006	-0,0001	-0,0005	-0,0003	0,0003	-0,0010	-0,0007	0,0002	-0,0002	-0,0007	-0,0003	-0,0004	-0,0005	-0,0003	-0,0008	-0,0005	-0,0003	0,0007	-0,0001	0,0008	0,0013		TR-	
0,67	0,66	0,66	0,67	0,66	0,66	0,67	0,67	0,68	0,65	0,67	0,66	0,65	0,67	0,67	0,66	0,65	0,66	0,69	0,71	0,74	0,66	0,66	0,69	0,65	0,68	0,66	0,67	0,71	0,67	0,67	0,66	0,66	0,69	0,67	0,69	0,75	В	TR- TR- MAZ MAZ	OVERALL
0,55	0,56	0,56	0,55	0,57	0,58	0,60	0,56	0,54	0,56	0,55	0,57	0,59	0,54	0,61	0,52	0,57	0,56	0,53	0,46	0,41	0,59	0,57	0,49	0,59	0,53	0,58	0,53	0,53	25,0	0,57	0,56	0,56	0,49	0,51	0,49	0,38	С	TR- MAZ	PERIOD
-0,5	0,1	-0,4	-0,1	-0,1	-0,3	-0,2	-0,3	-0,4	-0,5	0,0	-0,3	-0,2	-0,1	-0,2	1,0	-0,3	-0,1	-0,3	-0,2	0,2	-0,6	-0,4	0,1	-0,1	-0,4	-0,2	-0,2	-0,3	-0,2	-0,4	-0,3	-0,2	0,5	-0,1	0,6	0,7	Α	TATS	
9,0	9,0	9,0	9,0	9,0	8,0	8,0	9,0	9,0	9,0	9,0	9,0	8,0	9,0	8,0	8,0	9,0	9,0	9,0	11,0	12,0	8,0	9,0	9,0	0,8	9,0	9,0	0,6	9,0	0,6	9,0	9,0	0,6	9,0	0,0	9,0	12,0		T B	
3,0	3,0	3,0	3,0	3,0	4,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	4,0	3,0	3,0	4,0	4,0	3,0	3,0	3,0	4,0	3,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	2,7		тс	
-0,0004	0,0006	-0,0005	0,0002	0,0002	0,0003	8000,0	-0,0001	0,0000	-0,0007	0,0004	0,0002	0,0000	0,0002	00000,0	0,0013	1000,0	0,0003	-0,0004	-0,0003	0,0005	7100,0-	5000,0-	0,0004	0,0004	-0,0003	0,0002	-0,0004	0,0004	2000,0	-0,0003	0,0000	1000,0	0,0011	9000,0	0,0012	0,0025		JEN A	
-0,4	0,5	-0,5	0,2	0,2	0,2	0,2	-0,1	0,0	-0,5	0,3	0,2	0,0	0,2	0,0	1,2	0,0	0,3	-0,4	-0,4	0,7	-1,0	-0,2	0,3	0,3	-0,3	0,1	-0,4	0,4	0,1	-0,2	0,0	0,1	1,3	0,5	1,4	1,6		T A	
-0,0018	-0,0015	-0,0024	-0,0015	-0,0021	-0,0015	-0,0018	-0,0018	-0,0016	-0,0032	-0,0012	-0,0004	-0,0021	-0,0013	-0,0023	-0,0001	-0,0023	-0,0012	-0,0006	-0,0015	-0,0008	-0,0048	-0,0020	-0,0009	-0,0021	-0,0020	-0,0022	-0,0020	-0,0010	-0,0012	-0,0017	-0,0016	-0,0015	-0,0003	-0,0012	-0,0002	0,0010	WALA	TR-	
0,3	0,2	0,3	0,4	0,2	0,3	0,2	0,3	0,3	0,2	0,4	0,2	0,2	0,3	0,2	0,3	0,2	0,3	0,5	0,4	0,5	0,3	0,3	0,3	2,0	0,3	0,3	6,0	0,3	6,0	0,3	0,3	0,3	0,3	0,3	0,3	0,4	В	TR- MAZ	UBPERIC
2,2	3,3	2,9	2,6	3,7	2,9	3,4	2,7	2,5	4,0	2,5	0,9	3,5	2,5	3,6	2,2	3,7	2,4	0,4	1,9	2,1	4,9	2,7	2,1	3,9	2,7	3,8	2,5	2,2	2,2	2,3	2,6	2,6	2,3	2,9	2,3	2,4	С	TR- TR- MAZ MAZ	D ONE
-1,0	-0,8	-1,3	-0,8	-1,2	-0,9	-1,0	-1,0	-0,9	-1,7	-0,7	-0,2	-1,1	-0,8	-1,2	-0,1	-1,2	-0,6	-0,3	-0,9	-0,7	-2,3	-1,1	-0,5	-1,2	-1,6	-1,5	-1,7	-0,7	-0,7	-0,9	-0,9	-0,8	-0,3	-0,7	-0,2	0,7	Α	TATS	
4,0	3,0	4,0	4,0	2,0	4,0	3,0	4,0	4,0	2,0	5,0	1,5	3,0	4,0	3,0	4,0	2,0	4,0	2,0	5,0	7,0	4,0	4,0	4,0	3,0	5,0	3,0	5,0	5,0	4,0	4,0	3,0	3,0	5,0	4,0	5,0	5,0		T B	
1,0	2,0	1,9	1,3	3,1	2,0	2,0	1,5	1,6	3,1	2,1	0,5	2,0	1,8	3,0	1,7	3,0	1,3	0,1	1,3	1,6	3,0	1,5	1,3	3,0	1,8	3,0	1,8	1,7	1,0	1,3	1,5	1,5	3,0	2,0	3,0	1,9		T C	
0,0018	0,0028	0,0023	0,0025	0,0026	0,0019	8200,0	0,0020	0,0016	0,0021	0,0027	0,0017	0,0024	2200,0	2200,0	7.000	6100′0	0,0025	0,0023	0,0022	0,0023	0.0000	0,0019	0,0026	5200′0	8100,0	0,0024	9200′0	0,0016	2200,0	0,0019	0,0020	0,0023	0,0029	6100′0	0,0030	0,0022		JEN A	
1,1	1,7	1,6	1,6	1,7	1,2	1,5	1,2	1,0	1,3	1,7	1,1	1,5	1,3	1,7	2,2	1,2	1,6	1,6	1,4	1,7	1,9	1,9	1,2	1,7	1,6	1,1	1,6	1,7	1,5	1,2	1,3	1,5	1,7	1,3	1,8	1,0		ΤA	
-0,0007	0,0003	-0,0003	0,0000	0,0001	-0,0007	-0,0003	-0,0005	-0,0008	-0,0003	0,0001	-0,0008	-0,0002	-0,0003	-0,0002	0,0014	-0,0006	-0,0001	-0,0002	0,0001	0,0005	0,0004	-0,0007	0,0003	-0,0001	-0,0007	-0,0002	0,0002	-0,0008	-0,0002	-0,0008	-0,0005	-0,0002	0,0007	-0,0003	0,0009	0,0005)	TR-MAZ	
0,72	0,71	0,71	0,70	0,71	0,70	0,73	0,71	0,72	0,71	0,71	0,71	0,70	0,71	0,72	0,71	0,71	0,71	0,71	0,75	0,77	0,71	0,70	0,73	0,70	0,72	0,71	0,71	0,75	0,71	0,70	0,71	0,71	0,74	0,72	0,74	0,79	В	TR-	SUBPERIOD TWO
0,48	0,47	0,49	0,50	0,47	0,51	0,51	0,49	0,47	0,47	0,49	0,49	0,51	0,47	0,52	0,45	0,48	0,49	0,49	0,40	0,35	0,50	0,50	0,43	0,50	0,47	0,50	0,46	0,46	0,49	0,51	0,48	0,48	0,41	0,43	0,41	0,32	С	TR- MAZ	OWIC
-0,2	0,1	-0,1	0,0	0,0	-0,2	-0,1	-0,2	-0,3	-0,1	0,0	-0,3	-0,1	-0,1	-0,1	0,5	-0,2	0,0	-0,1	0,0	0,2	0,1	-0,2	0,1	0,0	-0,2	-0,1	0,1	-0,3	-0,1	-0,3	-0,2	-0,1	0,3	-0,1	0,4	0,2	Þ	TATS	
9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	8,0	9,0	9,0	9,0	11,0	12,0	8,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	12,0		T B	
3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	2,5	3,0	3,0	3,0	3,0	3,0	2,5	3,0	2,0	3,0	3,0	3,0	2,5	3,0	3,0	3,0	3,0	3,0	2,0	2,0	2,0	2,0		TC	

82	81	80	79	78	77	76	75	74	73	72	71	70	69	68	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49	48	47	46	45	44	43	42	41	40	39	38
0.0017	0,0012	0,0018	0,0016	0,0013	0,0014	0,0014	0,0024	0,0011	0,0009	0,0017	0,0017	0,0008	0,0014	0,0012	0,0004	0,0016	0,0016	0,0011	0,0017	0,0025	0,0012	0,0013	0,0017	0,0019	0,0013	0,0015	0,0013	0,0011	0,0011	0,0019	0,0008	0,0015	0,0014	0,0017	0,0011	0,0010	0,0014	0,0012	0,0010	0,0014	0,0015	0,0013	0,0021	0,0020
1.8	1,4	1,9	1,8	1,5	1,5	1,5	2,7	1,3	1,1	1,8	1,8	0,8	1,6	1,4	0,3	1,8	1,7	1,2	1,9	2,9	1,2	1,1	1,7	2,2	1,3	1,6	1,4	1,2	1,2	2,1	0,8	1,6	1,6	1,9	1,2	1,1	1,6	1,4	1,1	1,6	1,6	1,4	2,4	2,0
0.0001	-0,0004	0,0001	0,0001	-0,0003	-0,0003	-0,0002	0,0007	-0,0002	-0,0004	0,0000	0,0000	-0,0008	-0,0001	-0,0003	-0,0012	0,0000	0,0000	-0,0006	0,0001	0,0012	-0,0005	-0,0001	-0,0001	0,0005	-0,0005	-0,0003	-0,0002	-0,0004	-0,0006	0,0002	-0,0008	-0,0003	-0,0002	0,0001	-0,0005	-0,0006	-0,0001	-0,0002	-0,0005	-0,0001	-0,0002	-0,0005	0,0005	0,0003
0.66	0,68	0,67	0,72	0,67	0,66	0,67	0,66	0,73	0,72	0,66	0,66	0,67	0,68	0,69	0,68	0,67	0,68	0,68	0,68	0,72	0,65	0,71	0,65	0,70	0,65	0,66	0,68	0,68	0,67	0,66	0,68	0,66	0,68	0,66	0,68	0,66	0,72	0,70	0,69	0,70	0,66	0,66	0,66	0,66
0.54	0,52	0,55	0,50	0,55	0,56	0,55	0,57	0,43	0,44	0,56	0,56	0,55	0,53	0,51	0,54	0,56	0,53	0,54	0,52	0,42	0,56	0,46	0,59	0,47	0,59	0,58	0,52	0,53	0,55	0,58	0,53	0,60	0,53	0,54	0,54	0,56	0,48	0,48	0,51	0,50	0,56	0,60	0,55	0,55
0.1	-0,2	0,1	0,1	-0,2	-0,1	-0,1	0,5	-0,1	-0,3	0,0	0,0	-0,4	-0,1	-0,2	-0,6	0,0	0,0	-0,3	0,1	1,4	-0,3	0,0	0,0	0,3	-0,3	-0,2	-0,2	-0,3	-0,3	0,1	-0,5	-0,2	-0,1	0,1	-0,3	-0,4	0,0	-0,1	-0,3	0,0	-0,1	-0,3	0,3	0,2
9.0	9,0	9,0	10,0	9,0	9,0	9,0	8,0	11,0	12,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	10,0	11,0	8,0	10,0	8,0	10,0	8,0	8,0	9,0	9,0	9,0	9,0	9,0	8,0	9,0	9,0	9,0	8,0	10,0	10,0	9,0	10,0	9,0	8,0	9,0	7,0
3.0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	4,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	3,0
0.0001	-0,0005	0,0004	0,0002	0,0000	0,0001	0,0000	0,0010	-0,0003	-0,0003	0,0006	0,0005	-0,0003	-0,0002	0,0001	-0,0021	0,0005	0,0002	-0,0001	0,0003	0,0027	-0,0004	0,0011	0,0005	0,0015	0,0001	0,0004	-0,0008	-0,0010	-0,0002	0,0010	-0,0007	0,0001	0,0000	0,0005	-0,0005	-0,0009	0,0003	0,0003	-0,0011	0,0005	0,0003	0,0000	0,0014	0,0007
-	-0,5					0,0	1,0	-0,3	-0,3		0,4		0,2		1,0				-		-0,3	-		1,5	0,1	0,3	-0,8	7	-0,2				0,0	0,4		-0,9			Ĺ	<u> </u>	0,3	0,0		0,6
-0.0022	-0,0019	-0,0011	-0,0013	-0,0015	-0,0009	-0,0021	-0,0007	-0,0015	-0,0016	-0,0009	-0,0013	-0,0017	-0,0019	-0,0014	-0,0045	-0,0017	-0,0015	-0,0015	-0,0009	0,0023	-0,0028	0,0001	-0,0018	0,0006	-0,0022	-0,0015	-0,0028	-0,0029	-0,0019	-0,0005	-0,0024	-0,0023	-0,0019	-0,0009		-0,0031	-0,0012	-0,0010	-0,0024	-0,0007	-0,0016	-0,0024	-0,0003	-0,0011
0.2	_				0,3		0,2	0,4	0,4				0,3		0,4				<u> </u>		0,2		0,2		0,2		0,3		0,4					0,3		0,3	0,5	0,3			0,2			0,3
3.7	2,3	2,3	2,4	2,4	1,6	3,2	2,7	1,9	2,0	2,4	3,0	2,3	2,8	2,4	3,8	3,6	2,7	2,2	2,0	0,6	3,9	1,6	3,6	1,4	3,7	3,0	3,1	2,9	2,7	2,4	2,8	3,7	3,0	2,2	2,5	3,5	2,4	2,1	2,0	1,8	3,1	3,7	2,7	2,9
-1.3	-1,2	-0,6	-0,7	-0,8	-0,5	-1,1	-0,5	-1,1	-0,9	-0,5	-0,8	-0,9	-1,1	-0,8	-2,0	-0,9	-0,8	-0,8	-0,6	1,9	-1,6	0,0	-1,0	0,5	-1,2	-0,9	-2,0	-1,8	-1,0	-0,3	-1,3	-1,3	-1,3	-0,5	-1,1	-2,0	-0,7	-0,6	-1,3	-0,4	-0,9	-1,3	-0,3	-0,7
3.0	5,0	4,0	5,0	4,0	3,0	3,0	4,0	7,0	4,0	3,0	3,0	4,0	5,0	5,0	4,0	3,0	4,0	4,0	6,0	7,0	2,0	4,0	2,0	5,0	2,0	2,0	5,0	5,0	4,0	4,0	4,0	3,0	5,0	4,0	5,0	5,0	6,0	5,0	4,0	5,0	3,0	2,0	4,0	3,0
2.0	2,0	1,7	1,6	1,8	1,0	2,0	2,0	1,9	1,0	1,0	2,0	1,3	2,0	1,3	1,8	2,0	1,2	1,2	1,7	0,5	2,0	1,0	2,0	1,0	2,0	2,0	2,9	3,0	1,4	1,9	1,5	3,0	2,0	1,0	2,0	3,0	1,7	1,0	1,0	1,0	2,0	3,0	2,0	2,0
0.0029	0,0027	0,0029	0,0027	0,0024	0,0024	0,0025	0,0035	0,0023	0,0018	0,0024	0,0025	0,0016	0,0028	0,0021	0,0027	0,0024	0,0027	0,0020	0,0027	0,0021	0,0024	0,0014	0,0025	0,0021	0,0021	0,0022	0,0032	0,0031	0,0020	0,0026	0,0020	0,0026	0,0026	0,0026	0,0024	0,0027	0,0022	0,0019	0,0029	0,0021	0,0023	0,0022	0,0026	0,0030
1.9	1,8	1,9	1,9	1,5	1,6	1,7	2,0	1,7	1,3	1,6	1,7	1,0	1,9	1,5	1,7	1,6	1,8	1,3	1,9	1,6	1,5	8,0	1,6	1,5	1,3	1,5	2,0	2,0	1,3	1,7	1,3	1,7	1,8	1,8	1,6	1,7	1,5	1,3	1,9	1,4	1,5	1,5	1,7	1,8
0.0006	0,0003	0,0004	0,0005	-0,0002	-0,0002	0,0001	0,0009	0,0004	-0,0002	-0,0001	0,0000	-0,0009	0,0004	-0,0003	0,0003	-0,0001	0,0002	-0,0005	0,0003	0,0001	0,0000	-0,0007	-0,0001	0,0000	-0,0005	-0,0004	0,0009	0,0008	-0,0006	0,0000	-0,0005	0,0000	0,0002	0,0002	-0,0001	0,0002	-0,0001	-0,0003	0,0005	-0,0002	-0,0002	-0,0004	0,0001	0,0005
0.71	0,72	0,71	0,76	0,71	0,70	0,72	0,71	0,77	0,76	0,71	0,71	0,71	0,72	0,72	0,72	0,71	0,71	0,72	0,72	0,75	0,71	0,76	0,70	0,74	0,70	0,70	0,72	0,72	0,70	0,71	0,71	0,72	0,71	0,71	0,72	0,70	0,74	0,75	0,71	0,74	0,71	0,72	0,71	0,70
-		-																-	-			-			_											_	_		-	_		0,50		
0.2	0,1	0,1	0,2	-0,1	-0,1	0,0	0,4	0,2	-0,1	0,0	0,0	-0,3	0,1	-0,1	0,1	0,0	0,1	-0,2	0,1	0,1	0,0	-0,2	0,0	0,0	-0,2	-0,1	0,4	0,3	-0,2	0,0	-0,2	0,0	0,1	0,1	0,0	0,1	0,0	-0,1	0,2	-0,1	-0,1	-0,1	0,0	0,2
9.0	9,0	9,0	10,0	9,0	9,0	9,0	8,0	11,0	12,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	10,0	10,0	9,0	10,0	9,0	10,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	10,0	10,0	9,0	9,0	9,0	9,0	9,0	7,0
_																						-																	-			3,0		

127	126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102	101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83
0,0018	0,0012	0,0015	0,0009	0,0019	0,0009	0,0014	0,0018	0,0016	0,0014	0,0014	0,0011	0,0014	0,0011	0,0023	0,0031	0,0026	0,0008	0,0015	0,0014	0,0013	0,0019	0,0016	0,0010	0,0012	0,0015	0,0013	0,0014	0,0012	0,0028	0,0018	0,0013	0,0014	0,0020	0,0015	0,0016	0,0015	0,0019	0,0009	0,0015	0,0015	0,0008	0,0015	0,0021	0,0020
1,9	1,3	1,3	0,8	2,1	0,9	1,5	1,9	1,7	1,5	1,6	1,1	1,6	1,2	2,7	3,1	2,6	0,9	1,7	1,6	1,4	2,1	1,8	1,2	1,3	1,6	1,4	1,3	1,1	2,8	2,0	1,4	1,6	2,3	1,7	1,6	1,6	2,0	1,0	1,6	1,6	0,8	1,6	2,3	2,2
0,0003	-0,0004	-0,0001	-0,0007	0,0002	-0,0005	0,0000	0,0001	-0,0001	-0,0003	-0,0002	-0,0005	-0,0001	-0,0006	0,0009	0,0017	0,0012	-0,0008	-0,0001	-0,0002	-0,0004	0,0002	0,0000	-0,0003	-0,0005	-0,0002	-0,0004	-0,0003	-0,0005	0,0017	0,0002	-0,0003	-0,0003	0,0004	0,0000	-0,0002	-0,0002	0,0002	-0,0008	-0,0001	-0,0001	-0,0008	-0,0001	0,0003	0,0006
0,69	0,67	0,66	0,68	0,67	0,72	0,70	0,65	0,66	0,66	0,66	0,68	0,70	0,67	0,72	0,69	0,69	0,67	0,67	0,67	0,66	0,66	0,67	0,72	0,66	0,66	0,66	0,67	0,67	0,73	0,67	0,67	0,67	0,67	0,68	0,65	0,66	0,66	0,65	0,66	0,66	0,67	0,68	0,65	0,70
0,49	0,53	0,54	0,53	0,55	0,45	0,47	0,58	0,57	0,57	0,55	0,53	0,49	0,55	0,47	0,47	0,47	0,55	0,54	0,54	0,56	0,56	0,54	0,44	0,56	0,57	0,57	0,54	0,54	0,38	0,54	0,54	0,55	0,54	0,51	0,58	0,57	0,57	0,57	0,56	0,53	0,54	0,54	0,58	0,47
0,2	-0,3	-0,1	-0,5	0,1	-0,3	0,0	0,0	-0,1	-0,2	-0,1	-0,3	0,0	-0,3	1,0	1,5	1,0	-0,5	-0,1	-0,1	-0,2	0,1	0,0	-0,2	-0,3	-0,1	-0,2	-0,2	-0,3	1,6	0,1	-0,2	-0,2	0,2	0,0	-0,1	-0,1	0,1	-0,4	-0,1	0,0	-0,5	-0,1	0,2	0,4
24,0	9,0	9,0	9,0	9,0	11,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	11,0	9,0	9,0	9,0	9,0	9,0	12,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	8,0	11,0
6,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	3,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0
0,0003	-0,0011	-0,0014	-0,0015	0,0004	-0,0014	-0,0008	0,0006	0,0001	-0,0001	-0,0002	-0,0010	0,0008	-0,0006	0,0019	0,0032	0,0029	-0,0007	-0,0003	-0,0002	-0,0001	0,0004	-0,0001	-0,0009	-0,0006	0,0002	0,0000	-0,0011	-0,0013	0,0021	0,0003	-0,0007	-0,0001	0,0006	-0,0004	0,0003	0,0007	0,0010	-0,0001	0,0003	-0,0001	-0,0010	0,0005	0,0008	0,0015
	-1,0	-1,0	-1,2	0,4	-1,1		0,6	0,1	-0,1	H	-0,9	0,8	-0,6	2,1	3,2	2,8	_	-0,3	-0,2	-0,1			H				-1,0	V	1,7				0,6	-0,4	0,2	0,6			-	<u> </u>	-0,8	0,4	0,8	1,2
-0,0012	-0,0030	-0,0033	-0,0036	-0,0013	-0,0030	-0,0027	-0,0013	-0,0020	-0,0023	-0,0024	-0,0030	-0,0002	-0,0023	0,0012	0,0022	0,0018	-0,0024	-0,0021	-0,0022	-0,0016	-0,0012	-0,0020	-0,0025	-0,0023	-0,0018	-0,0019	-0,0033	-0,0035	0,0010	-0,0011	-0,0025	-0,0020	-0,0008	-0,0023	-0,0021	-0,0015	-0,0012	-0,0016	-0,0013	-0,0022	-0,0027	-0,0005	-0,0010	0,0005
0,4	-	0,3	0,3	0,3	0,3		0,2	0,2	0,2	0,2				0,5	0,3	0,3			0,2	0,3									0,4					0,3		0,2		0,3	-		0,3	H		0,4
2,4	3,0	3,1	3,5	2,7	2,7	3,1	3,2	3,4	3,5	3,4	3,2	1,6	2,8	1,2	1,7	1,7	2,9	2,8	3,1	2,5	2,5	3,1	2,6	2,7	3,1	3,1	3,5	3,5	1,7	2,3	3,0	3,0	2,3	3,0	3,8	3,6	3,7	2,5	2,4	3,4	2,7	1,7	2,8	1,6
-1,0	-2,5	-2,5	-2,8	-1,0	-2,4	-2,3	-1,3	-1,5	-1,7	-1,7	-2,4	-0,2	-1,9	1,1	1,9	1,6	-1,9	-1,8	-1,7	-1,0	-0,8	-1,5	-2,0	-1,6	-1,2	-1,4	-2,8	-2,8	0,7	-0,8	-2,0	-1,3	-0,5	-2,0	-1,2	-0,8	-0,7	-0,9	-0,7	-1,4	-2,0	-0,3	-0,7	0,4
6,0	5,0	4,0	5,0	5,0	5,0	5,0	3,0	3,0	3,0	3,0	4,0	6,0	4,0	6,0	5,0	5,0	4,0	5,0	3,0	4,0	4,0	3,0	4,0	4,0	3,0	3,0	4,0	4,0	6,0	5,0	4,0	4,0	4,0	5,0	3,0	2,0	2,0	4,0	4,0	3,0	3,0	5,0	3,0	6,0
2,0	3,0	3,0	3,0	2,0	3,0	3,0	3,0	3,0	3,0	2,0	3,0	1,2	1,9	0,7	1,0	1,1	2,0	2,0	3,0	1,3	1,4	3,0	2,5	1,7	2,0	2,0	5,0	5,0	1,6	1,4	3,0	2,0	1,0	3,0	3,0	2,0	3,0	1,4	1,4	3,0	2,0	1,0	2,0	1,6
0,0030	0,0033	0,0041	0,0030	0,0030	0,0028	0,0034	0,0026	0,0028	0,0025	0,0028	0,0029	0,0017	0,0024	0,0025	0,0026	0,0020	0,0020	0,0030	0,0027	0,0024	0,0031	0,0030	0,0027	0,0026	0,0025	0,0022	0,0036	0,0034	0,0034	0,0029	0,0030	0,0026	0,0031	0,0031	0,0026	0,0020	0,0024	0,0016	0,0025	0,0028	0,0023	0,0022	0,0030	0,0021
1,9	2,0	2,0	1,7	2,0	2,0	2,0	1,7	1,8	1,7	1,8	1,8	1,1	1,6	1,6	1,5	1,1	1,3	2,0	1,9	1,5	2,0	2,0	1,9	1,8	1,4	2,0	2,0	1,9	2,0	1,9	2,0	1,8	2,0	2,0	1,6	1,2	1,5	1,0	1,6	1,8	1,5	1,5	2,0	1,5
0,0008	0,0009	0,0018	0,0006	0,0005	0,0010	0,0013	0,0000	0,0003	0,0000	0,0004	0,0006	-0,0005	-0,0001	0,0003	0,0004	-0,0002	-0,0004	0,0005	0,0004	-0,0001	0,0006	0,0006	0,0009	0,0001	0,0000	-0,0003	0,0013	0,0010	0,0018	0,0004	0,0007	0,0001	0,0006	0,0009	0,0000	-0,0005	-0,0001	-0,0010	0,0000	0,0005	-0,0001	-0,0002	0,0005	0,0000
0,73	0,72	0,71	0,72	0,71	0,77	0,74	0,71	0,71	0,71	0,72	0,72	0,74	0,71	0,75	0,73	0,73	0,71	0,71	0,72	0,71	0,71	0,72	0,77	0,70	0,71	0,71	0,72	0,72	0,78	0,71	0,72	0,71	0,71	0,73	0,71	0,71	0,71	0,69	0,71	0,72	0,72	0,71	0,70	0,74
0,42	0,45	0,44	0,45	0,48	0,36	0,39	0,49	0,48	0,48	0,46	0,45	0,43	0,48	0,42	0,41	0,42	0,47	0,47	0,45	0,49	0,49	0,45	0,36	0,49	0,48	0,49	0,45	0,45	0,31	0,48	0,45	0,48	0,47	0,42	0,49	0,48	0,48	0,50	0,49	0,44	0,45	0,48	0,49	0,42
0,3	0,4	0,7	0,2	0,2	0,4	0,5	0,0	0,1	0,0	0,1	0,2	-0,2	0,0	0,1	0,1	-0,1	-0,1	0,2	0,1	0,0	0,2	0,2	0,4	0,0	0,0	-0,1	0,5	0,4	0,7	0,1	0,2	0,1	0,2	0,4	0,0	-0,2	0,0	-0,3	0,0	0,2	0,0	-0,1	0,2	0,0
10,0	9,0	9,0	9,0	9,0	11,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	12,0	9,0	9,0	9,0	9,0	9,0	13,0	9,0	9,0	9,0	9,0	10,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	8,0	11,0
3,0	3,0	2,0	3,0	3,0	3,0	2,0	3,0	3,0	3,0	3,0	3,0	2,0	3,0	2,0	2,0	2,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	2,5	3,0

172	171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128
0.0024	0,0021	0,0020	0,0023	0,0011	0,0013	0,0013	0,0023	0,0023	0,0033	0,0011	0,0033	0,0008	0,0022	0,0020	0,0011	0,0015	0,0017	0,0018	0,0028	0,0015	0,0025	0,0022	0,0029	0,0015	0,0017	0,0020	0,0018	0,0018	0,0029	0,0015	0,0019	0,0020	8100,0	0,0017	0,0018	0,0028	0,0019	0,0018	0,0025	0,0019	0,0022	0,0020	0,0016	0,0015
2.6	2,3	2,3	2,7	1,1	1,5	1,5	2,5	2,6	2,8	1,0	2,8	0,7	2,1	2,3	0,9	1,6	1,6	1,9	2,7	1,6	2,9	2,7	2,7	1,5	1,8	2,2	1,9	2,1	3,2	1,5	2,0	2,4	2,2	1,9	1,6	2,7	2,3	2,1	2,6	2,0	2,1	2,2	1,7	1,7
0.0009	0,0006	0,0006	0,0009	-0,0003	-0,0002	-0,0002	0,0008	0,0007	0,0020	-0,0005	0,0020	-0,0008	0,0011	0,0004	-0,0006	0,0001	0,0001	0,0003	0,0014	-0,0001	0,0010	0,0009	0,0014	-0,0001	0,0001	0,0004	0,0002	0,0002	0,0014	-0,0001	0,0003	0,0005	0,0005	0,0000	0,0003	0,0013	0,0005	0,0003	0,0011	0,0004	0,0007	0,0004	-0,0002	-0,0001
0.68	0,68	0,70	0,70	0,70	0,71	0,72	0,68	0,68	0,72	0,66	0,72	0,66	0,75	0,68	0,66	0,72	0,67	0,71	0,69	0,65	0,69	0,73	0,68	0,68	0,67	0,67	0,67	0,68	0,69	0,67	0,67	0,69	0,72	0,66	0,69	0,68	0,70	0,70	0,71	0,70	0,68	0,66		0,67
0.51	0,51	0,47	0,47	0,46	0,50	0,50	0,51	0,52	0,44	0,55	0,43	0,56	0,37	0,52	0,57	0,45	0,53	0,48	0,49	0,56	0,49	0,42	0,50	0,52	0,55	0,55	0,54	0,54	0,51	0,54	0,54	0,49	0,44	0,58	0,51	0,51	0,48	0,48	0,45	0,49	0,50	0,56	0,61	0,54
1.0	0,4	0,4	1,0	-0,2	-0,1	-0,1	0,5	0,5	1,6	-0,3	1,6	-0,5	0,7	0,3	-0,4	0,1	0,1	0,2	1,2	-0,1	1,1	1,0	1,2	-0,1	0,1	0,2	0,1	0,1	1,3	-0,1	0,2	0,4	0,4	0,0	0,1	1,2	0,3	0,2	1,0	0,3	0,4	0,2	-0,1	0,0
9.0	9,0	10,0	10,0	10,0	10,0	10,0	9,0	10,0	11,0	8,0	11,0	8,0	13,0	9,0	9,0	11,0	9,0	10,0	9,0	8,0	10,0	12,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	10,0	11,0	9,0	10,0	9,0	10,0	10,0	10,0	10,0	9,0	9,0	8,0	9,0
3.0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	4,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0	3,0
0.0003	0,0000	0,0013	0,0016	-0,0008	-0,0003	-0,0003	0,0010	0,0009	0,0024	-0,0015	0,0024	-0,0021	0,0023	0,0006	-0,0016	0,0000	0,0001	0,0008	0,0032	-0,0004	0,0019	0,0017	0,0031	-0,0007	-0,0002	0,0000	0,0003	0,0003	0,0029	-0,0002	0,0003	0,0008	0,0003	0,0001	0,0008	0,0027	0,0013	0,0011	0,0027	-0,0003	0,0022	0,0012	0,0003	-0,0003
0.4	-	_			-0,2				1,6		1,6	-		0,5		0,0		0,6		-0,4						0,0		7			0,3					2,5		1,2	2,2			1,5		-0,3
-0.0012	-0,0014	0,0003	0,0006	-0,0026	-0,0008	-0,0005	-0,0009	-0,0008	0,0018	-0,0040	0,0012	-0,0039	0,0023	-0,0011	-0,0038	-0,0008	-0,0022	-0,0001	0,0019	-0,0027	0,0005	0,0005	0,0017	-0,0025	-0,0020	-0,0019	-0,0023	-0,0014	0,0023	-0,0022	-0,0016	-0,0002	-0,0005	-0,0017	0,0004	0,0012	0,0003	0,0000	0,0023	-0,0017	0,0008	-0,0006	-0,0018	-0,0020
0.3		_					0,3	3 0,3	0,4					0,3	3 0,3			0,4	0,3	7 0,2							3 0,2									0,3	0,4	0,4	0,4					0,4
2.4	2,3	1,6	1,6	2,9	0,9	0,4	3,0	2,7	1,0	4,1	2,0	2,9	0,0	2,8	3,4	1,4	3,7	1,4	2,2	3,7	2,1	2,0	2,2	2,9	2,9	2,9	4,1	2,8	0,9	3,2	3,1	1,6	1,3	2,9	0,6	2,4	1,7	1,7	0,7	2,3	2,2	2,8	3,4	2,8
-1.0	-1,2	0,2	0,4	-1,6	-0,6	-0,4	-0,6	-0,5	0,9	-3,0	0,6	-2,9	1,3	-0,7	-2,7	-0,5	-1,1	-0,1	1,5	-2,1	0,5	0,4	1,2	-1,6	-1,1	-1,0	-1,4	-0,9	1,9	-1,3	-0,9	-0,1	-0,4	-1,2	0,2	0,9	0,2	0,0	1,5	-1,8	0,6	-0,6	-1,4	-1,8
5.0	5,0	5,0	5,0	4,0	7,0	7,0	5,0	3,0	4,0	3,0	6,0	3,0	6,0	4,0	4,0	7,0	4,0	6,0	5,0	3,0	6,0	7,0	4,0	4,0	4,0	4,0	3,0	5,0	6,0	3,0	3,0	7,0	7,0	5,0	6,0	5,0	6,0	6,0	7,0	5,0	4,0	4,0	4,0	5,0
2.5	2,5	1,5	1,4	3,0	0,7	0,3	3,0	1,7	0,8	3,0	1,7	3,0	0,0	1,7	2,6	1,0	2,0	1,0	1,4	3,0	1,7	1,4	2,6	1,4	1,7	1,7	3,0	2,0	0,7	2,0	2,0	1,4	1,0	2,0	0,4	1,7	1,0	1,0	0,6	3,0	1,4	3,0	3,0	2,0
0.0042	0,0038	0,0025	0,0028	0,0027	0,0026	0,0026	0,0033	0,0033	0,0041	0,0034	0,0040	0,0035	0,0019	0,0030	0,0036	0,0026	0,0030	0,0025	0,0021	0,0031	0,0028	0,0025	0,0024	0,0033	0,0033	0,0037	0,0030	0,0030	0,0027	0,0028	0,0031	0,0028	0,0031	0,0030	0,0025	0,0026	0,0023	0,0021	0,0021	0,0037	0,0018	0,0025	0,0027	0,0031
2.0	2,0	1,7	1,9	1,7	1,8	1,8	2,0	2,0	2,0	1,9	2,0	1,9	1,2	2,0	2,0	1,9	2,0	1,7	1,2	2,0	1,9	1,9	1,3	2,0	2,0	2,0	2,0	2,0	1,8	1,8	2,0	2,0	2,0	2,0	1,6	1,6	1,6	1,4	1,2	2,4	1,0	1,7	1,7	2,0
0.0020	0,0016	0,0004	0,0007	0,0008	0,0003	0,0003	0,0011	0,0010	0,0021	0,0011	0,0021	0,0011	0,0001	0,0007	0,0010	0,0005	0,0007	0,0003	-0,0001	0,0007	0,0006	0,0006	0,0001	0,0011	0,0009	0,0013	0,0006	0,0006	0,0003	0,0005	0,0008	0,0006	0,0011	0,0003	0,0001	0,0003	0,0001	-0,0001	0,0000	0,0017	-0,0004	0,0000	-0,0001	0,0006
0.72	0,72	0,74	0,74	0,75	0,75	0,75	0,72	0,73	0,76	0,71	0,76	0,71	0,77	0,73	0,71	0,75	0,72	0,75	0,74	0,71	0,73	0,76	0,73	0,73	0,71	0,71	0,72	0,72	0,73	0,72	0,72	0,73	0,75	0,71	0,72	0,73	0,74	0,74	0,74	0,75	0,73	0,71	0,70	0,71
0.43		_			0,45																	0,37																				0,48		
+		_																				0,3																				0,0		
9.0	9,0	10,0	10,0	10,0	10,0	10,0	9,0	10,0	11,0	9,0	11,0	8,0	13,0	12,0	9,0	11,0	9,0	10,0	9,0	9,0	10,0	12,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	9,0	10,0	10,0	9,0	10,0	9,0	10,0	10,0	10,0	10,0	9,0	9,0	8,0	9,0
		-									3,0			_	_				_		_			3,0												_	_	_				3,0		3,0

[204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179	178	177	176	175	174	173
-			0,0026									0,0019		0,0016								0,0019			0,0023					0,0016		0,0020
_			26 2,8			27 3,1				20 1,9				16 1,5		22 2,5					22 2,5				23 2,5						13 1,5	
-						1 0,0013					4 0,0006								0,0023		5 0,0007											4 0,0005
-				0,0019																										0,0003		
-			0,70							0,68					0,68 (0,69 (0,67			0,68						0,72	_
			0,47				0,49		0,53		0,53				0,53						0,50	4			0,52		0,49		0,53			0,53
-	_		1,2							0,3					0,3				4		0,4		V	ŀ	0,5				-0,2			0,3
-	11,0			10,0						9,0					9,0				11,0	7		9,0			9,0							9,0
; -			4,0		_										3,0				,	_	3,0			3,0					3,0			3,0
	0,0020	0,0021	0,0020	0,0022	0,0022	0,0018	0,0019	0,0005	0,0003	0,0002	0,0005	0,0012	-0,0002	-0,0003	0,0005	0,0009	0,0012	0,0002	0,0030	0,0011	0,0007	-0,0005	-0,0001	0,0028	0,0011	0,0020	0,0019	0,0019	-0,0013	-0,0002	-0,0003	0,0008
1	1,6	1,9	1,6	2,0	2,0	1,8	1,8	0,4	0,3	0,2	0,5	1,1	-0,1	-0,3	0,5	0,7	1,1	0,2	2,0	1,0	0,6	-0,5	-0,1	2,8	0,8	1,8	1,7	1,6	-1,0	-0,1	-0,2	0,7
	0,0007	0,0008	0,0007	0,0008	0,0007	0,0003	0,0005	-0,0004	-0,0016	-0,0027	-0,0009	0,0005	-0,0020	-0,0022	-0,0009	-0,0006	0,0004	-0,0018	0,0015	-0,0002	-0,0008	-0,0021	-0,0020	0,0014	-0,0008	0,0010	0,0008	0,0008	-0,0038	-0,0013	-0,0008	-0,0008
-	0,3	0,4	0,3	0,4	0,4	0,3	0,3	0,4	0,3	0,3	0,3	0,3	0,3	0,3	0,3	0,4	0,5	0,3	0,4	0,3	0,3	0,2	0,2	0,3	0,3	0,3	0,4	0,3	0,2	0,4	0,4	0,3
<u> </u>	2,0	2,1	2,0	2,3	2,3	2,4	2,1	1,4	3,1	4,7	2,3	1,1	2,9	3,0	2,2	2,3	1,2	3,2	2,4	1,9	2,4	2,6	3,0	2,2	3,0	1,7	1,7	1,9	3,9	1,8	0,9	2,6
-	0,5	0,6	0,5	0,6	0,5	0,3	0,4	-0,2	-1,0	-1,6	-0,6	0,4	-1,4	-1,5	-0,6	-0,4	0,3	-1,2	0,8	-0,1	-0,6	-1,5	-1,4	1,4	-0,5	0,7	0,6	0,5	-2,5	-0,9	-0,6	-0,5
	5,0	0,6	6,0	6,0	6,0	6,0	6,0	6,0	4,0	4,0	5,0	6,0	5,0	5,0	5,0	6,0	8,0	5,0	6,0	5,0	5,0	4,0	4,0	5,0	4,0	6,0	6,0	5,0	3,0	7,0	7,0	5,0
	2,0	1,5	2,0	1,5	1,5	2,0	1,8	1,3	2,0	4,0	1,5	1,0	2,0	2,0	1,4	1,8	1,0	3,1	3,0	1,9	2,0	3,0	3,0	1,5	1,7	1,3	1,3	2,0	4,0	1,9	0,7	2,0
	0,0026	0,0039	0,0030	0,0041	0,0040	0,0034	0,0033	0,0028	0,0029	0,0035	0,0035	0,0023	0,0034	0,0033	0,0034	0,0033	0,0028	0,0036	0,0039	0,0030	0,0033	0,0041	0,0045	0,0026	0,0033	0,0028	0,0027	0,0023	0,0035	0,0030	0,0026	0,0030
	1,7	3,0	1,9	3,0	3,0	2,0	2,0	1,8	1,8	2,0	2,0	1,5	1,8	1,8	2,0	2,0	1,8	2,0	2,0	1,9	2,0	2,0	3,0	1,9	2,0	1,7	1,6	1,4	1,9	2,0	1,8	2,0
	0,0005	0,0019	0,0009	0,0020	0,0019	0,0012	0,0010	0,0007	9000,0	0,0013	0,0011	0,0001	0,0009	0,0008	0,0010	0,0012	0,0007	0,0013	0,0020	8000,0	0,0011	8100,0	0,0023	0,0007	0,0010	0,0006	0,0005	0,0003	0,0013	0,0011	0,0003	0,0006
-	0,75	0,74	0,74	0,74	0,74	0,73	0,73	0,74	0,73	0,72	0,72	0,74	0,71	0,71	0,72	0,74	0,75	0,72	0,76	0,74	0,74	0,72	0,73	0,76	0,72	0,73	0,73	0,75	0,72	0,76	0,75	0,74
-	0,40	0,39	0,41	0,39	0,39	0,42	0,43	0,40	0,45	0,41	0,46	0,42	0,48	0,48	0,46	0,40	0,40	0,44	0,35	0,43	0,42	0,43	0,41	0,37	0,45	0,42	0,43	0,40	0,43	0,37	0,45	0,45
	0,2																							0,3	0,3	0,2	0,2	0,1	0,4	0,5	0,1	0,2
-	11,0	10,0	11,0	10,0	10,0	10,0	10,0	10,0	10,0	8,0	9,0	10,0	9,0	9,0	9,0	10,0	10,0	9,0	11,0	10,0	10,0	9,0	9,0	10,0	10,0	10,0	10,0	11,0	8,0	12,0	10,0	10,0
ļ	3,0	3,0	3,0	3,0	3,0				3,0						3,0						3,0				3,0		3,0	3,0	2,0	3,0	3,0	3,0

TABLE 32 GERMAN MUTUAL FUNDS JENSEN AND TREYNOR-MAZUY REGRESSIONS PARAMETERS AND T STATISTICS

37	36	35	34	33	32	31	30	29	28	27	26	25	24	23	22	21	20	19	18	17	16	15	14	13	12	11	10	9	8	7	6	5	4	3	2	1		#	
0,0016	0,0023	-0,0003	0,0002	-0,0003	-0,0005	-0,0002	-0,0004	-0,0007	-0,0007	-0,0005	-0,0003	-0,0003	-0,0001	0,0005	-0,0004	-0,0004	0,0019	0,0017	-0,0005	-0,0001	-00006	-0,0009	-000070	8000′0-	-0,0005	8000,0-	6000′0-	-0,0003	-0,0002	-0,0005	0,0017	-0,0012	-0,0010	8000′0-	-0,0005	0,0014		JEN A	
1,0	1,3	-0,3	0,8	-0,4	-0,8	-0,3	-0,7	-1,2	-1,4	-0,8	-0,4	-0,4	-0,1	0,5	-0,7	-0,7	1,5	1,3	-1,2	-0,2	-1,5	-1,2	-0,9	-1,3	-1,4	-1,5	-1,8	-1,0	-0,3	-0,7	1,6	-1,6	-1,4	-1,2	-1,5	1,3		T A	
0,0013	0,0017	-0,0007	0,0001	-0,0008	-0,0008	-0,0008	-0,0008	-0,0009	-0,0010	-0,0008	-0,0009	-0,0008	-0,0008	-0,0001	-0,0008	-0,0008	0,0016	0,0016	-0,0007	-0,0008	-0,0008	-0,0013	-0,0012	-0,0013	-0,0005	-0,0012	-0,0013	-0,0005	-0,0009	-0,0008	0,0013	-0,0015	-0,0014	-0,0014	-0,0007	0,0005	A	TR-MAZ	
0,90	0,87	0,88	0,96	0,86	0,92	0,87	0,92	0,94	0,95	0,93	0,86	0,89	0,84	0,87	0,90	0,90	0,93	0,95	0,97	0,85	0,95	0,88	88,0	0,89	0,97	0,92	0,93	0,95	0,85	0,91	0,88	0,94	0,91	0,87	0,96	0,82	В	TR- MAZ	OVERALL PERIOD
0,10	0,21	0,15	0,04	0,19	0,11	0,18	0,11	0,08	0,08	0,09	0,20	0,18	0,24	0,21	0,14	0,14	0,09	0,03	0,04	0,22	0,07	0,16	0,16	0,14	0,01	0,13	0,13	0,07	0,21	0,13	0,14	0,08	0,13	0,20	0,06	0,29	С	TR- MAZ	PERIOD
0,78	0,94	-0,97	0,33	-1,15	-1,37	-1,09	-1,32	-1,82	-2,02	-1,32	-1,27	-1,28	-1,10	-0,15	-1,43	-1,44	1,31	1,22	-1,59	-1,08	-2,00	-1,92	-1,61	-1,80	-1,54	-2,15	-2,57	-1,62	-1,19	-1,42	1,19	-1,93	-2,03	-2,03	-1,99	0,46	Α	TATS	
23,1	18,8	30,5	81,1	26,9	38,1	26,6	29,7	34,1	38,6	35,1	25,5	30,8	22,5	24,7	34,8	38,8	22,4	21,4	40,6	25,9	58,9	32,6	30,2	26,3	79,7	40,2	35,0	39,0	24,3	31,8	24,2	36,7	32,7	26,3	47,5	17,2		T B	
1,7	2,5	2,7	1,9	3,1	2,2	2,8	1,7	1,2	1,4	1,6	3,0	2,9	3,4	3,0	3,4	3,3	1,3	0,3	8,0	4,0	3,7	3,5	3,1	2,0	0,4	3,2	2,3	1,3	3,1	2,1	1,8	1,5	2,4	3,0	1,5	2,9		T C	
0,0051	0,0042	-0,0007	0,0000	-0,0006	-0,0004	-0,0007	0,0000	-0,0003	-0,0003	0,0000	-0,0013	-0,0010	-0,0008	0,0001	-0,0004	-0,0004	0,0037	0,0036	-0,0006	-0,0008	-0,0007	-0,0019	-0,0014	-0,0003	-0,0005	-0,0005	-0,0007	-0,0005	-0,0007	-0,0004	0,0021	-0,0006	-0,0003	-0,0019	-0,0009	0,0008		JEN A	
2,5	1,9	-0,8	0,0	-0,8	-0,6		0,0	-0,6	-0,6	0,0	-1,7	-1,4	-1,1	0,1	-0,5	0,6	2,2	2,1								-0,5	-1,2	-1,0			1,7	-0,7	-0,5	-2,6	-1,9	0,6		T A	
0,0062	0,0050	-0,0005	0,0006	-0,0007	-0,0005	-0,0005	0,0001	0,0000	0,0000	0,0001	-0,0011	-0,0014	-0,0012	0,0005	-0,0005	-0,0005	0,0053	0,0052	-0,0005	-0,0012	-0,0001	-0,0020	-0,0015	-0,0003	0,0001	0,0004	-0,0006	0,0001	-0,0008	-0,0007	0,0024	-0,0005	-0,0003	-0,0020	-0,0004	0,0012	Þ	≅	
0,44	0,43	0,59	0,80	0,55	0,60	0,60	0,62	0,72	0,72	0,62	0,58	0,63	0,55	0,56	0,61	0,61	0,50	0,50	0,75	0,55	0,84	0,63	0,62	0,68	0,87	0,67	0,67	0,80	0,55	0,61	0,43	0,69	0,68	0,63	0,91	0,41	В	, TR- TR-	SUBPERIC
-1,12	-0,77	-0,22	-0,60	0,03	0,08	-0,18	-0,14	-0,34	-0,34	-0,14	-0,12	0,45	0,33	-0,41	0,10	0,09	-1,71	-1,73	-0,06	0,32	-0,56	0,16	0,04	-0,08	-0,64	-0,87	-0,11	-0,59	0,13	0,30	-0,31	-0,11	-0,08	0,16	-0,56	-0,38	С	TR- MAZ	D ONE
3,0	2,0	-0,4	0,6	-0,7	-0,5	-0,5	0,1	0,0	0,0	0,1	-1,1	-1,4	-1,1	0,4	-0,5	-0,5	2,9	2,8	-0,5	-1,0	-0,1	-2,1	-1,7	-0,3	0,1	0,3	-0,7	0,1	-0,8	-0,8	1,5	-0,5	-0,3	-2,1	-0,4	0,8	Α	TATS	
5,0	5,0	15,0	23,0	14,0	18,0	15,0	17,0	19,0	19,0	17,0	15,0	16,0	15,0	10,0	17,0	17,0	9,2	9,2	20,0	14,0	25,0	19,0	16,0	20,0	25,0	13,0	20,0	23,0	14,0	18,0	8,0	19,0	20,0	19,0	24,0	9,3		T B	
-0,6	-0,4	-0,4	-0,9	0,1	0,2	-0,3	-0,3	-0,8	-0,8	-0,3	-0,3	1,0	0,7	-0,6	0,2	0,2	-2,0	-2,0	-0,1	0,6	-0,9	0,3	0,1	-0,2	-1,0	-0,9	-0,3	-0,9	0,3	0,7	-0,4	-0,2	-0,2	0,3	-1,2	-0,5		TC	
-0,0014	0,0009	-0,0001	0,0003	-0,0002	-0,0009	-0,0001	-0,0012	-0,0012	-0,0014	-0,0013	0,0003	0,0001	0,0003	0,0005	8000′0-	8000′0-	-0,0004	9000′0-	-0,0007	0,0003	7000,0-	-00001	-0,0002	9100,0-	-0,0005	-0,0015	-0,0014	£000′0-	1000,0-	6000′0-	8000,0	-0,0022	-0,0018	00000	-0,0002	0,0014		JEN A	
-0,6	0,3	-0,1	0,5	-0,3	-1,0	-0,1	-1,3	-1,5	-1,7	-1,4	0,2	0,1	0,2	0,3	-0,9	-0,9	-0,2	-0,4	-1,1	0,1	-1,1	-0,1	-0,2	-1,4	-1,1	-1,7	-1,9	-0,7	-0,1	-0,9	0,5	-1,7	-1,6	-0,1	-0,5	0,9		T A	
-0,0014	0,0004	-0,0005	0,0002	-0,0008	-0,0011	-0,0006	-0,0014	-0,0014	-0,0015	-0,0014	-0,0003	-0,0004	-0,0005	-0,0002	-0,0012	-0,0012	-0,0004	-0000,0	-0,0006	-0,0005	-0,0010	9000′0-	-0000,0	-0,0021	-0,0005	-0,0019	8100′0-	5000′0-	8000′0-	-0,0011	9000,0	-0,0023	-0,0022	-0000,	-0000,0	5000′0	A	TR-MAZ	
0,99	0,95	0,93	0,98	0,92	0,97	0,92	0,98	0,98	1,00	0,99	0,92	0,94	0,89	0,92	0,95	0,95	1,01	1,03	1,01	0,90	0,97	0,92	0,93	0,93	0,99	0,96	0,97	86,0	0,91	0,97	0,97	0,98	0,95	0,91	0,97	0,89	В	TR- TR-	UBPERIO
-0,01	0,10	0,07	0,00	0,10	0,03	0,11	0,03	0,02	0,02	0,01	0,12	0,10	0,16	0,13	0,07	0,06	-0,01	-0,07	-0,02	0,14	0,04	0,09	0,09	0,09	-0,01	0,07	0,06	0,03	0,13	0,05	0,02	0,02	0,07	0,13	0,04	0,18	С	TR- MAZ	D TWO
-0,4	0,1	-0,4	0,3	-0,6	-0,9	-0,5	-1,2	-1,2	-1,5	-1,3	-0,2	-0,4	-0,4	-0,1	-1,1	-1,1	-0,2	-0,2	-0,6	-0,4	-0,9	-0,5	-0,6	-1,5	-0,7	-1,6	-1,6	-0,5	-0,6	-0,9	0,3	-1,5	-1,7	-0,6	-0,5	0,3	Α	T	
35,0	24,0	40,0	128,0	37,0	60,0	33,0	40,0	41,0	49,0	52,0	32,0	38,0	26,0	28,0	47,0	57,0	31,0	25,0	51,0	40,0	61,0	49,0	45,0	25,0	104,0	71,0	44,0	43,0	30,0	45,0	38,0	44,0	38,0	29,0	45,0	20,0		T _B	
-0,1	1,2	1,6	-0,1	2,1	0,6	2,1	0,7	0,4	0,4	0,2	2,2	2,0	2,6	2,0	2,2	2,2	-0,1	-1,0	-0,4	2,8	2,4	2,1	1,8	1,1	-0,5	2,1	1,5	0,7	2,3	1,0	0,3	0,4	1,4	2,2	1,2	1,9		T C	

81	80	79	78	77	76	75	74	73	72	71	70	69	68	67	66	65	64	63	62	61	60	59	58	57	56	55	54	53	52	51	50	49	48	47	46	45	44	43	42	41	40	39	38
-0,0007	-0,0006	-0,0005	-0,0002	-0,0002	-0,0007	0,0015	-0,0002	-0,0005	-0,0002	-0,0004	0,0013	0,0009	-0,0001	0,0011	0,0009	0,0010	-0,0002	-0,0002	-0,0002	-0,0012	-0,0006	0,0000	-0,0007	0,0006	0,0017	-0,0007	0,0006	0,0002	0,0004	-0,0006	-0,0006	0,0014	-0,0003	-0,0001	-0,0004	-0,0005	-0,0002	0,0011	-0,0003	0,0010	-0,0002	-0,0004	0,0014
-1,2	-1,4	-1,1	-0,5	-0,8	-1,4	1,5	-0,8	-1,0	-0,7	-0,5	1,0	0,7	-0,4	0,5	0,4	0,5	-0,3	-0,3	-0,4	-1,6	-1,8	0,0	-1,2	1,0	1,7	-1,2	0,9	0,2	0,5	-0,8	-0,8	1,5	-0,5	-0,2	-0,9	-0,8	-0,3	1,0	-0,4	1,0	-0,2	-0,5	1,2
-0,0012	-0,0009	-0,0008	-0,0004	-0,0004	-0,0011	0,0009	-0,0003	-0,0010	-0,0005	-0,0010	0,0009	0,0006	-0,0002	0,0010	0,0008	0,0005	-0,0008	-0,0005	-0,0006	-0,0014	-0,0006	-0,0009	-0,0011	0,0003	0,0012	-0,0012	0,0002	-0,0005	-0,0006	-0,0011	-0,0012	8000,0	-0,0008	-0,0004	-0,0007	-0,0011	-0,0006	0,0007	-0,0005	0,0007	-0,0008	-0,0010	0,0011
0,89	0,94	0,92	0,96	0,97	0,92	0,86	0,97	0,91	0,93	0,83	0,90	0,91	0,96	0,01	0,95	0,89	0,87	0,92	0,91	0,94	0,97	0,81	0,90	0,92	0,87	0,89	0,91	0,85	0,79			0,87	0,90	0,92	0,93	0,87	0,92	0,91	0,95	0,91	0,85	0,84	0,90
0,17	0,08	0,11	0,05	0,05	0,11	0,20	0,02	0,14	0,10	0,22	0,12	0,11	0,03	0,03	0,03	0,17	0,20	0,13	0,12	0,07	0,03	0,30	0,14	0,09	0,17	0,17	0,12	0,21	0,33	0,19	0,19	0,20	0,15	0,10	0,12	0,20	0,13	0,11	0,08	0,12	0,20	0,20	0,10
-2,00	-1,98	-1,82	-0,94	-1,27	-2,08	0,92	-1,06	-1,92	-1,60	-1,34	0,70	0,42	-0,67	0,47	0,39	0,23	-1,15	-0,98	-1,04	-1,88	-2,00	-1,11	-1,94	0,56	1,15	-1,98	0,31	-0,63	-0,67	-1,61	-1,64	0,86	-1,24	-0,80	-1,70	-1,61	-0,92	0,65	-0,89	0,66	-1,13	-1,15	0,91
28,7	44,2	39,7	44,5	47,4	64,2	23,8	72,1	42,7	35,0	22,6	23,4	21,9	66,8	21,8	20,2	16,6	26,5	38,4	40,4	41,1	82,4	17,4	41,6	37,7	23,5	28,4	26,6	33,9	15,4	26,2	25,9	23,7	39,4	40,4	29,5	23,9	33,4	35,2	40,0	26,9	24,3	23,6	25,5
2,6	2,3	2,2	1,2	1,2	3,0	3,1	0,9	3,6	1,7	3,2	1,3	1,2	0,9	0,5	0,3	1,8	3,1	3,0	3,0	1,5	1,4	3,3	3,8	2,0	2,5	2,2	1,5	3,2	3,2	2,9	2,9	3,4	3,6	2,2	1,9	2,7	2,8	1,9	1,7	1,7	3,1	3,1	1,2
-0,0005	-0,0007	-0,0009	-0,0003	-0,0002	-0,0012	0,0019	-0,0002	-0,0007	-0,0005	-0,0015	0,0040	0,0039	-0,0002	0,0026	0,0030	0,0018	-0,0011	-0,0004	-0,0005	-0,0006	-0,0009	-0,0017	-0,0004	0,0012	0,0021	-0,0005	0,0012	-0,0001	-0,0016	-0,0010	-0,0014	0,0019	-0,0010	-0,0005	-0,0005	-0,0010	0,0001	0,0018	0,0001	0,0019	-0,0007	-0,0018	0,0037
	-1,2	-1,7	-0,5	0,5	2,0	1,5		-1,0	-1,0	-1,8	2,5	2,4	0,5	1,1	1,2	0,7	1,3		-0,7			-0,7	-0,7	1,2	1,7								-1,4	-0,8	-1,0			1,3	0,2		-1,1		2,3
0,0004	-0,0001	-0,0004	0,0003	0,0001	-0,0014	0,0021	0,0002	-0,0009	0,0001	-0,0015	0,0052	0,0051	0,0003	0,0046	0,0055	0,0040	-0,0013	-0,0005	-0,0005	-0,0005	-0,0004	-0,0019	0,0004	0,0015	0,0024	0,0001	0,0013	-0,0005	-0,0022	-0,0011	-0,0015	0,0022	-0,0014	-0,0002	-0,0004	-0,0010	0,0003	0,0031	0,0000	0,0030	-0,0012	-0,0019	0,0050
0,67		0,75	0,80	0,87		0,51	0,84		0,80	0,52		0,43	0,79	0,70	0,57	0,72	0,58	0,61	0,61	0,69	R	0,58	0,60		0,42					. 0,59			0,63	0,77	0,74		0,70	0,60					0,49
-0,86		-0,56	-0,54	-0,37		-0,23	-0,40	0,21			-1,24	-1,23	-0,54			-2,34	0,23	0,02				0,19		-0,30			-0,15				0,04		0,42	-0,30	-0,11			<u> </u>	0,11		0,50	H	-1,36
0,3	-0,1	-0,3	0,3	0,1	-2,1	1,5	0,2	-1,0	0,1	-1,4	2,9	2,8	0,3	1,7	1,8	1,4	-1,2	-0,4	-0,4	-0,5	-0,4	-1,5	0,4	1,4	1,4	0,1	1,2	-0,5	-2,3	-1,2	-1,4	1,6	-1,3	-0,2	-0,4	-1,1	0,3	2,0	0,0	2,0	-1,3	-1,4	3,0
14,0	25,0	19,0	21,0	22,0	29,0	9,0	21,0	19,0	23,0	15,0	8,1	8,1	21,0	5,1	3,7	4,5	16,0	18,0	18,0	19,0	24,0	12,0	19,0	17,4	7,0	19,0	17,4	16,0	12,0	19,0	16,0	12,1	15,0	16,0	20,0	18,0	22,0	13,1	20,0	11,0	19,0	13,0	9,6
-1,4	-1,2	-0,7	-1,0	-0,8	0,6	-0,4	-0,9	0,5	-0,9	-0,1	-1,5	-1,5	-0,9	-1,3	-1,5	-1,3	0,5	0,0	-0,1	-0,2	-0,9	0,3	-1,8	-0,6	-0,3	-1,1	-0,3	0,8	1,1	0,1	0,1	-0,5	0,8	-0,6	-0,3	0,0	-0,5	-1,8	0,2	-1,6	1,2	0,0	-1,7
-0,0013	-0,0007	-0,0003	-0,0002	-0,0003	-0,0005	0,0008	-0,0003	-0,0007	-0,0001	0,0004	-0,0020	-0,0026	-0,0002	-0,0005	-0,0016	0,0001	0,0003	-0,0002	-0,0003	-0,0021	-0,0003	0,0015	-0,0012	-0,0004	0,0009	-0,0012	-0,0004	0,0001	0,0021	-0,0004	-0,0001	0,0007	0,0001	0,0001	-0,0004	-0,0003	-0,0007	0,0000	-0,0010	-0,0001	0,0000	0,0006	-0,0012
-1,5	-1,0	-0,4	-0,5	-0,7	-0,7	0,5	-0,9			Н			-0,4	-0,1	-0,5	0,0	0,2	-0,4	-0,4	-1,7	-0,7	1,0	-1,6	-0,6	0,6	-1,5	-0,5	0,0	1,3	-0,4	-0,1	0,4	0,0	0,1	-0,6	-0,3	-0,9	-0,1	-1,0	-0,1	0,0	0,4	-0,7
-0,0019	-0,0010	-0,0006	-0,0003	-0,0004	-0,0008	0,0002	-0,0003	-0,0011	-0,0005	-0,0003	-0,0021	-0,0027	-0,0001	-0,0004	-0,0013	-0,0007	-0,0004	-0,0005	-0,0005	-0,0022	-0,0004	0,0003	-0,0016	-0,0005	0,0006	-0,0017	-0,0006	-0,0007	0,0009	-0,0010	-0,0008	0,0001	-0,0004	-0,0002	-0,0008	-0,0010	-0,0012	-0,0003	-0,0011	-0,0004	-0,0007	0,0000	-0,0013
0,93	0,96	0,95	0,99	0,99	0,96	0,93	1,00	0,95	0,96	0,89	0,98	1,00	0,99	1,00	1,02	0,92	0,92	0,97	0,97	0,98	0,98	0,85	0,95	0,98	0,95	0,95	0,98	0,90	0,84	0,92	0,91	0,94	0,95	0,95	0,96	0,92	0,96	0,97	0,99	0,97	0,90	0,90	0,97
0,12	0,06	0,06	0,01	0,02	0,06	0,11	-0,01	0,08	0,07	0,13	0,01	0,01	-0,02	-0,02	-0,06	0,14	0,12	0,05	0,04	0,01	0,01	0,24	0,06	0,00	0,06	0,09	0,03	0,14	0,24	0,12	0,12	0,10	0,07	0,06	0,07	0,12	0,08	0,04	0,02	0,05	0,14	0,11	0,01
-1,5	-0,9	-0,6	-0,3	-0,4	-1,1	0,1	-0,4	-1,4	-0,5	-0,2	-1,1	-1,3	-0,2	-0,1	-0,2	-0,1	-0,3	-0,5	-0,5	-1,4	-0,5	0,2	-1,5	-0,4	0,3	-1,3	-0,5	-0,6	0,6	-0,8	-0,6	0,1	-0,3	-0,2	-0,7	-0,8	-0,9	-0,2	-0,9	-0,2	-0,5	0,0	-0,8
28,0	44,0	46,0	52,0	49,0	80,0	32,0	80,0	47,0	32,0	34,0	30,0	27,0	87,0	23,0	26,0	17,0	33,0	59,0	60,0	49,0	94,0	17,0	61,0	68,0	29,0	37,0	39,0	39,0	15,0	32,0	31,0	31,0	53,0	40,0	27,0	25,0	31,0	42,0	56,0	36,0	26,0	29,0	33,0
1,6	1,6	1,6	0,3	0,6	2,0	2,2	-0,5	2,8	1,0	2,4	0,2	0,1	-0,5	-0,1	-0,3	1,3	2,4	1,2	1,0	0,1	0,4			0,0	0,8	1,3	0,6	2,5	2,2	2,4	2,3	2,3	2,3	1,4	1,0	1,6	1,5	0,6	0,4	0,7	2,7	2,3	0,1

126	125	124	123	122	121	120	119	118	117	116	115	114	113	112	111	110	109	108	107	106	105	104	103	102	101	100	99	98	97	96	95	94	93	92	91	90	89	88	87	86	85	84	83	82
-0,0008	-0,0012	-0,0012	0,0011	0,0008	-0,0002	-0,0011	-0,0012	-0,0003	-0,0007	-0,0006	0,0006	0,0019	0,0004	0,0005	0,0004	0,0000	-0,0001	0,0000	0,0022	-0,0001	-0,0001	0,0002	-0,0006	0,0008	-0,0004	-0,0004	-0,0001	-0,0002	0,0004	-0,0005	0,0002	0,0020	0,0019	0,0019	-0,0002	-0,0001	-0,0001	-0,0004	0,0007	0,0001	-0,0002	0,0015	0,0015	0,0012
-1,7	-2,2	-2,2	0,9	0,7	-0,3	-2,1	-2,4	-0,5	-1,3	-1,0	0,7	1,3	0,3	0,6	0,3	0,0	-0,1	0,0	1,7	-0,1	-0,2	0,2	-1,1	1,0	-0,6	-0,7	-0,2	-0,3	0,4	-0,9	0,6	1,0	1,0	1,0	-0,9	-0,1	-0,2	-0,4	0,7	0,1	-0,3	1,5	1,5	1,4
-0,0011	-0,0013	-0,0013	0,0008	0,0004	-0,0006	-0,0012	-0,0013	-0,0011	-0,0009	-0,0011	-0,0003	0,0014	-0,0006	-0,0003	-0,0006	-0,0009	-0,0007	-0,0004	0,0016	-0,0006	-0,0007	-0,0004	-0,0010	0,0001	-0,0006	-0,0007	-0,0003	-0,0007	-0,0003	-0,0010	0,0000	0,0019	8100,0	8100,0	-0,0003	-0,0007	-0,0005	-0,0010	-0,0003	-0,0002	-0,0005	0,0005	0,0005	0,0004
0,94	0,95	0,95	0,88	0,88	0,91	0,95	0,97	0,86	0,92	0,91	0,80	0,88	0,76	0,83	0,75	0,79	0,88	0,91	0,85	0,87	0,85	0,87	0,93	0,84	0,93	0,93	0,95	0,89	0,84	0,90	0,96	0,95	26,0	0,94	0,98	0,86	0,92	0,85	0,79	0,93	0,90	0,77	0,77	0,82
0,08	0,06	0,06	0,13	0,13	0,12	0,03	0,03	0,24	0,07	0,14	0,30	0,16	0,33	0,25	0,35	0,30	0,22	0,11	0,21	0,17	0,18	0,20	0,13	0,24	0,09	0,10	0,07	0,18	0,22	0,19	0,06	0,05	0,05	90,0	0,02	0,22	0,12	0,19	0,33	0,07	0,13	0,32	0,34	0,24
-2,29	-2,76	-2,69	0,64	0,34	-0,84	-2,52	-2,81	-1,90	-1,70	-1,79	-0,48	0,98	-0,43	-0,40	-0,45	-0,74	-1,29	-0,63	1,23	-0,76	-1,02	-0,62	-2,02	0,09	-1,12	-1,23	-0,81	-1,05	-0,35	-2,00	0,02	0,99	0,93	0,95	-1,22	-0,96	-0,89	-1,06	-0,34	-0,27	-0,91	0,51	0,49	0,57
61,4	36,5	36,5	25,4	25,4	38,9	48,2	46,9	22,8	39,6	29,2	16,1	33,6	18,0	21,1	18,3	20,9	23,4	40,9	20,2	24,6	27,2	27,1	46,9	18,9	41,1	43,4	37,9	30,7	23,0	31,3	44,5	18,0	18,4	20,9	89,6	24,8	32,8	24,6	16,5	27,9	35,7	15,8	19,4	20,7
2,6	1,0	1,0	2,2	2,3	2,8	0,5	0,6	2,9	1,7	2,5	3,2	2,1	3,1	3,5	3,4	3,0	2,7	2,9	2,7	2,6	3,7	3,0	3,3	2,2	2,3	2,9	1,3	3,1	3,2	3,1	1,4	0,5	0,5	0,9	1,0	3,0	2,4	2,7	3,4	0,9	2,7	3,6	3,2	3,5
-0,0004	-0,0005	-0,0005	0,0045	0,0043	0,0013	-0,0005	-0,0006	-0,0007	-0,0008	-0,0001	0,0002	0,0034	-0,0006	0,0002	-0,0007	-0,0008	-0,0005	-0,0003	0,0028	-0,0009	-0,0007	-0,0008	-0,0006	0,0004	0,0004	0,0003	0,0000	-0,0014	-0,0008	-0,0006	0,0001	0,0034	0,0034	0,0033	-0,0001	-0,0010	-0,0005	-0,0017	0,0002	0,0005	-0,0002	-0,0001	-0,0001	0,0004
H	-1,0			2,9		-0,9		' -1,0	3 1,4							-0,5				-1,0		3 -1,0	-0,9			0,5									0,1		-0,9	-1,6	0,1			Н		0,5
-0,0002	-0,0002	-0,0002	0,0054	0,0051	0,0012	-0,0002	-0,0002	-0,0007	-0,0006	-0,0003	-0,0005	0,0022	0,0001	-0,0005	-0,0001	-0,0008	-0,0005	-0,0003	0,0037	-0,0009	-0,0011	-0,0008	-0,0007	0,0008	0,0002	0,0001	0,0005	-0,0010	-0,0005	-0,0006	0,0006	0,0054	0,0054	0,0053	0,0006	-0,0009	-0,0001	-0,0015	-0,0002	0,0009	-0,0004	-0,0008	-0,0008	0,0001
			0,33	0,33	0,54	0,73						0,51	0,43		0,43	0,50			0,48	_				0,59	0,61	0,62							0,63		0,84		0,79						0,38	
-0,28	-0,36	-0,32	-0,91	-0,85	0,11	-0,35	-0,40	0,08	-0,20	0,24	0,73	1,28	-0,76	0,77	-0,55	0,03	0,07	-0,06	-1,01	0,05	0,46	0,08	0,19	-0,47	0,22	0,22	-0,59	-0,45	-0,29	0,05	-0,54	-2,10	-2,13	-2,08	-0,65	-0,08	-0,49	-0,24	0,43	-0,39	0,21	0,73	0,75	0,35
-0,2	-0,2	-0,2	3,2	3,1	1,1	-0,2	-0,2	-0,7	-0,6	-0,4	-0,6	1,1	0,0	-0,6	-0,1	-0,5	-0,5	-0,3	2,0	-0,8	-1,2	-0,9	-0,8	0,7	0,2	0,1	0,5	-0,8	-0,4	-0,6	0,6	8,0	8,0	8,0	0,6	-0,9	-0,1	-1,1	-0,2	0,7	-0,4	-0,8	-0,8	0,1
18,0	18,0	18,0	6,8	6,7	14,0	17,0	17,0	18,0	17,0	16,0	14,0	9,0	6,8	14,0	6,7	7,0	18,0	18,0	6,7	11,0	18,0	17,0	18,0	14,0	15,0	15,0	22,0	16,0	14,0	19,0	23,0	5,0	5,0	5,0	22,0	15,0	20,0	13,0	9,0	15,0	13,0	8,0	8,0	13,0
-0,6	-0,8	-0,7	-1,2	-1,1	0,2	-0,7	-0,8	0,2	-0,4	0,5	1,5	1,4	-0,8	1,6	-0,5	0,0	0,1	-0,1	-1,1	0,1	1,1	0,2	0,5	-0,9	0,5	0,5	-1,0	-0,8	-0,5	0,1	-0,8	-1,8	-1,8	-1,8	-1,5	-0,2	-0,8	-0,4	0,6	-0,7	0,4	1,0	1,0	0,7
-0,0014	-0,0020	-0,0020	-0,0027	-0,0031	-0,0022	-0,0019	-0,0021	-0,0003	-0,0006	-0,0015	0,0006	0,0002	0,0012	0,0004	0,0013	0,0006	0,0000	0,0000	0,0013	0,0004	0,0001	0,0008	-0,0009	0,0009	-0,0014	-0,0014	-0,0001	0,0007	0,0011	-0,0007	0,0002	0,0004	0,0002	0,0004	-0,0005	0,0005	0,0002	0,0006	0,0007	-0,0007	-0,0005	0,0026	0,0026	0,0016
H			-1,7	-2,0			4	H	V		0,4	0,0	0,6	0,2					0,6					0,6				0,6		-0,9	0,3	0,1	0,0	0,1	-2,0	0,3	0,1	0,4	0,4	-0,7	-0,7	1,5	1,6	1,1
-0,0016	-0,0021	-0,0021	-0,0027	-0,0032	-0,0024	-0,0018	-0,0020	-0,0012	-0,0009	-0,0019	-0,0005	-0,0002	0,0000	-0,0005	-0,0001	-0,0006	-0,0008	-0,0003	0,0006	0,0000	-0,0005	0,0001	-0,0012	0,0000	-0,0015	-0,0016	-0,0004	0,0001	0,0004	-0,0013	0,0001	0,0004	0,0002	0,0003	-0,0005	-0,0002	-0,0003	0,0000	-0,0004	-0,0008	-0,0007	0,0015	0,0015	0,0008
0,98	0,99	0,99	0,99	0,98	0,97	0,99	1,01	0,90	0,94	0,96	0,86	0,95	0,82	0,89	0,81	0,84	0,93	0,97	0,92	0,93	0,89	0,92	0,98	0,89	0,99	0,99	0,97	0,93	0,89	0,95	0,99	1,00	1,01	0,99	1,01	0,91	0,94	0,90	0,86	0,98	0,97	0,84	0,84	0,88
0,03	0,00	0,00	0,00	0,01	0,03	-0,03	-0,03	0,18	0,04	0,07	0,22	0,07	0,24	0,16	0,26	0,22	0,14	0,03	0,12	0,07	0,12	0,12	0,06	0,17	0,01	0,02	0,04	0,11	0,13	0,12	0,02	-0,02	-0,02	0,00	-0,02	0,13	0,09	0,11	0,22	0,00	0,03	0,21	0,23	0,16
-2,4	-2,8	-2,8	-1,6	-2,0	-2,3	-2,6	-2,1	-1,0	-0,7	-1,5	-0,3	-0,1	0,0	-0,3	0,0	-0,3	-0,7	-0,3	0,3	0,0	-0,4	0,1	-1,7	0,0	-1,6	-1,6	-0,4	0,1	0,3	-1,3	0,1	0,1	0,0	0,1	-1,0	-0,1	-0,2	0,0	-0,2	-0,6	-0,6	0,9	0,9	0,5
73,0	43,0	43,0	62,0	58,0	53,0	59,0	58,0	22,0	39,0	36,0	16,0	31,0	15,0	25,0	20,0	34,0	23,0	62,0	26,0	35,0	30,0	41,0	87,0	18,0	78,0	83,0	33,0	41,0	45,0	32,0	50,0	21,0	21,0	24,0	184,0	38,0	30,0	33,0	19,0	31,0	74,0	24,0	22,0	25,0
1,0	0,1	0,1	0,0	0,2	0,9	-0,7	-0,8	1,9	1,1	1,6	2,1	0,8	2,4	2,6	2,8	3,3	1,6	1,3	1,5	1,4	2,4	2,7	2,1	1,5	0,2	1,2	0,7	1,9	2,4	1,8	0,6	-0,1	-0,1	0,0	-1,6	2,1	1,6	1,7	2,5	0,1	1,0	2,5	2,5	2,8

171	170	169	168	167	166	165	164	163	162	161	160	159	158	157	156	155	154	153	152	151	150	149	148	147	146	145	144	143	142	141	140	139	138	137	136	135	134	133	132	131	130	129	128	127
-0,0003	0,0017	0,0016	-0,0002	-0,0002	0,0003	-0,0004	-0,0005	-0,0003	0,0004	-0,0002	0,0019	-0,0005	-0,0004	0,0019	-0,0002	0,0005	0,0004	-0,0011	0,0001	0,0008	-0,0001	0,0006	0,0005	0,0001	0,0013	0,0004	0,0013	0,0003	-0,0002	-0,0012	-0,0013	0,0001	-0,0011	0,0011	-0,0003	-0,0008	0,0005	-0,0006	0,0002	0,0002	-0,0005	-0,0003	-0,0005	-0,0008
-0,4	1,7	1,5	-0,3	-0,6	0,4	-0,7	-0,8	-0,6	0,7	-0,2	1,4	-0,9	-0,5	1,4	-0,5	0,3	0,6	-1,4	0,2	1,0	-0,3	1,3	0,7	0,2	1,5	0,5	1,5	0,5	-0,6	-2,5	-2,6	0,1	-1,7	1,4	-0,4	-1,4	7,0	-1,5	0,1	0,2	-1,2	-0,4	-0,8	-1,7
-0,0008	6000	0,0010	-0,0008	-0,0005	-0,0004	-0,0008	-0,0008	-0,0008	0,0000	-0,0010	0,0015	-0,0010	-0,0010	0,0015	-0,0003	0,0003	-0,0002	-0,0015	-0,0004	0,0001	-0,0004	0,0002	-0,0001	-0,0003	0,0003	-0,0001	0,0002	-0,0001	-0,0002	-0,0014	-0,0015	-0,0003	-0,0014	0,0002	-0,0007	-0,0010	0,0002	-0,0009	-0,0008	-0,0009	-0,0009	-0,0009	-0,0011	-0,0011
0,88	28,0	0,89	0,86	0,94	0,85	0,93	0,94	0,90	0,91	0,83	0,90	0,89	0,86	0,90	0,97	0,93	0,84	0,90	0,86	0,82	0,95	0,91	0,87	0,87	0,77	88,0	0,77	0,90	0,99	0,97	0,96	88,0	0,92	0,79	0,90	0,93	68,0	0,94	0,78	0,76	0,92	0,86	0,88	0,93
0,17	0,28	0,18	0,21	0,09	0,22	0,12	0,09	0,17	0,12	0,26	0,13	0,15	0,22	0,13	0,04	0,07	0,21	0,15	0,19	0,24	0,09	0,14	0,19	0,15	0,35	0,16	0,34	0,15	-0,02	0,06	0,08	0,15	0,10	0,29	0,12	0,07	0,10	0,09	0,31	0,35	0,12	0,20	0,20	0,10
-1,01	0,87	1,01	-1,14	-1,50	-0,52	-1,33	-1,34	-1,57	0,09	-1,18	1,12	-1,56	-1,41	1,08	-0,78	0,17	-0,26	-2,13	-0,72	0,13	-0,89	0,36	-0,12	-0,53	0,36	-0,17	0,32	-0,17	-0,50	-2,99	-3,22	-0,26	-2,33	0,32	-0,91	-1,74	0,28	-2,24	-0,68	-0,74	-1,99	-1,23	-1,76	-2,34
35,0	17,2	23,8	26,6	33,9	22,8	43,5	38,1	33,3	48,8	21,0	29,0	31,4	24,2	27,0	52,7	21,7	23,8	42,6	20,3	20,0	32,8	23,3	24,2	26,9	13,0	26,1	12,9	33,5	63,4	56,0	58,6	23,4	39,4	16,1	35,9	35,8	28,9	61,2	15,1	14,7	35,4	25,4	24,7	40,6
2,6	2,9	2,7	3,0	1,6	2,9	2,9	1,9	2,9	3,9	3,5	1,7	2,7	3,1	1,9	1,1	1,0	3,3	2,6	2,3	3,3	1,6	1,8	3,0	2,4	3,0	2,9	2,8	3,2	-0,4	1,8	2,6	2,1	2,4	3,3	2,7	1,6	1,6	4,2	3,1	2,9	2,2	3,5	2,7	2,4
-0,0015	0,0017	0,0017	-0,0015	-0,0001	-0,0007	-0,0011	-0,0012	-0,0003	0,0003	-0,0009	0,0027	-0,0003	-0,0011	0,0037	-0,0001	0,0013	0,0005	-0,0026	0,0007	0,0000	-0,0001	0,0003	0,0017	0,0007	0,0008	0,0001	0,0008	0,0017	0,0000	-0,0008	-0,0008	0,0001	-0,0009	0,0009	0,0012	-0,0009	0,0009	-0,0004	-0,0006	-0,0006	-0,0004	0,0011	-0,0001	-0,0004
\vdash					_			3 -0,5	0,5			3 -0,4			-0,2		0,6					0,4						7							1,4	-1,5	1,1	1 -0,7					-0,2	-1
-0,0016	0,0023			0,0006		-0,0009		-0,0003	0,0003	-0,0008		0,0002		0,0051	0,0000		0,0009	-0,0027	0,0006			0,0003		0,0006	0,0010	0,0002	0,0010	0,0016	0,0002	-0,0004	-0,0004	-0,0001	-0,0010	0,0010	0,0011	-0,0004	0,0012	-0,0001	-0,0007	-0,0007	0,0002		-0,0003	
					0,61			0,65				0,58	0,58	0,48	0,84		0,46			0,24	1			0,59			0,46																0,64	
				-0,72	-0,31	-0,27	_	-0,01	0,05		-1,58	<u> </u>	-0,26	-1,44	-0,10		-0,37		0,12	0,42		-0,04		0,10	_										0,11			-0,35	0,12				0,23	
-1,5	1,7	1,9	-1,1	0,5	-0,3	-0,8	-1,0	-0,3	0,3	-0,6	2,4	0,2	-0,7	2,7	0,0	0,6	0,8	-2,7	0,6	-0,3	0,1	0,2	1,7	0,6	1,0	0,2	1,0	1,8	0,2	-0,4	-0,4	0,0	-1,0	1,0	1,0	-0,4	1,1	-0,1	-0,4	-0,4	0,2	0,9	-0,3	-0,2
17,0	9,5	9,0	17,8	19,0	17,0	17,0	19,0	19,0	18,0	13,0	8,0	17,0	14,0	8,8	19,0	4,5	10,0	26,0	15,0	4,5	19,0	19,0	12,0	18,0	11,0	15,0	11,0	12,0	21,0	17,0	17,0	10,0	18,0	11,0	14,0	21,0	14,0	17,0	8,6	8,2	17,0	14,0	16,0	19,0
0,2	-0,9	-1,0	-0,4	-1,0	-0,6	-0,5	-0,2	0,0	0,1	-0,3	-1,9	-1,1	-0,5	-1,7	-0,2	-1,5	-0,7	0,2	0,3	0,6	-0,4	-0,1	0,1	0,2	-0,3	-0,2	-0,4	0,2	-0,5	-0,9	-0,9	0,3	0,2	-0,2	0,2	-0,7	-0,5			0,1	-1,3	0,3	0,5	-0,6
0,0006	0,0013	0,0010	0,0008	-0,0003	0,0009	0,0000	-0,0001	-0,0006	0,0002	0,0002	0,0005	-0,0011	0,0000	-0,0004	-0,0004	-0,0005	-0,0001	0,0003	-0,0007	0,0011	-0,0002	0,0008	-0,0011	-0,0007	0,0016	0,0002	0,0014	-0,0014	-0,0005	-0,0019	-0,0019	0,0007	-0,0016	0,0011	-0,0022	-0,0007	-0,0003	-0,0010	0,0007	0,0007	-0,0009	-0,0021	-0,0011	-0,0013
0,4							4		V			-1,3													0,9	0,1		-1,6				0,2		0,7			-0,2		0,3				-1,2	-
0,0001	0,0003	0,0005	0,0000	-0,0007	0,0001	-0,0003	-0,0003	-0,0012	-0,0001	-0,0007	0,0003	-0,0015	-0,0008	-0,0006	-0,0005	-0,0007	-0,0007	-0,0003	-0,0014	0,0006	-0,0006	0,0002	-0,0017	-0,0012	0,0002	-0,0002	0,0001	-0,0018	-0,0003	-0,0020	-0,0021	0,0005	-0,0018	0,0000	-0,0024	-0,0010	-0,0004	-0,0013	-0,0005	-0,0007	-0,0013	-0,0027	-0,0018	-0,0017
0,93	0,91	0,96	0,90	0,96	0,90	0,97	0,98	0,95	0,95	0,89	0,97	0,95	0,91	0,98										0,92	0,82					1,01		0,95			0,97	0,94	0,94	0,98	0,82	0,81			0,92	
0,09	0,19	0,09	0,14	0,07	0,15	0,05	0,02	0,11	0,05	0,18	0,04	0,07	0,14	0,03	0,01	0,02	0,11	0,11	0,12	0,08	0,06	0,11	0,12	0,08	0,27	0,07	0,26	0,06	-0,05	0,01	0,03	0,02	0,04	0,21	0,03	0,05	0,02	0,04	0,24	0,27	0,08	0,13	0,14	0,06
0,1	0,2	0,3	0,0	-0,7	0,1	-0,3	-0,3	-1,2	-0,1	-0,4	0,1	-1,2	-0,6	-0,3	-0,5	-0,1	-0,5	-0,2	-0,9	0,4	-0,5	0,2	-1,4	-0,9	0,1	-0,1	0,1	-1,9	-0,3	-2,9	-3,1	0,1	-2,0	0,0	-2,3	-1,0	40,0	-2,4	-0,3	-0,3	-2,0	-2,5	-1,9	-2,4
39,0	18,0	33,0	28,0	30,0	24,0	70,0	49,0	34,0	71,0	24,0	37,0	32,0	35,0	33,0	61,0	25,0	31,0	41,0	20,0	37,0	29,0	20,0	26,0	27,0	13,0	35,0	13,0	77,0	67,0	81,0	87,0	32,0	0,65	17,0	47,0	34,0	48,0	83,0	16,0	15,0	32,0	24,0	23,0	46,0
H		1,	2,	1,0	1,9	1,4	9,0	1,7	2,5	2,5	2,0	1,2	2,:	0,6	0,2	0,2	1,9	1,9	1,4	2,1	2,0	1,2	1,6	1,1	2,1	1,7	2,0	2,2	-1,!	0,3	1,1	0,2			0,9	1,1	3,0	2,4	2,4	2,2	1,2	1,8	1,7	1,4

204	203	202	201	200	199	198	197	196	195	194	193	192	191	190	189	188	187	186	185	184	183	182	181	180	179	178	177	176	175	174	173	172
0,0001	0,0001	-0,0081	0,0002	0,0011	-0,0001	-0,0004	0,0008	0,0000	0,0000	-0,0004	0,0001	0,0002	-0,0004	-0,0005	0,0006	0,0000	-0,0001	-0,0001	0,0000	0,0006	0,0016	0,0006	0,0000	-0,0004	0,0016	0,0000	0,0001	-0,0004	-0,0008	0,0003	0,0002	-0,0003
0,1	0,2	-0,3	0,4	1,2	-0,1	-1,0	1,6	0,0	0,1	-1,3	0,3	0,4	-1,1	-0,9	1,2	0,0	-0,2	-0,1	-0,1	1,0	2,0	1,0	-0,1	-0,7	2,1	0,0	0,2	-1,2	-1,3	0,5	0,3	-1,5
-0,0003	-0,0002	-0,0089	0,0002	0,0004	-0,0005	-0,0006	0,0006	-0,0008	-0,0006	-0,0006	0,0000	-0,0004	-0,0006	-0,0008	0,0006	-0,0001	-0,0005	-0,0007	-0,0001	0,0001	0,0013	0,0002	-0,0001	-0,0008	0,0014	-0,0001	-0,0003	-0,0006	-0,0012	-0,0002	-0,0003	-0,0004
0,91	0,92	0,77	0,96	0,86	0,90	0,96	0,96	0,84	0,89	0,97	0,96	0,87	0,95	0,94	0,99	0,97	0,92	0,86	0,97	0,90	0,92	0,90	0,98	0,90	0,91	0,97	0,90	0,97	0,91	0,87	0,87	0,98
0,12	0,10	0,28	0,01	0,23	0,15	0,09	0,06	0,25	0,21	0,04	0,04	0,19	0,07	0,09	0,01	0,03	0,12	0,20	0,04	0,17	0,09	0,14	0,03	0,14	0,07	0,03	0,13	0,04	0,13	0,19	0,19	0,03
-0,52	-0,36	-0,34	0,42	0,46	-0,69	-1,60	1,16	-1,03	-1,09	-1,72	0,04	-0,67	-1,55	-1,40	1,23	-0,24	-0,63	-0,89	-0,37	0,21	1,74	0,35	-0,44	-1,37	1,91	-0,20	-0,59	-1,45	-2,11	-0,35	-0,50	-1,99
39,8	44,2	1,4	52,3	20,9	30,3	31,8	34,3	20,9	24,4	46,4	37,0	30,0	40,7	39,2	42,6	41,1	34,6	26,5	54,1	32,1	30,1	41,1	71,1	40,5	35,1	49,1	40,6	68,7	33,3	27,4	27,2	88,7
3,4	3,0	0,3	0,2	2,9	2,7	1,4	1,0	3,3	2,6	1,0	0,8	3,5	1,4	1,9	0,1	0,7	2,3	3,4	1,0	2,8	1,5	3,3	1,0	3,3	1,6	0,6	3,3	1,4	2,7	3,2	3,0	1,8
0,0007	0,0007	-0,0186	0,0009	0,0010	0,0010	-0,0004	0,0013	-0,0010	-0,0003	-0,0005	0,0009	0,0009	-0,0005	-0,0002	0,0013	0,0002	0,0010	-0,0009	0,0002	-0,0006	0,0021	-0,0006	-0,0004	-0,0005	0,0021	-0,0004	0,0009	-0,0007	-0,0009	-0,0001	-0,0006	-0,0001
0,9	0,9	5 -0,4	1,5	0,7	1,2	1 -0,9	1,8) -1,2	3 -0,5	5 -1,1	1,5	1,5	5 -1,1	2 -0,3	1	0,5		9 -1,0	0,4	5 -0,8	. 2,2	5 -0,8	4 -0,8	5 -0,7	. 2,2	1 -0,9	1,5	7 -1,1	-1,5	1 -0,1	5 -0,8	1 -0,3
0,0010	0,0011	-0,0124	0,0012	0,0014	0,0016	-0,0003	0,0015	-0,0014	-0,0004	-0,0003	0,0012	0,0013	-0,0002	-0,0004	0,0013	0,0008	0,0016	-0,0008	0,0009	-0,0006	0,0022	-0,0007	0,0002	-0,0006	0,0022	0,0001	0,0014	0,0002	-0,0011	-0,0003	-0,0007	0,0003
	. 0,60	1,50	0,73	0,56	0,59	3 0,87	0,79	1 0,54	1 0,69	3 0,84	0,73	0,59	2 0,84	1 0,67		0,83	0,59	3 0,56	0,82	5 0,66	0,55	_		5 0,62	0,55	. 0,86	0,59	0,78	1 0,65	3 0,59	7 0,59	0,85
	-0,41	-6,37	-0,28	-0,45	-0,67	-0,17	-0,22		0,11	-0,20	-0,29	-0,37		0,19		-0,63	-0,60	-0,09	0,67	0,09	-0,14			. 0,11	-0,15	-0,60	-0,45	-0,91	0,22	0,14	0,04	-0,41
3 1,0	1,0	7 -0,1	3 1,9	5 0,9	1,5	7 -0,3	2 1,3	-1,4	0,4	.0,3) 1,8	7 1,9	1 -0,2	-0,4	5 1,2	3 0,9) 1,5	-0,7	7 0,9	-0,7	1 2,4	-0,7	1 0,2	-0,6	5 2,4	0,2	5 2,1	1 0,1	-1,2	-0,3	-0,7	1 0,3
15,0	16,0	0,7	20,0	8,8	15,0	20,0	17,0	16,0	21,0	27,0	20,0	18,0	26,0	18,0	18,0	23,0	16,0	15,0	23,0	18,0	13,0	18,0	22,0	17,0	13,0	22,0	19,0	17,0	18,0	17,0	17,0	20,0
-0,5		-0,3		-0,7		-0,3			0,2	-0,5	-0,7										-0,3			0,2	-0,3			-1,0	0,5	0,3	0,1	-0,9
-0,0009	-0,0008	0,0037	-0,0007	0,0010	-0,0014	-0,0004	0,0001	0,0007	0,0001	-0,0004	-0,0008	-0,0009	-0,0003	-0,0011	-0,0002	-0,0003	-0,0015	0,0004	-0,0004	0,0015	0,0007	0,0015	0,0003	-0,0007	0,0008	0,0004	-0,0011	-0,0004	-0,0009	0,0005	0,0008	-0,0006
	3 -1,2	0,1				4 -0,7			. 0,0		3 -1,2	9 -1,1		1 -1,3		3 -0,5		0,2					0,4				1 -1,6	4 -0,8	9 -1,1	0,4	3 0,6	5 -2,9
-0,0011	-0,0009	0,0009	-0,0005		-0,0018	-0,0008		-0,0002	-0,0007	-0,0005	-0,0008	-0,0015	-0,0005	-0,0013			-0,0017	-0,0002	-0,0005		0,0007			-0,0010	8000,0	0,0003	-0,0014	-0,0003	-0,0013	-0,0001	0,0001	-0,0006
	0,97			0,91					0,92														1,00								0,92	
		1 0,48	-0,05	0,16		0,06			2 0,15		1 -0,02				2 -0,04								0,00		-0,02			1 -0,02		2 0,11		0,00
)4 -1,0)2 -0,9	0,0	-0,6	.6 0,1)6 -0,7	0,0		.5 -0,5)2 -0,7	.2 -1,4	.0,5)2 -1,1)4 -1,3		.0,5)6 -1,0	0,6)5 -1,6	0,5)7 -1,1	.1 -0,1	.2 0,1)0 -2,2
	9 69,0			1 23,0		7 28,0		.1 21,0		5 50,0	7 47,0									8 38,0			3 89,0		6 58,0						1 41,0	2 147,0
,0 1,9	,0 0,9	1 0,6		,0 2,0					,0 1,7		,0 -0,4		,0 0,7			,0 -0,1						,0 2,1		,0 1,9				1,0 -1,2			,0 2,0	7,0 0,1

TABLE 43 AUSTRIAN MUTUAL FUNDS PERFORMANCE MEASURES RANKINGS

49	105	193	132	122	116	32	42	37	62	70	140	141	191	30	117	63	100	50	31	44	29	130	99	150	151	43	61	201	200	55	202	94	197	1	56	196	169	168	59	58	SHARPE	
108	170	106	188	183	15	62	191	30	32	44	116	105	128	107	37	50	117	29	31	115	114	42	132	28	112	43	54	61	94	53	202	59	58	55	197	196	56	13	14	7	JENSEN	
101	183	140	145	141	87	151	73	107	128	132	72	52	95	105	89	100	122	202	44	50	3	32	5	108	2	144	197	42	196	99	31	63	61	37	55	43	56	59	58	94	TREYNOR	AUSTRIA OVERALL PERIOD
91	197	127	88	145	21	196	86	132	105	128	107	101	100	73	50	95	32	52	44	87	72	122	89	108	55	99	59	3	31	144	2	5	61	58	43	42	63	37	56	94	MM	RALL PERIOD
49	105	193	132	122	116	32	42	37	62	70	140	141	191	30	117	63	100	50	31	44	29	130	99	150	151	43	61	201	200	55	202	94	197	1	56	196	169	168	59	58	R	
88	49	131	21	96	157	150	101	73	32	72	79	151	122	105	100	95	140	24	141	89	42	50	108	44	31	З	52	55	5	144	99	56	37	63	61	2	43	59	58	94	TR-MAZ	
4	69	123	37	154	152	59	153	58	86	143	142	79	87	2	159	141	140	94	100	158	8	72	99	162	166	122	18	167	9	22	23	6	27	19	16	7	25	13	14	26	SHARPE	
151	202	123	65	59	58	69	4	86	87	154	152	2	79	153	94	72	100	143	142	122	141	140	99	8	159	22	23	158	25	162	9	166	19	27	167	26	16	6	18	13	JENSEN	
89	144	60	102	95	63	203	204	159	101	43	86	197	196	87	123	108	158	37	69	61	166	150	152	154	162	153	151	202	167	2	79	100	72	99	141	140	94	122	59	58	TREYNOR	AUSTRIA SU
89	5	3	108	123	144	143	142	158	128	7	20	18	14	166	162	4	16	60	94	100	13	167	37	8	6	99	86	45	27	2	19	87	22	23	72	33	9	25	26	122	MM	AUSTRIA SUBPERIOD ONE
4	69	123	37	154	152	59	153	58	86	143	142	79	87	2	159	141	140	94	100	158	8	72	99	162	166	122	18	167	9	22	23	6	27	19	16	7	25	13	14	26	IR	
107	27	127	87	190	8	22	59	23	58	18	19	143	142	26	166	9	13	2	203	204	69	167	202	7	100	122	159	72	14	150	6	141	140	151	99	158	153	162	154	152	TR-MAZ	
171	170	81	110	82	163	17	202	80	15	41	30	164	130	29	172	40	173	28	174	115	114	112	197	183	196	55	193	116	191	54	71	117	169	201	200	56	168	70	53	1	SHARPE	
81	17	80	132	15	30	47	202	29	172	173	82	174	41	171	74	183	40	170	75	193	71	191	163	116	70	164	117	197	196	28	115	114	112	55	54	56	53	13	14	7	JENSEN	
36	35	58	80	37	116	132	50	105	41	32	47	61	117	63	43	42	130	74	40	171	163	111	31	94	75	170	121	115	114	164	112	71	110	28	55	70	183	54	56	53	TREYNOR	AUSTRIA SUE
44	74	163	66	114	120	144	171	50	36	35	37	32	21	112	40	24	75	170	42	164	61	2	ω	43	5	130	31	63	111	71	28	121	94	70	55	110	54	183	56	53	MM	AUSTRIA SUBPERIOD TWO
171	170	81	110	82	163	17	202	80	15	41	30	164	130	29	172	40	173	28	174	115	114	112	197	183	196	55	193	116	191	54	71	117	169	201	200	56	168	70	53	1		
49	170	66	42	41	115	144	114	75	37	44	52	ω	105	96	5	112	164	21	31	2	120	40	50	24	61	28	63	130	71	43	121	111	55	94	54	70	56	110	53	183	TR-MAZ	

89	185	80	51	112	109	187	161	190	69	172	127	36	35	186	11	12	106	96	173	41	54	174	179	129	154	152	188	40	104	52	103	153	144	95	107	53	17	71	183	72	128	24	108	15
97	73	72	80	47	151	21	125	52	89	145	109	100	96	172	36	35	173	95	174	127	71	82	41	169	185	74	163	99	187	186	70	40	168	144	75	104	171	49	193	103	17	164	63	129
146	11	190	12	123	184	60	188	38	161	130	185	106	24	113	129	155	109	156	154	152	186	51	131	135	102	69	34	91	86	79	36	35	76	153	96	127	62	104	157	150	21	88	49	103
166	125	150	123	4	24	39	77	65	184	185	129	183	106	151	60	109	113	167	202	154	104	152	62	155	49	156	51	103	186	141	140	36	35	76	135	79	153	69	38	96	131	102	157	34
89	185	08	51	112	109	187	161	190	69	172	127	36	35	186	11	12	106	96	173	41	54	174	179	129	154	152	188	40	104	52	103	153	144	95	107	53	17	71	183	72	128	24	108	15
9	65	133	6	130	78	162	39	8	146	127	109	154	152	107	128	183	166	86	10	69	60	202	155	102	156	197	135	104	153	34	196	103	62	76	132	4	161	167	145	38	87	51	91	113
107	88	135	186	145	129	73	44	113	91	131	184	42	52	161	61	127	197	196	155	156	38	128	89	63	43	157	108	5	3	204	203	144	95	190	150	151	102	60	20	101	65	33	45	202
10	135	88	107	186	145	129	73	91	44	179	113	52	131	184	61	42	197	196	127	108	155	156	128	63	89	161	144	43	38	5	ω	95	157	60	102	33	190	20	101	150	204	203	45	37
180	146	32	186	26	39	160	38	24	131	77	107	9	184	90	179	50	13	42	145	6	51	31	129	88	109	127	4	5	ω	135	91	73	190	155	156	113	44	161	65	128	143	142	52	157
126	125	43	182	109	113	198	57	135	73	39	141	140	190	90	106	155	95	156	52	154	152	42	131	157	153	88	185	202	145	102	38	65	127	69	186	101	184	63	129	77	107	79	91	159
107	88	135	186	145	129	73	44	113	91	131	184	42	52	161	61	127	197	196	155	156	38	128	89	63	43	157	108	5	ω	204	203	144	95	190	150	151	102	60	20	101	65	33	45	202
57	198	91	113	63	88	4	189	145	61	131	38	45	149	33	126	73	42	5	з	89	102	144	60	185	101	129	20	79	94	182	125	106	37	123	186	155	156	157	25	128	16	65	86	184
37	144	99	98	11	12	63	96	185	92	186	120	104	36	35	49	129	103	93	175	44	106	177	42	62	32	176	94	128	187	105	188	107	50	31	43	132	121	61	47	59	74	111	58	75
92	21	108	201	93	63	200	126	125	96	144	189	121	127	130	36	35	94	44	37	49	185	111	186	62	129	104	43	103	32	187	59	128	169	110	188	50	58	31	61	106	105	168	107	42
128	201	64	66	88	82	200	172	84	11	2	93	12	173	30	95	145	73	76	174	89	108	34	107	52	49	29	62	17	193	197	104	96	15	81	44	103	196	3	191	21	59	144	5	120
135	196	107	91	113	4	51	88	191	84	17	64	39	78	145	95	116	104	81	11	15	12	108	103	49	38	62	76	89	73	201	117	200	47	10	132	80	59	34	41	52	96	58	105	115
37	144	99	98	11	12	63	96	185	92	186	120	104	36	35	49	129	103	93	175	44	106	177	42	62	32	176	94	128	187	105	188	107	50	31	43	132	121	61	47	59	74	111	58	75
161	11	135	12	4	39	137	117	91	145	93	113	81	67	131	146	88	73	38	97	36	35	85	47	95	64	10	119	51	84	76	80	108	89	59	171	34	104	132	74	58	62	103	32	163

126	203	180	204	85	176	147	184	34	87	171	10	113	2	3	146	133	92	48	155	5	88	156	160	170	125	97	102	110	157	81	93	115	73	21	101	76	79	114	178	82	135	28	145	123
86	154	111	152	147	153	85	68	91	131	69	87	134	155	156	64	67	133	102	201	92	119	110	34	157	84	182	200	77	101	190	11	12	93	76	51	88	184	122	135	189	81	130	150	126
29	171	181	159	48	54	137	124	136	148	170	182	158	93	17	68	160	28	4	179	180	166	110	187	15	57	162	126	90	134	83	64	65	67	119	39	10	78	53	84	97	133	125	167	77
13	110	22	160	136	23	26	27	16	25	148	180	19	182	68	142	45	33	130	159	11	7	12	134	188	8	6	9	64	158	126	119	83	146	97	57	90	133	84	161	162	67	190	78	10
126	203	180	204	85	176	147	184	34	87	171	10	113	2	3	146	133	92	48	155	5	88	156	160	170	125	97	102	110	157	81	93	115	73	21	101	76	79	114	178	82	135	28	145	123
23	138	180	110	14	125	190	27	11	16	12	45	159	148	77	90	25	33	19	48	26	64	185	106	142	123	13	129	137	134	83	67	188	57	158	36	35	186	160	84	179	97	184	119	7
137	55	149	188	21	56	96	134	104	132	118	126	103	62	181	83	146	49	105	32	34	178	106	48	133	57	148	78	76	180	182	50	90	77	39	125	185	109	31	198	24	160	51	10	179
12	189	55	97	149	56	126	134	21	188	118	104	96	103	132	181	62	83	146	178	105	49	32	34	106	48	133	57	148	78	76	180	182	50	90	77	39	185	109	125	31	198	51	160	24
55	97	56	118	104	16	103	18	48	21	126	178	83	96	182	181	188	134	105	34	8	106	148	78	132	11	12	45	198	76	7	22	185	23	33	27	10	25	125	14	62	19	49	133	57
181	64	146	179	49	119	104	103	84	187	36	35	161	180	203	204	50	105	32	134	97	10	83	68	149	133	189	136	59	76	132	44	188	58	21	31	96	197	196	78	148	67	61	51	34
137	55	149	188	21	56	96	134	104	132	118	126	103	62	181	83	146	49	105	32	34	178	106	48	133	57	148	78	76	180	182	50	90	77	39	125	185	109	31	198	24	160	51	10	179
134	180	139	138	137	24	83	46	148	104	146	103	78	160	136	34	199	105	133	62	109	10	76	132	32	51	179	77	31	48	161	49	135	197	196	50	55	44	52	95	56	39	43	108	90
131	88	154	152	134	133	67	153	34	123	89	51	135	24	182	64	122	119	184	199	84	109	95	52	76	178	72	195	190	126	125	145	189	150	179	108	97	151	85	21	192	100	127	147	194
156	101	157	72	150	134	136	151	133	131	51	77	11	12	34	192	135	175	177	194	100	176	88	52	190	68	73	98	147	64	85	99	89	76	199	119	67	84	95	109	182	184	120	97	145
86	100	184	136	151	83	126	102	87	77	10	134	38	39	125	133	155	124	78	156	113	85	129	101	68	187	99	146	202	157	92	109	185	91	188	131	135	186	127	51	24	119	106	97	67
79	124	33	18	92	57	86	72	160	155	173	102	156	30	109	83	46	6	167	174	168	127	139	87	128	138	7	9	157	1	146	101	193	119	97	99	197	67	29	131	137	48	8	93	161
131	88	154	152	134	133	67	153	34	123	89	51	135	24	182	64	122	119	184	199	84	109	95	52	76	178	72	195	190	126	125	145	189	150	179	108	97	151	85	21	192	100	127	147	194
173	179	90	33	106	196	9	7	128	193	148	99	151	102	174	127	191	187	160	60	46	48	155	101	156	57	188	83	201	107	92	200	17	134	8	68	157	139	133	116	124	109	138	15	78

65	90	159	148	68	136	124	39	165	57	47	139	138	158	167	60	83	67	137	162	121	118	78	74	195	98	163	75	181	182	64	189	77	192	175	111	84	177	164	86	131	119	91	194	134
139	10	138	137	165	46	38	2	160	118	65	195	161	148	78	79	178	39	179	60	149	120	175	177	90	83	57	1	113	176	140	141	98	181	124	121	199	180	146	ω	5	192	136	123	194
13	164	41	191	168	22	23	74	27	116	25	16	26	71	115	19	7	30	46	143	114	40	75	33	118	117	6	149	9	45	8	121	111	85	66	178	70	112	142	139	201	138	92	200	189
120	147	112	168	195	75	40	165	70	54	29	201	200	171	92	85	111	198	28	178	203	204	121	17	118	170	20	53	15	93	149	139	138	46	189	181	179	66	187	137	18	124	14	48	143
65	an O	159	148	68	136	124	39	165	57	47	139	138	158	167	60	83	67	137	162	121	118	78	74	195	98	163	75	181	182	64	189	77	192	175	111	84	177	164	86	131	119	91	194	134
29	71	147	120	112	194	54	40	171	195	70	204	203	165	170	28	121	201	149	53	198	200	17	189	111	92	20	15	46	118	182	181	85	66	136	93	126	124	187	178	18	143	68	139	22
116	193	117	183	175	177	191	176	98	199	30	17	15	29	192	92	147	195	85	194	93	130	201	165	200	1	46	68	124	169	64	168	187	84	67	11	12	36	35	136	119	139	138	97	189
170	115	116	53	191	176	117	114	112	98	28	195	199	30	201	130	17	15	200	92	147	29	192	93	169	85	194	1	168	165	46	124	68	64	84	187	139	138	67	136	36	35	119	137	11
191	117	171	28	176	170	183	66	98	30	195	201	199	130	200	29	147	17	85	92	192	15	169	194	93	165	168	ь	46	68	64	124	84	67	139	138	119	149	20	187	137	136	189	36	35
168	176	121	111	1	30	28	110	29	98	201	200	171	170	130	183	147	195	192	17	194	85	15	92	165	93	66	199	48	24	139	138	178	137	118	150	124	55	160	46	11	151	12	56	62
116	193	117	183	175	177	191	176	98	199	30	17	15	29	192	92	147	195	85	194	93	130	201	165	200	1	46	68	124	169	64	168	187	84	67	11	12	36	35	136	119	139	138	97	189
53	121	75	111	176	28	98	110	201	30	200	171	170	183	147	29	130	195	192	92	194	93	85	12	11	17	165	15	64	124	66	187	118	181	97	96	119	84	68	36	35	67	21	188	178
162	2	79	90	39	148	60	66	203	204	57	83	139	78	138	140	141	118	137	113	149	124	160	86	181	10	102	180	87	146	91	101	3	48	5	161	136	165	155	156	157	68	77	73	69
198	139	138	38	137	79	160	65	161	46	165	118	66	148	78	39	140	141	60	178	179	195	113	90	57	83	Ľ	3	5	146	123	181	154	152	180	86	153	122	69	87	91	149	124	102	155
199	165	192	178	118	194	149	195	4	140	141	123	179	65	79	169	181	160	147	48	182	148	46	190	154	152	139	175	189	180	138	60	122	177	153	98	176	69	90	168	150	137	72	161	57
184	136	126	159	158	179	125	202	129	188	142	14	162	154	152	22	150	13	23	148	82	27	166	169	19	25	90	77	100	134	185	153	69	122	45	85	68	133	60	172	16	65	151	106	186
162	2	79	90	39	148	60	66	203	204	57	83	139	78	138	140	141	118	137	113	149	124	160	86	181	10	102	180	87	146	91	101	ω	48	5	161	136	165	155	156	157	68	77	73	69
13	176	26	154	152	98	22	23	30	165	27	181	118	72	129	140	141	100	153	29	18	126	19	25	125	69	65	195	180	16	178	86	1	45	185	82	77	79	197	6	172	184	150	87	136

20	16	18	26	22	23	25	14	27	19	7	8	9	6	13	33	45	4	66	143	198	46	142	38	149	120	199	166
18	6	9	8	27	25	20	19	16	22	23	26	33	4	45	166	167	143	142	159	158	162	48	24	203	204	66	198
175	177	172	176	173	1	82	174	98	20	199	81	195	192	47	120	163	193	169	194	165	80	147	14	203	204	18	198
172	173	175	82	177	174	163	176	47	193	81	115	164	191	98	192	116	80	114	194	1	169	199	74	117	41	71	30
20	16	18	26	22	23	25	14	27	19	7	8	9	6	13	33	45	4	66	143	198	46	142	38	149	120	199	166
172	173	175	177	82	174	176	193	47	163	191	81	169	98	164	116	199	30	80	115	168	74	117	114	192	41	1	75
163	164	47	120	74	75	54	115	121	53	114	111	171	112	28	170	110	71	81	70	172	173	80	82	66	174	41	40
7	14	120	121	111	66	110	47	163	81	71	164	70	80	172	173	74	41	174	75	175	177	82	40	193	171	183	54
120	163	47	164	71	70	121	172	111	81	173	54	74	80	174	82	41	75	53	115	193	110	40	114	175	177	112	116
163	54	164	53	47	71	172	70	173	115	174	81	82	114	80	193	41	112	120	74	40	116	191	117	175	177	75	169
163	164	47	120	74	75	54	115	121	53	114	111	171	112	28	170	110	71	81	70	172	173	80	82	66	174	41	40
172	193	173	71	82	174	70	191	81	80	116	117	41	169	163	115	40	120	47	168	114	164	112	54	175	177	74	1
6	20	18	14	16	26	7	25	22	23	27	9	19	8	13	33	4	45	143	142	166	167	38	198	46	65	159	158
9	18	6	8	25	27	20	19	22	23	16	26	4	166	167	33	45	143	142	158	159	162	24	48	2	203	204	10
203	204	14	13	20	143	26	18	27	22	25	198	23	19	6	142	159	158	7	166	16	9	162	167	33	45	8	₽
199	192	204	203	194	198	149	189	147	182	181	178	143	165	190	175	98	195	177	118	187	180	123	20	140	141	26	176
6	20	18	14	16	26	7	25	22	23	27	9	19	8	13	33	4	45	143	142	166	167	38	198	46	65	159	158
186	204	203	199	198	159	158	149	169	143	162	123	192	190	182	168	194	189	20	166	147	142	14	175	122	167	202	177

TABLE 14 FRENCH MUTUAL FUNDS PERFORMANCE MEASURES RANKINGS

																															S	
78	5	68	61	8	101	35	92	34	11	24	64	168	6	25	12	29	30	21	57	28	53	37	51	26	19	15	70	7	89	67	SHARPE	
128	172	97	149	126	65	116	155	164	131	158	85	14	67	151	51	194	111	184	54	190	185	112	55	81	69	153	173	63	179	178	JENSEN	
9	47	157	18	64	53	116	114	19	168	104	46	43	35	15	7	89	29	73	12	124	28	122	110	160	70	37	86	51	16	67	TREYNOR	FRANCE OVE
103	53	64	30	21	26	157	162	61	43	114	116	73	35	46	7	15	29	122	12	89	124	37	70	51	110	28	160	16	86	67	MM	FRANCE OVERALL PERIOD
78	5	68	61	8	101	35	92	34	11	24	64	168	6	25	12	29	30	21	57	28	53	37	51	26	19	15	70	7	89	67	≅	
61	19	162	43	116	47	40	64	21	53	30	114	26	157	46	35	29	12	124	15	7	89	51	70	110	37	28	86	160	16	67	TR-MAZ	
103	152	114	51	93	183	110	148	96	28	121	168	43	55	46	104	116	86	54	100	176	126	99	67	16	162	122	125	124	157	160	SHARPE	
57	108	116	104	110	93	126	23	100	96	50	67	124	99	122	157	59	33	162	176	13	125	36	160	86	16	91	90	84	75	130	JENSEN	
81	47	35	103	114	110	96	148	51	28	121	168	55	104	46	116	86	54	43	100	126	99	176	122	125	162	124	157	16	67	160	TREYNOR	FRANCE SL
35	81	51	114	93	183	28	110	96	148	121	168	55	43	104	46	86	116	54	100	176	126	99	67	16	125	162	122	124	157	160	MM	FRANCE SUBPERIOD ONE
103	152	114	51	93	183	110	148	96	28	121	168	43	55	46	104	116	86	54	100	176	126	99	67	16	162	122	125	124	157	160	≅	
40	43	117	51	110	148	104	96	168	86	195	121	152	55	61	54	116	126	122	46	28	100	125	99	124	157	176	160	162	67	16	TR-MAZ	
5	101	131	149	8	13	34	111	12	11	56	19	91	25	37	6	59	29	92	30	1	32	26	53	21	70	57	7	15	24	89	SHARPE	
173	140	203	201	200	133	189	204	58	198	154	202	197	42	177	199	115	121	188	170	83	169	132	134	135	156	161	163	45	79	44	JENSEN	
42	153	133	28	57	110	53	30	64	6	111	51	91	32	3	15	44	21	7	159	131	37	73	12	115	26	89	29	70	9	60	TREYNOR	FRANCE SL
35	56	68	24	44	73	110	64	57	28	111	30	91	51	53	9	115	6	32	21	15	131	3	7	12	37	26	29	60	70	89	MM	FRANCE SUBPERIO TWO
5	101	131	149	8	13	34	111	12	11	56	19	91	25	37	6	59	29	92	30	1	32	26	53	21	70	57	7	15	24	89	₽	
24	44	68	101	28	31	3	56	110	131	40	64	57	51	6	115	30	91	53	21	60	12	15	32	37	7	9	26	29	70	89	TR-MAZ	

80	155	45	157	66	10	85	176	31	76	114	142	44	160	103	137	110	43	13	40	41	56	65	23	102	91	16	88	107	20	59	47	32	73	77
95	29	157	187	183	146	96	123	138	27	191	12	192	8	49	19	34	109	53	100	195	47	99	182	136	196	2	93	144	4	124	180	171	148	165
25	5	118	8	45	100	24	78	174	167	166	107	55	60	96	57	101	32	40	68	44	10	81	176	126	103	61	6	99	21	54	162	74	26	30
117	108	77	95	8	3	44	118	55	5	78	100	74	25	68	24	9	107	96	101	40	81	32	10	57	18	104	126	19	176	54	47	168	99	6
80	155	45	157	66	10	85	176	31	76	114	142	44	160	103	137	110	43	13	40	41	56	65	23	102	91	16	88	107	20	59	47	32	73	77
55	95	100	77	24	8	5	68	104	56	11	50	168	18	78	96	118	31	107	81	10	176	25	126	23	101	54	73	99	32	9	122	57	6	103
40	30	175	182	64	118	87	95	192	166	69	174	167	147	7	128	70	109	142	15	19	73	117	108	12	18	74	132	191	37	10	47	61	81	35
166	174	147	167	128	7	74	109	73	70	18	15	19	12	132	81	47	191	10	51	37	114	142	35	43	121	21	103	40	87	55	46	148	168	54
87	118	182	30	64	95	192	53	147	175	69	117	108	142	7	70	174	166	167	109	128	15	132	12	73	191	74	18	61	19	37	152	93	10	183
105	30	64	87	118	95	147	69	7	182	19	70	142	175	15	192	117	108	73	12	109	166	174	128	167	18	37	61	191	74	132	47	10	103	152
40	30	175	182	64	118	87	95	192	166	69	174	167	147	7	128	70	109	142	15	19	73	117	108	12	18	74	132	191	37	10	47	61	81	35
15	182	192	105	128	12	119	147	10	95	47	109	76	33	183	13	92	25	57	191	82	108	11	87	155	142	50	23	21	118	145	103	93	114	35
45	52	80	137	40	61	27	35	42	65	153	73	85	107	130	ω	72	112	71	44	66	168	9	28	64	102	77	90	115	68	78	41	51	88	20
96	111	172	194	155	180	190	151	126	116	131	196	112	185	148	69	165	149	143	184	54	183	182	2	4	55	193	93	127	178	179	164	153	64	158
114	72	90	25	47	77	107	61	78	149	177	17	5	31	74	135	86	193	8	19	35	41	56	85	101	40	1	18	24	45	83	62	58	68	134
34	66	62	47	59	88	11	18	45	90	20	149	72	13	83	25	114	42	107	86	77	78	58	153	40	134	19	41	5	61	8	133	85	101	159
45	52	80	137	40	61	27	35	42	65	153	73	85	107	130	3	72	112	71	44	66	168	9	28	64	102	77	90	115	68	78	41	51	88	20
58	71	133	61	50	34	88	59	86	153	134	72	45	66	129	47	90	20	114	13	107	42	5	11	78	73	111	77	23	25	41	19	8	85	35

129	52	48	120	49	105	196	119	128	115	147	117	46	109	141	86	95	36	60	106	ь	108	33	118	124	162	9	90	27	ω	42	71	72	97	50
70	118	110	15	88	125	20	106	162	7	30	77	102	108	37	176	119	105	141	35	ω	86	46	75	48	114	39	52	24	80	145	147	94	10	78
65	20	175	152	17	128	88	91	87	102	85	34	50	109	93	156	148	125	56	11	31	41	142	117	121	42	49	69	108	76	3	77	115	23	95
167	129	42	119	45	121	59	128	115	31	33	93	148	85	20	92	34	109	13	102	88	50	60	69	91	87	152	23	49	142	41	11	56	125	76
129	52	48	120	49	105	196	119	128	115	147	117	46	109	141	86	95	36	60	106	1	108	33	118	124	162	9	90	27	3	42	71	72	97	50
60	87	42	191	115	128	148	59	119	33	85	3	20	125	109	152	34	69	88	142	174	166	167	92	49	74	13	102	129	91	108	41	44	117	76
31	88	171	65	34	92	33	138	8	68	102	156	11	77	5	82	119	26	57	49	78	155	6	50	25	101	21	146	29	23	53	89	107	76	105
97	137	17	138	44	197	127	63	77	6	8	79	118	155	45	34	171	139	78	65	182	89	107	146	29	49	68	156	30	53	95	64	192	175	69
24	195	79	26	102	187	11	34	8	65	57	82	5	77	119	138	155	68	21	50	156	25	171	78	6	101	23	146	49	29	76	40	105	107	89
195	129	92	24	8	33	68	26	11	102	187	77	156	5	155	82	57	78	138	25	119	6	50	21	101	23	146	29	49	89	107	76	171	40	53
31	88	171	65	34	92	33	138	8	68	102	156	11	77	5	82	119	26	57	49	78	155	6	50	25	101	21	146	29	23	53	89	107	76	105
56	36	74	5	64	91	32	65	18	73	41	196	29	6	107	89	141	7	70	66	132	138	102	30	37	59	187	129	31	146	53	81	69	49	101
136	197	163	161	128	108	48	109	95	159	106	49	119	133	177	141	129	10	196	76	110	114	33	50	118	97	179	142	178	47	36	23	120	31	60
176	118	141	87	85	152	117	119	84	138	123	157	102	125	67	145	137	108	136	105	195	14	86	43	191	187	171	100	75	124	192	99	144	81	63
166	95	156	48	52	49	103	10	33	204	120	39	50	136	14	112	92	34	137	118	59	76	102	130	88	71	150	154	170	23	113	20	13	11	66
63	108	113	81	170	1	23	52	50	27	136	129	14	65	46	177	95	137	112	33	49	76	120	10	118	31	39	102	48	193	103	92	130	71	135
136	197	163	161	128	108	48	109	95	159	106	49	119	133	177	141	129	10	196	76	110	114	33	50	118	97	179	142	178	47	36	23	120	31	60
167	166	63	136	67	119	81	177	113	154	65	10	46	48	49	62	95	149	33	18	76	27	137	135	193	39	159	103	120	118	130	52	92	102	83

161	190	121	125	54	131	180	87	96	145	63	159	144	138	192	123	167	174	100	14	152	94	166	116	156	81	195	191	146	197	18	79	99	69	82
32	33	56	72	129	11	23	36	152	26	89	92	38	87	91	117	16	90	76	31	160	107	130	142	22	120	5	6	71	84	101	103	82	66	41
36	132	139	144	80	196	137	97	145	120	127	197	154	134	147	192	48	155	72	138	82	71	59	63	27	14	66	105	129	79	119	191	33	13	92
197	123	17	79	144	137	141	127	106	175	90	196	36	97	145	80	63	192	147	120	138	14	156	155	27	48	72	71	82	66	105	65	191	174	166
161	190	121	125	54	131	180	87	96	145	63	159	144	138	192	123	167	174	100	14	152	94	166	116	156	81	195	191	146	197	18	79	99	69	82
134	154	141	175	137	123	52	106	144	196	36	90	145	14	97	80	79	156	155	63	82	147	48	192	120	121	72	105	27	65	71	66	93	138	45
197	72	139	36	71	9	66	123	42	85	48	63	127	14	144	27	45	56	59	80	196	106	13	129	97	32	41	20	44	145	187	141	195	24	79
193	150	113	170	119	83	184	123	117	48	134	187	105	106	20	115	159	144	140	88	188	189	24	80	172	194	190	195	154	14	9	85	5	27	42
194	197	85	17	190	48	59	42	14	123	56	9	27	13	80	106	139	97	20	63	196	172	41	144	127	45	32	31	141	129	44	145	88	92	33
85	66	71	42	36	190	48	14	45	139	123	27	9	59	63	80	97	106	56	127	20	144	172	196	41	13	44	32	31	141	79	88	34	65	145
197	72	139	36	71	9	66	123	42	85	48	63	127	14	144	27	45	56	59	80	196	106	13	129	97	32	41	20	44	145	187	141	195	24	79
77	190	14	48	165	194	63	84	9	44	80	97	158	38	172	27	20	127	106	з	45	8	90	123	88	79	24	71	120	175	171	68	144	34	78
46	165	188	174	152	166	43	145	194	204	190	185	135	67	82	79	63	180	193	195	147	134	117	143	192	39	138	155	144	105	94	113	191	103	123
8	66	147	24	47	110	12	94	19	71	52	36	23	130	51	95	39	162	31	41	160	146	142	68	90	120	91	82	3	109	76	128	16	97	101
80	82	196	43	116	4	151	142	169	122	179	140	36	197	87	69	119	188	117	108	178	46	79	168	104	67	63	65	143	81	27	129	181	167	174
128	155	124	106	94	145	150	196	138	140	151	116	197	179	109	38	74	168	156	97	82	178	43	204	69	17	80	143	154	142	67	87	119	36	117
46	165	188	174	152	166	43	145	194	204	190	185	135	67	82	79	63	180	193	195	147	134	117	143	192	39	138	155	144	105	94	113	191	103	123
128	82	144	196	150	140	116	106	1	123	178	156	87	38	17	109	79	204	43	84	142	97	74	112	69	108	80	170	117	16	36	14	138	143	174

170	39	112	113	83	173	189	204	188	164	184	165	104	134	135	133	149	111	187	185	193	126	158	179	55	127	177	178	154	122	130	163	194	148	38
154	197	44	83	9	60	18	188	104	122	45	113	98	139	156	175	73	167	174	62	166	17	150	1	74	159	28	57	59	61	40	13	25	21	50
164	2	185	189	131	159	184	150	194	4	39	188	190	171	84	173	187	146	170	130	94	38	158	83	195	140	135	183	52	193	90	106	58	141	123
189	75	188	185	180	165	4	184	164	194	173	131	170	171	190	83	139	140	39	135	58	132	193	84	187	158	146	154	130	183	94	195	38	52	134
170	39	112	113	83	173	189	204	188	164	184	165	104	134	135	133	149	111	187	185	193	126	158	179	55	127	177	178	154	122	130	163	194	148	38
2	188	180	165	185	164	131	184	75	4	170	194	171	83	190	139	135	140	39	195	187	173	58	193	158	132	94	197	146	183	130	84	38	127	17
161	169	83	22	135	134	188	170	193	140	75	165	185	60	115	189	180	52	84	173	164	184	17	90	154	38	120	172	94	158	91	194	137	3	190
178	199	204	202	143	129	98	201	11	200	28	133	198	56	141	161	26	1	32	152	61	203	38	196	60	101	58	62	82	169	145	94	173	185	135
135	22	170	193	130	188	2	4	134	60	180	185	90	75	52	165	164	189	140	115	173	154	84	137	91	184	38	120	94	158	72	3	36	71	66
188	135	170	22	193	2	134	130	4	60	185	180	140	165	75	189	52	90	115	164	154	173	137	184	84	91	38	94	17	158	120	3	72	197	194
161	169	83	22	135	134	188	170	193	140	75	165	185	60	115	189	180	52	84	164	184	17	90	173	154	38	120	172	94	158	91	194	137	3	190
137	199	135	170	60	134	154	22	185	140	115	2	4	39	26	197	139	52	166	85	130	189	19	42	75	164	184	156	174	167	180	173	94	17	72
99	173	164	116	96	169	158	189	160	199	22	186	127	170	198	154	156	81	87	162	187	83	151	18	124	184	86	176	157	202	69	38	146	14	167
77	59	30	72	13	40	46	129	107	5	11	6	28	61	26	80	20	50	114	35	22	106	88	78	27	65	103	37	29	21	10	33	48	49	92
180	126	191	164	189	198	55	152	141	93	54	106	139	94	128	84	155	123	185	175	144	158	96	105	38	202	127	138	2	173	145	16	109	124	97
55	162	164	126	165	192	122	93	180	173	191	202	147	2	104	54	79	185	158	141	4	181	169	152	96	127	144	167	174	123	166	188	84	16	105
99	173	164	116	96	169	158	189	160	199	22	186	127	170	198	154	156	81	87	162	187	83	151	18	124	184	86	176	157	202	69	38	146	14	167
190	164	180	122	126	75	55	93	202	192	104	2	147	168	127	191	141	185	54	158	152	4	169	197	181	155	188	96	105	173	145	94	151	179	124

181	2	4	172	201	62	150	200	182	132	171	58	203	17	74	140	139	199	183	93	151	98	75	198	136	143	186	169	84	22	175	153	202
68	64	43	193	127	143	201	200	199	132	137	204	177	203	140	202	198	58	163	189	181	121	133	115	186	170	42	169	135	168	161	79	134
186	163	161	201	200	203	112	181	143	149	153	98	136	199	198	202	22	111	179	62	133	151	178	172	204	1	75	182	169	180	113	177	165
186	201	200	161	163	203	181	98	112	143	62	153	199	198	136	149	202	133	1	150	179	151	111	113	204	22	159	169	172	178	182	177	2
181	2	4	172	201	62	150	200	182	132	171	58	203	17	74	140	139	199	183	93	151	98	75	198	136	143	186	169	84	22	175	153	202
186	161	163	201	200	203	98	112	181	153	149	143	1	136	199	62	202	198	111	133	179	22	159	178	204	151	169	150	113	172	177	182	189
181	153	112	136	143	149	111	62	151	199	201	133	200	186	150	131	113	203	2	198	39	58	179	4	130	178	98	202	204	177	163	159	1
183	120	25	149	76	2	72	4	92	136	31	153	181	131	22	39	112	111	71	164	3	186	102	163	180	165	151	179	66	41	52	177	158
112	153	149	186	111	143	181	62	133	136	1	163	161	159	201	131	200	203	98	179	202	204	177	113	178	151	198	199	150	169	83	58	39
112	153	143	62	181	111	149	136	133	186	201	159	200	113	203	1	161	131	151	163	150	98	179	198	199	202	178	204	177	58	169	83	39
181	153	112	136	143	149	111	62	151	199	201	133	200	186	150	131	113	203	2	198	39	58	179	4	130	178	98	202	204	177	163	159	1
62	159	143	133	112	153	163	111	149	186	181	113	161	136	1	98	179	178	131	203	201	177	202	200	204	58	169	151	198	83	193	150	188
74	2	4	132	182	181	172	139	171	183	93	175	17	62	122	201	104	200	126	150	125	55	140	54	75	58	203	121	98	84	100	148	16
186	139	181	18	168	9	113	175	166	60	167	174	122	104	62	73	17	98	74	150	159	1	32	56	7	89	38	53	57	25	70	34	15
	172	125	201	183	163	161	200	203	186	171	132	146	22	187	100	157	160	194	176	195	75	162	98	190	99	199	121	192	148	184	165	147
182	172	201	163	183	161	132	186	200	203	125	98	171	121	100	146	199	194	187	139	157	22	184	189	175	148	75	160	190	176	198	195	99
74	2	4	132	182	181	172	139	171	183	93	175	17	62	122	201	104	200	126	150	125	55	140	54	75	58	203	121	98	84	100	148	16
182	163	161	186	201	172	200	203	98	183	125	132	171	22	121	195	187	146	100	176	199	189	184	194	160	139	162	175	148	165	157	198	99

TABLE 15 GERMAN MUTUAL FUNDS PERFORMANCE MEASURES RANKINGS

		l .			1									1	1	1			1		1		1							1	1	
11	138	69	4	60	117	176	198	10	127	135	126	140	141	125	124	120	119	5	61	36	37	139	94	93	92	67	66	65	155	202	SHARPE	
117	18	138	181	16	191	28	135	77	133	10	194	2	91	127	142	12	198	172	176	74	5	60	126	61	125	124	120	140	141	119	JENSEN	
116	16	58	29	14	55	117	81	76	28	135	175	127	126	3	11	13	15	10	4	153	138	120	124	125	141	61	5	119	140	202	TREYNOR	GERMANY O
45	55	51	50	135	117	103	14	127	58	11	175	73	13	126	5	61	133	4	з	10	15	124	125	120	138	119	141	76	153	140	MM	GERMANY OVERALL PERIOD
11	138	69	4	60	117	176	198	10	127	135	126	140	141	125	124	120	119	5	61	36	37	139	94	93	92	67	66	65	155	202	≅	
126	118	76	58	116	128	127	51	45	14	175	55	50	120	11	81	13	119	15	10	124	125	4	138	141	3	61	5	140	153	202	TR-MAZ	
175	186	17	24	48	25	106	161	165	164	76	90	196	45	64	158	51	98	26	14	50	168	171	88	59	71	39	15	з	52	153	SHARPE	
48	25	76	113	165	110	164	111	106	51	45	161	196	64	90	158	98	26	14	50	168	171	15	3	88	59	71	153	39	52	202	JENSEN	
175	79	2	60	161	196	25	48	90	45	51	64	158	165	76	164	26	98	50	14	168	171	71	52	59	88	39	з	15	153	202	TREYNOR	GERMANY SU
135	79	90	60	138	2	48	196	158	175	64	25	45	165	51	164	26	98	168	88	14	50	59	71	52	171	39	76	3	15	153	MM	GERMANY SUBPERIOD ONE
175	186	17	24	48	25	106	161	165	164	76	90	196	45	64	158	51	98	26	14	50	168	171	88	59	71	39	15	3	52	153	≅	
106	90	138	98	45	164	51	175	105	26	17	24	40	168	64	76	48	196	25	50	14	88	71	171	39	59	3	15	52	153	202	TR-MAZ	
129	126	140	141	136	121	125	120	124	119	38	5	157	20	19	61	70	123	122	69	139	36	94	93	92	37	65	155	67	66	202	SHARPE	
133	127	28	20	70	189	38	201	101	91	176	172	136	74	142	121	5	19	123	126	122	66	61	125	124	140	141	120	69	119	202	JENSEN	
127	199	37	28	143	101	10	100	126	116	187	11	66	138	13	4	141	120	140	70	124	125	129	119	61	5	136	121	69	123	122	TREYNOR	GERMANY SU
27	10	116	81	127	103	5	61	100	58	101	13	123	4	177	138	126	143	124	125	141	122	129	121	172	136	140	11	133	120	119	MM	GERMANY SUBPERIOD TWO
129	126	140	141	136	121	125	120	124	119	38	5	157	20	19	61	70	123	122	69	139	36	94	93	92	37	65	155	67	66	202	₽	
100	126	148	127	187	55	143	10	138	199	120	128	116	81	11	141	119	124	13	125	70	140	4	61	5	136	121	69	123	129	122	TR-MAZ	

55	175	185	58	153	19	27	150	78	178	181	188	68	156	9	91	190	133	172	159	130	18	12	80	191	77	29	16	81	13	194	74	2	28	142
42	100	193	164	46	175	58	189	13	79	101	95	153	27	201	190	150	167	103	72	4	34	178	78	99	188	76	185	11	156	130	29	9	68	80
101	198	158	71	100	88	22	39	165	21	180	194	30	176	12	128	7	96	32	27	79	164	18	73	190	2	159	45	130	51	60	103	80	50	133
8	40	30	48	171	105	33	164	26	190	88	7	2	12	27	39	158	32	118	159	180	79	22	96	128	21	80	29	116	130	60	71	16	28	81
55	175	185	58	153	19	27	150	78	178	181	188	68	156	9	91	190	133	172	159	130	18	12	80	191	77	29	16	81	13	194	74	2	28	142
190	79	24	25	163	64	33	168	16	22	180	21	7	131	80	8	133	29	26	110	117	130	129	59	135	103	28	88	73	161	159	39	96	158	71
80	184	61	5	96	103	176	182	117	135	60	2	132	173	202	10	73	141	166	118	131	113	140	40	105	111	31	35	33	79	8	104	110	97	138
80	184	61	5	103	96	182	176	135	60	117	2	10	73	141	173	118	140	166	40	105	31	35	33	79	132	8	104	138	131	175	97	186	17	24
18	103	5	61	182	132	173	33	131	113	166	80	118	16	111	176	105	40	8	35	31	73	10	104	97	141	110	140	117	24	17	186	135	106	138
89	194	46	124	61	5	125	96	97	184	182	166	33	35	31	18	173	103	118	8	16	80	105	40	17	104	186	106	161	73	24	10	117	141	140
80	184	61	5	96	103	176	182	117	135	60	2	132	173	202	10	73	141	166	118	131	113	140	40	105	111	31	35	33	79	8	104	110	97	138
22	32	61	35	5	97	53	18	115	109	31	112	180	10	96	117	184	182	173	33	7	131	132	118	103	161	186	84	8	83	104	110	158	165	73
194	185	57	86	77	30	18	188	176	42	13	159	160	138	197	74	190	193	27	29	201	100	198	4	28	101	142	189	114	10	127	199	56	187	6
30	58	156	9	203	191	197	42	181	130	60	34	11	177	138	143	57	190	157	188	194	103	29	68	18	12	187	77	198	37	185	27	193	100	10
80	96	180	152	201	135	16	86	147	44	193	22	21	203	7	192	204	130	32	103	175	42	133	148	128	159	177	190	30	29	38	55	58	27	81
201	80	12	7	91	135	163	16	32	152	96	117	180	204	175	70	190	203	76	199	22	30	159	29	187	21	147	69	55	130	192	148	128	73	28
194	185	57	86	77	30	18	188	176	42	13	159	160	138	197	74	190	193	27	29	201	100	198	4	28	101	142	189	114	10	127	199	56	187	6
135	51	45	80	180	32	73	42	204	7	147	21	22	44	163	103	118	175	133	190	96	130	66	38	152	27	29	30	37	177	101	28	192	159	58

7	165	14	201	44	32	89	34	88	129	103	199	157	100	15	86	189	79	47	128	164	187	30	46	70	101	121	122	72	42	167	20	116	99	136
204	199	108	3	86	22	85	177	203	14	48	63	187	21	62	121	136	44	128	89	7	197	163	55	15	180	159	32	96	116	165	30	47	81	73
63	85	40	167	161	78	156	44	168	98	74	142	62	8	72	64	31	91	77	121	35	33	25	42	26	171	163	129	136	48	118	9	172	191	46
131	63	109	110	121	9	85	106	176	90	72	62	196	186	191	194	59	98	31	46	161	136	24	35	172	101	64	100	17	18	25	163	168	129	165
7	165	14	201	44	32	89	34	88	129	103	199	157	100	15	86	189	79	47	128	164	187	30	46	70	101	121	122	72	42	167	20	116	99	136
191	52	62	44	106	195	113	121	111	198	60	101	18	136	186	35	105	100	2	90	109	98	46	196	27	48	165	40	30	164	31	17	132	32	171
13	198	151	108	133	9	72	159	12	126	127	194	191	130	22	21	32	58	7	89	47	46	81	11	63	120	124	119	125	18	180	109	55	62	16
13	178	198	108	159	133	126	9	72	127	12	130	22	191	194	21	32	58	7	89	47	46	81	11	63	120	124	119	125	18	180	109	55	62	16
4	13	22	21	58	32	7	181	133	126	178	130	63	127	198	9	11	81	72	109	55	180	191	62	194	12	46	47	89	124	120	125	119	96	184
108	11	81	28	132	4	13	131	198	29	181	178	22	130	21	126	58	63	32	127	109	7	133	110	62	55	47	180	12	120	9	72	176	191	119
13	198	151	108	133	9	72	159	12	126	127	194	191	130	22	21	32	58	7	89	47	46	81	11	63	120	124	119	125	18	180	109	55	62	16
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16	117	181	34	103	204	7	81	85	32	12	156	107	192	78	44	9	203	11	68	177	55	130	191	172	128	133	143	54	91	135	41	43	58	116
13	81	164	128	175	55	135	96	86	180	7	80	73	54	76	163	2	150	72	167	178	32	204	116	192	159	16	67	99	95	85	4	129	199	78
60	79	74	62	167	191	118	77	9	188	45	20	156	176	46	51	157	57	185	54	198	194	142	85	91	12	67	76	155	172	117	19	163	73	18
71	191	74	2	17	31	46	62	35	158	18	167	57	3	50	134	154	79	40	53	8	105	193	60	86	15	14	33	44	85	51	45	118	42	38
16	117	181	34	103	204	7	81	85	32	12	156	107	192	78	44	9	203	11	68	177	55	130	191	172	128	133	143	54	91	135	41	43	58	116
105	150	110	15	79	157	54	172	18	31	131	85	53	155	167	154	40	65	195	14	161	3	50	193	158	109	33	46	198	86	8	76	117	203	16

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39	155	8	186	69	19	184	33	168	158	64	26	88	171	31	54	182	67	147	98	35	66	45	195	143	118	51	109	149	129	192	50	162	57	25
201	53	104	132	152	193	147	139	203	177	204	86	195	110	178	196	188	108	59	185	181	90	186	99	199	109	106	24	89	150	187	47	17	68	105
112	166	142	203	97	150	173	156	204	99	192	77	111	78	52	195	113	199	187	104	108	177	152	89	68	74	167	44	91	53	147	47	42	198	132
149	204	114	22	31	203	41	43	132	21	35	131	63	48	73	56	23	62	110	111	163	85	50	39	6	123	96	3	180	197	95	76	193	113	38
74	204	112	91	147	156	177	97	87	139	115	173	78	108	166	150	192	77	152	104	172	47	167	53	89	187	12	9	72	199	42	63	85	176	194
95	145	34	23	87	142	27	99	155	30	91	53	172	150	156	167	128	116	174	74	77	78	68	83	84	190	163	195	139	28	29	181	85	178	4
149	188	185	145	42	44	95	27	34	30	142	53	99	91	84	83	150	116	128	174	156	172	167	74	77	68	78	190	163	195	85	28	29	181	4
23	42	44	139	145	95	34	27	142	30	99	151	91	53	150	84	116	83	128	174	156	172	167	74	77	190	68	85	78	163	195	159	28	108	29
23	44	142	112	115	202	87	34	99	145	91	150	156	167	27	172	30	151	53	116	74	128	77	174	84	83	68	78	190	85	113	195	159	163	111
95	145	34	23	87	142	27	99	155	30	91	53	172	150	156	167	128	116	174	74	77	78	68	83	84	190	163	195	139	28	29	181	85	178	4
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114	47	25	197	195	105	53	65	48	40	109	158	43	108	з	165	31	72	154	15	41	50	35	8	99	164	68	189	150	2	78	63	33	14	134
78	186	26	188	162	77	153	47	64	108	25	195	37	115	68	176	185	48	9	150	156	132	72	142	54	24	63	110	161	131	198	112	109	99	194
73	152	76	108	89	22	165	49	47	21	63	169	134	148	164	23	62	96	179	183	2	167	147	163	180	72	145	46	95	99	175	80	150	60	178
19	165	176	78	64	48	60	20	41	134	188	99	87	67	77	25	156	112	72	91	57	17	185	2	12	9	201	35	24	63	62	115	132	191	194

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56	97	93	122	37	6	161	183	196	157	70	92	179	23	166	24	53	43	90	148	174	145	71	17	139	173	20	41	38	40	105	104	134	106	152
65	69	66	151	122	102	197	87	189	184	182	149	57	54	115	155	148	134	23	112	154	52	111	113	162	145	97	143	174	166	173	34	192	131	95
149	57	146	184	182	144	66	54	65	122	137	155	102	95	34	193	151	201	202	162	23	148	134	178	143	188	139	181	185	145	87	86	154	174	115
17	200	182	143	97	8	162	186	71	152	171	134	106	33	168	107	118	98	64	26	160	147	195	192	54	158	177	57	51	161	45	109	25	108	145
82	200	122	155	57	146	144	137	182	54	134	149	201	184	151	34	102	162	193	95	178	148	188	143	145	185	181	23	86	142	203	154	68	174	99
192	144	187	189	199	197	134	193	201	152	147	200	203	204	1	154	67	82	66	86	101	94	93	92	100	162	102	112	115	188	185	149	42	65	44
155	57	136	54	129	137	144	146	187	200	134	199	192	177	189	197	154	147	152	193	204	201	203	82	86	87	101	102	100	151	115	162	112	139	23
121	197	57	54	136	129	187	200	199	177	192	134	193	201	137	Ľ	144	146	147	152	204	203	86	154	82	101	102	100	162	149	188	185	112	115	87
129	177	187	192	67	94	199	93	66	92	134	200	152	137	147	146	204	144	203	65	ב	86	155	188	149	154	185	162	101	100	102	82	95	139	42
192	144	187	189	199	197	134	193	201	152	147	200	203	204	1	154	67	82	66	86	101	94	93	92	100	162	102	112	115	188	185	149	42	65	44
187	57	197	200	177	189	54	192	1	134	121	193	201	136	203	204	144	146	137	129	86	154	185	188	102	147	152	34	95	91	167	23	99	11	81
174	184	151	1	186	158	26	182	118	39	3	64	161	8	88	106	200	50	45	51	25	33	154	15	195	31	48	14	149	109	162	170	35	79	75
65	168	17	53	88	75	173	104	49	114	171	186	158	174	169	106	98	26	184	8	23	ω	154	153	50	64	45	152	31	51	118	195	139	145	33
139	87	183	132	49	196	39	88	115	171	110	90	160	23	174	71	186	178	106	112	94	92	26	153	24	34	64	181	17	95	145	93	161	89	162
104	97	189	202	146	197	144	102	23	67	171	65	168	155	20	114	137	90	19	145	43	41	66	196	39	174	88	111	113	89	106	157	165	87	164
174	184	151	1	186	158	26	182	118	39	3	64	161	8	88	106	200	50	45	51	25	33	154	15	195	31	48	14	149	109	162	170	35	79	75
166	49	98	144	171	95	168	39	137	102	88	106	189	197	113	111	162	68	174	23	145	90	196	186	47	114	108	142	71	74	43	153	26	89	164

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202	83	84	111	146	113	144	87	1	137	36	131	132	107	52	151	82	170	115	114	110	112	75	49	160	200	169	59	65	154	123	94	102
36	107	94	92	114	20	93	157	160	56	170	19	6	179	183	37	169	83	75	84	38	49	1	146	144	70	82	200	137	123	43	67	41
179	183	20	19	107	157	160	114	169	170	6	56	189	75	38	49	197	36	70	41	43	94	93	92	37	200	123	1	69	83	84	82	67
83	84	146	144	137	82	115	112	52	53	102	1	87	166	151	173	174	170	179	104	183	148	154	196	90	75	24	49	40	105	59	169	184
94	92	93	36	20	19	107	157	160	114	179	183	37	6	56	38	169	67	70	170	75	49	66	123	43	41	189	197	69	84	65	83	1
123	122	70	69	38	157	20	19	114	179	183	143	160	148	107	75	49	56	6	170	169	37	121	41	43	136	57	36	54	129	137	177	146
123	122	37	36	70	69	157	38	20	19	114	107	66	160	56	6	94	93	92	49	179	75	183	170	67	169	143	148	41	43	65	121	1
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123	122	70	69	38	20	157	19	114	183	179	160	37	107	143	148	189	36	197	75	49	41	43	56	6	169	170	121	57	193	201	54	136
123	122	70	69	38	157	20	19	114	179	183	143	160	148	107	75	49	56	6	170	169	37	121	41	43	136	57	36	54	129	137	177	146
37	66	93	94	123	20	92	19	70	69	122	157	38	36	67	160	65	155	107	43	41	6	169	56	170	179	49	183	114	75	148	199	143
83	146	52	84	144	137	82	115	59	111	112	113	166	53	87	90	40	105	102	173	104	24	196	168	17	132	131	171	71	110	98	153	97
111	113	83	146	84	132	144	131	52	87	137	59	110	115	82	1	112	170	107	161	200	196	40	39	97	24	71	166	105	36	102	151	90
202	83	84	52	82	146	184	59	182	144	1	170	107	111	113	137	151	97	200	169	166	36	102	56	149	6	75	168	173	104	179	131	98
182	184	83	84	52	169	181	179	183	170	178	82	1	107	6	56	151	149	200	95	36	59	49	160	34	75	94	98	92	93	139	173	166
83	146	52	84	144	137	82	115	59	111	112	113	166	53	87	90	40	105	102	173	104	24	196	168	17	132	131	171	71	110	98	153	97
84	83	182	184	52	202	179	82	183	6	107	151	56	169	1	139	97	94	36	178	170	59	92	160	34	93	181	149	75	200	146	173	104

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